

# HDR Image and Video Compression

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# HDR Images and Frames

- The main problem with HDR images is that they require floating point encoding for representing all intensities values that HVS can see
- Smart formats exist:
  - RGBE
  - LogLuv
  - Half-precision

# HDR Formats: comparisons

Encoding	Color Space	Bpp	Dynamic Range ( $\log_{10}$ )	Relative Error (%)
IEEE RGB	full RGB	96	79	0.000003
RGBE	positive RGB	32	76	1.0
LogLuv24	$\log Y + (u,v)$	24	4.8	1.1
LogLuv32	$\log Y + (u,v)$	32	38	0.3
Half RGB	RGB	48	10.7	0.1

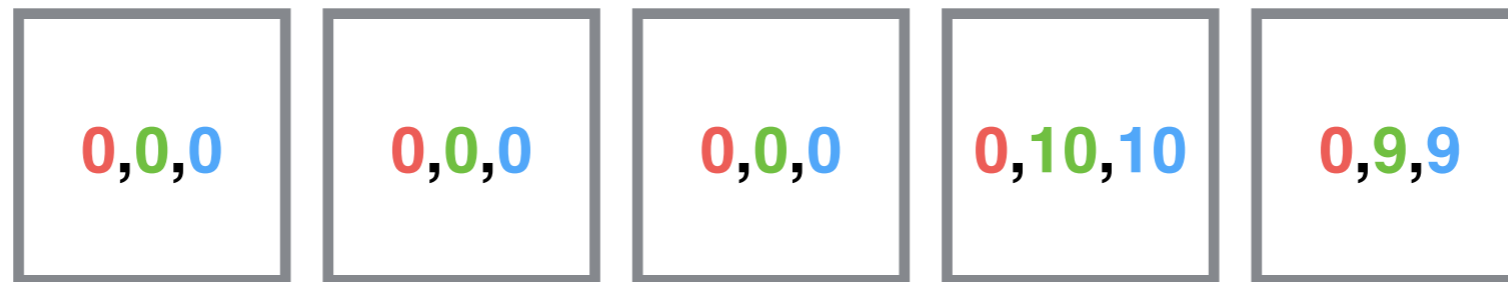
# HDR Images and Frames

- Even encoding with these there are some issue:
  - A full HD image, 1920x1080, encoded with RGBE (32-bit per pixel or bpp)
    - 7.9Mb for a single frame!

a quick recall...

# LDR Images Compression

- A solution for compression is RLE:



- Encoded as:

Value: 0 Count: 10; Value: 10 Count: 2;

Value: 0 Count: 1; Value: 9 Count: 2

# LDR Images Compression

- RLE or other string compression methods are loseless —> no loss of information
- The HVS does not notice small variations
- The signal is locally similar in patches without edges

# LDR Image Compression: Binary Truncation Coding

- **Idea:** to compress images taking into account of pixel values locality and assuming two distributions per block
- The method is lossy  $\rightarrow$  information is lost!
- Bpp is constant
  - Grayscale images: 2bpp
  - Color images: 4-8bpp



# LDR Image Compression: Binary Truncation Coding

22	33	44	47
24	31	38	40
25	24	30	32
20	21	24	22

Original Block

0	1	1	1
0	1	1	1
0	0	1	1
0	0	0	0

$$M = 30$$

$$M_0 = 23 \quad M_1 = 38$$

23	38	1	38
23	38	38	38
23	23	38	38
23	23	23	23

Decoded Block

2 bytes ( $M_0$  and  $M_1$ ), 2 byte the block  $\rightarrow$  4 byte  
This means 2bpp instead of 8bpp (for a gray scale image)

# JPEG

- **Idea:** to take advantage that the HVS perceive differently high and low frequencies
- Steps:
  - Color conversion: YCrCb
  - DCT
  - DCT coefficient quantization
  - Encoding

# JPEG: YCrCb

- **Idea:** to separate color information, or chrominance, and luminance in values
- Chrominance can be subsampled
  - Why?
    - HVS perceives less color variations
- Which color space? YCrCb, an ITU-R BT.601 standard

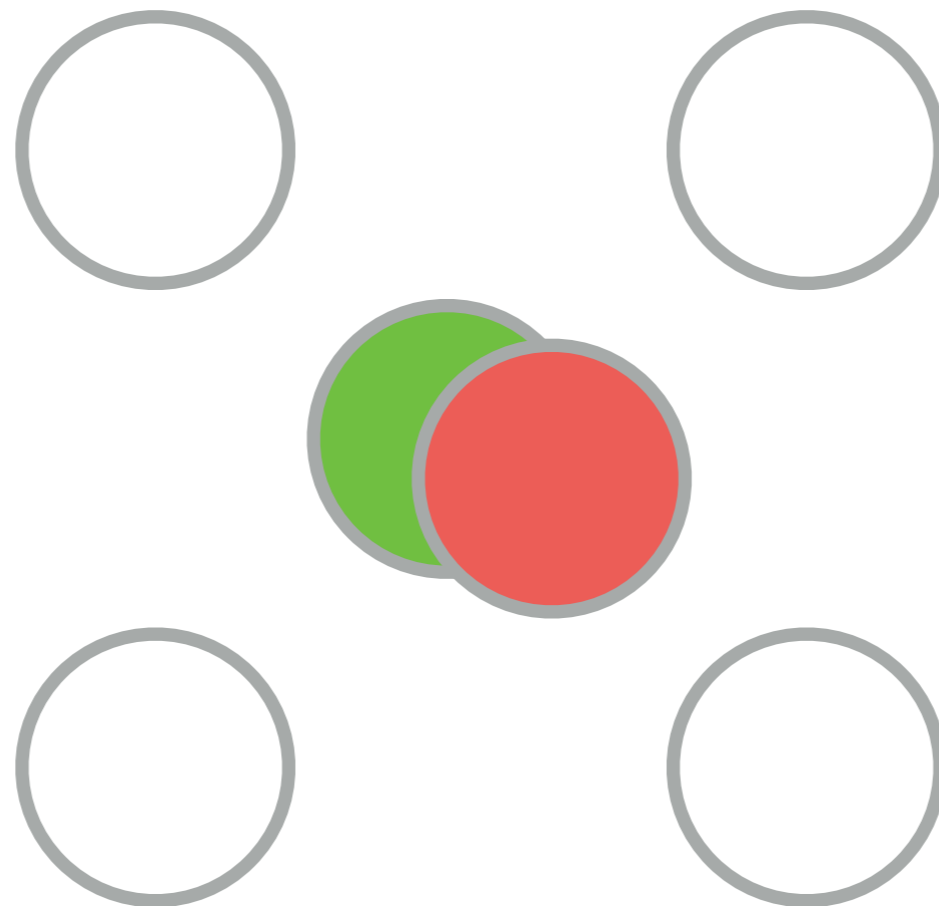
# JPEG: YCrCb

$$\mathbf{M}_{RGB \rightarrow YCrCb} = \begin{bmatrix} 0.299 & 0.587 & 0.114 \\ -0.169 & 0.331 & 0.5 \\ 0.5 & -0.419 & -0.081 \end{bmatrix}$$

$$\begin{bmatrix} Y \\ Cr \\ Cb \end{bmatrix} = \begin{bmatrix} 0 \\ 128 \\ 128 \end{bmatrix} + \mathbf{M}_{RGB \rightarrow YCrCb} \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$

# JPEG: Chroma Subsampling

- Chroma subsampling (4:2:0)



# JPEG:

## Discrete Cosine Transform

- Discrete Cosine Transform (DCT) separates a block (8x8 in JPEG) into low and high frequency bands.
- DCT is invertible and separable
- DCT is related to FFT, but only real coefficients

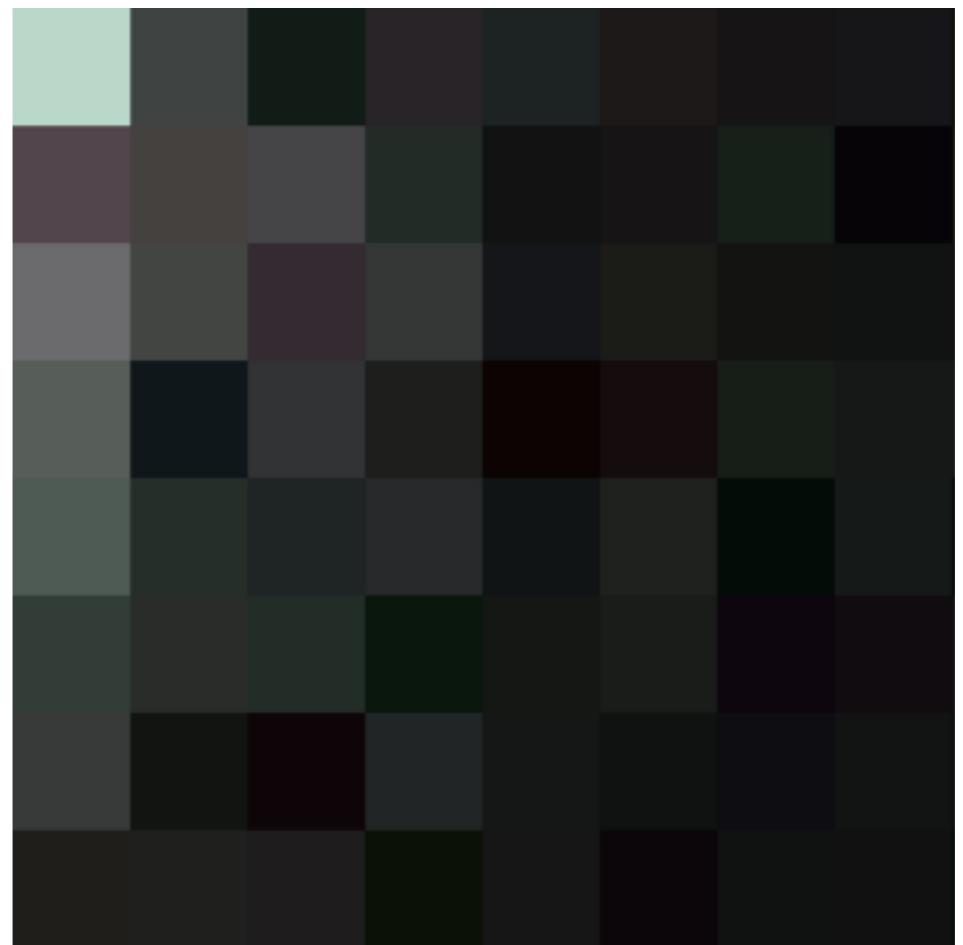
$$F(u, v) = \left(\frac{2}{N}\right)^{\frac{1}{2}} \left(\frac{2}{M}\right)^{\frac{1}{2}} \sum_{i=0}^{N-1} \sum_{j=0}^{M-1} \Lambda(i)\Lambda(j) \cos\left(\frac{\pi u}{2N}(2i+1)\right) \cos\left(\frac{\pi v}{2N}(2j+1)\right) f(i, j)$$

$$\Lambda(x) = \begin{cases} \frac{1}{\sqrt{2}} & \text{if } x = 0 \\ 1 & \text{otherwise} \end{cases}$$

