What can Statistical Machine Translation teach Neural Machine Translation about Structured Prediction?

Graham Neubig

@ ICLR Workshop on Deep Reinforcement Learning Meets Structured Prediction 5/6/2019



Carnegie Mellon University

Language Technologies Institute

Two classes (binary classification)

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```
I hate this movie ______positive negative
```

Two classes (binary classification)

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I hate this movie ______positive negative
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Multiple classes (multi-class classification)

Two classes (binary classification)

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I hate this movie _______negative
```

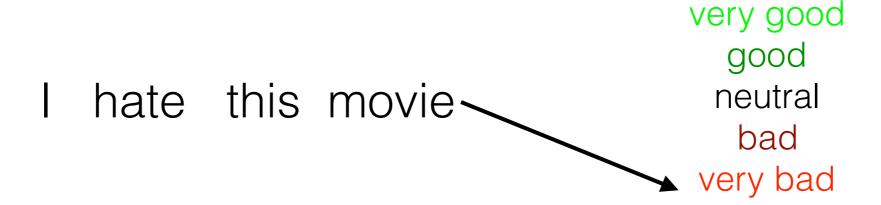
Multiple classes (multi-class classification)

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I hate this movie pad bad very bad
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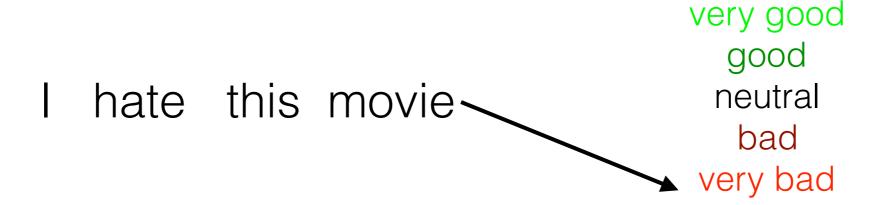


Exponential/infinite labels (structured prediction)

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Optimization for Statistical Machine Translation: A Survey

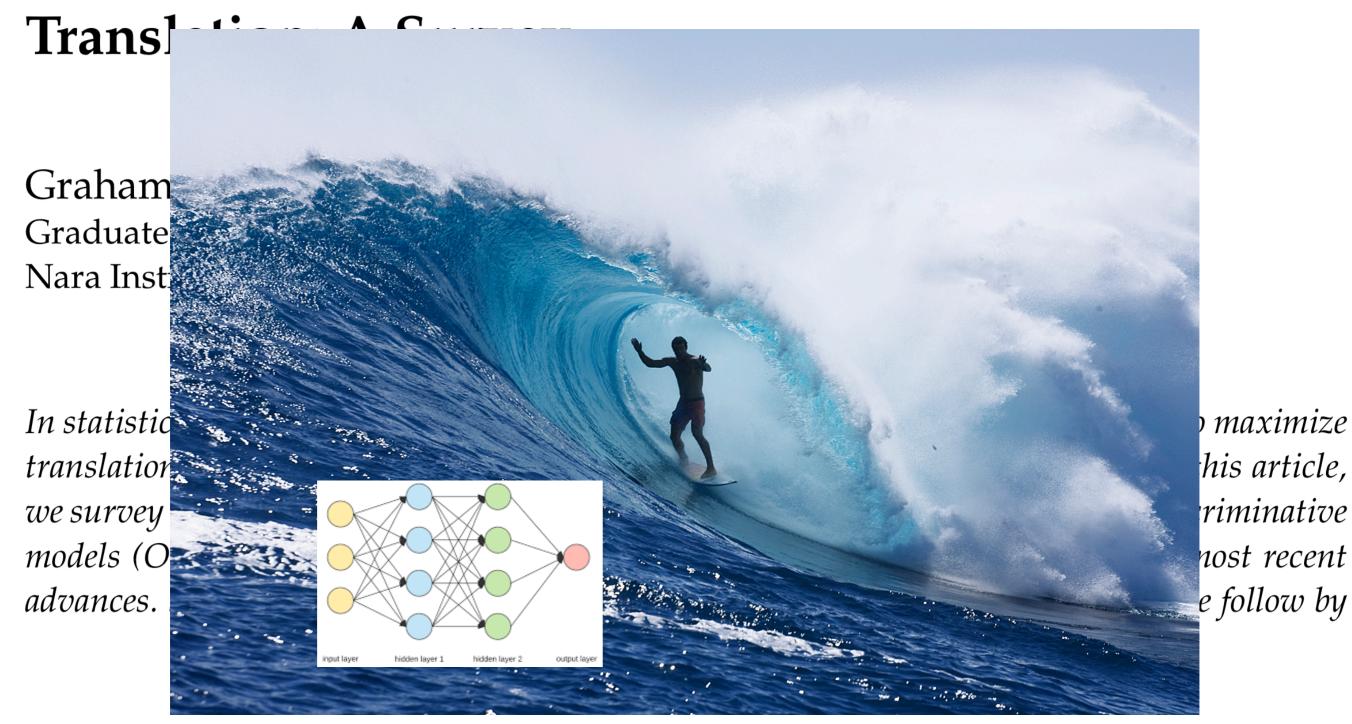
Graham Neubig* Graduate School of Information Science Nara Institute of Science and Technology Taro Watanabe**†
Google Inc.

