

# Increased Bias in Evapotranspiration Modeling Due to Weather and Vegetation Indices Data Sources

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## ABSTRACT

Complex interactions among meteorological data and vegetation indices are incompletely understood in relation to evapotranspiration (*ET*) calculations for larger spatial domains with higher spatial and temporal resolution. Objectives of this study were to evaluate contributions of inputs to uncertainty in *ET* calculations and to enhance understanding of interactions among weather data, vegetative indices, and resistances utilized in biophysical *ET* model. We evaluated individual and combined effects of weather variables and vegetation indices using BAITSSS (Backward-Averaged Iterative Two-Source Surface temperature and energy balance Solution). Local weather station (LWS) data at a lysimeter site were obtained for irrigated corn (*Zea mays* L.) during the growing season (May to September, 2016) at Bushland, Texas. Gridded meteorological data were obtained from North American Land Data Assimilation System (NLDAS) (~ 12.5 km) and remotely-sensed vegetation indices (Landsat 30 m). Standard weather station (SWS) data were obtained from a grass reference near lysimeter site. The  $r^2$  and RMSE of *ET* simulated using LWS data and measured vegetation indices were 0.90 and 0.85 mm for daily *ET*, and 0.90 and 0.10 mm, for hourly *ET*, compared to lysimeter *ET* (less than 4% cumulative error). However,  $r^2$  and RMSE were 0.74 and 1.64 mm for daily *ET*, and 0.81 and 0.14 mm for hourly *ET* using gridded data, with positive bias (~ 25% from NLDAS data). Simulated *ET* from SWS data exhibited similar behavior to gridded data with increased *ET* up to 21%. Results quantify difficulties in *ET* modeling using commonly available and widely adopted data sources.

## Core Ideas

- Increased bias in *ET* due to various data sources where generally utilized standard weather data poses similar biases.
- Increased understanding of the complex relationship among the various weather input and vegetation indices.
- Results showed local weather station data closely represented site condition indicating the difficulties and challenges in *ET* modeling using other commonly available and widely adopted data sources.

**S**URFACE ENERGY balance algorithms require accurate meteorological data and vegetation indices to generate accurate water and energy fluxes including evapotranspiration (*ET*) (Kotlarski et al., 2005; Allen et al., 2011b; Wang et al., 2015). High-resolution accurate *ET* maps could be vital to managing water, especially in agricultural landscapes that experience water scarcity (Gowda et al., 2008; Anderson et al., 2012; Khanal et al., 2017; Kiptala et al., 2018; Petropoulos et al., 2018). Various models, types of weather data, and vegetation indices from different data sources are frequently used to compute large-scale high resolution evapotranspiration (*ET*) (Courault et al., 2005). Landscape-scale ecological modeling is hindered by the lack of suitable data as well as scale mismatch (Root and Schneider, 2002; Abatzoglou, 2013), posing challenges to model parameterization and specification of model inputs (Renard et al., 2010).

In this study, biophysical *ET* algorithm; BAITSSS (Backward-Averaged Iterative Two-Source Surface temperature and energy balance Solution) (Dhungel et al., 2016b) was utilized to simulate *ET* in a point and a gridded scale at an advective environment of Bushland, Texas. BAITSSS was developed to fulfill the future demand of more accurate and detailed modeling approach for surface energy fluxes (Dhungel et al., 2016b, 2018) as pointed out by Woolway et al. (2015). Evaluations of model performance with alternative sources of meteorological data in various environments and for different vegetation types can contribute to the understanding of model behavior and uncertainty. BAITSSS utilizes gridded data primarily from the North American Land Data Assimilation System; NLDAS; (Mitchell et al., 2004) and remotely sensed vegetation indices (Leaf area index; *LAI*) and Normalized difference vegetation index (*NDVI*) primarily from Landsat: 30 m spatial resolution). Comprehensive weather data provided by NLDAS included 1/8° latitude/longitude resolution over a domain that covers the continental United States, part of Canada, and part of Mexico (125° W – 67° W, 25° N – 53° N) in

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**Abbreviations:** area of interest (AOI); Backward-Averaged Iterative Two-Source Surface temperature and energy balance Solution (BAITSSS); day of year (DOY); including evapotranspiration (*ET*); irrigation ( $I_{rr}$ ); leaf area index (*LAI*); local weather station (LWS); normalized difference vegetation index (*NDVI*); North American Land Data Assimilation System (NLDAS); precipitation (*P*); relative humidity (*RH*); soil adjusted vegetation index (*SAVI*); Soil and Water Management Research Unit (SWMRU); Standard Weather Station (SWS)

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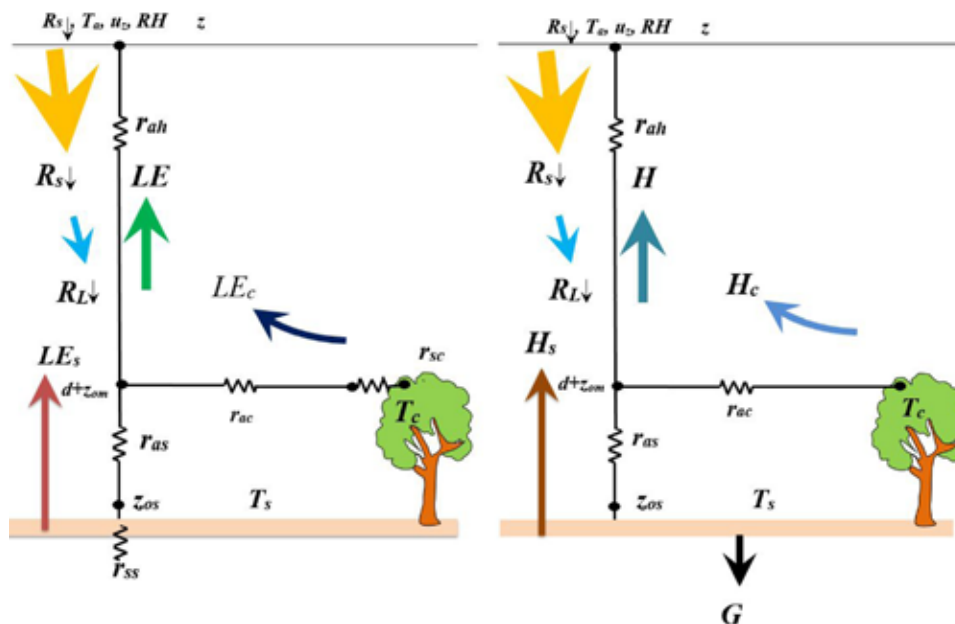


Fig. 1. Modeling scheme for a) latent heat flux ( $LE$ ) and b) sensible heat flux ( $H$ ) of BAITSSS surface energy balance components (Dhungel et al., 2016b).

hourly resolution, beginning in 1979. NLDAS weather data have been used in hydrological and atmospheric research, including  $ET$  modeling (Mitchell et al., 2004). The point hourly data was acquired from local weather station (LWS) and standard weather station (SWS) in close proximity of study area.

Extent of the uncertainty in these various data sources including remote sensing products (Von Schuckmann et al., 2016) is generally unknown and difficult to be quantified at different scales because of complex interactions among variables in  $ET$  modeling (Brutsaert, 1982). It is useful to distinguish between model limitations and various biases (Schimel et al., 1997) caused by input data that may not represent the actual weather and vegetation indices in a given field. For instance, the sensitivity of reference  $ET$  based on the Penman–Monteith equation weather variables [daily air temperature ( $T_a$ ), wind speed ( $u_z$ ), relative humidity ( $RH$ ), and daily sunshine duration ( $R_{s\downarrow}$ )] showed wide variation by season and region (Gong et al., 2006; Guo et al., 2017). Likewise, a two-fold increase in potential  $ET$  was observed in Australian locations using the Penman–Monteith equation, where  $u_z$  and  $RH$  were the most sensitive variables (Guo et al., 2017). The major objectives of this study were to evaluate the contributions of inputs to uncertainty in  $ET$  calculation and evaluate the sensitivity in an energy balance model to influences of gridded and local data. This study would provide a unique opportunity to improve the understanding of interactions among weather variables, vegetation indices, and resistances. Our overall goal is to develop python (“Python,” 2018), together with GDAL and Numpy libraries based automated operational  $ET$  model (BAITSSS) utilizing NLDAS weather data and Landsat based vegetation indices at 30 m spatial resolution, hourly scale with known and quantifiable uncertainties.

## MATERIALS AND METHODS

### BAITSSS Model Overview

Details of the BAITSSS model and equations were shown in Dhungel et al. (2016b) and updated equations in Appendix A. BAITSSS utilizes a physically-based representation of radiative

and convective processes affecting heat and water vapor exchange for land and vegetative surfaces. BAITSSS adopts the Jarvis equation (Eq. [A-13]) to compute canopy resistance ( $r_{sc}$ ) (Kumar et al., 2011) where constant minimum canopy resistance [ $R_{c\_min}$ ; Day of year (DOY) 143 to 250] for irrigated corn was  $40 \text{ s m}^{-1}$  (Kumar et al., 2011) and increased  $R_{c\_min}$ , i.e.,  $150 \text{ s m}^{-1}$  thereafter (last 20 d) during the assumed senescence period as per the analysis reported in Dhungel et al. (2018) (in review; identical study based on 15-min LWS data). The scheme of modeling latent heat flux and sensible heat flux based on aerodynamic equations were shown in Fig. 1 with soil (subscript  $s$ ) and canopy (subscript  $c$ ) (Appendix- Eq. [A-1–A-10], Table A-1 shown for all variable symbols).

### Data

The simulation period was between 22 May (DOY 143) and 26 September (DOY 270) 2016, corresponding to 12 d after planting to maturity of drought-tolerant corn (*Zea mays* L. cv. PIO 1151). This simulation interval included a range of environmental conditions with multiple drying and wetting events. BAITSSS was implemented for a single location (point scale; one dimensional) as well as gridded spatial domain (NLDAS weather data and Landsat-based vegetation indices) (Table 1). Effects of alternative input data sources on BAITSSS model performance were analyzed by substituting a ‘gridded’ input for a measured input, individually and in combinations. These combinations represent the following scenarios; a) all measured (including irrigation ( $I_{rr}$ ); 15 min to hour), b) fraction of cover ( $f_c$ ), c)  $LAI$ , d) precipitation ( $P$ ), e) specific humidity ( $q_a$ ), f)  $R_{s\downarrow}$ , g)  $I_{rr}$ , h)  $f_c$  and  $LAI$ , i)  $u_z$  and  $T_a$ , j) combined  $q_a$ ,  $R_{s\downarrow}$ , and  $P$ , k) combined  $q_a$ ,  $R_{s\downarrow}$ ,  $P$ ,  $T_a$ , and  $u_z$  (all NLDAS), l) all gridded data (Table 2). Dhungel et al. (2018) discussed the possible effect of advection in  $ET$  calculation based on LWS data, our implicit assumptions and limitation of this study were all these data sources (LWS, SWS, and gridded data) may be subject to similar effects of regional and local advection.

Table 1. Meteorological data, vegetation indices, and other variables.

Variable	Gridded (NLDAS hourly)	Point (NE lysimeter hourly averaged; LWS)	Point (SWMRU hourly averaged; SWS)
Meteorological data		Measurement height	
Air temperature ( $T_a$ )	2 m	2.8 m	2 m
Wind speed ( $u_z$ )	10 m	2.8 m	2 m
Specific humidity ( $q_a$ )	2 m	–	–
Relative humidity ( $RH$ )	–	2.8 m	2 m
Incoming solar irradiance ( $R_{s\downarrow}$ )	Surface	Surface	Surface
Precipitation ( $P$ )	Surface	Surface	Surface
Surface runoff ( $S_{run}$ )	Surface	–	–
Vegetation indices		Data sources	
Leaf area index ( $LAI$ )	Estimated based on Landsat	Measured	Measured
Normalized difference vegetation index ( $NDVI$ )	Landsat	–	–
Fraction of canopy cover ( $f_c$ )	Estimated from $NDVI$ using Landsat	Estimated from measured ratio of canopy width to row spacing	Estimated from measured ratio of canopy width to row spacing
Other			
Irrigation ( $I_{rr}$ )	Simulated	Measured	Measured
Field capacity ( $\theta_{fc}$ ) and wilting point ( $\theta_{wp}$ )	Gridded data	Point data	Point data

### Study Area

The study area was located at the USDA-ARS Conservation and Production Research Laboratory at Bushland, Texas (35° 11' N, 102° 6' W, and 1170 m above MSL) with an advective environment. Measurement of  $ET$  was by a monolithic weighing lysimeter (NE Lysimeter, Fig. 2) located in the center of a 450 m × 439 m field. The lysimeter surface was 3 m by 3 m (containing four crop rows) and 2.4 m deep. Detailed information about the lysimeter (Evelt et al., 2016), corresponding weather data, and vegetation indices are shown in Table 1 and described in Fig. 2, 3, 4, 5, and 6. A small area of interest (AOI) for Landsat imagery was carefully selected, avoiding Landsat 7 stripe effects for the NE lysimeter site (Fig. 2). The NLDAS data being 1/8° latitude/longitude resolution (~ 12.5 km), the AOI is represented by a single pixel of NLDAS.