# JPEG: Discrete Cosine Transform



2D DCT



# JPEG: Quantization


$$\begin{bmatrix} 16 & 11 & 10 & 16 & 24 & 40 & 51 & 61 \\ 12 & 12 & 14 & 19 & 26 & 58 & 60 & 55 \\ 14 & 13 & 16 & 24 & 40 & 57 & 69 & 56 \\ 14 & 17 & 22 & 29 & 51 & 87 & 80 & 62 \\ 18 & 22 & 37 & 56 & 68 & 109 & 103 & 77 \\ 24 & 35 & 55 & 64 & 81 & 104 & 113 & 92 \\ 49 & 64 & 78 & 87 & 103 & 121 & 120 & 101 \\ 72 & 92 & 95 & 98 & 112 & 100 & 103 & 99 \end{bmatrix}$$

Quantization matrix

Values are in  $[-128, 128]$ , then encoded in  $[0, 255]$



# JPEG: Quantization



# JPEG: Quantization



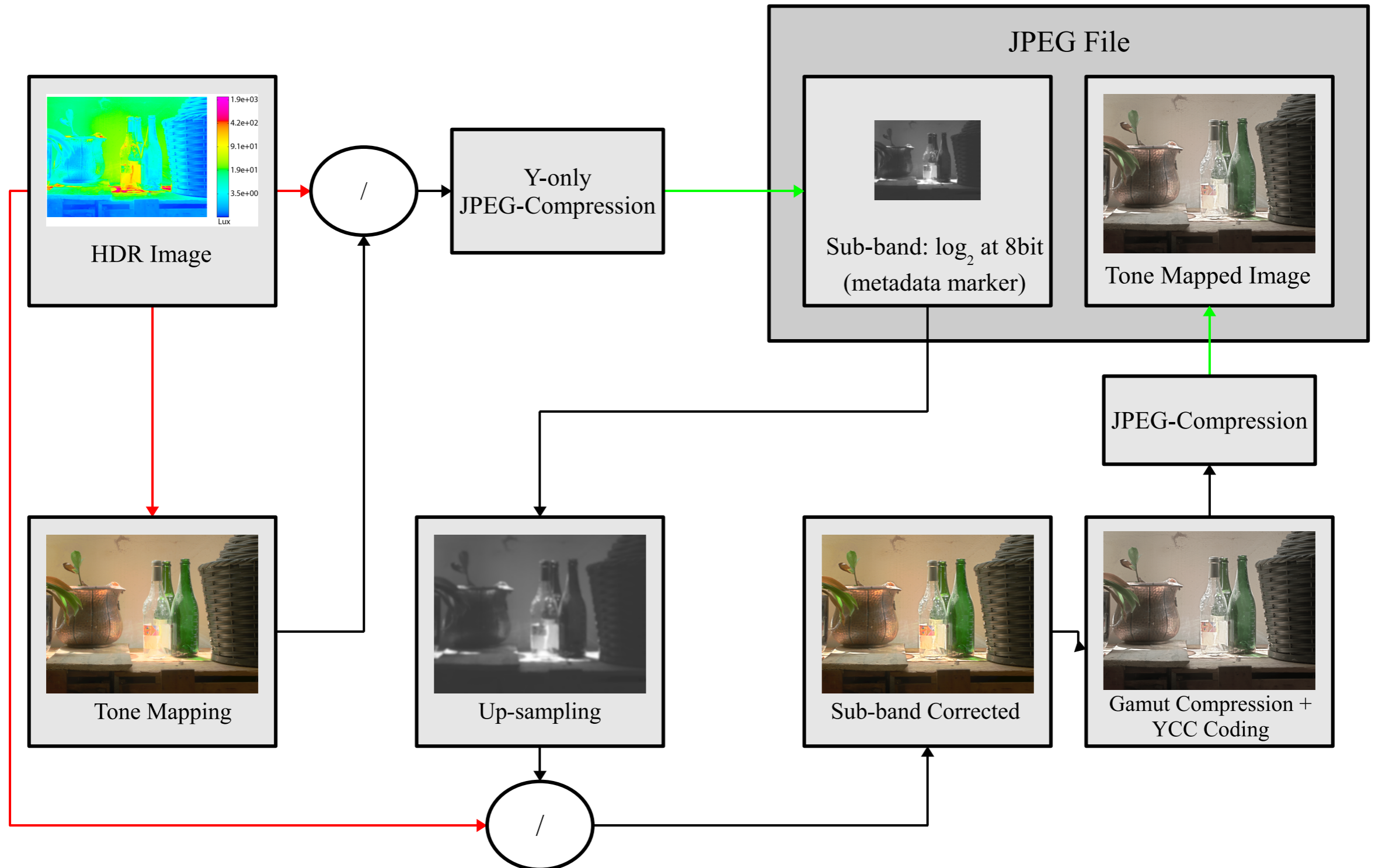


and now back to  
HDR images...

# JPEG-HDR

- **Idea:** to tone map an HDR image and store tone mapped version using HDR [Ward and Simmons 2004]
- How to reconstruct the HDR image?
  - to store the inverse of the TMO spatially
  - Spatial inverse TMO is stored at low resolution in 64Kb

# JPEG-HDR



# HDR JPEG-2000

- **Idea:** JPEG-2000 standard allows 16-bit integer encoding per color channel!
- What to do:
  - For each color channel:
    - Apply a logarithm base two
    - Compute maximum value
    - Compute minimum value

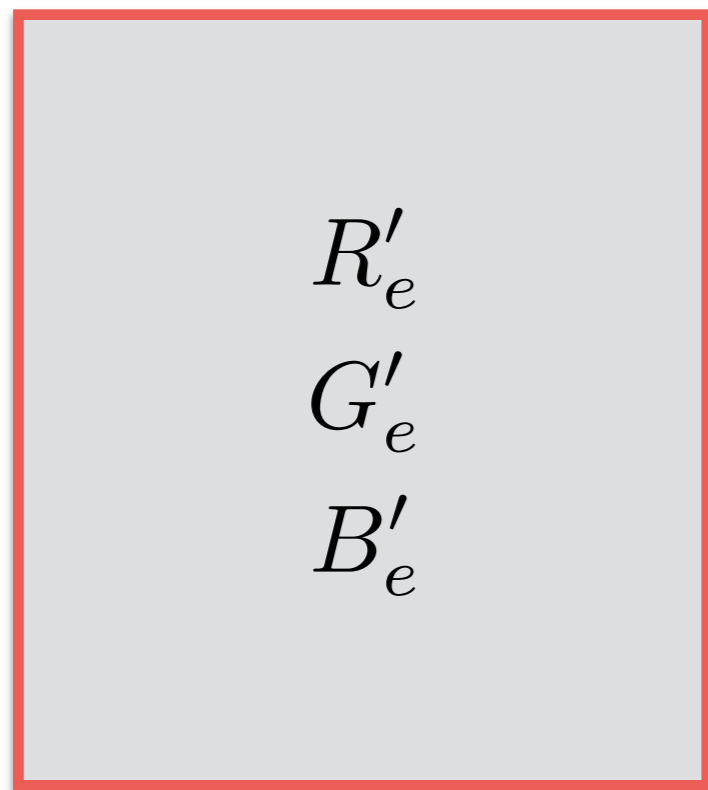
# HDR JPEG-2000

$$C_e(\mathbf{x}) = \frac{\log_2(C(\mathbf{x}) + \epsilon) - \log_2(C_{\max} + \epsilon)}{\log_2(C_{\max} + \epsilon) - \log_2(C_{\min} + \epsilon)} \quad \epsilon > 0$$