In statistical machine translation (SMT), the optimization of the system parameters to maximize translation accuracy is now a fundamental part of virtually all modern systems. In this article, we survey 12 years of research on optimization for SMT, from the seminal work on discriminative models (Och and Ney 2002) and minimum error rate training (Och 2003), to the most recent advances. Starting with a brief introduction to the fundamentals of SMT systems, we follow by

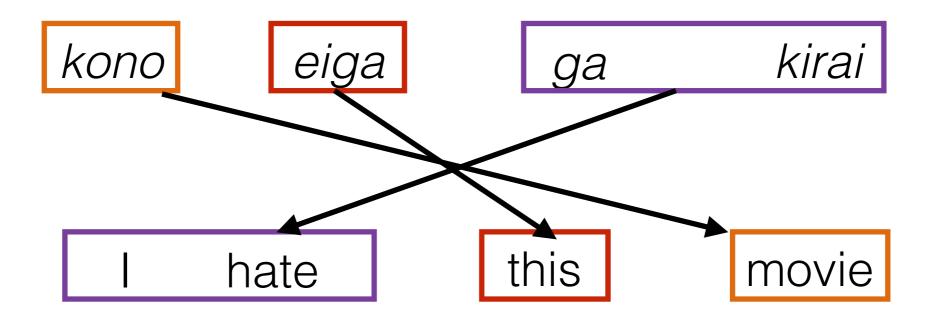
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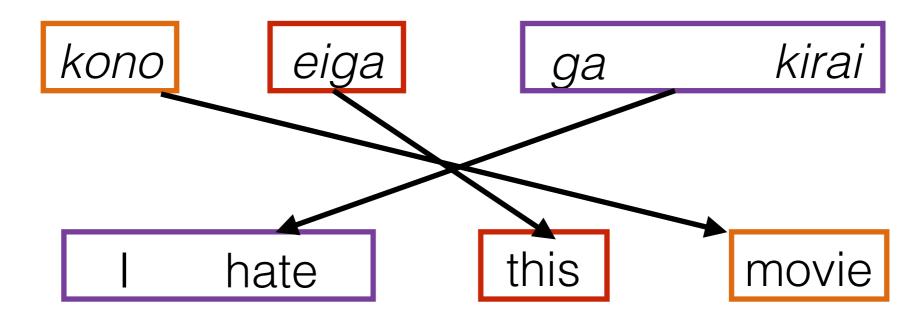
Neubig & Watanabe, Computational Linguistics (2016)

Optimization for Statistical Machine

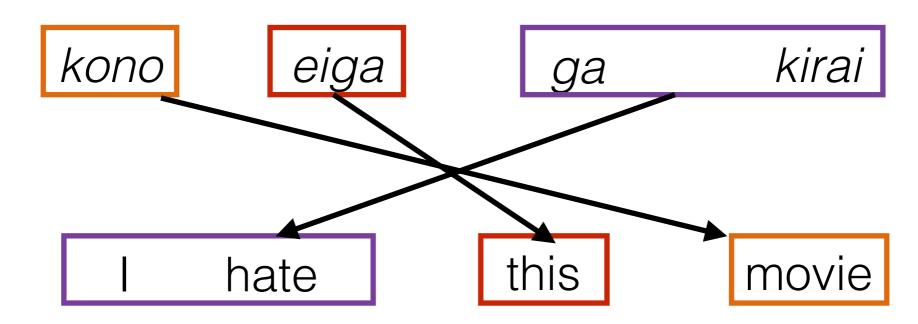


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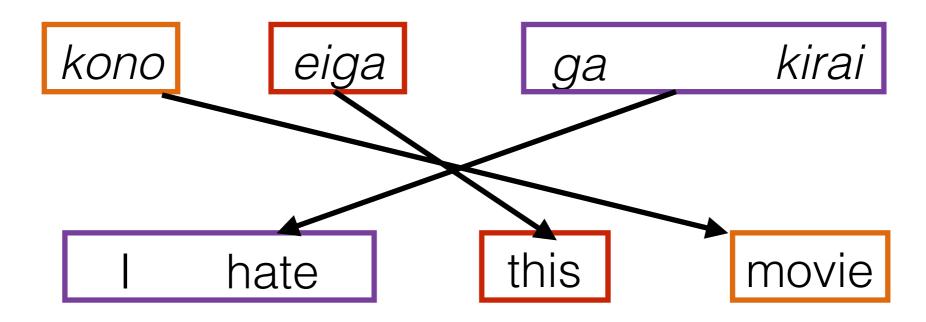




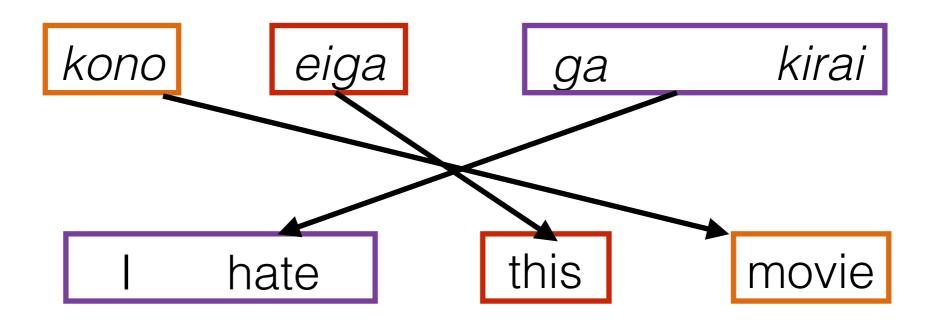
First step: learn component models to maximize likelihood