### Initial Soil Moisture and irrigation

A relatively dry profile ( $\theta_{sur} = 0.05 \text{ m}^3 \text{ m}^{-3}$ ; soil volumetric water content) was adopted for the surface, evaporative layer (100 mm) at the start of the simulation. However, Dhungel et al. (2018) utilized  $\theta_{sur} = 0.15 \text{ m}^3 \text{ m}^{-3}$  based on relative soil sensor information, where  $ET$  was overestimated for the first 2 d i.e., DOY 143 and 144, which probably may be because of the adopted simplified evaporation model in BAITSSS (Eq. [A-21]). Further evaluation is needed in this regard if this behavior persists systematically. We adopted depth averaged soil water content at root zone ( $\theta_{root}$ ) which was  $0.32 \text{ m}^3 \text{ m}^{-3}$  based on repeated neutron probe observations at the start of the simulation. Irrigation ( $I_{rr}$ ) was applied through controlled subsurface drip (SSD) lines and measured throughout the study; no  $I_{rr}$  was applied at the upper soil surface (top 100 mm) in the field, preventing evaporation at the soil surface from irrigation. The  $I_{rr}$  application target amounts were 25 mm in the lysimeter field (Fig. 5b).

In  $I_{rr}$  sub-model in BAITSSS,  $I_{rr(i)}$  was simulated and applied when  $\theta_{root}$  was below a given threshold moisture content ( $\theta_p$ ;  $i$  is time step, Eq. [1]) (Dhungel et al., 2016b). To mimic the behavior of actual measured  $I_{rr}$  in the field (~ 25 mm target application and SSD), rooting depth ( $d_{root}$ ) and management

allowable depletion ( $MAD$ ) was adjusted and  $I_{rr}$  was applied only in the root zone. We utilized  $MAD$  of 0.5 throughout the simulation process. The rest of the variables [i.e., soil moisture at field capacity ( $\theta_{fc}$ ) and wilting point ( $\theta_{wp}$ )] were defined from observed field measurements.

$$I_{rr(i)} = \begin{cases} (\theta_{fc} - \theta_{root(i)}) d_{root} & \text{if } \theta_{root(i)} < \theta_t \\ 0 & \text{if } \theta_{root(i)} \geq \theta_t \end{cases} \quad [1]$$

### Point Scale Data

Micrometeorological and surface temperature measurements were obtained by instruments deployed on a ~3 m mast located at the north edge of the NE lysimeter (referred as local weather station– LWS, Fig. 2a). 15-min weather data were averaged hourly for simulation and comparison. The  $T_a$  and  $RH$  were measured by a sensor assembly contained inside a radiation shield (model Hygroclip, Rotronic Instrument Corp., Hauppauge, New York). The  $u_z$  was measured by a sonic anemometer (model WindSonic 2D, Gill Instruments Ltd., Lymington, Hampshire, UK). Directional brightness temperature was measured by a wireless infrared thermometer with a nadir view centered over the crop row (model SPIP-IRT, Dynamax, Inc., Houston, Texas). Incoming shortwave irradiance was measured by a pyranometer (model PSP, Eppley Laboratories, Newport, Rhode Island) at 2.0 m above the surface.

Standard 15-min weather data  $T_a$ ,  $R_{s\downarrow}$ ,  $P$ ,  $u_z$ , and  $RH$  were obtained from the USDA-ARS Soil and Water Management Research Unit (SWMRU), Bushland, TX (referred as standard weather station– SWS, Fig. 2a). This weather station was located at a grass reference site ~250 m east of the lysimeter, where ~1 ha of fescue was well-watered by subsurface drip irrigation and maintained at ~0.12 m height. Table 1 summarizes measurement conditions from LWS and SWS. The measurement height ( $z$ ; Fig. 1; Eq. [A-10]) of  $T_a$  was 2 m (for heat) and 10 m for  $u_z$  (for momentum) for NLDAS gridded data, while  $z$  was 2.8 m for both  $T_a$  and  $u_z$  (heat and momentum, respectively) for LWS, and 2 m for both  $T_a$  and  $u_z$  for SWS (Table 1). In the single

Table 2. Possible combinations gridded (NLDAS and Landsat) and measured data based on local weather station (LWS).

S.L.†	Scenario	Cumulative ET (mm)			Daily			Hourly			% change in cumulative ET with respect to lysimeter	
		Slope	Intercept	r <sup>2</sup>	Slope	Intercept	r <sup>2</sup>	Slope	Intercept	r <sup>2</sup>		RMSE (mm)
a	All measured including irrigation (15 min to hour)	723	0.93	0.61	0.90	0.85	0.90	1.04	0.00	0.90	0.10	3.73
b	Fraction of canopy cover	726	0.93	0.61	0.90	0.89	0.90	1.04	0.00	0.90	0.10	4.16
c	Leaf area index	659	0.83	0.61	0.87	1.03	0.87	0.94	0.00	0.87	0.10	-5.45
d	Precipitation	725	0.97	0.39	0.90	0.88	0.90	1.06	0.00	0.91	0.10	4.02
e	Specific humidity	760	0.97	0.68	0.89	1.03	0.89	1.07	0.01	0.89	0.11	9.04
f	Solar irradiance	773	0.97	0.78	0.89	1.10	0.89	1.04	0.02	0.89	0.11	10.90
g	Irrigation	723	0.93	0.61	0.90	0.85	0.90	1.04	0.00	0.90	0.10	3.73
h	Fraction of canopy cover and leaf area index	667	0.83	0.70	0.87	1.0	0.87	0.95	0.00	0.88	0.10	-4.30
i	Wind speed and air temperature	753	0.95	0.72	0.89	1.02	0.89	1.08	0.00	0.89	0.11	8.03
j	Specific humidity, solar irradiance, precipitation	818	1.05	0.67	0.87	1.46	0.87	1.08	0.02	0.88	0.12	17.36
k	Specific humidity, solar irradiance, precipitation, air temp, wind speed (all NLDAS)	875	1.05	1.11	0.78	2.06	0.78	1.1	0.03	0.83	0.16	25.54
l	All gridded	789	0.91	1.21	0.74	1.64	0.74	0.97	0.04	0.81	0.14	13.20

† The letters correspond with letters used in Figures.

location form, field-measured data included weather conditions, *LAI*, and the ratio of canopy width to row spacing used to compute the fraction of canopy cover ( $f_c$ ); linear interpolation of vegetation indices provided a continuous representation of these field-measured values throughout the season.

### Gridded Data

Estimated *LAI* in gridded form was based on soil adjusted vegetation index (*SAVI*) using Landsat (Allen et al., 2012). The *LAI* and *NDVI* (Landsat 7 (LC07) and 8 (LC08); <https://earthexplorer.usgs.gov>) were estimated using Landsat images (path 31 and row 36) from following dates: a) 23 May 2016 (LC07), b) 8 June 2016 (LC07), c) 16 June 2016 (LC08), d) 2 July 2016 (LC08), e) 10 July 2016 (LC07), f) 26 July 2016 (LC07), g) 27 Aug. 2016 (LC07), h) 4 Sept. 2016 (LC08), i) 20 Sept. 2016 (LC08), and j) 28 Sept. 2016 (LC07) (*LAI*; Fig. 2a to 2j, respectively). In this study, we utilized a maximum number of available images to evaluate the accuracy of these gridded vegetation indices and to test the validity of linearity between image dates. *NDVI* from Landsat was used to compute gridded  $f_c$ . NLDAS data ([https://hydro1.gesdisc.eosdis.nasa.gov/data/NLDAS/NLDAS\\_FORA0125\\_H.002/](https://hydro1.gesdisc.eosdis.nasa.gov/data/NLDAS/NLDAS_FORA0125_H.002/)) as meteorological forcings were (solar irradiance ( $R_{s\downarrow}$ ), wind speed ( $u_z$ ), air temperature ( $T_a$ ), specific humidity ( $q_a$ ), and precipitation ( $P$ )) (Table 1). Gridded  $u_z$  from NLDAS at 10 m height was converted to 2.8 m for simulation and comparison purpose (Fig. 3d) using identical roughness length of momentum ( $z_{om}$ ) (Eq. A-11).

### Error and Sensitivity Analysis

The predictive accuracy of calculations was evaluated against field measurements (*ET*, surface temperature and  $R_n$ ) using a linear regression. Performance measures included the coefficient of determination ( $r^2$ ), root-mean-square error (RMSE), slope and intercept from the regression of simulated against observed, as well as cumulative *ET*. Responses of the BAITSSS model to gridded input parameters were evaluated using two different comparison baselines. In Section 3.2 and 3.3, comparisons of calculated parameters (i.e.,  $ET_{sim}(\text{scenario 'itb'})$ ) are against field measurements ( $ET_{\text{lysimeter}}$ , *IRT*, net radiometer) (Eq. [2a]). However, for sections 3.2 (part of the discussions), 3.4, and 3.5 comparisons are against BAITSSS using measured inputs ( $ET_{sim}(\text{scenario 'a'})$ ; Eq. 2b).

$$\%ET = \frac{ET_{sim}(\text{scenario 'itb'}) - ET_{lysimeter}}{ET_{lysimeter}} * 100 \quad [2a]$$

$$\%ET = \frac{ET_{sim}(\text{scenario 'itb'}) - ET_{sim}(\text{scenario 'a'})}{ET_{sim}(\text{scenario 'a'})} * 100 \quad [2b]$$

Model sensitivity to input source was evaluated using a dimensionless sensitivity analysis coefficient ( $Sv_i$ ) for input variables (Saxton, 1975; Gong et al., 2006; Ambas and Baltas, 2012). (Ampas, 2010), in Eq. [3],  $\partial ET$  is the change in *ET* corresponding to  $\partial V_i$ , the change in the  $i^{\text{th}}$  variable (selected variables shown in Fig. 11) that is, the partial derivative ( $\partial$ ) of the *ET* dependency transformed into a nondimensional form (Beven, 1979). The symbol ' $\sigma_{V_i}$ ' is the standard deviation of the

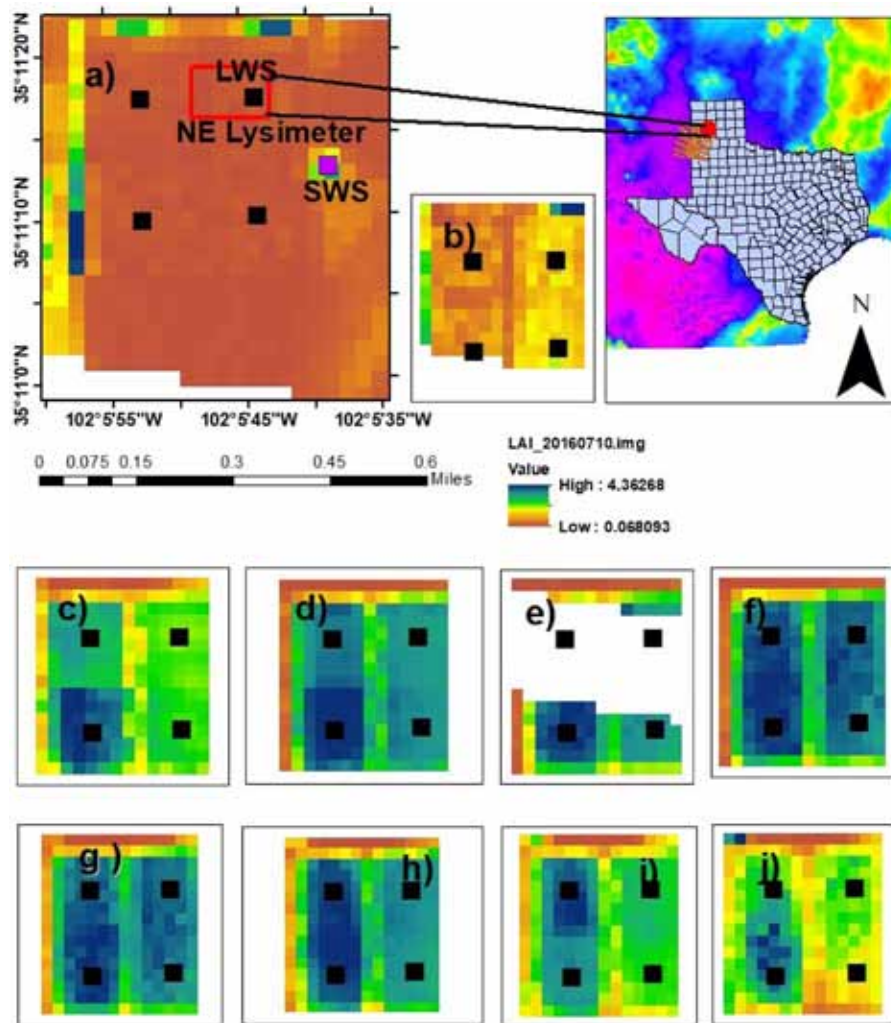


Fig. 2. Study area with lysimeter and LAI image based on Landsat path 31 and row 36 (upper left, red border), lysimeter site at various dates with LAI images (a to j), incoming solar irradiance from NLDAS (05/09/2016), and State of Texas (upper right).