$$C'_e(\mathbf{x}) = \left\lceil (2^{16} - 1)C_e(\mathbf{x}) \right\rceil$$



# HDR JPEG-2000



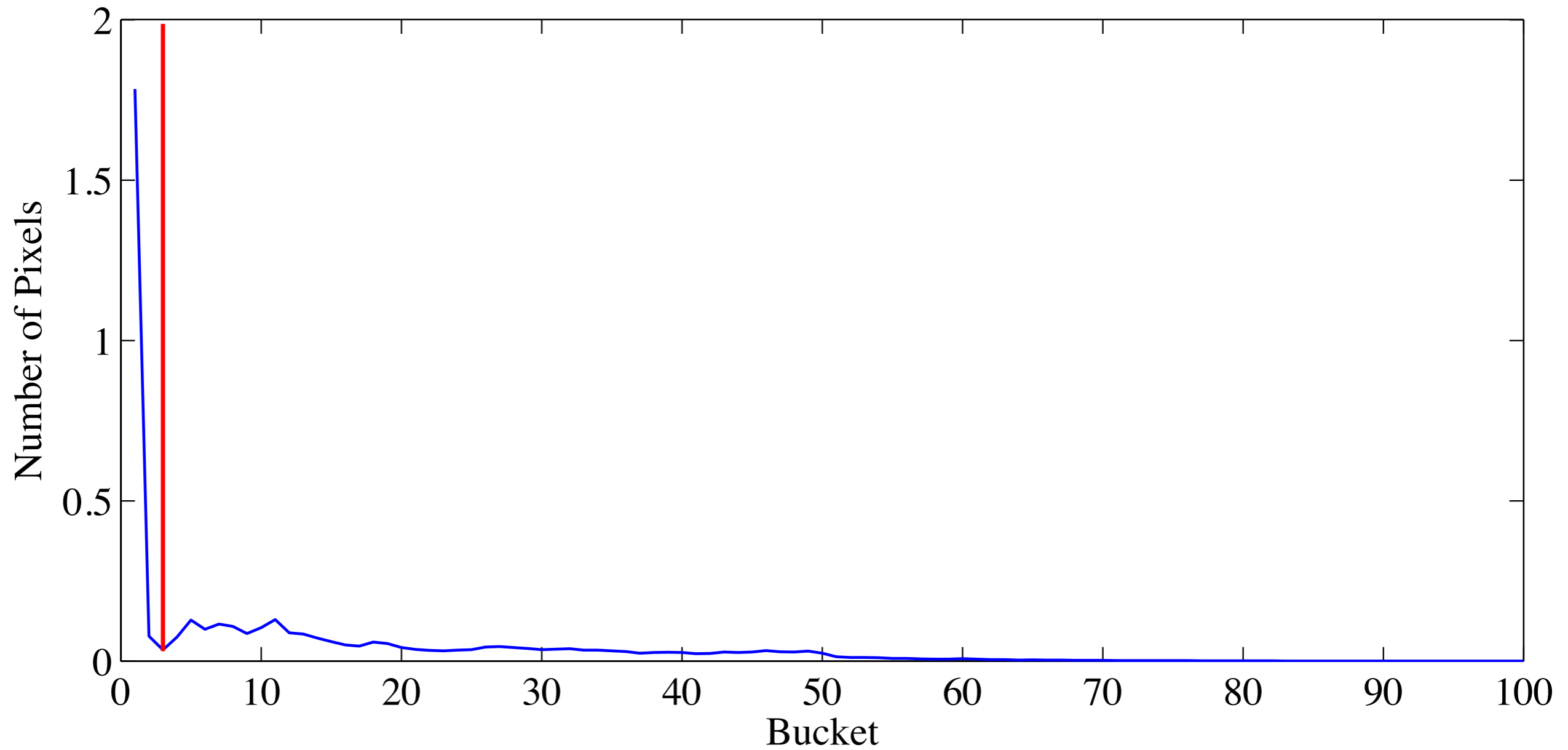
JPEG2000  
Encoder



# HDR Split

- **Idea:** to separate bright and dark areas in an image via histogram and to encode them separately [Wang et al. 2007]
- How?
  - Minimization function for finding a separation axis in the histogram
  - Encoding with S3TC a BTC method
  - The method can fail when separation axis do not exist

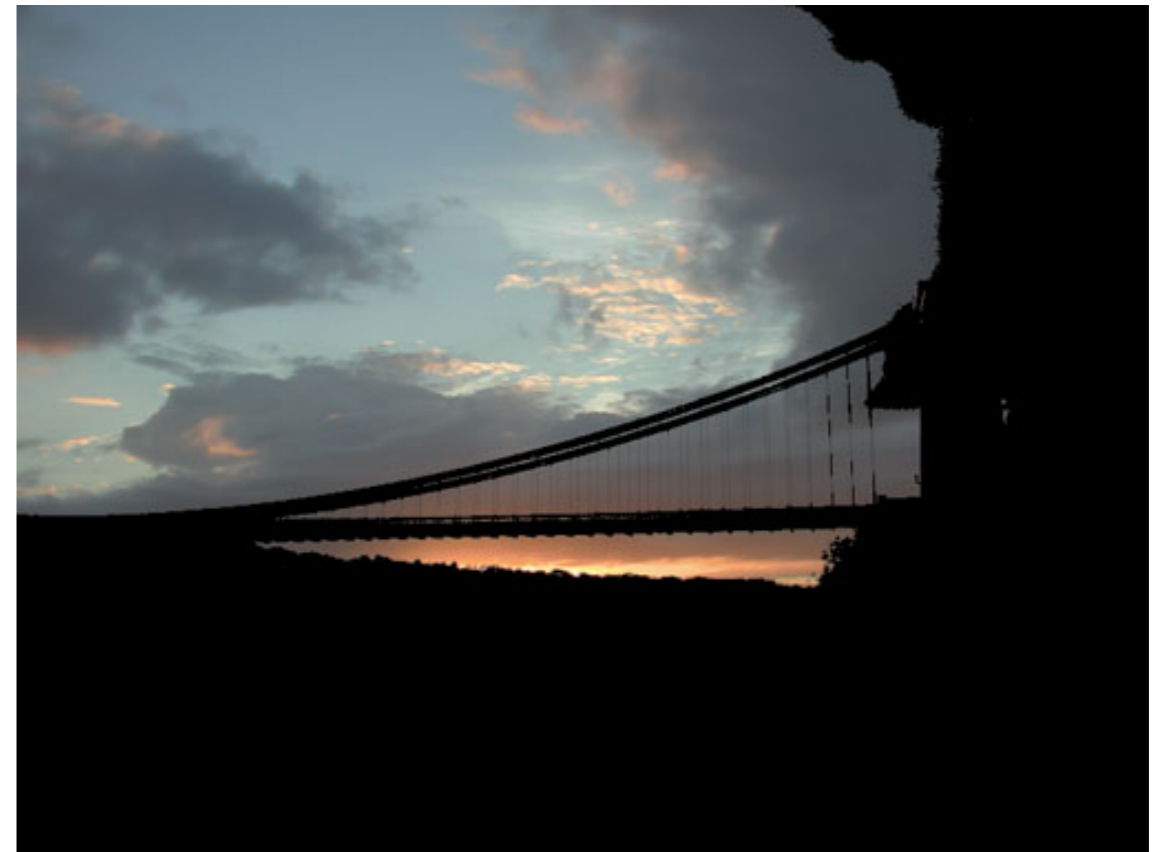
# HDR Split



# HDR Split



Dark areas



Bright areas

# Spatially Varying RGBE

- **Idea:** RGBE works very well, why not extending to take advantage of spatial coherency? [Boschetti et al. 2010]

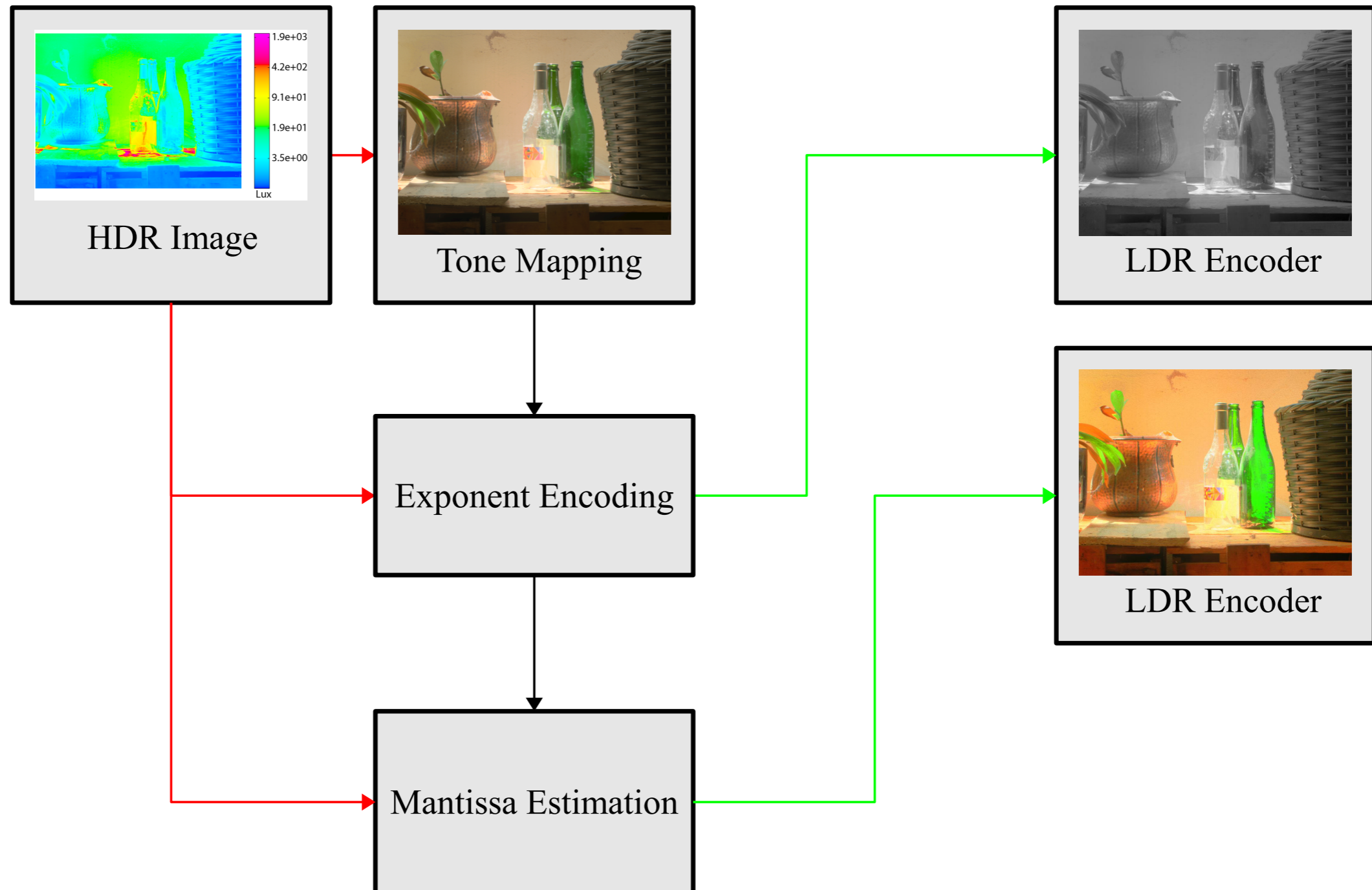
$$E_m = \left\lceil \log_2 \max(R, G, B) + 128 \right\rceil$$