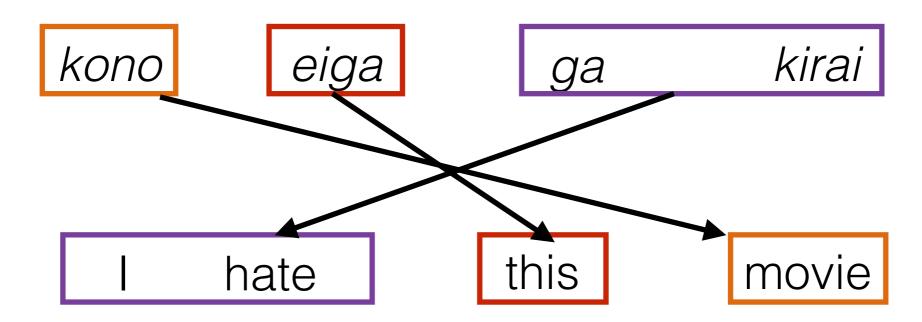
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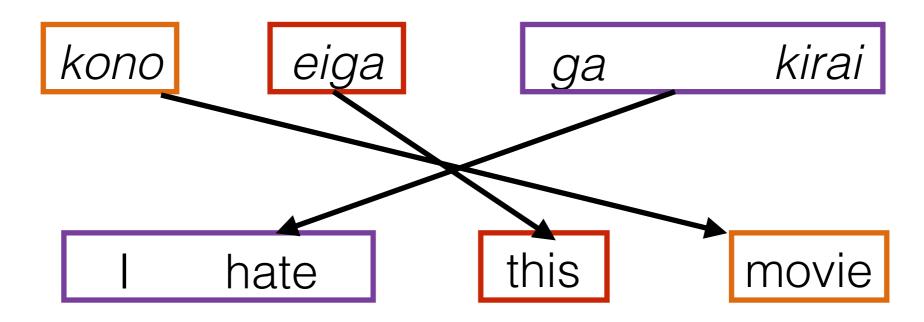
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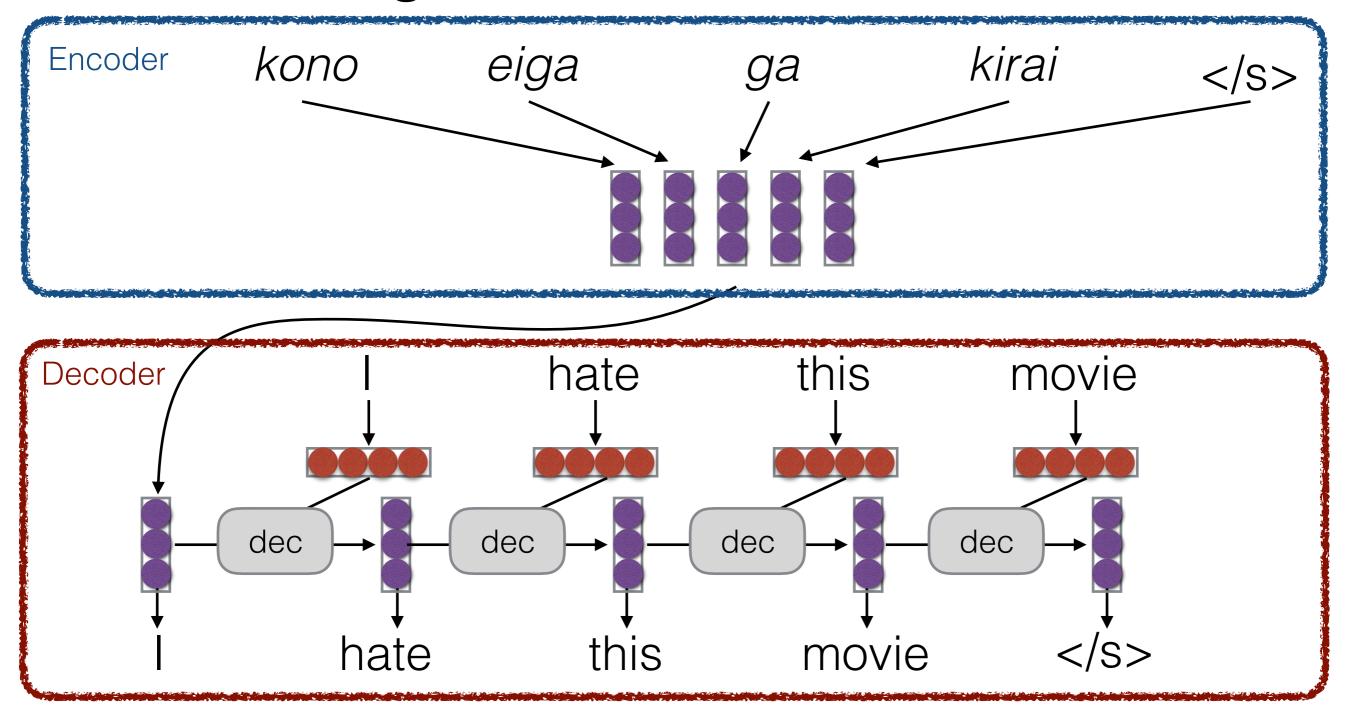


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- Second step: learning log-linear combination to maximize translation accuracy [Och 2004]

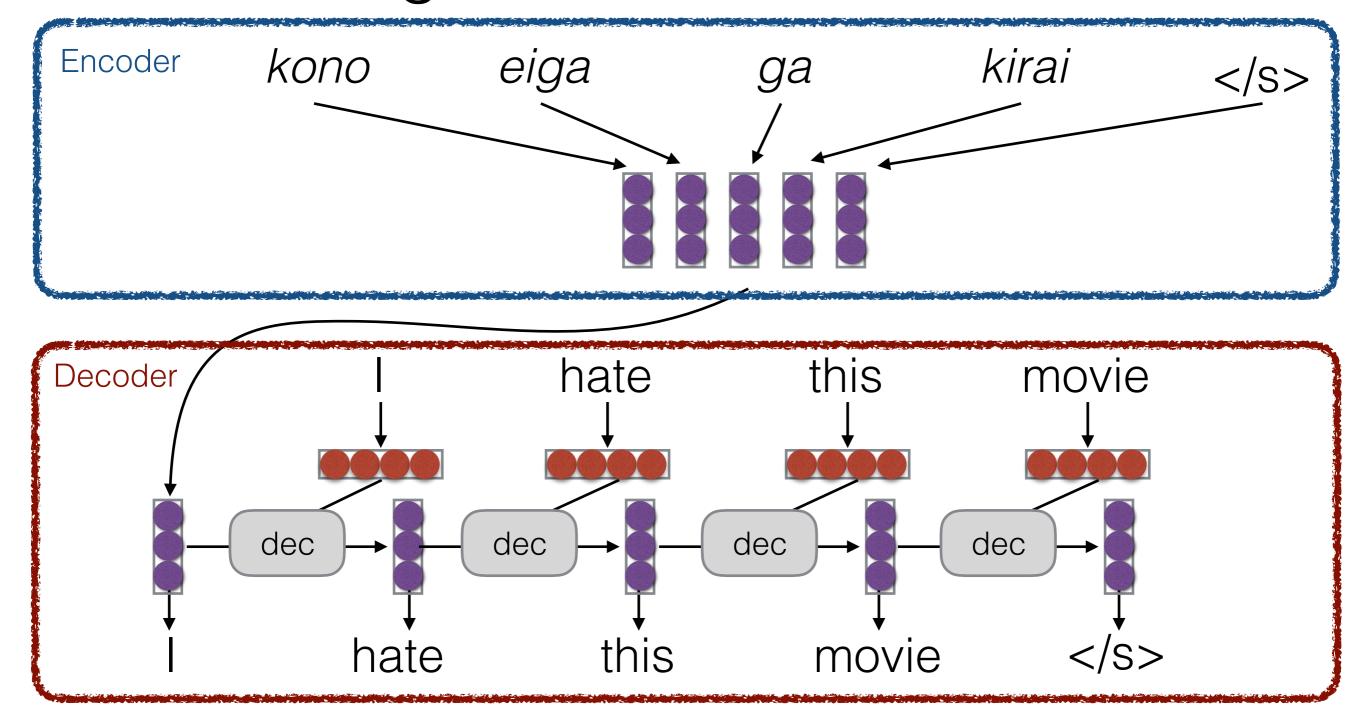
$$\log P(Y \mid X) = \sum_{i} \lambda_i \phi_i(X, Y) / Z$$

