

SSCQ: Hierarchical Quantization Consistency for Fully Unsupervised Image Retrieval

Guile Wu Chao Zhang Stephan Liwicki
<https://github.com/cazhang/sscq>

- ### Motivations

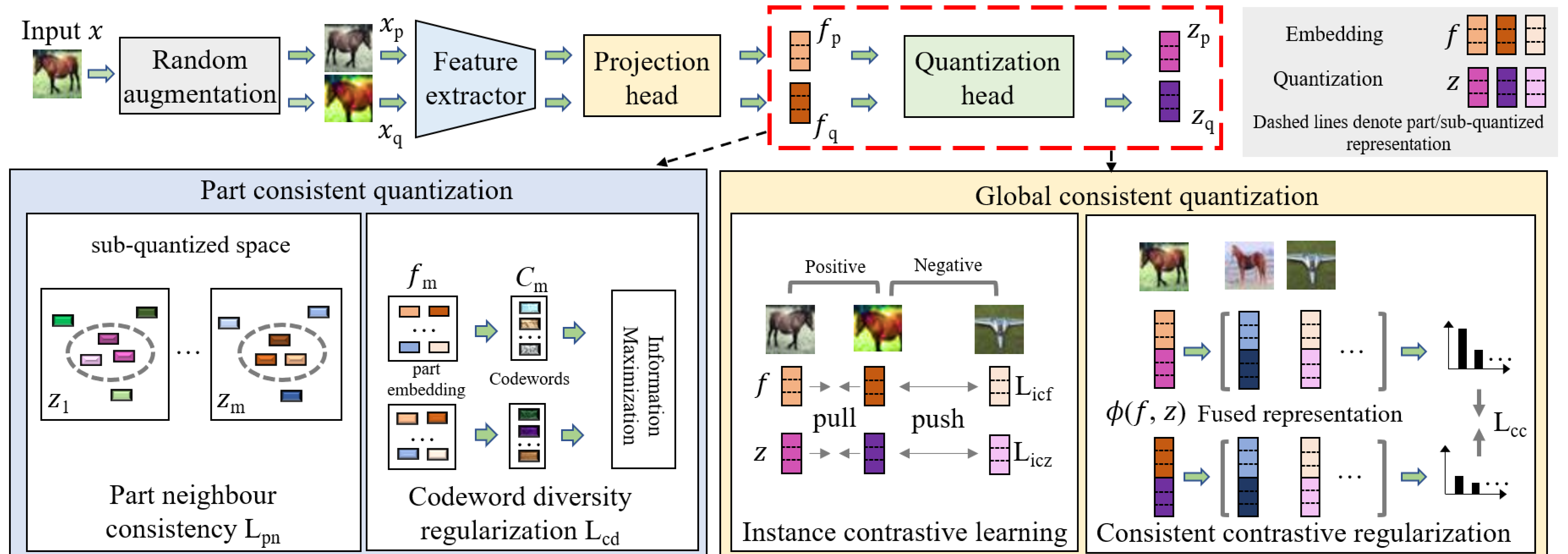
 - Unsupervised image retrieval works *without* data annotations
 - Existing methods using self-supervised learning
 - We tackle false negative issue of contrastive loss

Proposed method

 - Exploit sub-quantized representations for self-supervised learning
 - Leverage consistency to regularize the instance contrastive learning
 - With a unified objective, our approach exploits richer self-supervision cues

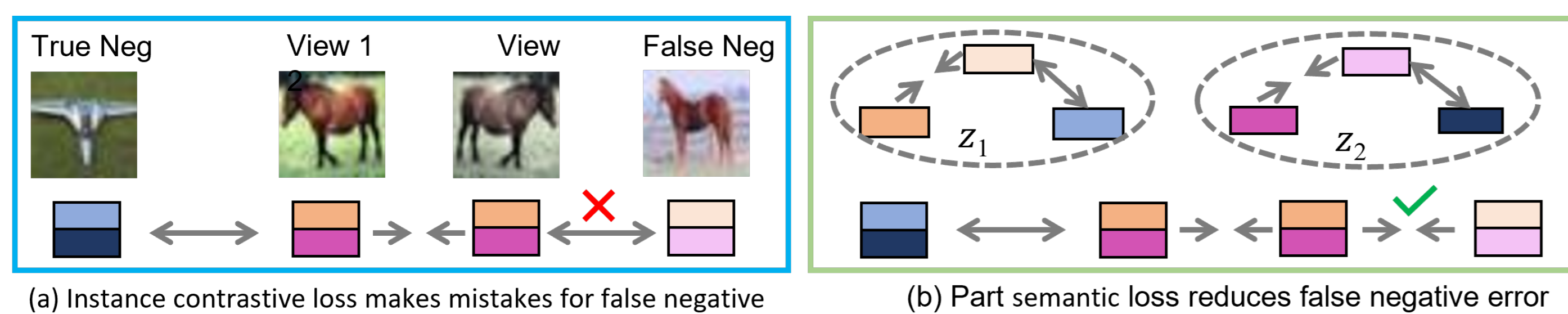
Contributions

 - Propose a hierarchical consistent quantization approach for deep fully unsupervised image retrieval
 - Global: improve retrieval performance by exploiting contrastive consistency
 - Part: employ neighbor semantic consistency learning in a self-supervised way