$i^{\text{th}}$  meteorological variable. The change ( $\Delta$ ) in  $ET$  represents the difference of a BAITSSS simulation using the gridded form of the  $i^{\text{th}}$  variable [ $ET_{sim}(\text{scenario } 'ith')$ ] and the simulation using all measured input [ $ET_{sim}(\text{scenario } 'a')$ ]. Daily and seasonal mean sensitivity analysis coefficients were reported.

$$Sv_i = \lim_{\Delta V_i \rightarrow 0} \left( \frac{\Delta ET / ET}{\Delta V_i / \sigma_{V_i}} \right) = \frac{\partial ET}{\partial V_i} * \frac{\sigma_{V_i}}{ET} \quad [3]$$

## RESULTS AND DISCUSSION

The analysis of uncertainty in calculated  $ET$  begins with comparison of NLDAS and sources of meteorological data with that observed at the lysimeter site (LWS) and followed by comparison of LWS and SWS. Differences in sources of  $P$ ,  $I_{rr}$ , and vegetation indices are then presented. The effects of these differences in inputs and sources on calculated  $ET$ , as well as surface temperature and net radiation ( $R_n$ ), are presented as a set of scenarios. Sensitivities of the BAITSSS model, based on differential weather and canopy input values, are presented. Finally, simulation based on grass-reference weather (SWS) data is related to previous results.

### Weather Data and Vegetation Indices

#### Comparison between Gridded NLDAS and Local Weather Station (LWS) Data

Figure 3 shows an hourly comparison between gridded NLDAS and site measured meteorological data (LWS). As shown in Table 1, the measurement height of measured data was not identical to gridded data, though they are comparable. Because of mismatch on measurement height and coarse resolution of gridded NLDAS data, and possibly other factors (such as roughness lengths and possibly advection), some form of biases are probably expected in these scatterplots. Regression of NLDAS gridded data against LWS data resulted in an RMSE of  $113 \text{ W m}^{-2}$ ,  $3.73^\circ\text{C}$ ,  $0.33 \text{ kPa}$ , and  $1.37 \text{ m s}^{-1}$ , respectively, for  $R_{s\downarrow}$ ,  $T_a$ ,  $e_a$ , and  $u_z$ . Compared to other variables,  $R_{s\downarrow}$  showed a large bias (Fig. 3a) where Luo et al. (2003) also found a similar bias (RMSD  $130 \text{ W m}^{-2}$ ) between the ground based weather stations and NLDAS at the southern Great Plains. This overestimation of  $R_{s\downarrow}$  in NLDAS data was possibly due to the lack of capturing cloud cover (Luo et al., 2003). Gridded  $T_a$  tended to have a slightly positive bias (Fig. 3b). The  $q_a$  in terms of  $e_a$  tended to have a negative bias when compared to measured data (Fig. 3c). Out of all NLDAS data, modeled  $T_a$  matched measurements the most ( $r^2 = 0.89$  and low RMSE) (Lewis et al.,

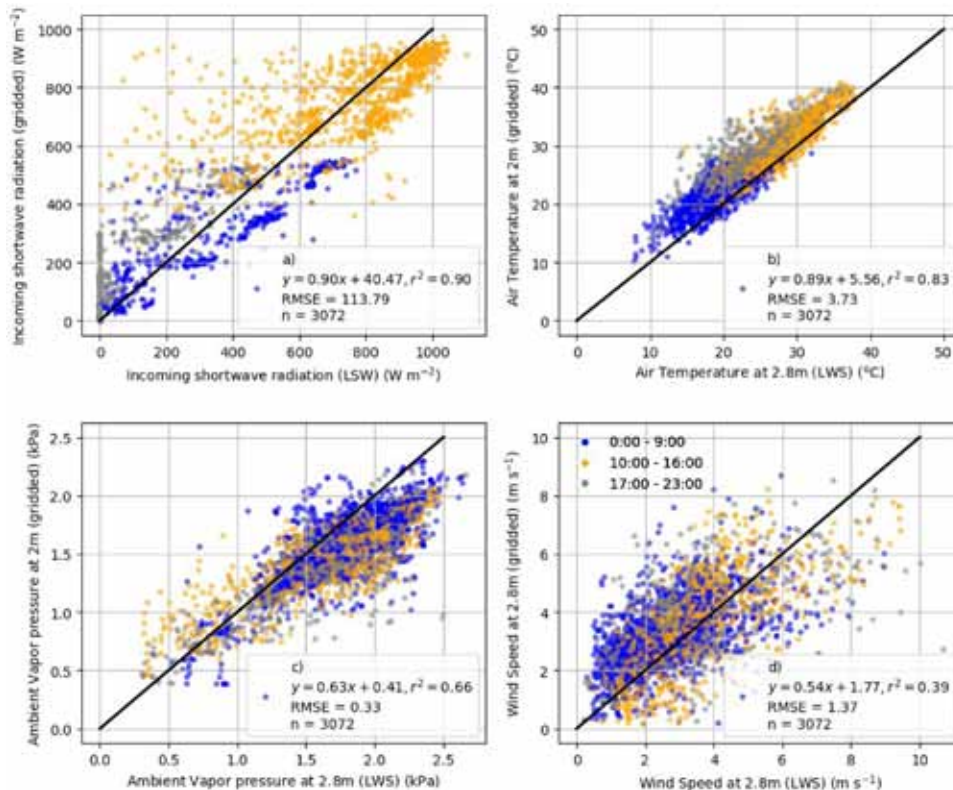


Fig. 3. Hourly scatterplots from local weather station (LWS) and gridded NLDAS a) incoming solar irradiance, b) air temperature, c) ambient vapor pressure, and d) wind speed between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. Diel intervals (0:00–9:00, 10:00–16:00, 17:00–23:00) are indicated by symbol color; one-to-one correspondence (black line) as indicated.

2014). The  $u_z$  was more scattered than other parameters with some positive bias (Fig. 3d), where similar observations were found by (Luo et al., 2003; Lewis et al., 2014). The  $r^2$  was 0.90, 0.83, 0.66, and 0.39 for  $R_{s\downarrow}$ ,  $T_a$ ,  $e_a$ , and  $u_z$ , respectively (Fig. 3). The computational difference between measured and gridded data may also have contributed some bias in  $e_a$  (Appendix A).

### Comparison between Standard Weather Station (SWS) and Local Weather Station (LWS) Data

Figure 4 shows a comparison between weather data from the SWS and LWS. Regression of SWS data against LWS data resulted in an RMSE of 41.4  $W m^{-2}$ , 0.76°C, 0.17 kPa, and 1.02  $m s^{-1}$  and  $r^2$  was 0.99, 0.99, 0.97, and 0.76, respectively for  $R_{s\downarrow}$ ,  $T_a$ ,  $e_a$ , and  $u_z$ . The  $u_z$  showed a larger variability (both underestimation and overestimation during the simulation period) especially overestimation after DOY 180 (Fig. 4d). The  $R_{s\downarrow}$  (Fig. 4a) and  $e_a$  (Fig. 4c) at a standard weather station showed a minor systematic underestimation, while  $P$  (data not shown) showed a close match. The measurement heights, surface roughness, instrumentation biases, and microclimatic variations between these two sites may have contributed these variabilities. The  $u_z$  at SWS was measured at 2 m over irrigated fescue maintained at  $\sim 0.12$  m height. However,  $u_z$  at the LWS was measured at corn field at 2.8 m above the soil surface. Therefore, as the corn crop grew,  $u_z$  measured height relative to the corn surface decreased from 2.8 m at planting to almost zero by tasseling. These differences in weather data may vary and possibly increase when the standard weather data is further away from the study site. SWS data is common and probably most adopted data source for both point and large-scale  $ET$  simulation, for instance using single SWS for the entire Landsat scene (190 km by 180 km).

### Precipitation (P) and Irrigation ( $I_{rr}$ )

Figure 5a shows daily  $P$  between LWS and NLDAS gridded data and Fig. 5b shows actual and simulated  $I_{rr}$ . We presented daily accumulated  $P$  and  $I_{rr}$ , rather than hourly as there were larger variations and uncertainty in hourly values. Measured cumulative seasonal  $P$  was 225 mm while gridded was 286 mm. The  $P$  can have wide variations locally, especially in semiarid and arid climates. Uncertainty in gridded  $P$  data had been widely documented and is challenging meteorological variable (Adam and Lettenmaier, 2003; Xia et al., 2012; Abatzoglou, 2013). Applied  $I_{rr}$  was 491 mm while simulated was 616 mm. No  $I_{rr}$  was applied in the field after DOY 232 while model simulated  $I_{rr}$  through DOY 270, resulting in an overestimation of simulated  $I_{rr}$  (Fig. 5b). Simulated  $I_{rr}$  pattern and frequency showed slightly different behavior than applied  $I_{rr}$  (Fig. 5b). As this study was conducted for fully irrigated corn,  $I_{rr}$  pattern should have a minimal effect in  $ET$  as plant never gets stressed as per irrigation rules.

### Vegetation Indices

Figure 6 shows that the calculated gridded  $LAI$  using Landsat (evaluated for a specific type of corn i.e., *Zea mays* L.) was systematically underestimated during full cover canopy (DOY 180 to 240). Measured  $LAI$  reached up to 5.5  $m^2 m^{-2}$  around DOY 195 and remained 5.0  $m^2 m^{-2}$  through DOY 240. However, the estimated gridded  $LAI$  was about 4.0  $m^2 m^{-2}$  to 3.5  $m^2 m^{-2}$  during the same period. Further evaluation of gridded  $LAI$  for various corn types, crops, and the adopted algorithm will help to understand if this specific behavior persists systematically. Underestimation of gridded  $LAI$  can create an asymmetry between  $f_c$  and  $LAI$  as they are closely related (Fig. 6a). The

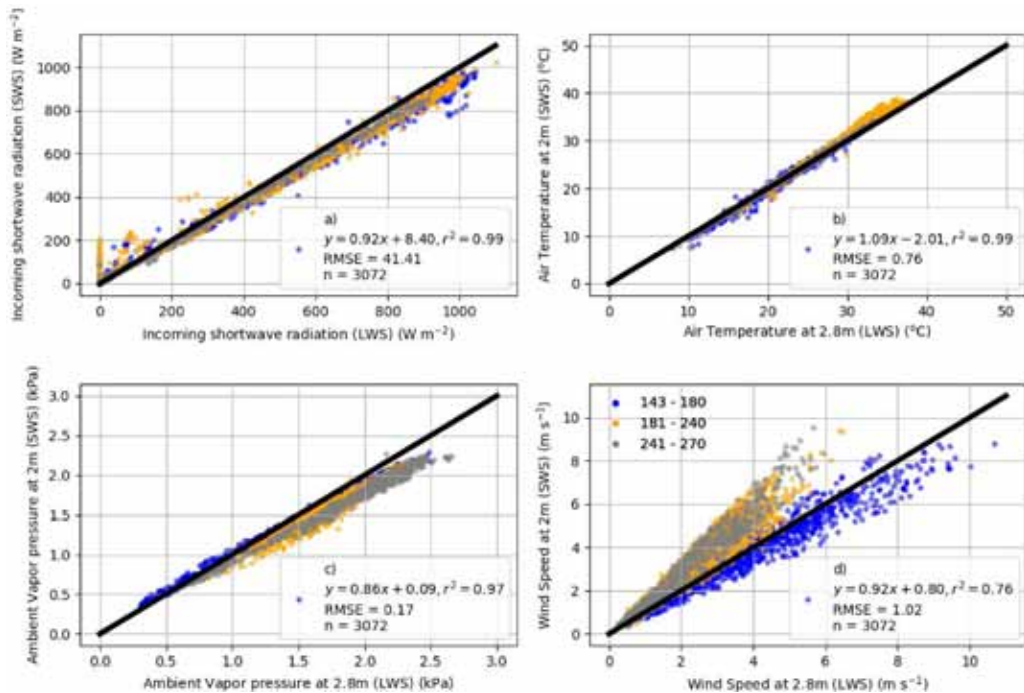


Fig. 4. Hourly scatterplots from local weather station (LWS) and standard weather station (SWS) a) incoming solar irradiance, b) air temperature, c) ambient vapor pressure, and d) wind speed between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. DOYs (143–180, 181–240, 241–270) is indicated by symbol color; one-to-one correspondence (black line) as indicated.