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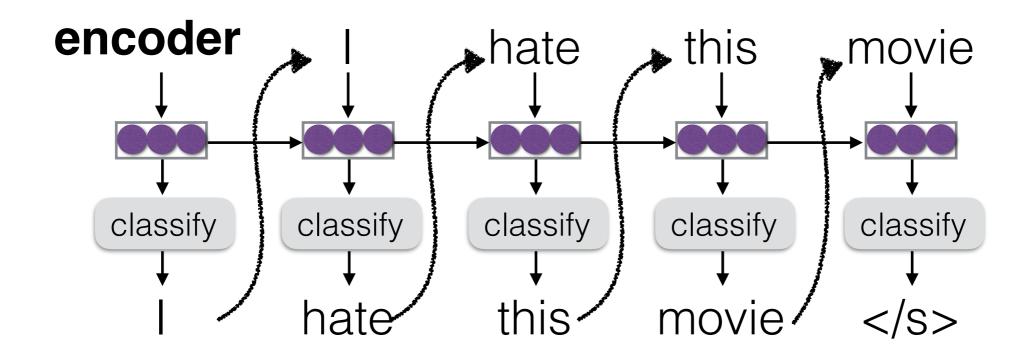
Now: Auto-regressive Neural Networks



 All parameters trained end-to-end, usually to maximize likelihood (not accuracy!)

Standard MT System Training/Decoding

Decoder Structure



$$P(E \mid F) = \prod_{t=1}^{T} P(e_t \mid F, e_1, \dots, e_{t-1})$$

Maximum Likelihood Training

 Maximum the likelihood of predicting the next word in the reference given the previous words

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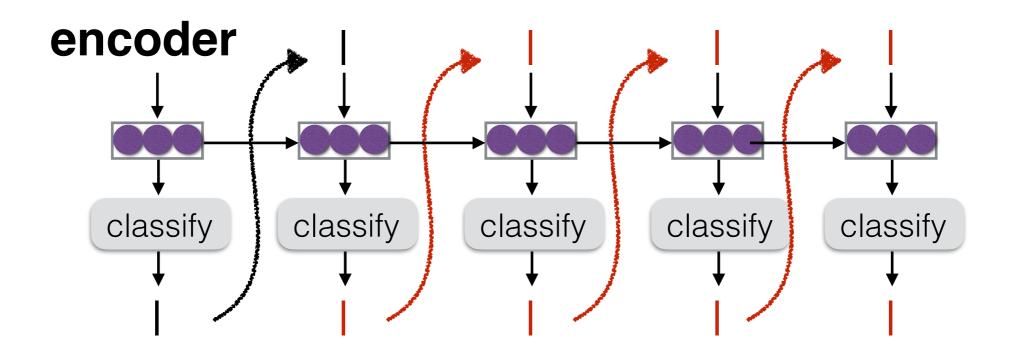
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Also called "teacher forcing"

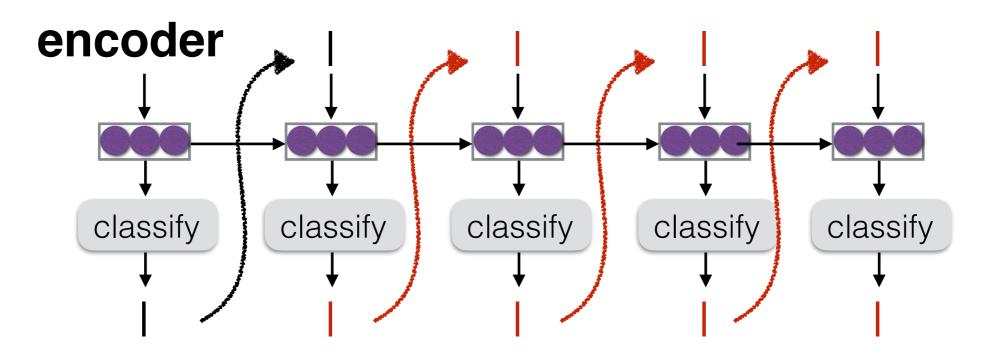
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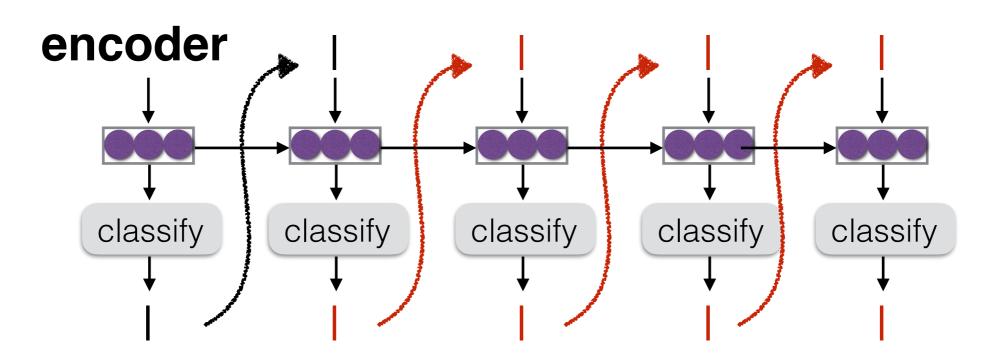
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- Really important! One main source of commonly witnessed phenomena such as repeating.