$$R_m = \left\lceil \frac{256R}{2^{E_m - 128}} \right\rceil$$

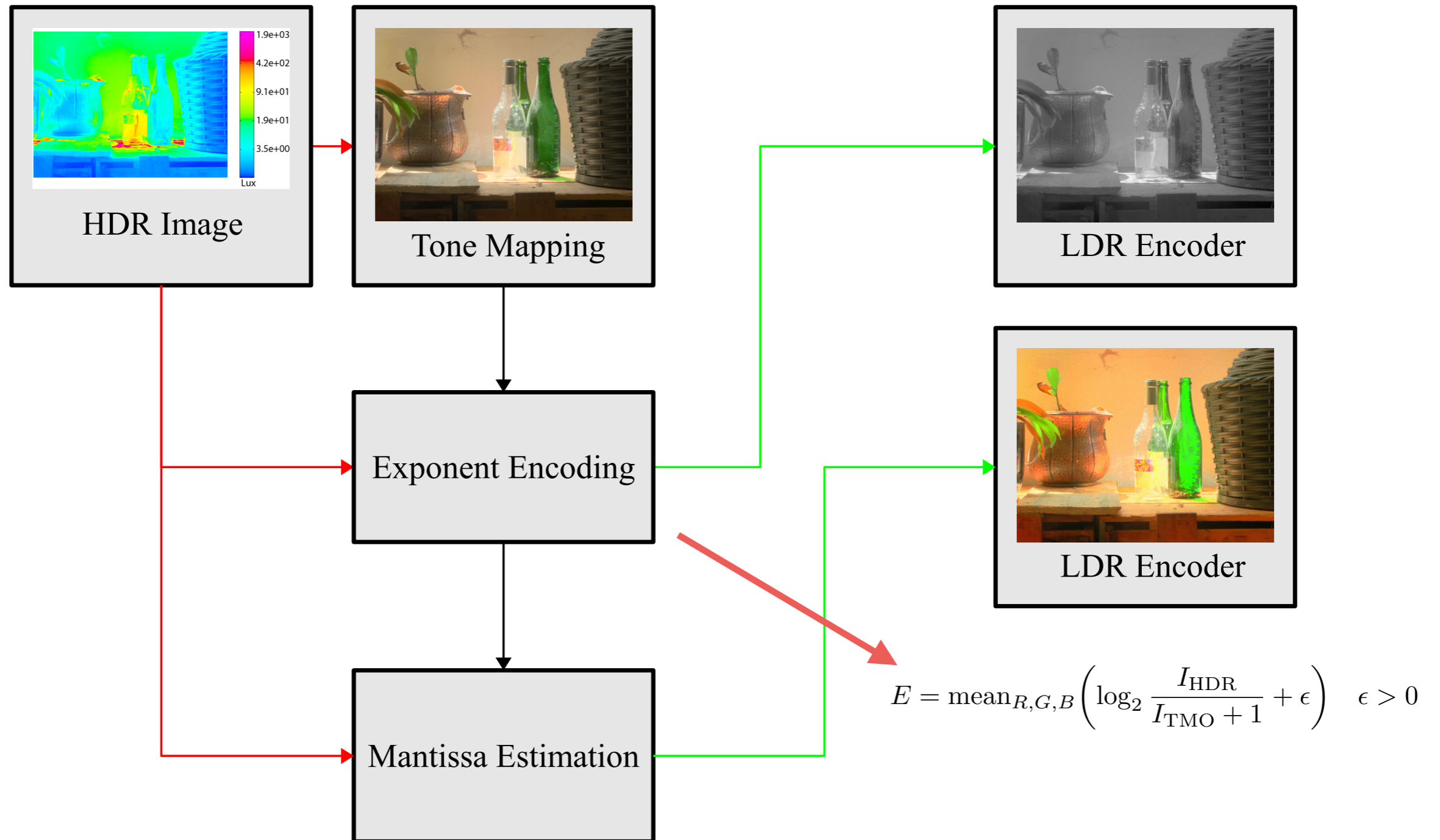
$$G_m = \left\lceil \frac{256G}{2^{E_m - 128}} \right\rceil$$