$f_c$  based on gridded  $NDVI$  closely followed  $f_c$  estimated from measured canopy width in the field. Gridded  $LAI$  and  $f_c$  both attended maximum values during full cover. The  $f_c$  value was  $\sim 0.9$  during the full cover from both measured and estimated. Results indicated that linear interpolation of vegetation indices from Landsat based images was a reasonable option, though  $LAI$  showed a negative bias. Availability of Landsat based images during the start of growing season, full cover and senescence would help to reduce uncertainty in vegetation indices and increase the overall accuracy of seasonal  $ET$  calculation.

### Influence of Gridded Data in ET

The influence and sensitivity of gridded meteorological data and Landsat based vegetation indices in  $ET$  (output at 30 m spatial resolution and hourly temporal resolution) was evaluated using BAITSSS in the coming sections (see Eq. [2a] and Table 2). Cumulative  $ET$  from lysimeter was 697 mm, from BAITSSS: 694 mm utilizing 15-min measured input weather data (Dhungel et al., 2018), 723 mm utilizing hourly averaged measured weather data (Table 2, scenario 'a'), 875 mm from all NLDAS gridded (scenario 'k'), and 789 mm from all gridded data (scenario 'l') for 127 d. Results indicated that the largest individual positive bias (deviations from measurements) occurred from  $R_{s\downarrow}$  (+ 11%; Table 2, scenario 'f'), followed by  $q_a$  (+ 9%; Table 2, scenario 'e'), combined  $u_z$  and  $T_a$  (+ 8%; Table 2, scenario 'i'), and  $P$  (+ 4%, Table 2, scenario 'd') in cumulative  $ET$  when compared to the lysimeter.

We analyzed some of the reasons behind these biases based on model simulations (Eq. [2b]; scenario 'a' to other scenarios). Generally, increase in  $R_{s\downarrow}$  (Table 2, scenario 'f') elevates the surface energy flux components and ultimately  $ET$ . For instance, on DOY 216 (12:00,  $r_{sc} = 40 \text{ s}^{-1}$ ),  $R_{s\downarrow}$  from measured was  $404 \text{ W m}^{-2}$  (scenario 'a') and from gridded  $889 \text{ W m}^{-2}$  ( $r_{sc} =$

$40 \text{ s}^{-1}$ ; scenario 'f'),  $ET$  increased from  $0.43 \text{ mm h}^{-1}$  to  $0.78 \text{ mm h}^{-1}$  which accounts 79%. Similarly, on DOY 244 (13:00,  $r_{sc} = 40 \text{ s}^{-1}$ ),  $R_{s\downarrow}$  from measured was  $217 \text{ W m}^{-2}$  and from gridded  $550 \text{ W m}^{-2}$  ( $r_{sc} = 40 \text{ s}^{-1}$ ),  $ET$  increased from  $0.08 \text{ mm h}^{-1}$  to  $0.31 \text{ mm h}^{-1}$  which accounts 287%. This difference in  $R_{s\downarrow}$  explains 11% cumulative increase of  $ET$ .

The decrease in  $e_a$  (computed from  $q_a$ ; Table 2, scenario 'e') increase  $VPD_s$  and  $VPD_c$  in Eq. [A-2a–A-2b] at the numerator that tended to increase both evaporation and transpiration. The decrease in  $e_a$  usually results in increased  $VPD$  for constant  $T_a$ . Furthermore, Eq. [A-17] shows a linear increase in  $r_{sc}$  with an increase in  $VPD_c$  due to smaller  $F_3$  value. However, Eq. [A-2a–A-2b] show a proportional increase of  $LE_s$  and  $LE_c$  with an increase in  $VPD$ . This shows the complex relationship of  $VPD$  in BAITSSS based on the available literature. For instance, on DOY 194 (10:00 and  $R_{s\downarrow} = 818 \text{ W m}^{-2}$ ,  $LAI = 5.6$ ,  $r_{sc} = 40 \text{ s}^{-1}$ ),  $e_a$  from measured was  $2.26 \text{ kPa}$  (scenario 'a') and from gridded  $1.27 \text{ kPa}$  ( $r_{sc} = 40 \text{ s}^{-1}$ ; scenario 'f'),  $ET$  increased from  $0.72 \text{ mm h}^{-1}$  to  $0.86 \text{ mm h}^{-1}$  which accounts 19%. Similarly, DOY 218 (12:00 and  $R_{s\downarrow} = 964 \text{ W m}^{-2}$ ,  $LAI = 5.4$ ,  $r_{sc} = 40 \text{ s}^{-1}$ ),  $e_a$  from measured was  $2.3 \text{ kPa}$  and from gridded  $1.5 \text{ kPa}$  ( $r_{sc} = 40 \text{ s}^{-1}$ ),  $ET$  increased from  $0.89 \text{ mm h}^{-1}$  to  $0.96 \text{ mm h}^{-1}$  which accounts 8%.

Increase in  $u_z$  generally accelerates the turbulence process by decreasing  $r_{ab}$  in surface energy balance and ultimately increase  $ET$  (Hanson, 1991; Dhungel et al., 2016a). For instance, on DOY 236 (14:00 and  $R_{s\downarrow} = 362 \text{ W m}^{-2}$ ,  $r_{sc} = 40 \text{ s}^{-1}$ ),  $u_z$  from measured was  $2.5 \text{ m s}^{-1}$  (scenario 'a') and from gridded  $7.02 \text{ m s}^{-1}$  ( $r_{sc} = 40 \text{ s}^{-1}$ ; scenario 'f'),  $ET$  increased from  $0.5 \text{ mm h}^{-1}$  to  $0.73 \text{ mm h}^{-1}$  which accounts 47%. Similarly, on DOY 203 (13:00 and  $R_{s\downarrow} = 980 \text{ W m}^{-2}$ ,  $r_{sc} = 40 \text{ s}^{-1}$ ),  $u_z$  from measured was  $2.5 \text{ m s}^{-1}$  and from gridded  $5.2 \text{ m s}^{-1}$  ( $r_{sc} = 40 \text{ s}^{-1}$ ),  $ET$  increased from  $1.05 \text{ mm h}^{-1}$  to  $1.2 \text{ mm h}^{-1}$  which accounts 14%.

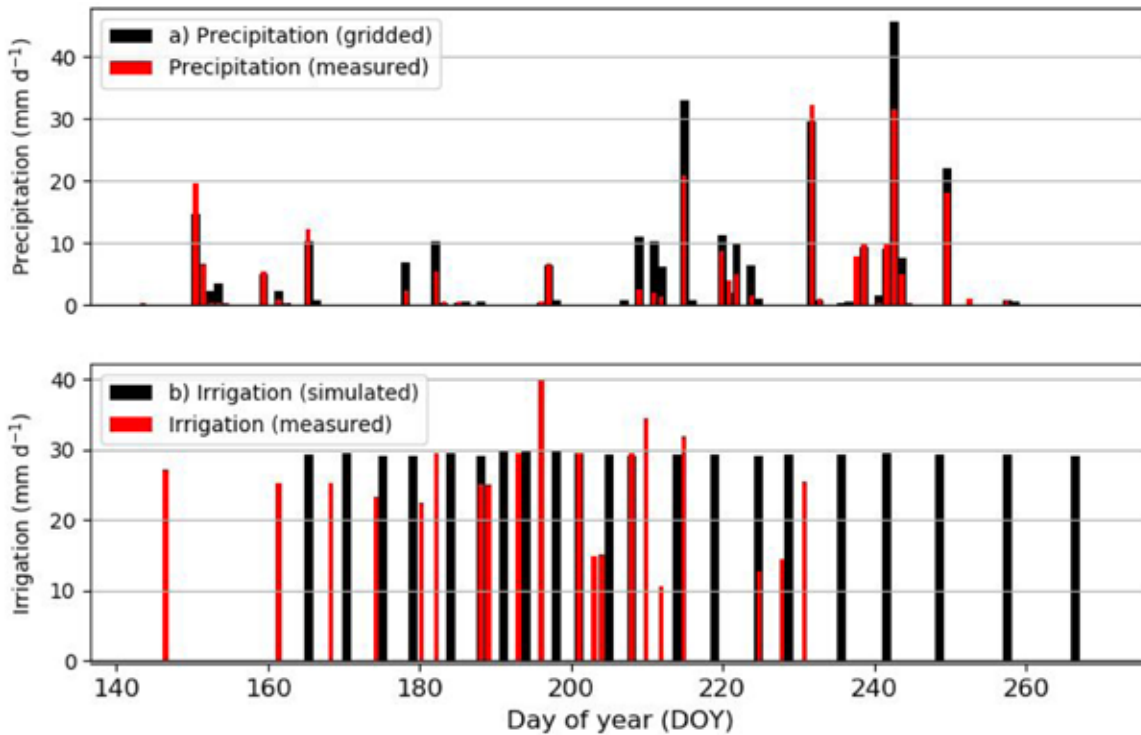


Fig. 5. Daily plots a) measured local weather station (LWS) and NLDAS gridded precipitation, b) measured and simulated irrigation between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas.

Implication of small  $LAI$  (scenario 'c') in full cover canopy at denominator is large  $r_{sc}$  (Eq. [A-13]) and decreased  $ET$  and vice versa. With identical  $R_{c\_min}$  for irrigated croplands as suggested by Kumar et al., (2011) and identical meteorological data, significant player of  $ET$  variations in the 30 m grid is vegetation indices. Underestimation of  $LAI$  from gridded data may misrepresent vegetation types, though we assume that this underestimation may be systematic for all crop types. For instance, on DOY 207 (13:00 and  $R_{s\downarrow} = 969 \text{ W m}^{-2}$ ), measured  $LAI$  was  $5.6 \text{ m}^2 \text{ m}^{-2}$  (scenario 'a') and gridded  $LAI$  was  $3.8 \text{ m}^2 \text{ m}^{-2}$  (scenario 'c'),  $ET$  decreased from  $1.05 \text{ mm h}^{-1}$  to  $0.75 \text{ mm h}^{-1}$  which account 28%. Simulated  $r_{sc}$  was  $40 \text{ s m}^{-1}$  from measured input (Table 2, scenario 'a') while  $156 \text{ s m}^{-1}$  from the gridded input (scenario 'c'). In other instances, when simulated  $r_{sc}$  were identical from both measured and gridded inputs ( $40 \text{ s m}^{-1}$ ), the results revealed a decrease in  $ET$  because of decreased  $LAI$  as it had also been used for calculating other variables like  $z_{om}$  and  $h_c$ . Finally, the variation in timing and frequency of  $P$  from NLDAS may have increased soil evaporation, which possibly contributed 5% positive bias in total  $ET$  (Table 2, scenario 'd'). However, Table 2 scenario 'g', results indicated that there was no significant effect in  $ET$  because of mismatch in irrigation pattern for fully irrigated corn.

The individual biases from NLDAS weather data were substantial, therefore a combination of these accounted up to 25% bias with a resulting RMSE of  $2 \text{ mm d}^{-1}$  (scenario 'k'). In contrast, gridded  $LAI$  decreased cumulative  $ET$  by 5% (Table 2, scenario 'c').  $LAI$ -induced uncertainty was 7% of total  $ET$  over the continental United States (Ferguson et al., 2010). Overall, the combination of gridded data (both weather data and vegetation indices) resulted in a 13% positive bias in cumulative  $ET$  (scenario 'l'). Results showed that uncertainty in input data had clearly propagated bias to final  $ET$ . Earlier studies that utilized NLDAS data reported similar positive bias in  $ET$  (Bhattarai et al., 2018). A positive bias in

reference evapotranspiration ( $ET_0$ ) computed from NLDAS data was reported (Abatzoglou, 2013). Similarly, Moorhead et al. (2015) found NOAA reference  $ET$  ( $ET_p$ ) maps generally overestimated the TXHPET observations ( $1.4$  and  $2.2 \text{ mm d}^{-1}$   $ET_{os}$  and  $ET_{rs}$ , respectively) for Texas High Plains where they suspected uncertainty in the modeled NLDAS  $T_a$  and  $u_z$ .