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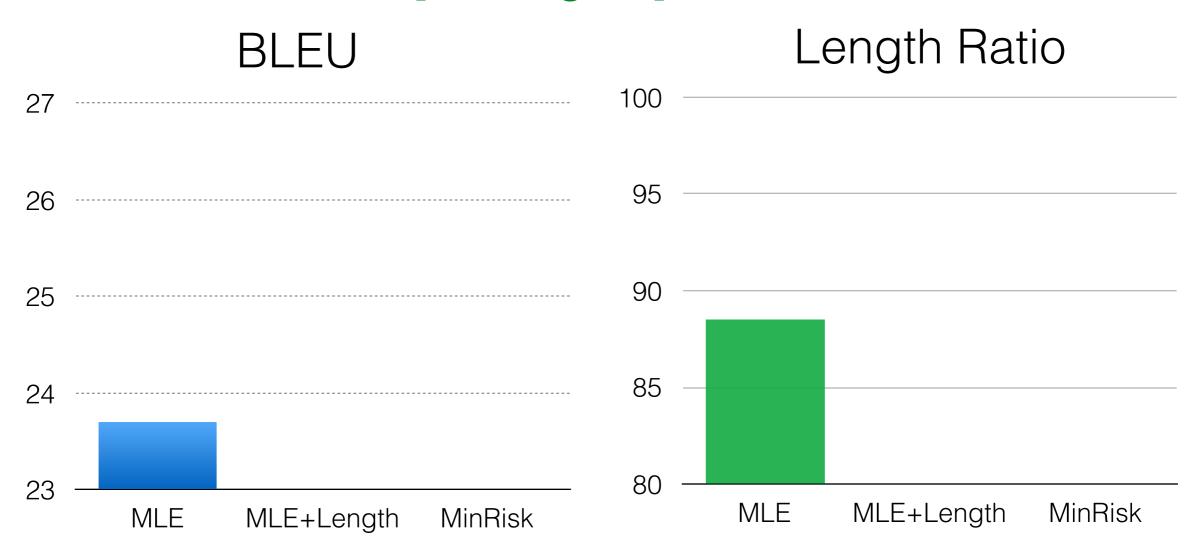
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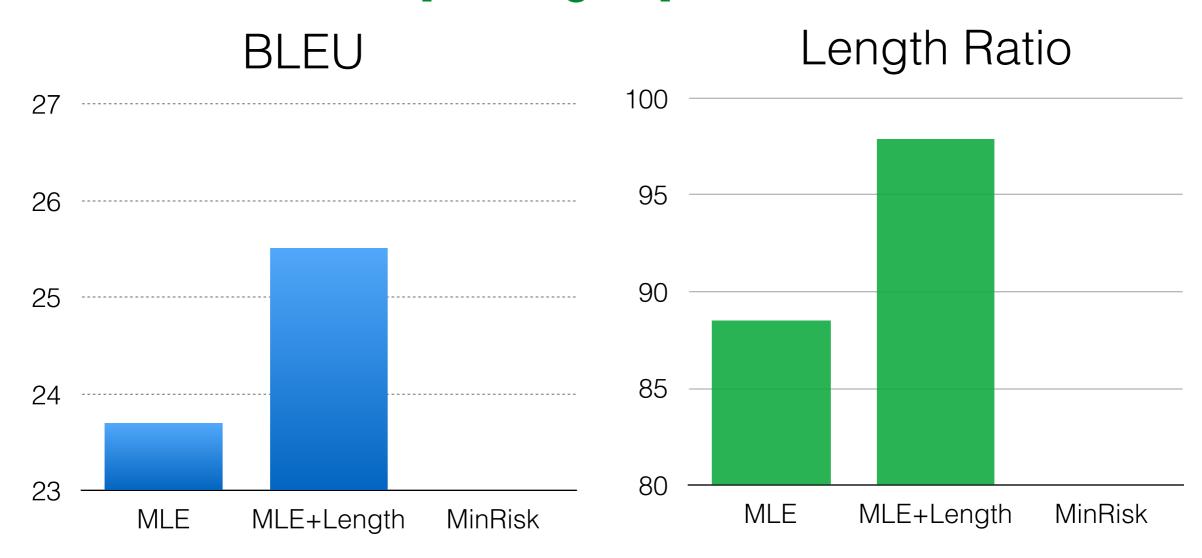
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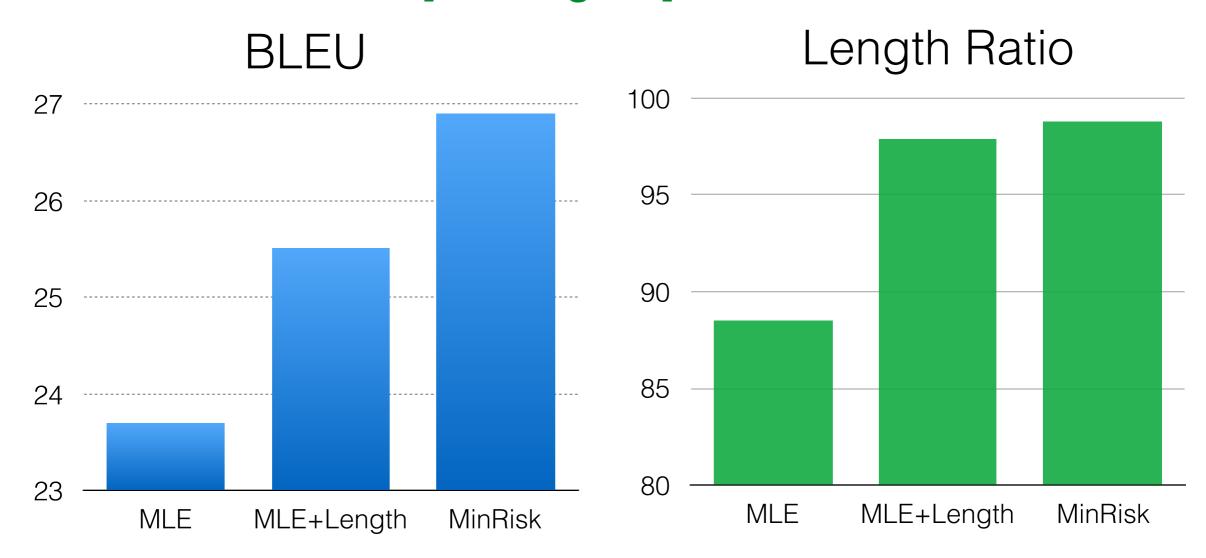
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- Good translations can be measured with metrics, e.g. BLEU or METEOR
- Really important! Causes systematic problems:
 - Hypothesis-reference length mismatch
 - Dropped/repeated content