$$B_m = \left\lceil \frac{256B}{2^{E_m - 128}} \right\rceil$$

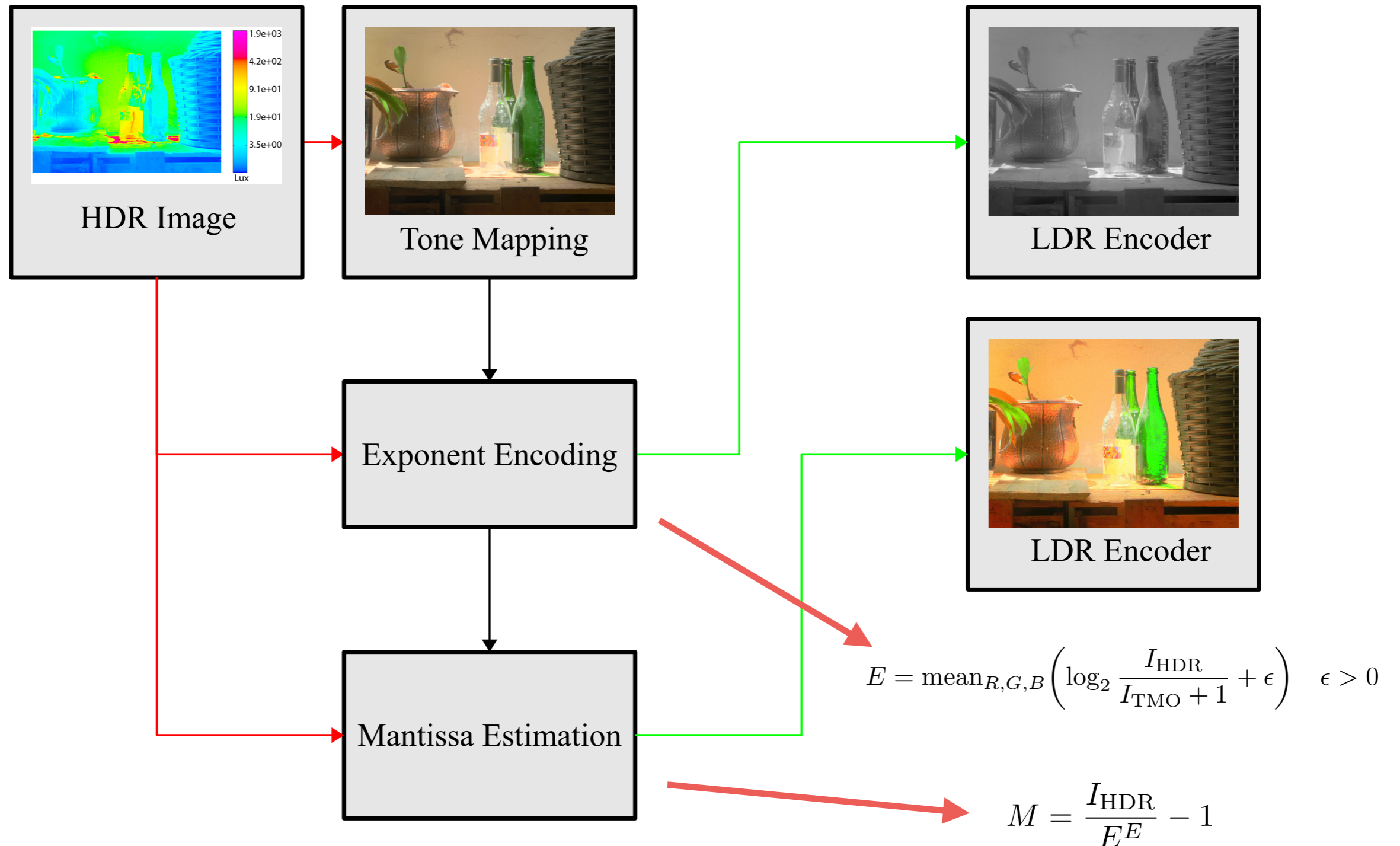
# Spatially Varying RRGBE



# Spatially Varying RRGBE



# Spatially Varying RRGBE

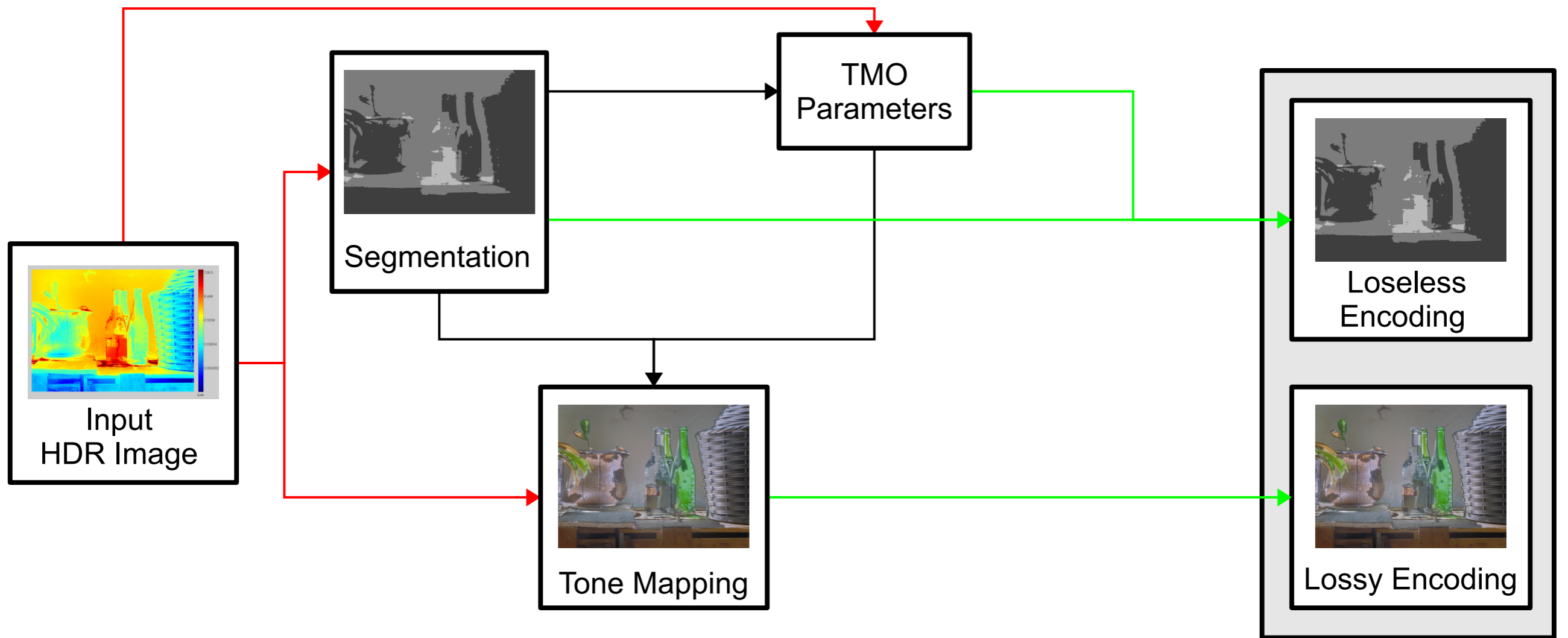




# BoostHDR

- **Idea:** to segment the image and to apply to each segment a linear compression factor [Banterle et al. 2012]
  - High efficiency
  - Semi backward compatible: the image looks a bit strange; i.e. seams and no global contrast
- Different encoders: JPEG, JPEG2000

# BoostHDR



# BoostHDR: semi backward compatible



# Evaluation

- Perceptual metrics:
  - HDR-VDP
  - DRIIQM
- Objective metrics:
  - mPSNR
  - logRMSE

# Evaluation: mPSNR

- **Issue:** classic PSNR definition do not work well because the peak can be an outlier

$$\text{MSE}(I, \hat{I}) = \frac{1}{n} \sum_{j=1}^n \left( I(\mathbf{x}_j) - \hat{I}(\mathbf{x}_j) \right)^2$$

$$\text{PSNR}(I, \hat{I}) = 10 \log_{10} \left( \frac{I_{\max}^2}{\text{MSE}(I, \hat{I})} \right)$$

- **Idea:** mean of PSNR values of all exposure images (LDR images) that can be extracted from an HDR image [Munkberg et al. 2006]

# Evaluation: mPSNR

$$T(v, c) = \left[ 255(2^c v)^{\frac{1}{\gamma}} \right]_0^{255}$$

$$\text{MSE}(I, \hat{I}) = \frac{1}{n \times p} \sum_{c=1}^p \sum_{i=1}^n \left( \Delta R_{i,c}^2 + \Delta G_{i,c}^2 + \Delta B_{i,c}^2 \right)$$

$$\text{mPSNR}(I, \hat{I}) = 10 \log_{10} \left( \frac{3 \times 255^2}{\text{MSE}(I, \hat{I})} \right)$$

$$\Delta R_{i,c} = T(R(\mathbf{x}_i), c) - T(\hat{R}^*(\mathbf{x}_i), c)$$

$$\Delta G_{i,c} = T(G(\mathbf{x}_i), c) - T(\hat{G}^*(\mathbf{x}_i), c)$$

$$\Delta B_{i,c} = T(B(\mathbf{x}_i), c) - T(\hat{B}^*(\mathbf{x}_i), c)$$

# Evaluation: logRMSE

- **Issues:** high values may have outliers and exacerbate per pixel differences
- **Idea:** apply logarithmic function to reduce high values influence

$$\text{RMSE}(I, \hat{I}) = \sqrt{\frac{1}{n} \sum_{i=1}^n \left( \log_2 \frac{R(\mathbf{x}_i)}{\hat{R}(\mathbf{x}_i)} \right)^2 + \left( \log_2 \frac{G(\mathbf{x}_i)}{\hat{G}(\mathbf{x}_i)} \right)^2 + \left( \log_2 \frac{B(\mathbf{x}_i)}{\hat{B}(\mathbf{x}_i)} \right)^2}$$

# Evaluation: PU Encoding

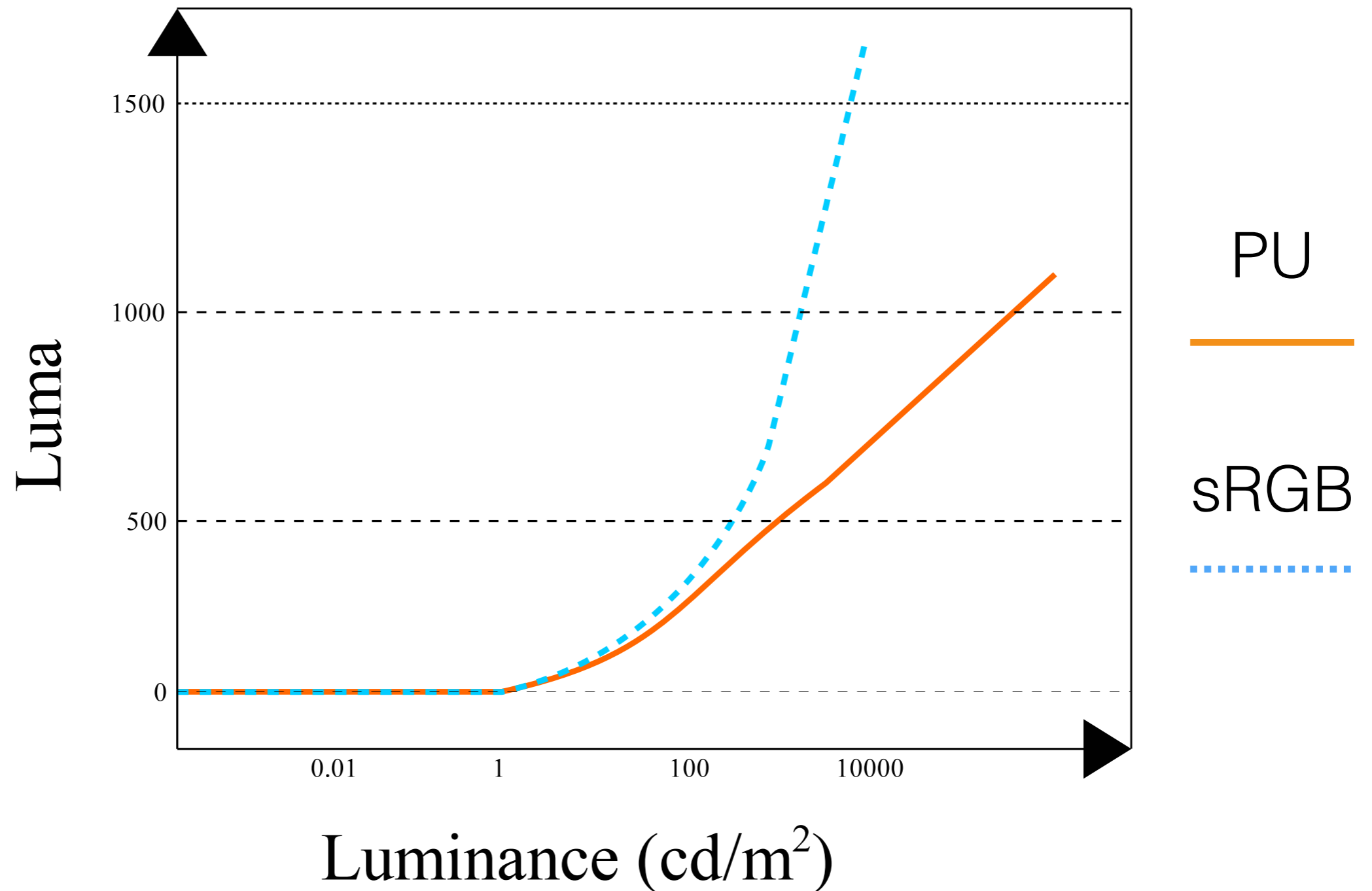
- **Idea:** to reuse existing objective metrics. [Aydin et al. 2008]
  - CRT monitors (gamma): range [0.1, 80] cd/m<sup>2</sup>
  - LCD monitors (gamma): peak 500 cd/m<sup>2</sup>
  - HDR monitors (mostly linear): peak 4,000 cd/m<sup>2</sup>