### Daily and Hourly ET

Figure 7 shows daily  $ET$  plots illustrating an agreement between lysimeter and model calculations for various gridded input and vegetation indices as shown in Table 2. The letters in figures are associated with letters (under column 'S.L.' with Scenarios) in Table 2. Figure 7a, 8a, and 9a (scenario 'a') show  $ET$  from hourly averaged input from 15-min measured observations without any gridded data. We evaluated this scenario (scenario 'a') to quantify the effect of temporal resolution on calculated  $ET$ , i.e., hourly from 15-min. The  $r^2$  and RMSE were 0.90 and 0.85 mm for daily and 0.90 and 0.10 mm for hourly, respectively. Statistics showed a slight improvement in daily  $ET$  ( $r^2$  and RMSE were 0.85 and 1.09 mm, respectively), reported for the daily time step in Dhungel et al. (2018) which used a 15-min time interval. This improved agreement was because of decreased initial soil water content at the surface i.e., 100 mm (reduced  $\theta_{sur}$  from 0.15 to  $0.05 \text{ m}^3 \text{ m}^{-3}$ ) compared to the earlier study of the 15-min interval. However, there was a small increase (< 4%, earlier 694 mm) in cumulative  $ET$  with the hourly interval (Table 2, scenario 'a'). Revised  $R_{c\_min}$  i.e.,  $150 \text{ s m}^{-1}$  based on (Dhungel et al., 2018) during DOY 250 to 270 improved agreement between calculated and measured  $ET$  during the assumed senescence period.

Figure 8 and 9 show daily and hourly scatterplots of  $ET$ , respectively, between lysimeter and BAITSSS as in Table 2. Underestimation and overestimation of  $ET$  from various



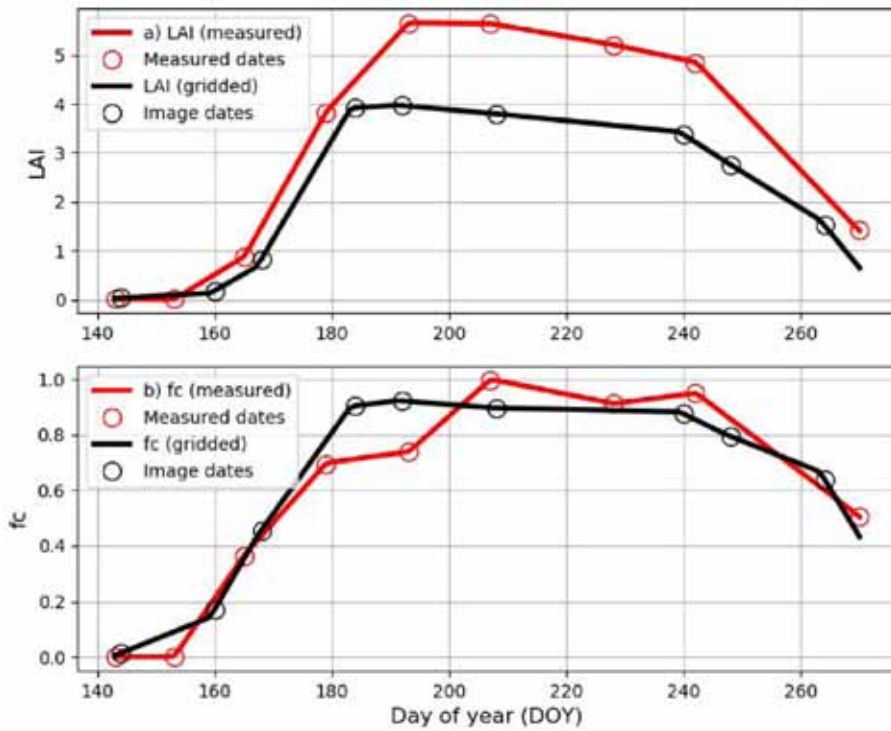


Fig. 6. a) Measured and gridded plots a) Leaf area index ( $LAI$ ), b) fraction of canopy cover ( $f_c$ ) of corn between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. Measured dates and satellite acquisition dates are presented.

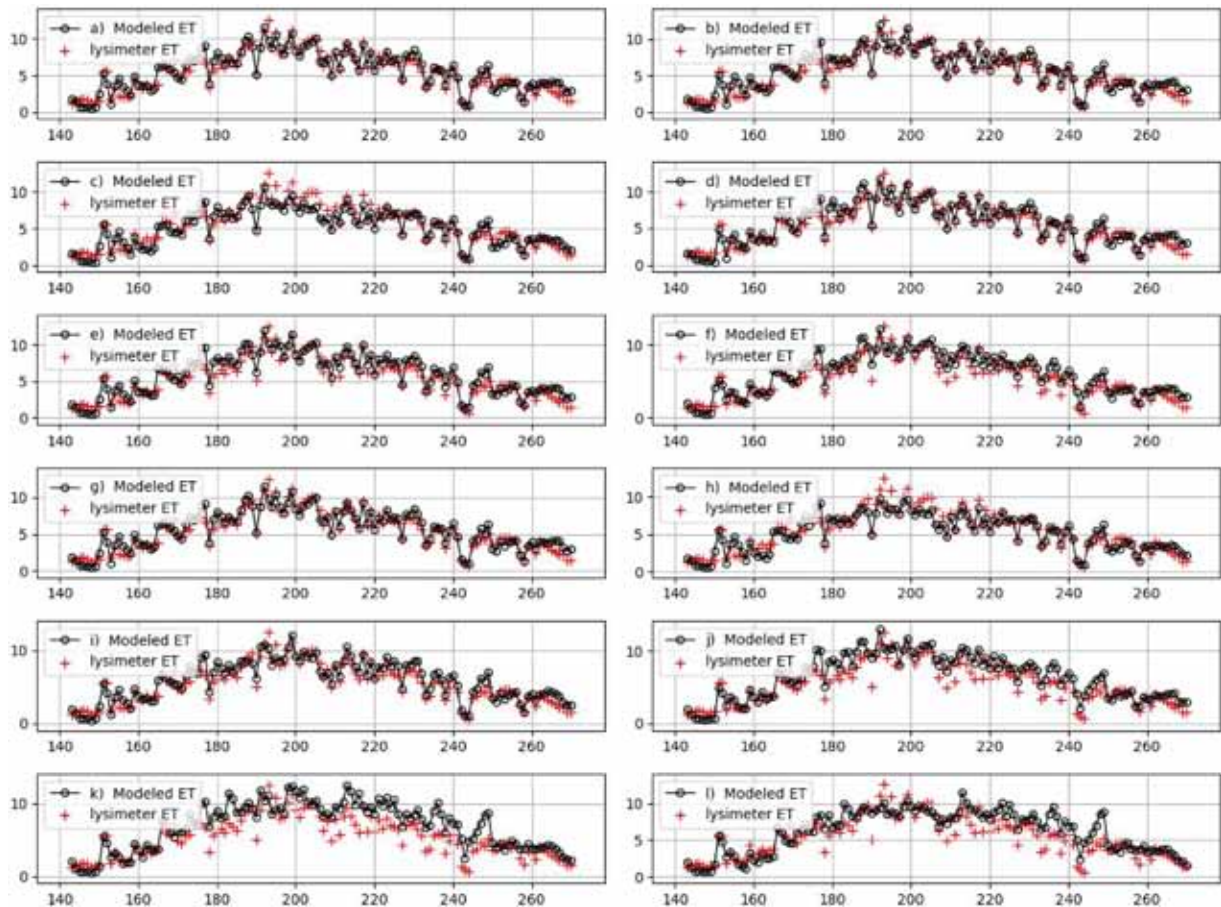


Fig. 7. Daily plots of  $ET$  from BAITSSS using various combinations of gridded and LWS measured data compared to lysimeter of corn between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas.

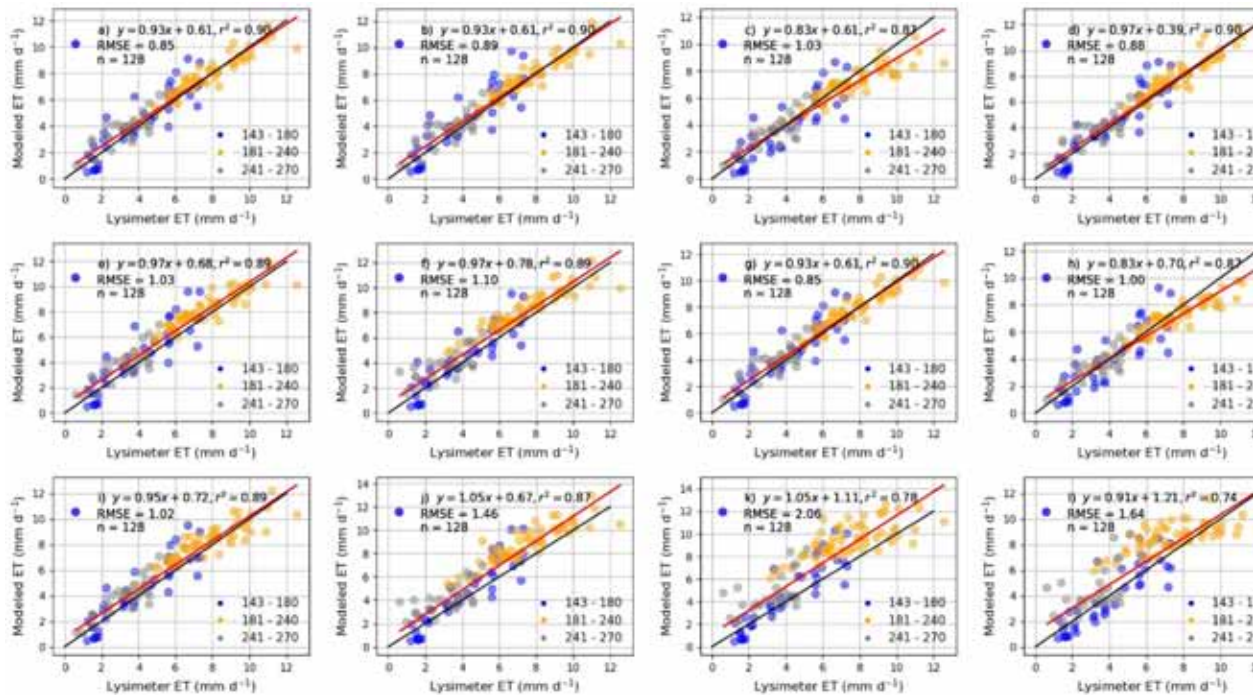


Fig. 8. Daily scatterplots of ET from BAITSSS using various combinations of gridded and LWS measured data compared to lysimeter of corn between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. DOYs (143–180, 181–240, 241–270) are indicated by symbol color; linear regression (red lines) and one-to-one correspondence (black line) are indicated.

gridded data combinations were distinct in these scatterplots, especially during full cover canopy (DOY 180 – 240). Daily RMSE increased from 0.85 (Fig. 8a, all measured) to 1.64 mm (Fig. 8l, all gridded) with a maximum of 2.06 mm (Fig. 8k, all NLDAS). Similarly, hourly RMSE ranged from 0.10 mm (Fig. 9a, all measured) to 0.14 mm (Fig. 9l, all gridded) with a maximum of 0.16 mm (Fig. 9k, all NLDAS).