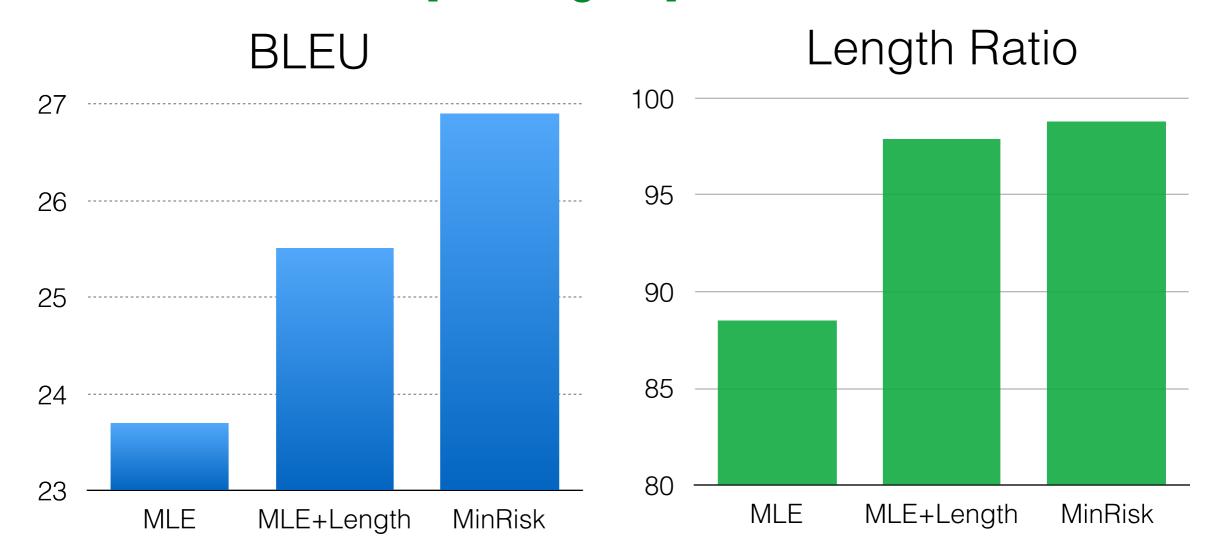
BLEU	Length Ratio
27	100
26	95
25	90
24	85
23 — MLE MLE+Length MinRisk	80 — MLE MLE+Length MinRisk







 My (winning) submission to Workshop on Asian Translation 2016 [Neubig 16]



Just training for (sentence-level) BLEU largely fixes
 length problems, and does much better than heuristics

Error and Risk

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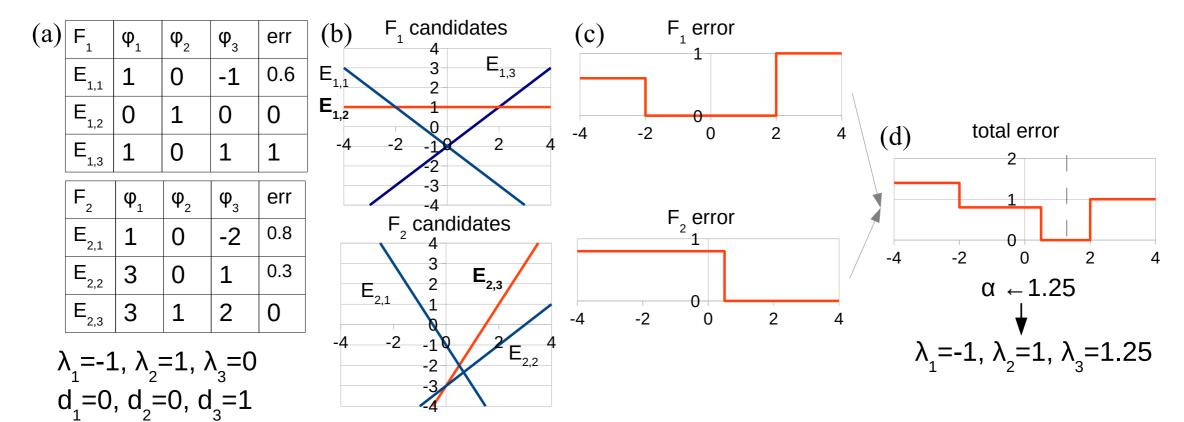
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- Problem: argmax is not differentiable, and thus not conductive to gradient-based optimization

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- Samples can be created using random sampling or n-best search
- If random sampling, make sure to deduplicate