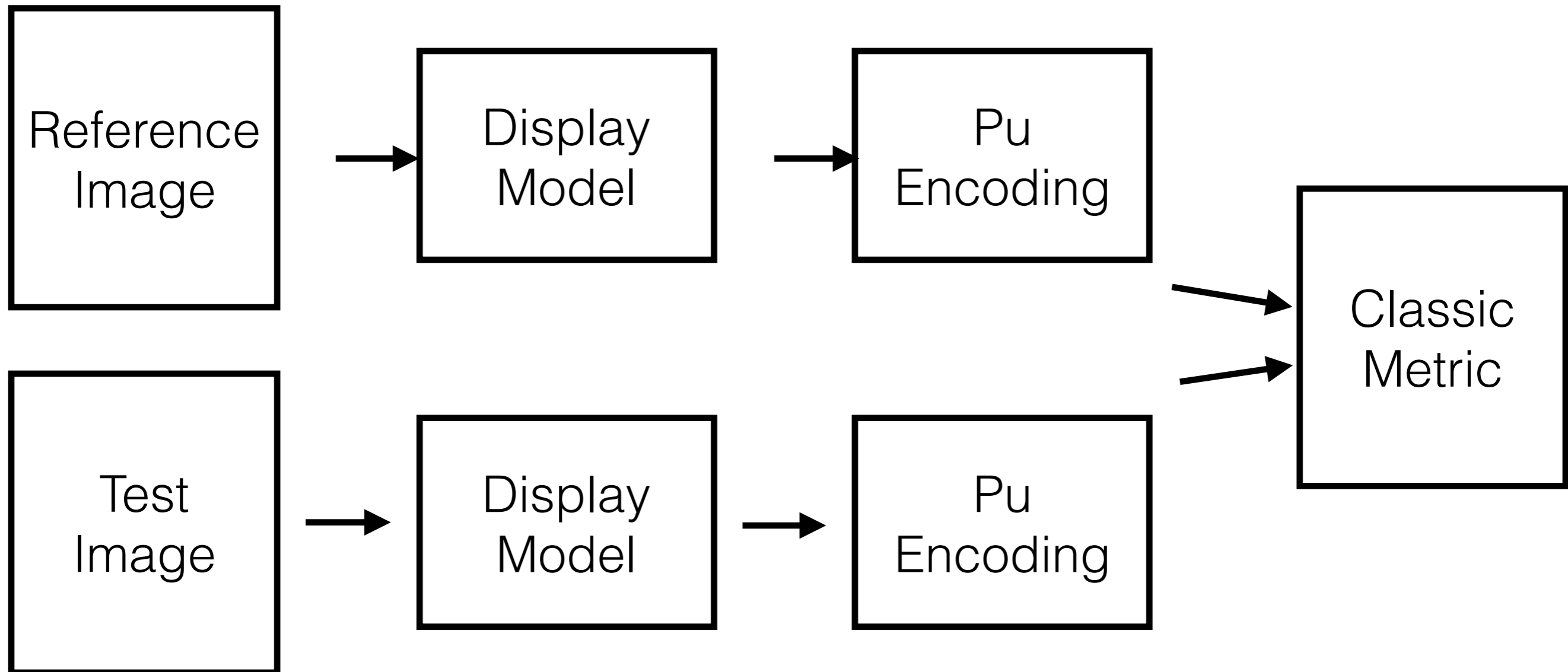
# Evaluation: PU Encoding

- PU encoding is a non-linear curve which simulates the response of the HVS to luminance values
- Similar behavior of sRGB in  $[0.1, 80]$   $\text{cd/m}^2$

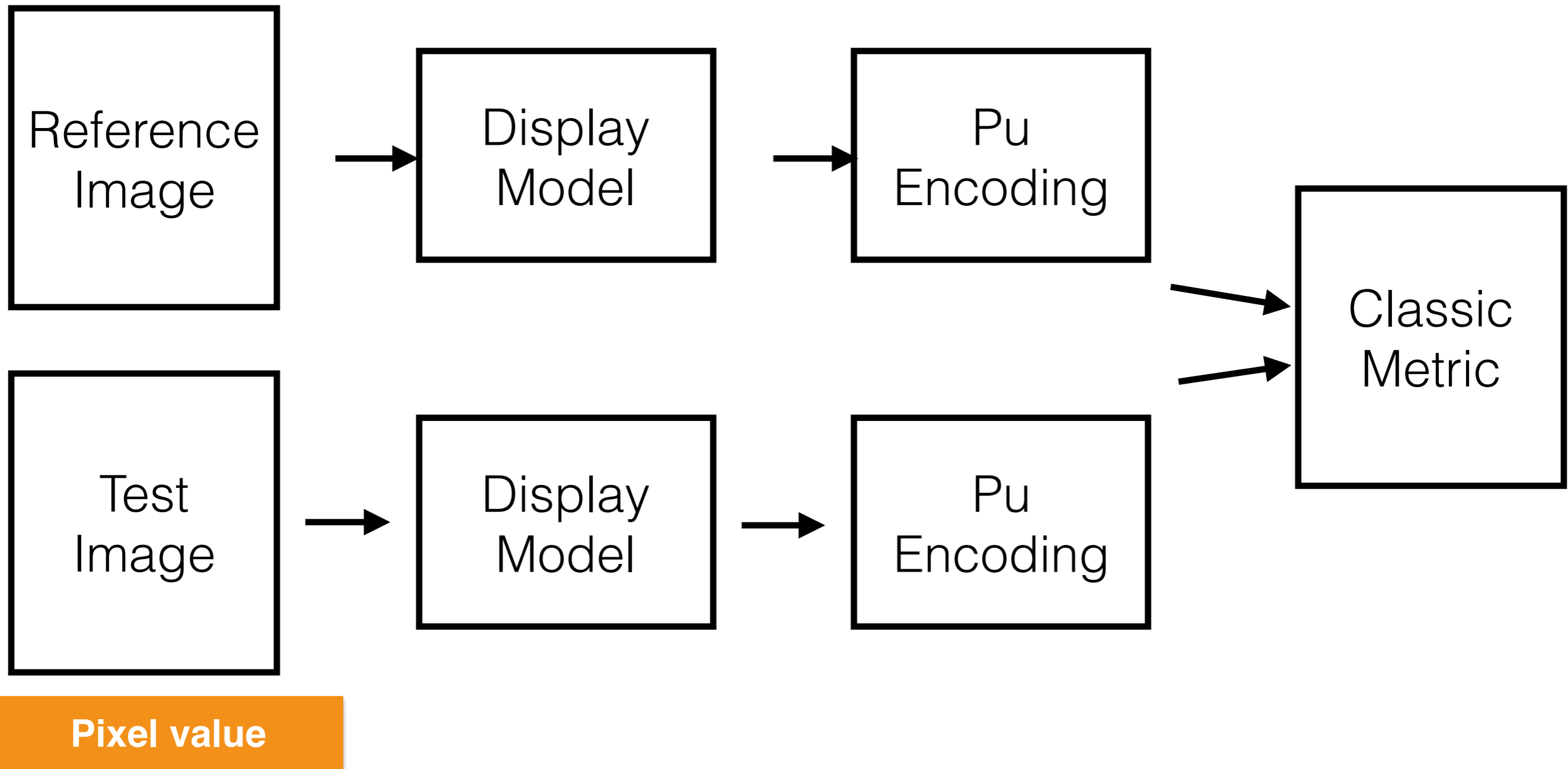
# Evaluation: PU Encoding



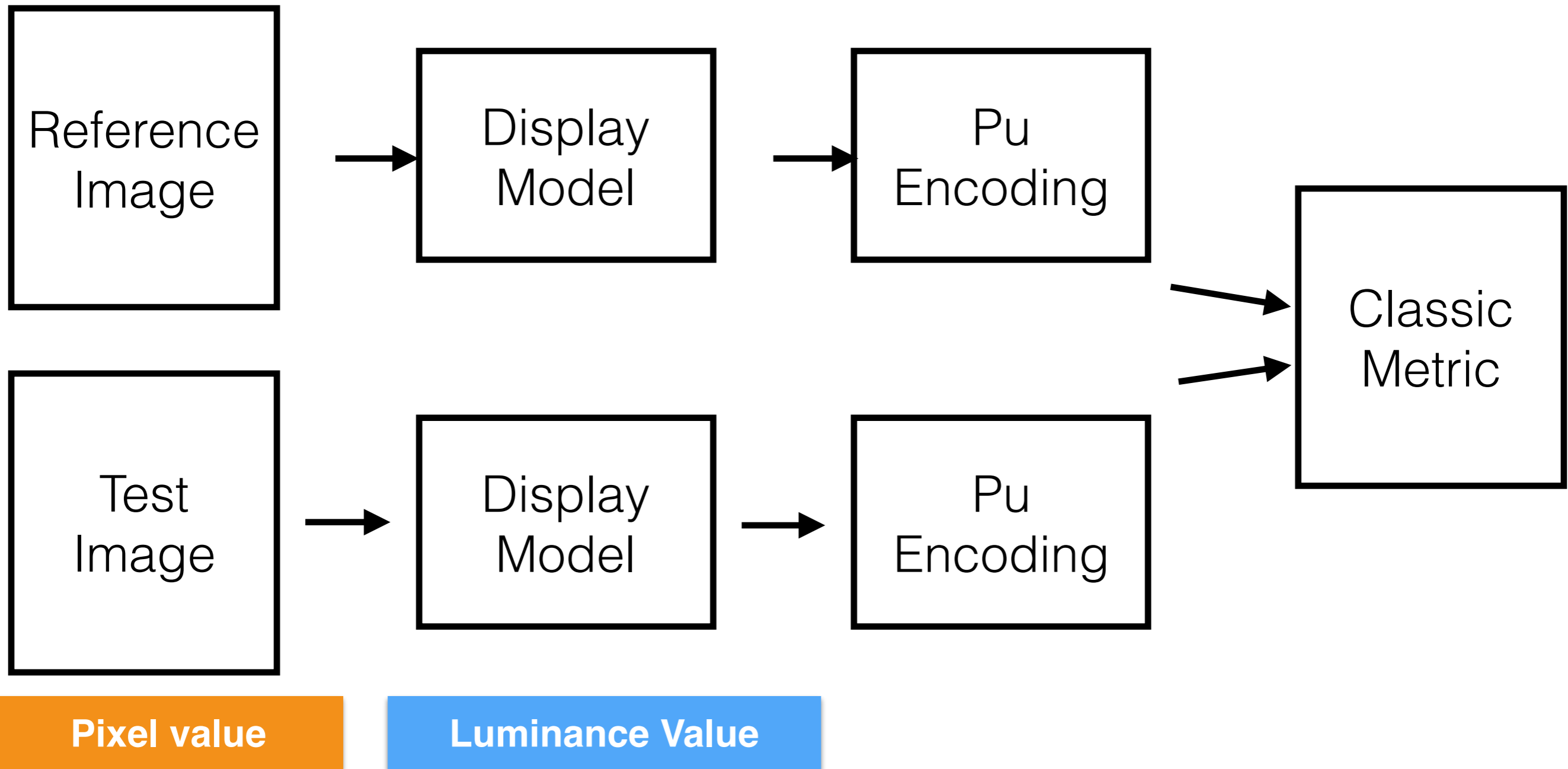
# Evaluation: PU Encoding



# Evaluation: PU Encoding



# Evaluation: PU Encoding



the present...