An overview of the proposed Self-Supervised Consistent Quantization (SSCQ) approach to deep fully unsupervised image retrieval. Part consistent quantization discovers part neighbor affinity as self-supervision, while global consistent quantization learns instance affinity as self-supervision, which together are formulated into a unified learning objective for model optimization.

Motivational example



(a) Given two views of the query instance of a *horse*, we illustrate the benefit of using part semantic loss with a true negative (*plane*) and a false negative (*another horse*). In (a), the instance contrastive loss with false negatives leads to sub-optimal feature representation. In (b), part embeddings of the anchor instance could be pulled closer to those from the *other horse*, thereby fixing the error caused by false negative in (a).

Proposed loss terms

Instance contrastive learning loss:

$$\mathcal{L}_{icz} = -\log \frac{\exp(s(z, z^+)/\tau_{ic})}{\sum_{j=1}^{2N_b-2} \mathbf{1}_{[z_j \neq z]} \exp(s(z, z_j)/\tau_{ic})}, \quad (1)$$

Part Semantic Consistent Quantization:

$$\mathcal{L}_{pn} = -\frac{1}{M} \sum_{m=1}^M \log \frac{\sum_{n=1}^{N_k} \exp(s(z_m, z_{m,n}^-)/\tau_{pn})}{\sum_{j=1}^{2N_b-2} \exp(s(z_m, z_{m,j}^-)/\tau_{pn})}, \quad (2)$$

Global Affinity Consistent Quantization:

$$Q(i) = \frac{\exp(s(\Phi(f, z), \Phi(f^-, z^-)_i)/\tau_{cc})}{\sum_{j=1}^{2N_b-2} \exp(s(\Phi(f, z), \Phi(f^-, z^-)_j)/\tau_{cc})}, \quad (3)$$

$$P(i) = \frac{\exp(s(\Phi(f^+, z^+), \Phi(f^-, z^-)_i)/\tau_{cc})}{\sum_{j=1}^{2N_b-2} \exp(s(\Phi(f^+, z^+), \Phi(f^-, z^-)_j)/\tau_{cc})},$$

Thus, contrastive consistency loss \mathcal{L}_{cc} is defined using the symmetric KL Divergence D_{KL} , as:

$$\mathcal{L}_{cc} = \frac{1}{2}(D_{KL}(P||Q) + D_{KL}(Q||P)). \quad (4)$$

Summary:

$$\mathcal{L} = \mathcal{L}_{icz} + \mathcal{L}_{icf} + \lambda_{pn}\mathcal{L}_{pn} + \lambda_{cd}\mathcal{L}_{cd} + \lambda_{cc}\mathcal{L}_{cc}, \quad (5)$$