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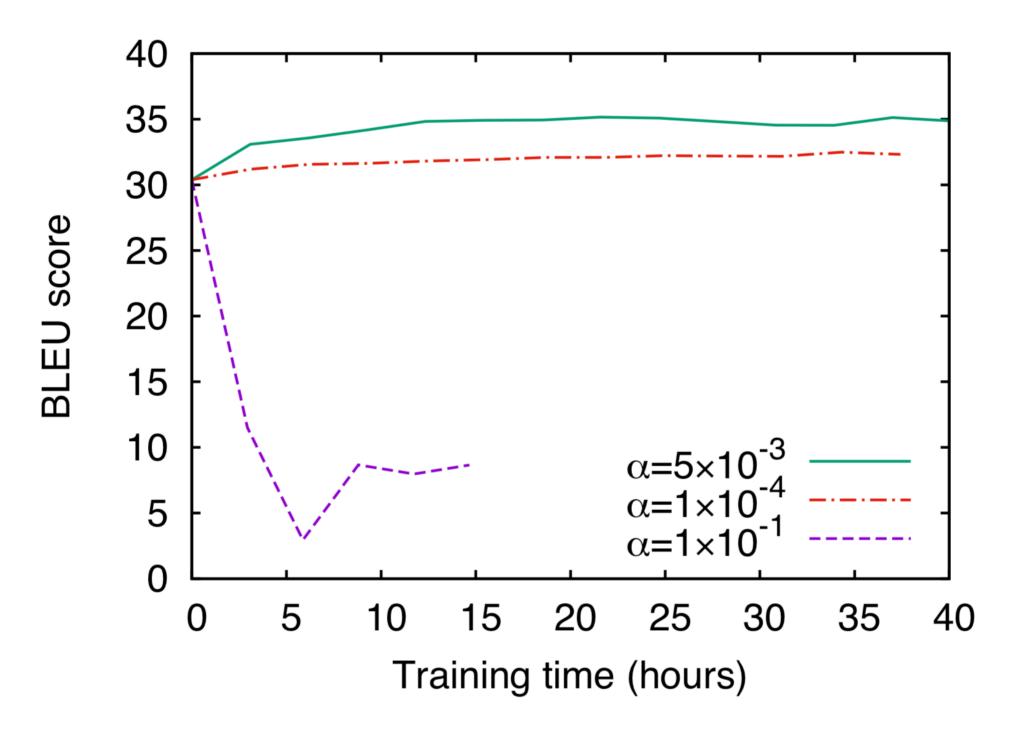
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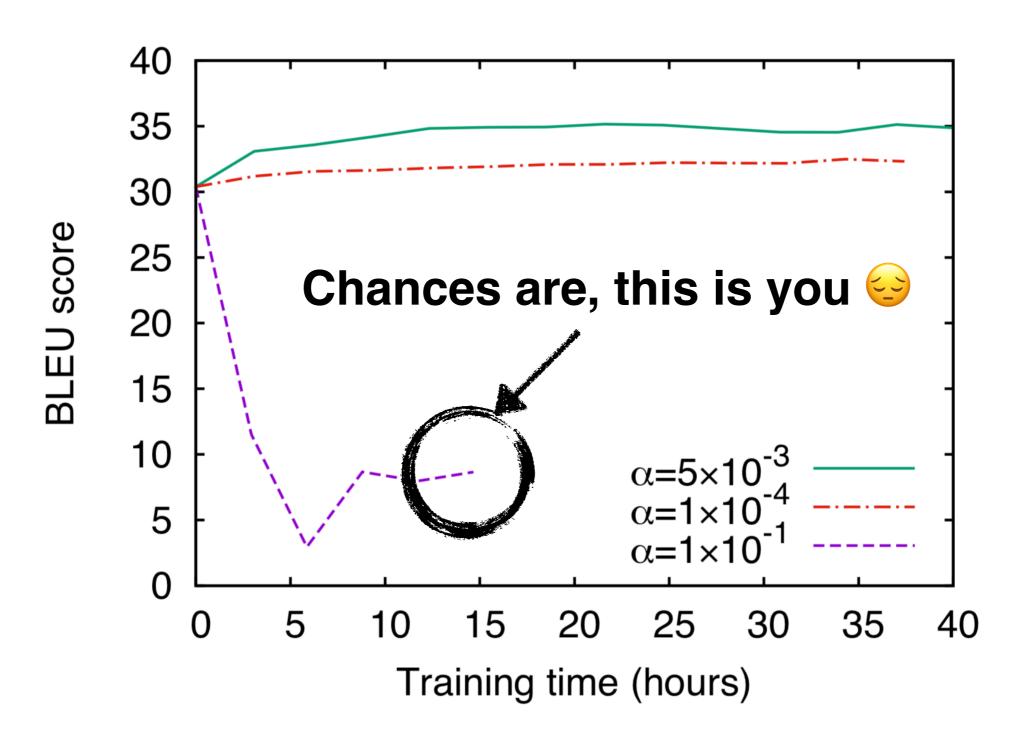
- Outputs that get a bigger reward will get a higher weight
- Can show this converges to minimum-risk solution

But Wait, why is Everyone Using MLE for NMT?

When Training goes Bad...



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It Happens to the Best of Us

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Email from a famous MT researcher:

"we also re-implemented MRT, but so far, training has been very unstable, and after a improving for a bit, our models develop a bias towards producing ever-shorter translations..."

My Current Recipe for Stabilizing MRT/Reinforcement Learning

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- Works only in the scenarios where we can run MLE (not latent variables or standard RL settings)
- MIXER (Ranzato et al. 2016) gradually transitions from MLE to the full objective

 Basic idea: we have expectations about our reward for a particular sentence

"This is an easy sentence" "Buffalo Buffalo Buffalo Buffalo"

	Reward	
"This is an easy sentence"	8.0	
"Buffalo Buffalo"	0.3	

	Reward	<u>Baseline</u>	
"This is an easy sentence"	8.0	0.95	
"Buffalo Buffalo"	0.3	0.1	

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(Be careful to not backprop through the baseline)

 Because each sample will be high variance, we can sample many different examples before performing update

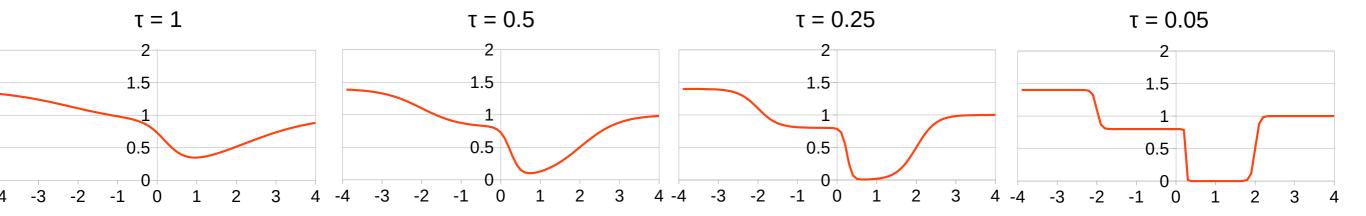
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- We can also save previous roll-outs and re-use them when we update parameters (experience replay, Lin 1993)