### Surface Temperature and Net Radiation

In this section, we evaluate the competence of BAITSSS to compute the composite surface temperature ( $T_{com}$ ; combined soil and canopy temperature) and composite net radiation ( $R_n$ ; combined soil and canopy net radiation) based on the all measured data (scenario 'a', Fig. 10a and 10b). We documented differences based on the gridded data (scenario 'l', Fig. 10c and

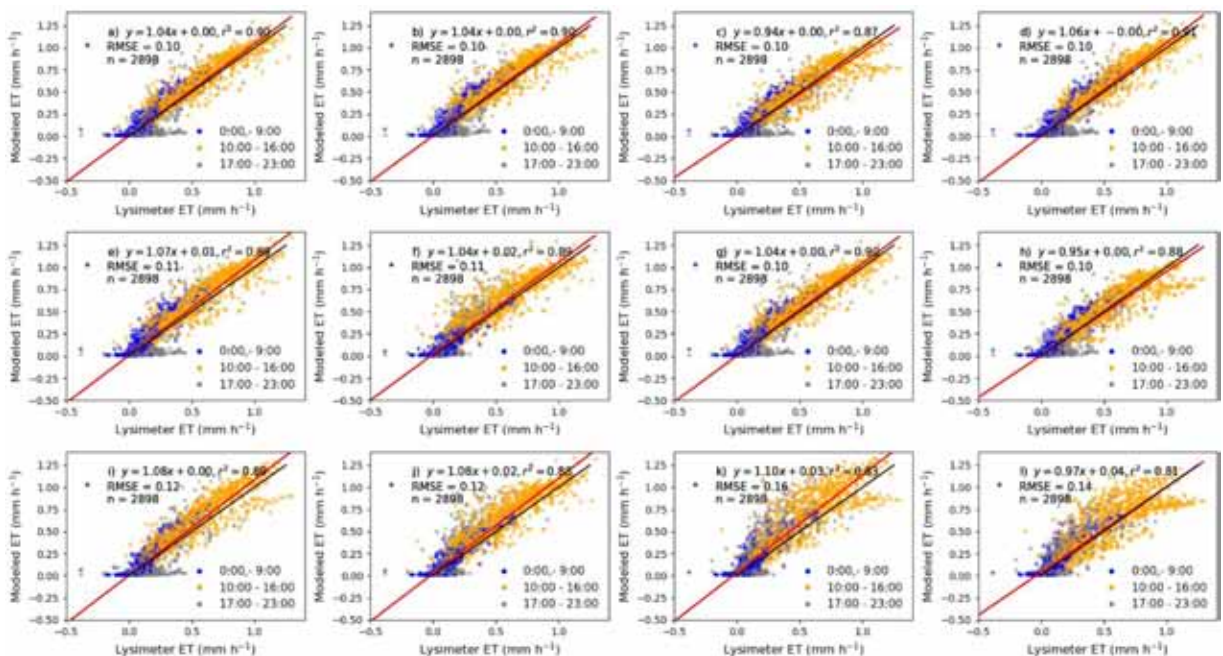


Fig. 9. Hourly scatterplots of ET from BAITSSS using various combinations of gridded and LWS measured data compared to lysimeter of corn between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. Diel intervals (0:00–9:00, 10:00–16:00, 17:00–23:00) are indicated by symbol color; linear regression (red lines) and one-to-one correspondence (black line) are indicated.

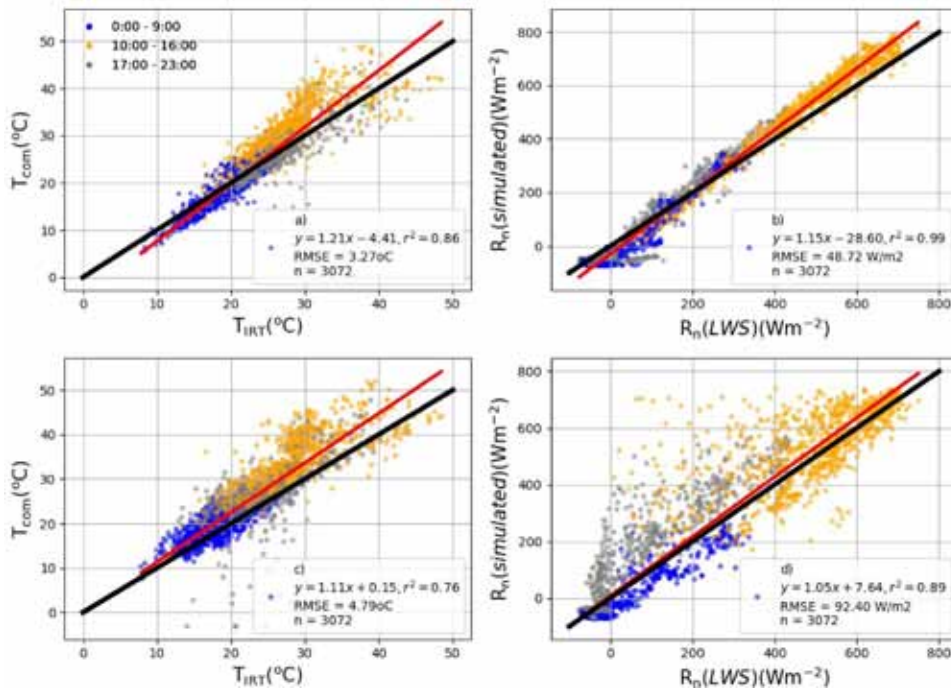


Fig. 10. Hourly scatterplots from BAITSSSS a) composite surface temperature ( $T_{com}$ ), b) composite net radiation ( $R_n$ ) from LWS measured data, c)  $T_{com}$ , and d)  $R_n$  from gridded data compared to IRT ( $T_{IRT}$ ) and net radiometer of corn between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. Diel intervals (0:00–9:00, 10:00–16:00, 17:00–23:00) are indicated by symbol color; linear regression (red lines) and one-to-one correspondence (black line) are also indicated.

10d). Comparison was performed with measured  $IRT$  and net radiometer. The  $r^2$  and RMSE were 0.86 and 3.27°C for  $T_{com}$  and 0.99 and 49  $W m^{-2}$  for  $R_n$ , respectively from measured inputs. However, the  $r^2$  decreased and RMSE increased (0.76 and 4.79°C for  $T_{com}$  and 0.89 and 92  $W m^{-2}$  for  $R_n$ ) from gridded inputs indicating decreased accuracy. The propagation of bias in gridded inputs to  $T_{com}$  and  $R_n$  corresponds to

the reduced accuracy of simulated  $ET$  (Table 2). Dhungel et al. (2018) discussed issues related to  $R_{c, min}$  in the Jarvis function, the possible role of local and regional advection, albedo, effective emissivity for incoming longwave irradiance calculation, and other unknown structural issues in BAITSSS, which may have contributed a positive bias in  $R_n$  and  $T_{com}$ . This positive bias tended to have minimal effect in  $ET$  (Fig. 7a, 8a, and 9a),

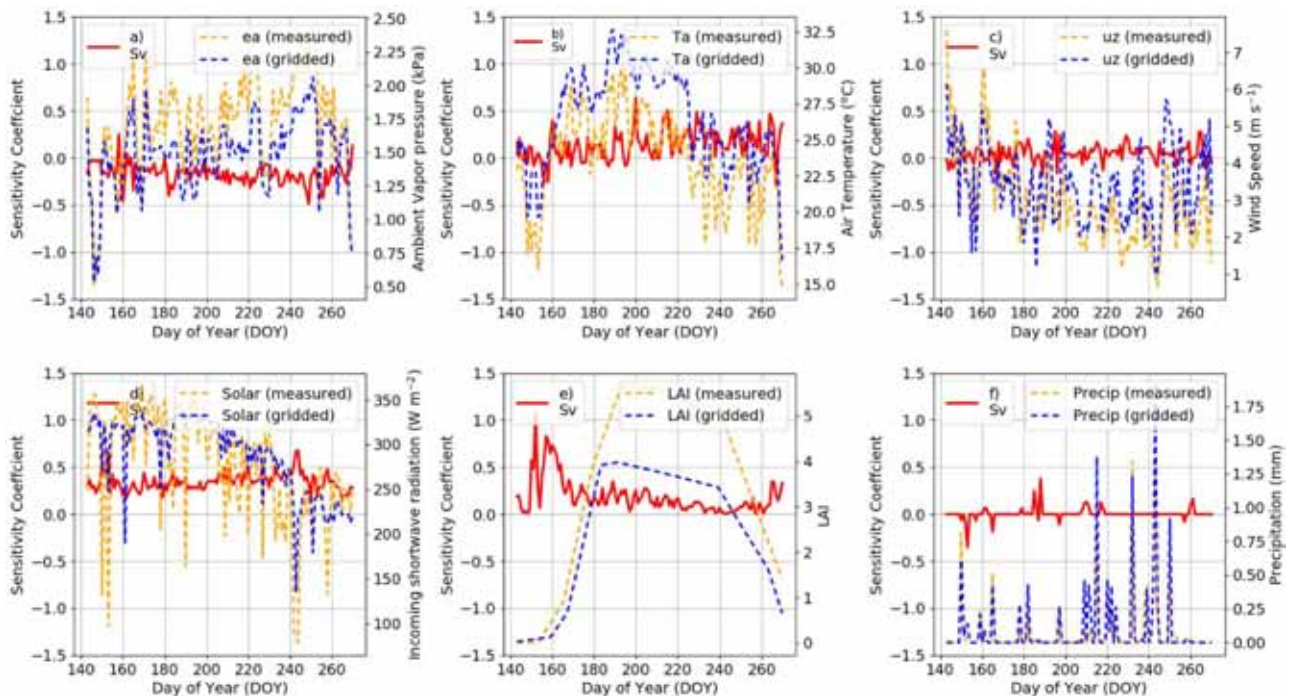


Fig. 11. Mean daily plots of sensitivity coefficients ( $S_v$ ) and mean daily input data a) ambient vapor pressure, b) air temperature, c) wind speed, d) incoming solar irradiance, e) LAI, and f) precipitation between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas.

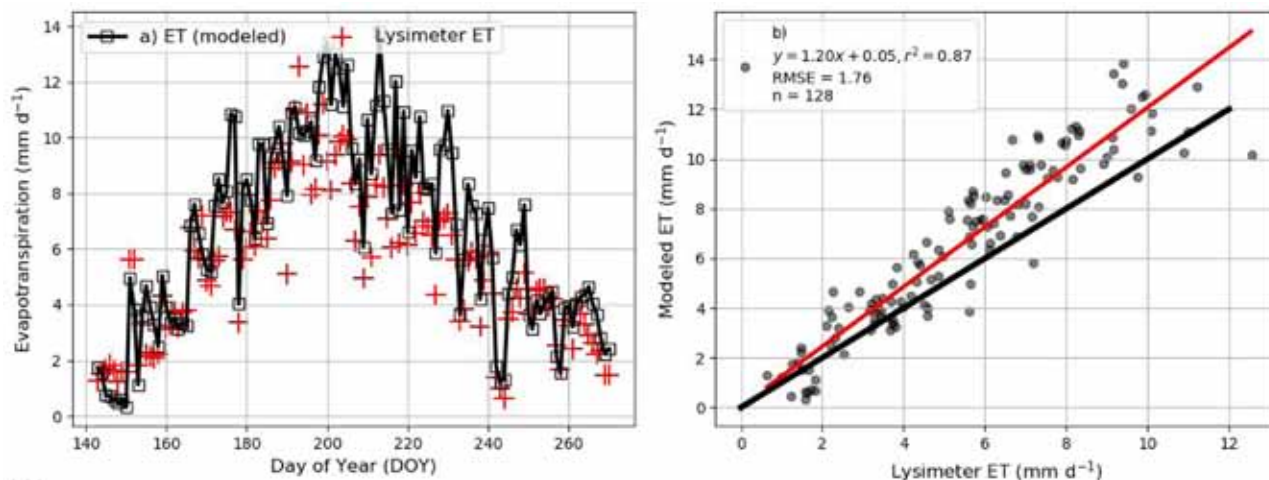


Fig. 12. Daily *ET* plots from BAITSSS using standard weather station (SWS) data and lysimeter a) time sequence b) scatterplot between 22 May (DOY 143) and 26 September (DOY 270) 2016 at Bushland, Texas. Linear regression (red lines) and one-to-one correspondence (black line) are indicated.

however, attempts to reduce  $T_{com}$  to match IRT subsequently increased *ET* (Dhungel et al., 2018).

### Sensitivity Coefficients

Figure 11 shows daily mean sensitivity coefficients ( $S_v$ ) in the primary vertical axis (Eq. [3]) and daily mean input data in the secondary vertical axis (LWS vs. gridded). The standard deviation ( $\sigma$ ) of the variables in Eq. [3] were 0.42 kPa, 5.82°C, 1.61 m s<sup>-1</sup>, 352.16 W m<sup>-2</sup>, 1.98 m<sup>2</sup> m<sup>-2</sup>, and 1.12 mm for  $e_a$ ,  $T_a$ ,  $u_z$ ,  $R_{s\downarrow}$ ,  $LAI$  and  $P$ , respectively. These  $S_v$  accounted for various random increase and decrease in input weather data based on the gridded data. Some large spike from outliers in sensitivity coefficients was restricted (shown in vertical axes limiting -1.5 to +1.5) before computing seasonal values. The daily sensitivity coefficients of input weather data and vegetation indices showed various forms, including changing signs (+ to - and vice versa) throughout the simulation. For instance, sensitivity coefficients of  $LAI$  were positive throughout the simulation because  $LAI$  difference was negative throughout the simulation (gridded smaller than measured) creating negative bias in *ET* (gridded *ET* smaller than actual, scenario 'c'). The mean seasonal (DOY 143 to 270) sensitivity coefficients were -0.16, 0.14, 0.04, 0.34, 0.18, 0.005 for  $e_a$ ,  $T_a$ ,  $u_z$ ,  $R_{s\downarrow}$ ,  $LAI$ , and  $P$  with largest seasonal  $S_v$  from  $R_{s\downarrow}$ . We confirmed that these sensitivity coefficients, especially seasonal values, can alter with adopted sensitivity equations (Ambas and Baltas, 2012), input data, and applied limits. These daily sensitivity coefficients were between -1.5 and +1.5 with seasonal sensitivities between -1 and +1.