# Standardization: JPEG-XR

- A JPEG standard
- It is not backward compatible
- Proposed by Microsoft (it is the old PhotoHD format)
- Add support for:
  - 48bit integer RGB
  - 16-bit/32-bit floating point per color channel

# Standardization: JPEG-XR

- It supports RGBE encoding
- Loseless UYV color encoding
- Hierarchical transform (2 layers): 4x4 and 16x16
- Official website:
  - <http://www.jpeg.org/jpegxr/index.html>



# Standardization: JPEG-XT

- It is an ISO standard extension of JPEG (ISO/IEC 10918-1)
- Backward compatible with JPEG
- Three compression profiles: A, B, and C
- Capability to encode HDR images
- Official website:
  - <http://www.jpeg.org/jpegxt/index.html>

let's talk about  
videos...

# LDR Video Compression

- Existing video standard: MPEG-1 (H.261), MPEG-2 (H.262), MPEG-4 Part 2 (H.623), H.264 (AVC), H.265 (HEVC)
- How do they work?

# LDR Compression: I-Frames

- They are reference frames which are basically encoded using JPEG
- Also called anchor frame

# LDR Compression: P-Frames

- They are predicted frame:
  - exploitation of temporal redundancy
  - It stores differences between the frame to be encoded and the I-frame
  - How? By using motion vector:
    - motion compensation!

# LDR Compression: P-Frames



t



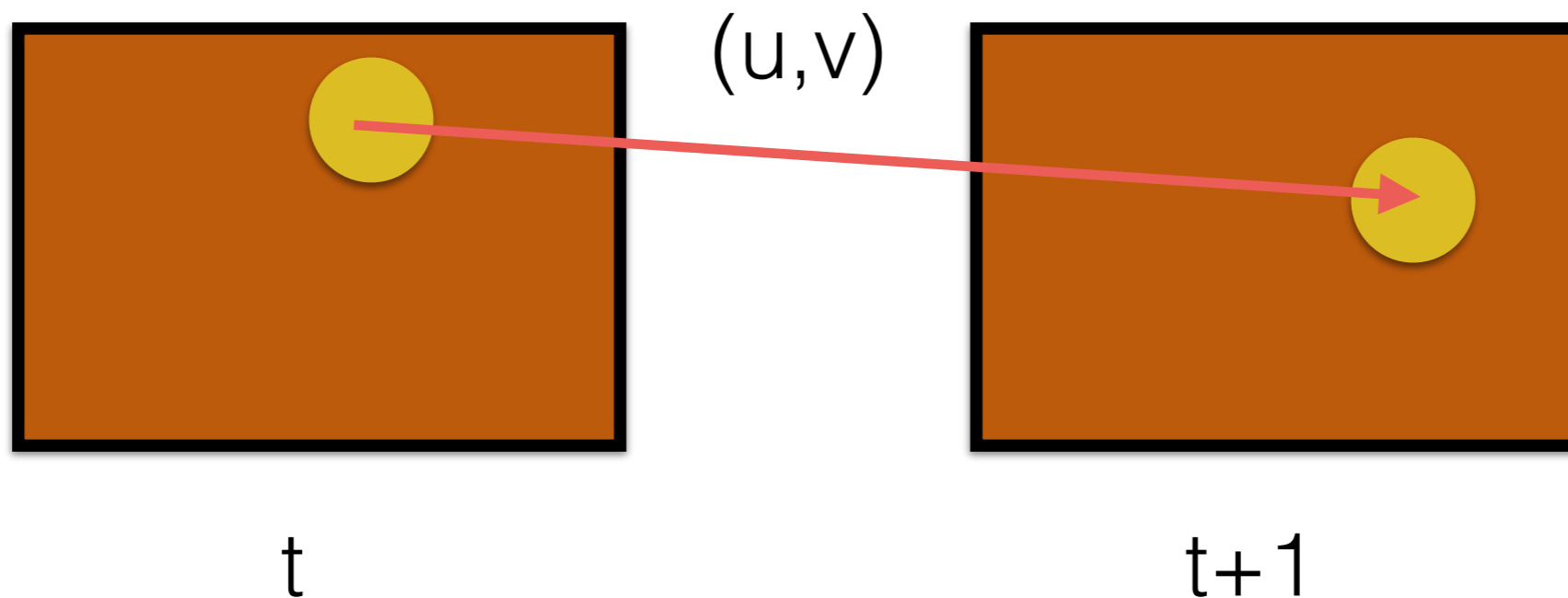
t+1

# LDR Compression: P-Frames



Difference frame time  $t$  and  $t+1$

# LDR Compression: Motion Estimation



stored per macroblock (16x16)

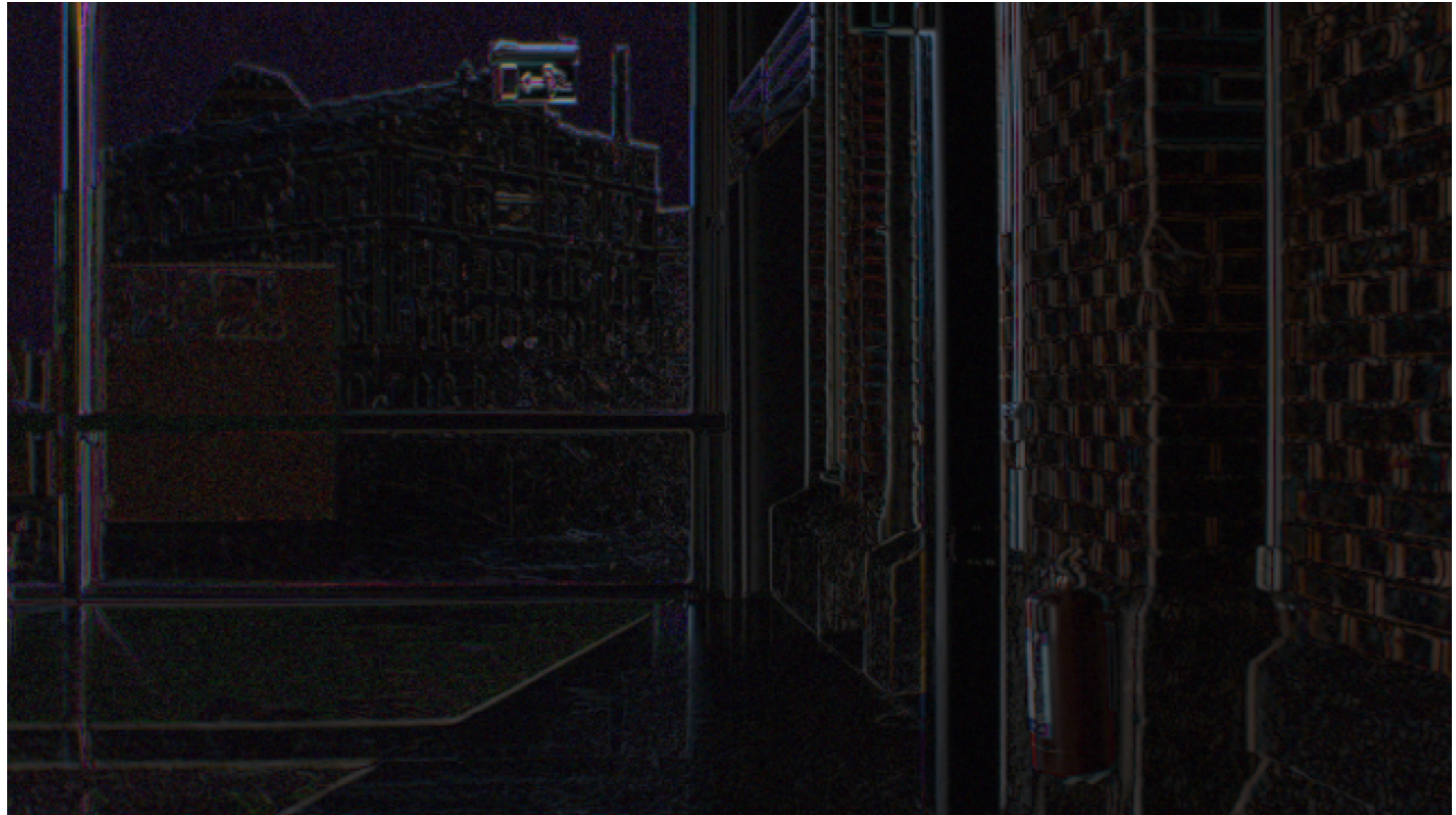


# LDR Compression: Motion Estimation



Difference frame time  $t$  and  $t+1$  with motion estimation

# LDR Compression: Motion Estimation



Difference frame time  $t$  and  $t+1$  with motion estimation

# LDR Compression: Conclusions

- There are more other mechanisms such as:
  - B-frames
  - Adaptive macroblocks
  - etc...

and now back to  
HDR videos...