Comparison with the State of the Art

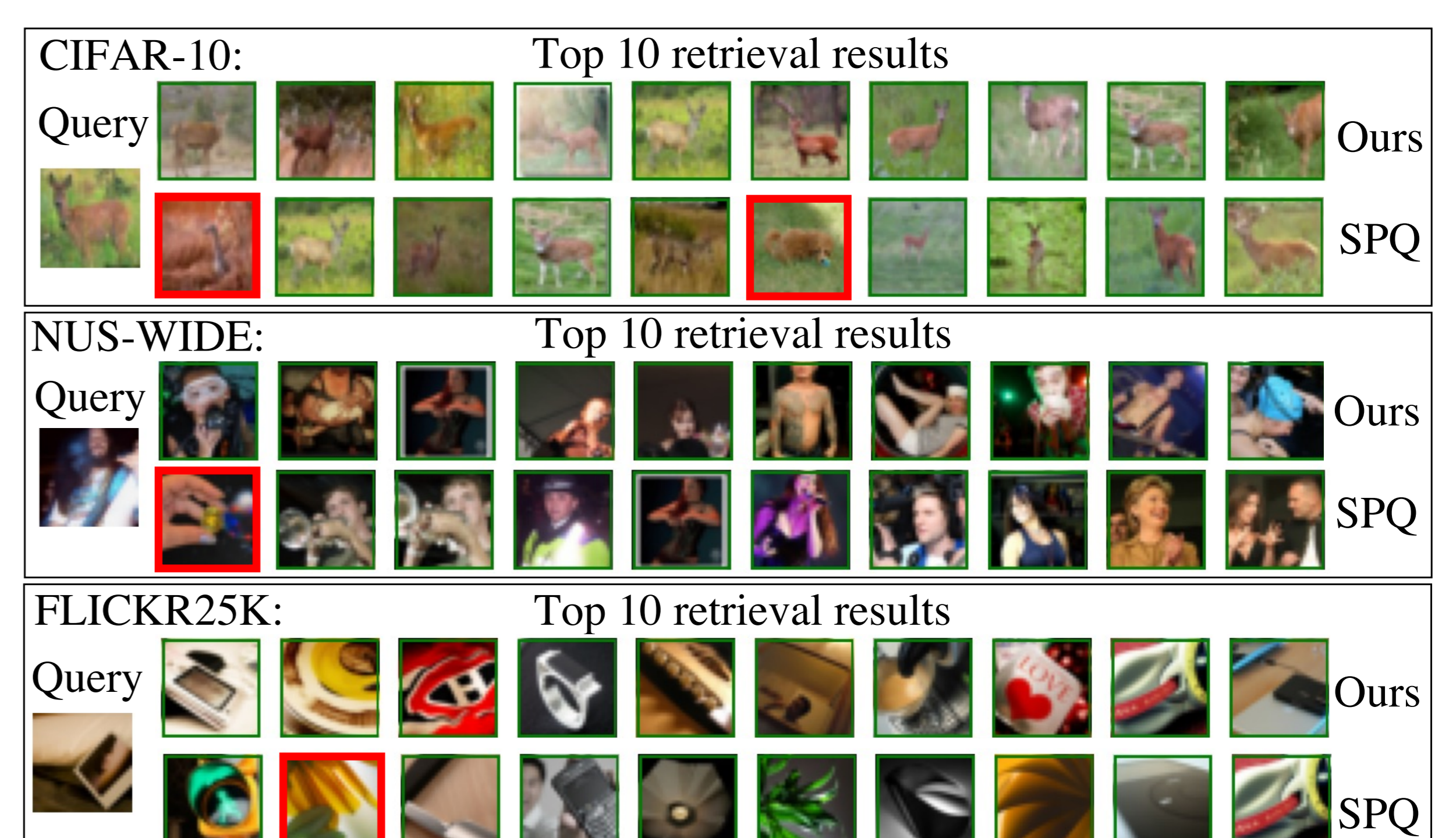
Dataset	Method	16 bits	32 bits	64 bits
CIFAR-10	SGH [Dai 2017]	43.5	43.7	43.3
	HashGAN [Dizaji 2018]	44.7	46.3	48.1
	BinGAN [Zieba 2018]	47.6	51.2	52.0
	SPQ [Jang 2021]	76.8	79.3	81.2
	SSCQ (ours)	78.3	81.3	82.9
NUS-WIDE	SGH [Dai 2017]	59.3	59.0	60.7
	HashGAN [Dizaji 2018]	68.4	70.6	71.7
	BinGAN [Zieba 2018]	65.4	70.9	71.3
	SPQ† [Jang 2021]	75.7	79.4	80.2
SSCQ (ours)	78.7	79.9	80.8	
FLICKR25K	SPQ [Jang 2021]	71.8	74.0	74.5
	SSCQ (ours)	73.8	75.9	76.7

Comparison with SOTA deep fully unsupervised methods on CIFAR-10, NUS-WIDE and FLICKR25K in terms of mAP (%).

Coupling part loss with global losses

Global Loss	\mathcal{L}_{pn}	mAP(%) [↑]	SimPos [↑]	SimNeg _↓	Margin [↑]
\mathcal{L}_{icz}	-	74.48	0.68	0.09	0.59
	✓	77.25	0.72	0.10	0.62
\mathcal{L}_{icf}	-	10.59	0.29	-0.01	0.30
	✓	76.11	0.29	-0.03	0.32
$\mathcal{L}_{icz} + \mathcal{L}_{icf}$	-	76.28	0.30	-0.03	0.33
	✓	78.64	0.30	-0.03	0.33
SPQ[Jang 2021]	-	74.73	0.32	-0.03	0.35
	✓	74.96	0.32	-0.04	0.36

Qualitative visualizations



Retrieval results of our approach and SPQ [Jang 2021] on CIFAR-10, NUS-WIDE and FLICKR25K (32 bits). False retrieval results are denoted in red bounding boxes.