### Influence of Standard Weather Station (SWS) Data in *ET*

Earlier sections discussed the uncertainty and sensitivity of *ET* based on gridded data (NLDAS and remote sensing based vegetation indices) with LWS data. The extensive analysis based on gridded data will encompass the smaller degree of differences expected for SWS data, so we did not repeat the entire analysis using SWS data. In this section, we present *ET* from BAITSSS (Fig. 12) utilizing the widely available and adopted state of art type standard weather station (SWS) data (as of Fig. 4 and Table 1) and measured  $LAI$  and  $f_c$  from the ratio of

width of canopy to row spacing. BAITSSS simulated cumulative *ET* from grass-referenced SWS data was 21% (cumulative *ET* of 843 mm) greater relative to lysimeter measured *ET* (increased RMSE = 1.76 mm and reduced  $r^2 = 0.87$  for daily *ET*, Fig. 12a and 12b). These results were consistent with scenario 'k' of the simulation based on gridded NLDAS data input (overestimation of *ET* by 25% due to factors including larger  $u_z$ , warmer temperature, smaller  $e_a$ , and greater irradiance). Model simulation from BAITSSS indicated that even within close proximity (~250 m, Fig. 2), surprisingly the influence of weather data from SWS was pretty significant in *ET*. We further evaluated the bias in *ET* contributed especially by  $u_z$  which showed the largest variations among the SWS data (Fig. 4). The error in cumulative *ET* reduced to 10% when compared to lysimeter (771 mm) utilizing LWS  $u_z$ , keeping other variables as is from the SWS, indicating the major share in error. According to FAO-56 (Allen et al., 1998),  $u_z$  is measured at 10m for meteorological applications and 2 or 3 m for agrometeorological applications. The general circulation model (GCM) land surface scheme and some operational large scale *ET* models (Su, 2002; Anderson et al., 2005; Bastiaanssen et al., 2005; Allen et al., 2011a) extrapolate  $u_z$  to certain blending height (30 m – 200 m) to reduce the influence of surface roughness length, atmospheric stability, and heterogeneity length (Essery et al., 2003). Dhungel et al. (2016b) adopted a blending height of 30m for BAITSSS, where NCEP-NARR had weather data ( $T_a$ ,  $u_z$ , and  $q_a$ ) available in this height. However, the current study utilizes identical measurement height from the available data sources for both  $u_z$  and  $T_a$  (Table 1), i.e., LWS, SWS, and NLDAS without extrapolating  $u_z$  to the blending height. The source-specific measurement heights (momentum and heat) are incorporated in stability correction and aerodynamic resistance ( $r_{ab}$ ) in these kinds of energy balance models (Appendix A for BAITSSS), differences in these measurement heights and its influence to *ET* probably warrants further evaluation and discussion. It also possibly indicates that some forms of bias may persist in *ET* modeling because of input weather variables if utilized without any adjustments (especially for  $u_z$ ). However, further investigation of various sites and year probably guide us with a better understanding of this process and develop strategies to mitigate these kinds of biases.

## CONCLUSION

We successfully automated BAITSSS model with NLDAS weather data and remote sensing based vegetation indices throughout the U.S. The BAITSSS model calculated hourly and daily  $ET$  (continuous 127 d) with  $r^2 > 0.90$  (both hourly and daily) and RMSE of 0.1 mm (hourly) and 0.85 mm (daily), relative to lysimeter, when the site measured meteorological input (LWS) were used (less than 4% positive bias in cumulative  $ET$ ). However, the calculated cumulative  $ET$  using NLDAS meteorological data was 25% larger compared to lysimeter measured  $ET$ . These discrepancies were related to NLDAS data having larger incoming  $R_{s\downarrow}$ ,  $u_z$ ,  $T_a$ ,  $P$ , and smaller  $e_a$  compared with locally measured (LWS). Another caveat of these data sources was the difference in measurement height of wind (10 m for gridded, 2.8 m for LWS, and 2.0 m for SWS). The adopted  $LAI$  algorithm in the gridded data showed a negative bias during full cover canopy for this specific corn type. This bias partially compensated for the positive bias in  $ET$  due to NLDAS meteorological data. In general, the accuracy of  $f_c$  and  $LAI$  largely depends on the availability of images during phase changes such as growing, full cover and senescence, which influence the precision of seasonal  $ET$ . Propagation of bias based on sensitivity analysis in weather driving factors and vegetation indices from gridded data was  $-0.16, 0.14, 0.04, 0.34, 0.18, 0.005$  for  $e_a, T_a, u_z, R_{s\downarrow}, LAI$ , and  $P$ , respectively.

BAITSSS simulation (i.e., based on its capability, adopted approach as well as structural limitations if any) indicated that weather data from SWS contributed 21% larger  $ET$  than lysimeter measured with RMSE of  $1.76 \text{ mm d}^{-1}$ . The significant error

in  $ET$  from widely adopted SWS warrants further discussion to overcome these biases in operational  $ET$  models. Overall, weather data from the LWS (site specific) demonstrated superior to the rest of the data sets. However, it is not possible to have site specific data (like eddy covariance settings), so we have to rely on one of these available weather data sources. In addition, exploring a near weather station manually for each model run (either from LWS or SWS) will complicate the automation of  $ET$  models making gridded data as a viable option. The study indicated that both standard weather data and gridded may have relative advantages and disadvantages. It is critical to understand the uncertainty behind these input weather data and adopted adjustment procedure if any. With a more accurate and detailed modeling approach like BAITSSS, we can extend these kinds of analysis for multiple years and various sites to systematic quantification of these biases on a broader scale.

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## APPENDIX A: BAITSSS MAJOR EQUATIONS (DHUNGEL ET AL., 2016B, 2018)

Surface energy balance equations of soil are represented by subscript  $s$  and canopy by subscript  $c$ . Latent heat flux ( $LE$ ) and sensible heat flux ( $H$ ) of soil and canopy surfaces are shown in Eq. [A-1– A-2], soil and canopy net radiation ( $R_{n_s}$  and  $R_{n_c}$ ) in Eq. [A-5a– A-5b], respectively. Composite surface energy balance equations are shown in Eq. [A-7– A-10] (refer to Table A-1 for symbols).

Soil portion	Equation	Canopy portion	Equation
$H_s = \frac{\rho_a c_p (T_s - T_a)}{r_{ab} + r_{as}}$	[A-1a]	$H_c = \frac{\rho_a c_p (T_c - T_a)}{r_{ab} + r_{ac}}$	[A-1b]
$LE_s = \frac{C_p \rho_a}{\gamma} \left( \frac{e_s^o - e_a}{r_{as} + r_{ab} + r_{ss}} \right)$	[A-2a]	$LE_c = \frac{C_p \rho_a}{\gamma} \left( \frac{e_c^o - e_a}{r_{ac} + r_{ab} + r_{sc}} \right)$	[A-2b]
$G_s = \max(0.4 H_s, 0.15 R_{n_s})$	[A-3]		
$R_{L_{-s\uparrow}} = T_s^4 \sigma \varepsilon_{o_s}$	[A-4a]	$R_{L_{-c\uparrow}} = T_c^4 \sigma \varepsilon_{o_c}$	[A-4b]
$R_{n_s} = R_{s\downarrow} - \alpha_s R_{s\downarrow} + R_{L\downarrow} - R_{L_{-s\uparrow}} - (1 - \varepsilon_{o_s}) R_{L\downarrow}$	[A-5a]	$R_{n_c} = R_{s\downarrow} - \alpha_c R_{s\downarrow} + R_{L\downarrow} - R_{L_{-c\uparrow}} - (1 - \varepsilon_{o_c}) R_{L\downarrow}$	[A-5b]
$H_s = R_{n_s} - G_s - E_{ss} \lambda_s$	[A-6a]	$H_c = R_{n_c} - T \lambda_c$	[A-6b]
Composite portion			
	$H = H_c f_c + H_s (1 - f_c)$		[A-7]
	$LE = LE_c f_c + LE_s (1 - f_c)$		[A-8]
	$L = - \frac{c_p T_a \rho_a u_z^3}{kgH}$		[A-9]
	$r_{ab} = \frac{\left[ \ln \left( \frac{z-d}{z_{om}} \right) - \psi_m \right] \left[ \ln \left( \frac{z-d}{Z_1} \right) - \psi_b + \psi_b \left( \frac{Z_1}{L} \right) \right]}{k^2 u_z}$		[A-10]

Roughness length of momentum ( $z_{om}$ ) is computed based on  $LAI$  (Waters et al., 2002) (Eq. [A-11]).

$$z_{om} = 0.018 LAI \quad [A-11]$$

Integration constant  $Z_l$  (i.e., roughness length of heat ( $z_{ob}$ ) for full cover vegetation;  $f_c > 0.8$ ) is computed from Eq. [A-12]. For partial canopy ( $f_c < 0.6$ ), it is computed based on height of canopy ( $b_c$ ) and zero plane displacement ( $d$ ). For intermediate canopy cover ( $0.6 > f_c > 0.8$ ),  $Z_l$  is weighted with fraction of canopy cover for smooth transition between partial and full.

$$z_{ob} = 0.1 z_{om} \quad [A-12]$$

Constant albedo for soil ( $\alpha_s$ ) and canopy ( $\alpha_c$ ) is used as 0.2 and 0.15 (in Eq. [A-5a– A-5b]), respectively. Constant emissivity for both soil ( $\epsilon_{o_s}$ ) and canopy ( $\epsilon_{o_c}$ ) was 0.98 (Eq. [A-4a– A-4b, A-5a– A-5b]) throughout simulation.

Standard Jarvis type canopy resistance ( $r_{sc}$ ; Eq. [A-13]), (Alferi et al., 2008; Kumar et al., 2011) with weighting functions representing plant response to solar irradiance ( $F_1$ ), air temperature ( $F_2$ ), vapor pressure deficit ( $F_3$ ), and soil water content ( $F_4$ ) as per discussion (Dhungel et al., 2018).

$$r_{sc} = \frac{R_{c\_min}}{\frac{LAI}{f_c} F_1 F_2 F_3 F_4} \quad [A-13]$$

Effects of  $R_{s\downarrow}$  were calculated ( $F_1$ , Eq. [A-14]) where  $R_{c\_max}$  (5000  $s\ m^{-1}$ ) and  $R_{c\_min}$  (40  $s\ m^{-1}$  (Kumar et al., 2011) before assumed senescence, 150  $s\ m^{-1}$  after assumed senescence) are maximum and minimum values of  $r_{sc}$  ( $s\ m^{-1}$ ), respectively.

$$F_1 = \frac{\frac{R_{c\_min}}{R_{c\_max}} + f}{1 + f} \quad [A-14]$$

Parameter  $f$  of Eq. [A-14] is computed using Eq. [A-15] where  $R_{s\downarrow\ min}$  (100  $W\ m^{-2}$ ) is assumed to be minimum  $R_{s\downarrow}$  necessary for photosynthesis (Kumar et al., 2011).

$$f = 0.55 \frac{R_{s\downarrow}}{R_{s\downarrow\ min}} \left( \frac{2}{LAI} \right) \quad [A-15]$$

Temperature effects ( $F_2$ , Eq. [A-16]) were taken from Kumar et al. (2011).

$$F_2 = 1 - 0.0016 (T_{ref} - T_a)^2 \quad [A-16]$$

where reference temperature ( $T_{ref}$ ) is taken as 298 K and  $T_a$  is air temperature (K). Effects of VPD ( $F_3$ , Eq. [A-17]) were taken from Alferi et al. (2008) as a linear relationship of vapor pressure deficit ( $VPD_c$ ) where  $VPD$  is in kPa.

$$F_3 = 1 - 0.1914 VPD_c \quad [A-17]$$

Canopy  $VPD$  ( $VPD_c = e^o_c - e_a$ ) is computed based on saturated vapor pressure at canopy ( $e^o_c = f(T_c)$ ) and ambient vapor pressure ( $e_a = (RH/100) e_s$ ). Ambient  $VPD$  ( $VPD_{amb} = e_s - e_a$ ) is computed based on saturated vapor pressure at ambient temperature [ $e_s = f(T_a)$ ] and ambient vapor pressure ( $e_a$ ). A logistic equation was

used to calculate effects of available water fraction ( $AWF$ ) (Eq. [A-18]) on  $F_4$  [Eq. (A-19– A-20) (Anderson et al., 2007)].

$$AWF = \frac{\theta_{root} - \theta_{wp}}{\theta_{fc} - \theta_{wp}} \quad [A-18]$$

$$F_4 = \frac{\ln(W)}{\ln(W_f)} \quad [A-19]$$

$$W = \frac{W_0 W_f}{W_0 + (W_f - W_0) \exp(-\mu AWF)} \quad [A-20]$$

where  $W_0 = 1$ ,  $W_f = 800$ , and  $\mu = 12$ .