# HDRV

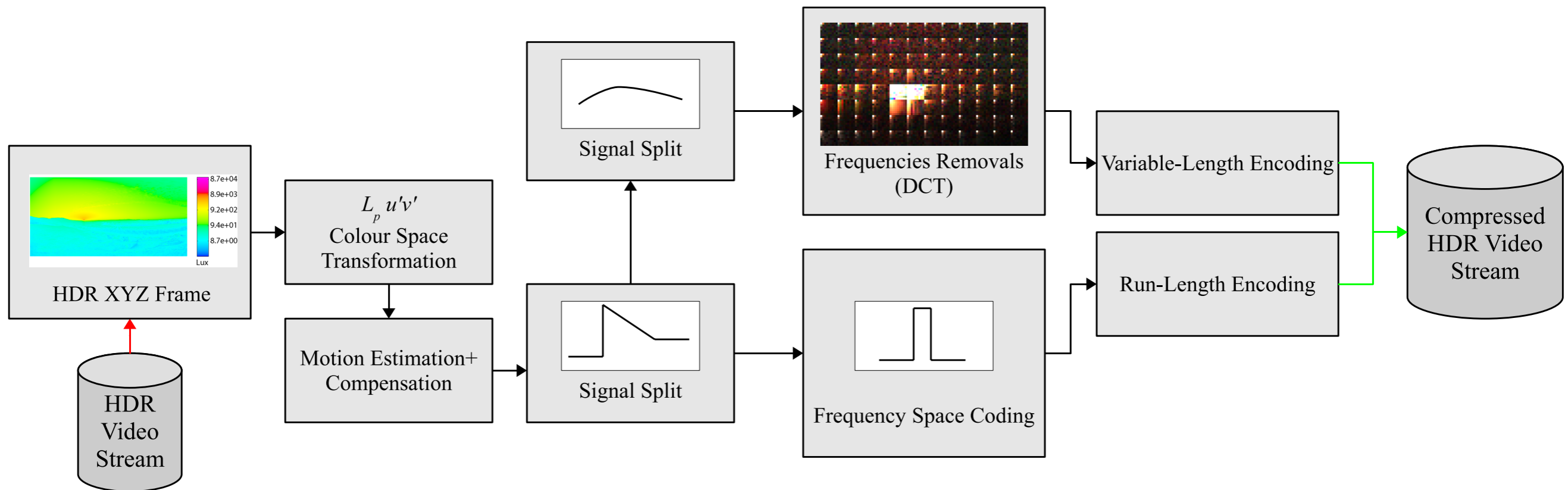
- **Idea:** to extend MPEG for handling HDR [Mantiuk et al. 2004]
- Steps:
  - Applying a compression function perceptually based (11bit for encoding luma):

$$\frac{d\Psi(l)}{dl} = 2 \frac{tvi(\Psi(l))}{f}$$

$$\Psi(0) = 10^{-4} \text{cd/m}^2 \quad \Psi(l_{\max}) = 10^8 \text{cd/m}^2 \quad l_{\max} = 2^{\text{nbits}} - 1$$

- Modifying the DCT to handle hard case: patches with strong edges

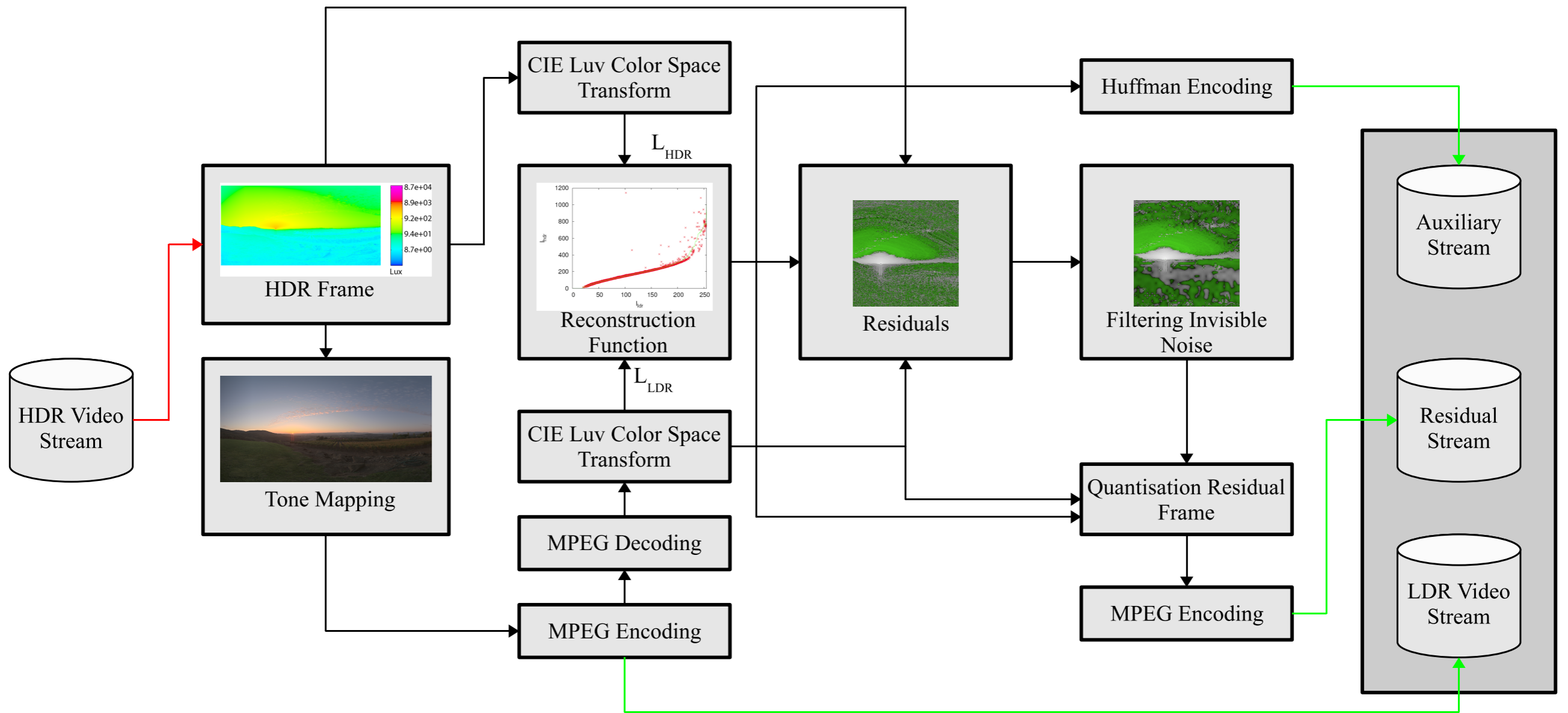
# HDRV Compression



# MPEG-HDR

- **Idea:** HDRV works great, but it is not drawback compatible, why not using a similar idea from JPEG-HDR? [Mantiuk et al. 2006]
- Steps:
  - Tone map the image; any TMO —> this impacts on size of the stream
  - Compute residuals filtering what the HVS cannot perceive!

# MPEG-HDR





# Temporal Gradient Compression

- **Idea:** to exploit a temporal TMO and residual filtered using the bilateral filter [Lee and Kim 2008]

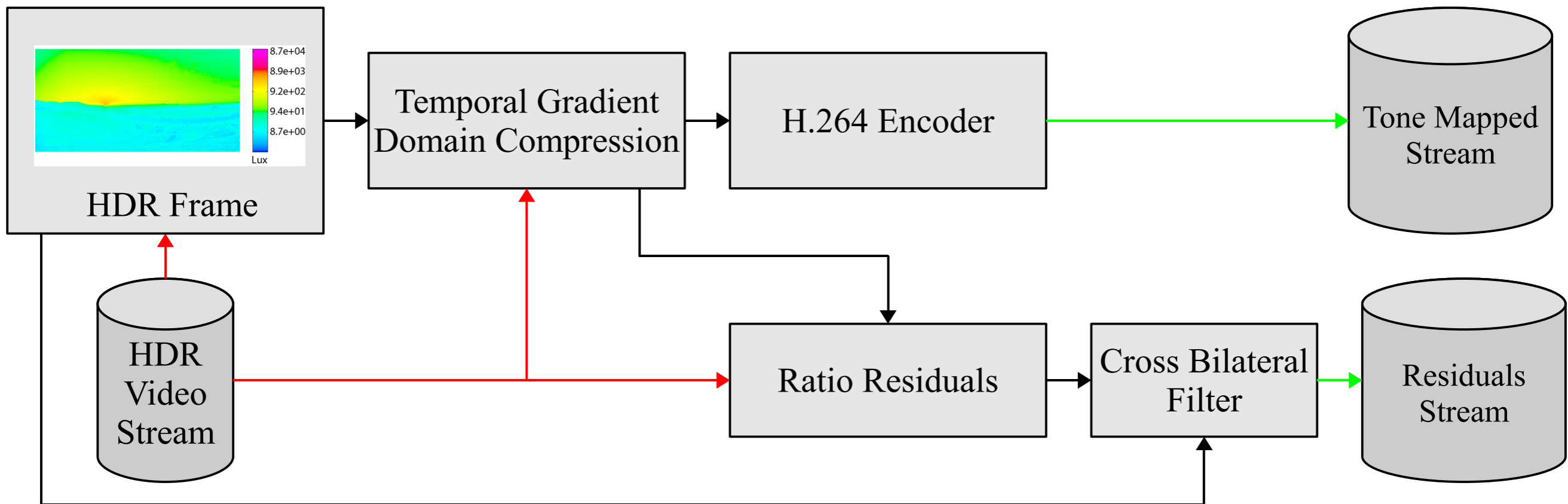
- Residuals:

$$R(\mathbf{x}) = \log_2 \left( \frac{L_w(\mathbf{x})}{L_d(\mathbf{x})} \right)$$

- Introduction of a rate for controlling size of the residuals stream

$$QP_{\text{ratio}} = 0.77QP_d + 13.42$$

# Temporal Gradient Compression



# Current research

- Backward compatible methods
  - Optimized TMOs for encoding
  - Best exposure method

the present...

# Standardization

- MPEG has started standardization for HDR video content
- Proposals were submitted
  - long process; a couple of years

Questions?