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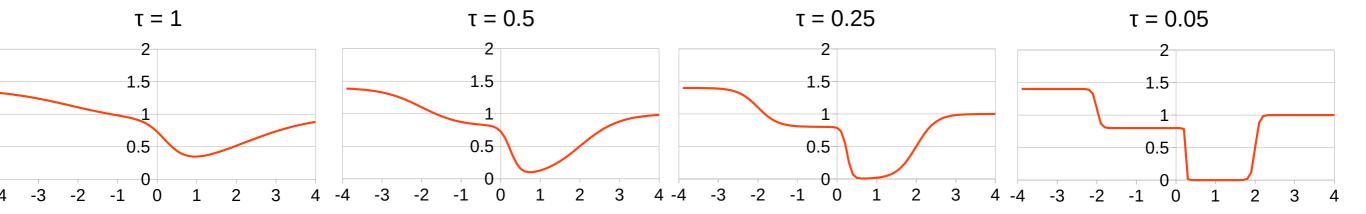
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With a small sample, setting temperature > 1
 accounts for unsampled hypotheses that should be
 in the denominator

Contrasting Phrase-based SMT and NMT

NMT+ MinRisk

PBMT+MERT

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Model	NMT	PBMT

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Metric Granularity	Sentence Level	Corpus Level
n-best Lists	Re-generated	Accumulated

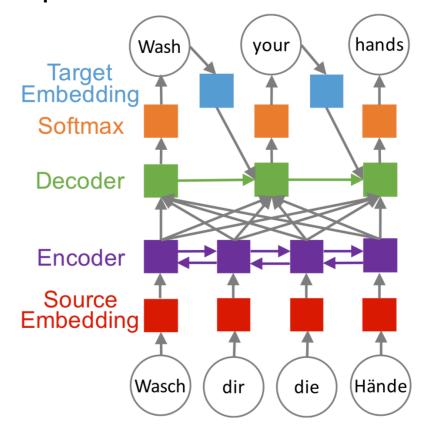
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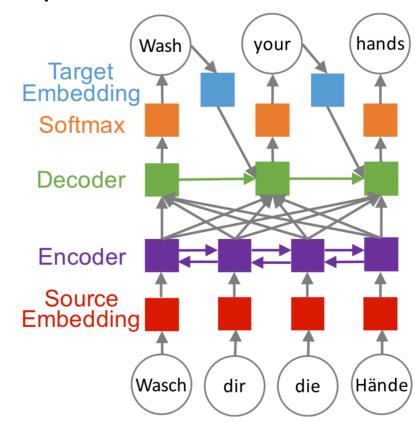
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 Maybe we can express models as a linear combination of a few hyper-parameters?

Contextualized Parameter Generation for Universal NMT. Platanios et al. 2018.



$$W = \sum_{i} \alpha_{i} W_{i}$$

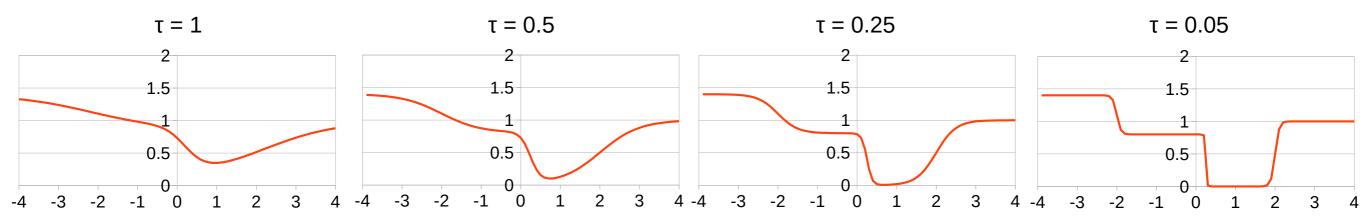
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- Maybe we can gradually anneal the temperature to move towards a peakier distribution?
 Minimum risk annealing for training log-linear models. Smith and Eisner 2006.



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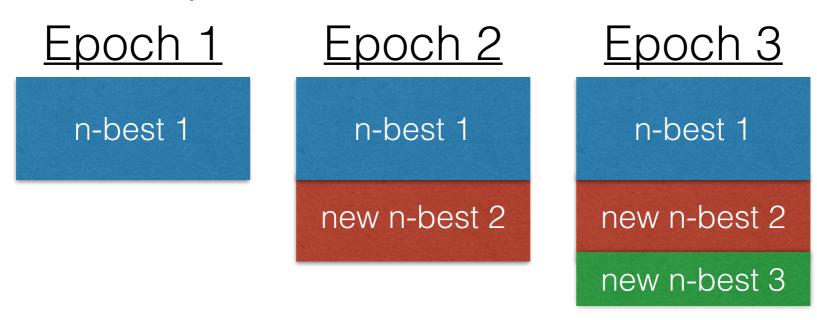
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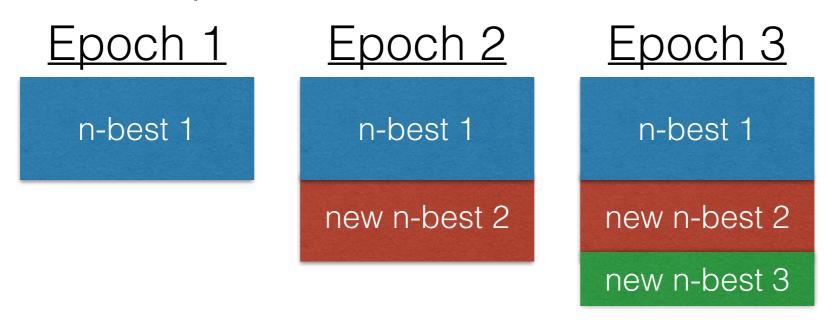
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- Maybe we can keep a running average of the sufficient statistics to approximate corpus BLEU?
 Online large-margin training of syntactic and structural translation features. Chiang et al. 2008.

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- Greatly stabilizes training! Even if model learns horrible parameters, it still has good hypotheses from which to recover.
- Maybe we could do the same for NMT? Analogous to experience replay in RL:

Self-improving reactive agents based on reinforcement learning, planning and teaching. Lin 1992.

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Thanks! Questions?