A simplified formulation (Eq. [A-21]) (Sun, 1982) based on saturation soil water content ( $\theta_{sat}$ ) and soil water content at soil surface ( $\theta_{sur}$ ) are utilized to track soil surface resistance ( $r_{ss}$ ).

$$r_{ss} = 3.5 \left( \frac{\theta_{sat}}{\theta_{sur}} \right)^{2.3} + 33.5 \quad [A-21]$$

Water balance at soil surface ( $\theta_{sur}$ ) (100 mm) and root ( $\theta_{root}$ ) (100 mm– 2000 mm) is computed using Eq. [A-22– A-23], respectively as described by (Dhungel et al., 2016b).

$$\theta_{sur} = \theta_{sur(i-1)} + \frac{(P + I_{rr} - S_{run}) - E_{ss} - T_e - DP_e + CR_c}{d_{sur}} \quad [A-22]$$

where  $i$  is current time step,  $\theta_{sur(i-1)}$  is volumetric water content ( $VWC$ ) of surface layer for previous time steps,  $E_{ss}$  is soil surface evaporation,  $d_{sur}$  is soil surface depth,  $DP_e$  is deep percolated water from upper soil layer to root zone,  $CR_c$  is capillary rise from root zone into first soil surface ( $m^3\ m^{-3}$ ), and  $T_e$  is transpiration from soil surface layer (mm).  $CR_e$  and  $T_e$  are neglected to simplify soil water balance in this sub-model. Currently, model permits soil to be dry to an air-dry condition.

$$\theta_{root} = \theta_{root(i-1)} + \frac{(P + I_{rr} - S_{run}) - T - E_{ss} - DP + CR}{d_{root}} \quad [A-23]$$

where  $\theta_{root(i-1)}$  is VWC of root zone from previous time steps,  $T$  is transpiration from vegetation,  $d_{root}$  is rooting depth,  $DP$  is deep percolation below root zone, and  $CR$  is capillary rise from third layer to root zone. Capillary rise ( $CR$ ) from third layer into bulk layer (second) is also neglected.

Height of vegetation ( $b_c$ ) is computed according to  $LAI$  suggested by Allen et al. (2012) (Eq. [A-24]).

$$b_c = 0.15 LAI \quad [A-24]$$

Zero plane displacement ( $d$ ) is computed from Eq. [A-25] (Choudhury and Monteith, 1988).

$$d = 1.1 b_c \ln(1 + X^{\frac{1}{4}}) \quad [A-25]$$

where  $X$  is a parameter for calculating  $d$ .  $X$  parameter of zero-plane displacement is calculated using Eq. [A-26].

$$X = c_d LAI \quad [A-26]$$

where  $c_d$  is mean drag coefficient for individual leaves which is used as a 0.2 (Choudhury and Monteith, 1988). Attenuation

Table A-I BAITSSS variables and imposed limits.

Variable	Symbol	Minimum	Maximum	Unit
Incoming solar irradiance	$R_{S\downarrow}$	–	–	$W\ m^{-2}$
Incoming longwave irradiance	$R_{L\downarrow}$	–	–	$W\ m^{-2}$
Net radiation	$R_n$	–	–	$W\ m^{-2}$
Net radiation of soil portion	$R_{n_s}$	–	–	$W\ m^{-2}$
Net radiation of canopy portion	$R_{n_c}$	–	–	$W\ m^{-2}$
Measurement height of wind speed and air temperature	$z$	–	–	m
Emissivity for soil portion	$\epsilon_{o_s}$	–	–	–
Emissivity for canopy portion	$\epsilon_{o_c}$	–	–	–
Atmospheric density	$\rho_a$	–	–	$kg\ m^{-3}$
Stability correction parameter	$\psi$	–	–	–
Specific heat capacity of moist air	$c_p$	–	–	$J\ (kg\ K)^{-1}$
Soil surface temperature	$T_s$	265	350	K
Canopy temperature	$T_c$	265	350	K
Air temperature	$T_a$	–	–	K
Wind speed	$u_z$	2.0	–	$m\ s^{-1}$
Relative humidity	$RH$	–	–	%
Soil surface evaporation	$E_{ss}$	0.0001	–	$mm\ h^{-1}$
Canopy transpiration	$T$	0.0001	–	$mm\ h^{-1}$
Composite (bulk) sensible heat flux	$H$	–200	500	$W\ m^{-2}$
Sensible heat flux for soil portion	$H_s$	–200	500	$W\ m^{-2}$
Sensible heat flux for canopy portion	$H_c$	–200	500	$W\ m^{-2}$
Ground heat flux	$G$	–200	200	$W\ m^{-2}$
Latent heat flux for soil	$LE_s$	–	–	$W\ m^{-2}$
Latent heat flux for canopy	$LE_c$	–	–	$W\ m^{-2}$
Latent heat of vaporization for soil portion	$\lambda_s$	–	–	$J\ kg^{-1}$
Latent heat of vaporization for vegetation portion	$\lambda_c$	–	–	$J\ kg^{-1}$
Saturation vapor pressure at the soil surface	$e_s^o$	–	–	kPa
Saturation vapor pressure at the canopy surface	$e_c^o$	–	–	kPa
Integration constant	$Z_I$	–	–	m
Actual vapor pressure of the air	$e_a$	–	–	kPa
Friction velocity	$u^*$	0.01	500	$m\ s^{-1}$
Aerodynamic resistance from canopy height to blending height	$r_{ah}$	1	500	$s\ m^{-1}$
Albedo soil	$\alpha_s$	0.20	0.20	–
Albedo canopy	$\alpha_c$	0.15	0.15	–
Leaf area index	$LAI$	–	–	$m^2\ m^{-2}$
Fraction of canopy cover	$f_c$	0.05	1	–
Mean boundary layer resistance per unit area of vegetation	$r_b$	0	–	$s\ m^{-1}$
Roughness length of momentum	$z_{om}$	–	–	m
Roughness length of heat	$z_{oh}$	–	–	m
Minimum roughness length	$z_{os}$	0.01	–	m
Bulk boundary layer resistance of the vegetative elements in the canopy	$r_{ac}$	0	5000	$s\ m^{-1}$
Canopy resistance	$r_{sc}$	$R_{c\_min}$	5000	$s\ m^{-1}$
Soil surface resistance	$r_{ss}$	35	5000	$s\ m^{-1}$
Aerodynamic resistance between the substrate and canopy height ( $d + z_{om}$ )	$r_{as}$	–	–	$s\ m^{-1}$
Height of canopy	$h_c$	–	–	m
Soil water content at surface	$\theta_{sur}$	–	–	$m^3\ m^{-3}$
Soil water content at root zone	$\theta_{root}$	–	–	$m^3\ m^{-3}$
Soil water content at wilting point	$\theta_{wp}$	–	–	$m^3\ m^{-3}$
Soil water content at field capacity	$\theta_{fc}$	–	–	$m^3\ m^{-3}$
Available water fraction	$AWF$	0	1	–

coefficient ( $n$ ) is computed using Eq. [A-27] (Choudhury and Monteith, 1988)

$$n = \begin{cases} 2.5 \text{ if } h_c < 1m \\ 4.25 \text{ if } h_c > 10m \\ 2.31 + 0.194 h_c \text{ Otherwise} \end{cases} \quad [A-27]$$

When surface is fully covered with vegetation, understory aerodynamic resistance ( $r_{as}(f_c=1)$ ) between  $z_{os}$  and  $d + z_{om}$  is computed as according to Choudhury and Monteith (1988) using Eq. [A-28].

$$r_{as}(f_c=1) = \frac{h_c \exp(n)}{n K(b)} \left[ \exp\left(\frac{-n z_{om}}{h_c}\right) - \exp\left[-n \left(\frac{d+z_{om}}{h_c}\right)\right] \right] \quad [A-28]$$

The eddy diffusion coefficient of momentum correction ( $K(b)$ ) from  $z_{om}$  to  $h_c$  has been computed using Eq. [A-29] (Choudhury and Monteith, 1988).

$$K(b) = \frac{k^2 u_z (h_c - d)}{\ln\left(\frac{z-d}{z_{om}}\right) - \psi_m} \quad [A-29]$$

where  $\psi_m$  is stability correction of momentum,  $z$  is height of measurements of wind speed. When surface is completely bare, aerodynamic resistance ( $r_{as}(f_c=0)$ ) from  $z_{os}$  to  $d + z_{om}$  can be written using Eq. [A-30].

$$r_{as}(f_c=0) = \frac{\left[ \ln\left(\frac{z}{z_{os}}\right) - \psi_m \right] \left[ \ln\left(\frac{d+z_{om}}{z_{os}}\right) - \psi_{b,d+z_{om}} \right]}{k^2 u_z} \quad [A-30]$$

Aerodynamic resistance for a partial surface  $r_{as}(int)$  is computed weighting by  $f_c$  in a parallel combination of resistances (Eq. [A-31]).

$$r_{as}(int) = \frac{1}{\frac{f_c}{r_{as}(f=1)} + \frac{1-f_c}{r_{as}(f=0)}} \quad [A-31]$$

Bulk boundary layer resistance of vegetative elements ( $r_{ac}$ ) is computed using Eq. [A-32].

$$r_{ac} = \frac{r_b}{2 LAI f_c} \quad [A-32]$$

where  $r_b$  is mean boundary layer resistance per unit area of vegetation. Aerodynamic resistance ( $r_{ab}$ ) for fully vegetated and partially vegetated conditions is shown in Eq. [A-33].

$$r_{ab} = \begin{cases} \frac{\left[ \ln\left(\frac{z-d}{z_{om}}\right) - \psi_m \right] \left[ \ln\left(\frac{z-d}{z_{ob}}\right) - \psi_b \right]}{k^2 u_z} \text{ if } f_c = 1 \\ \frac{\left[ \ln\left(\frac{z-d}{z_{om}}\right) - \psi_m \right] \left[ \ln\left(\frac{z-d}{h_c-d}\right) - \psi_b + \psi_{b(h-d)} \right]}{k^2 u_z} \text{ Otherwise} \end{cases} \quad [A-33]$$

Parameter  $X$  of stability correction for measurement height is computed from Eq. [A-34].

$$X = \left[ 1 - 16 \left( \frac{z-d}{L} \right)^{0.25} \right] \quad [A-34]$$

Correction of momentum ( $\psi_m$ ) for measurement height is computed from Eq. [A-35].

$$\psi_m = \begin{cases} 2 \ln\left[\frac{(1+X)}{2}\right] + \ln\left[\frac{(1+X^2)}{2}\right] + 2 \operatorname{atan} X - \frac{\pi}{2} \text{ if } L < 0 \\ -5 \left( \frac{z}{L} \right) \text{ Otherwise} \end{cases} \quad [A-35]$$

Correction of heat ( $\psi_b$ ) for measurement height is computed from Eq. [A-36].

$$\psi_b = \begin{cases} 2 \ln\left(\frac{1+X^2}{2}\right) \text{ if } L < 0 \\ -5 \left( \frac{z}{L} \right) \text{ Otherwise} \end{cases} \quad [A-36]$$

Parameter  $X$  for  $d + z_{om}$  is computed from Eq. [A-37].

$$X_{d+z_{om}} = \left[ 1 - 16 \left( \frac{d+Z_{om}}{L} \right)^{0.25} \right] \quad [A-37]$$

Correction of heat for  $d + z_{om}$  ( $\psi_{b,d+z_{om}}$ ) is computed from Eq. [A-38].

$$\psi_{b,d+z_{om}} = \begin{cases} 2 \ln\left(\frac{1+X_{d+z_{om}}^2}{2}\right) \text{ if } L < 0 \\ -5 \left( \frac{d+Z_{om}}{L} \right) \text{ Otherwise} \end{cases} \quad [A-38]$$

Parameter  $X$  for  $h_c - d$  is computed from Eq. A-39.

$$X_{h_c-d} = \left[ 1 - 16 \left( \frac{h_c-d}{L} \right)^{0.25} \right] \quad [A-39]$$

Correction of heat for  $h_c - d$  ( $\psi_{b(h_c-d)}$ ) is computed from Eq. A-40.

$$\psi_{b(h_c-d)} = \begin{cases} 2 \ln\left(\frac{1+X_{h_c-d}^2}{2}\right) \text{ if } L < 0 \\ -5 \left( \frac{h_c}{L} \right) \text{ Otherwise} \end{cases} \quad [A-40]$$

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