# Cryptanalysis and Improvement of A New Electronic Traveler's Check Scheme Based on One-way Hash Function

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#### **Abstract**

Recently, Liaw et al. proposed a hash based electronic traveler's check system. They claimed that their scheme is secure. However, after analyses, we found that their scheme is vulnerable to key compromise impersonation **and parallel session** attack. Further, we will improve their scheme to avoid such an attack.

**Keywords**: Electronic payment, electronic check, one-way hash function, on-line, off-line, KCI attack, long-term secure key

#### 1. Introduction

Due to the rapid development of electronic commerce. Electronic payment schemes are studied intensively recently. In such schemes, the payer/payee can use bank payment instrument (credit card, debit card, or even current account) without revealing any confidential data during the payment [14, 15, 16]. Generally, an electronic payment system [10, 11, 12] can be divided into three types: on-line credit card payment, electronic cash (e-cash), and electronic check (e-check) which are three extensions of credit card, cash, and check in the real life correspondingly. In fact, cash and check are two frequently used tools and a traveler's check can be used as cash in the real world. Hence, a traveler's check should have the same characteristics as both cash and check do. Similarly, an electronic traveler's check [6, 7] must also include both the characteristics of electronic cash [8, 9] and electronic check [5, 8, 9] in the Internet. If an electronic traveler's check owner loses his check, the designed scheme should be responsible for the possible loss. Many such studies [1, 4, 6, 7, 9, 11, 12, 14] had been proposed. They all have the needed security requirements of an electronic traveler's check system, For example, each entity in the payment system trusts only his bank and the transactions always go under a trusted node. The other needed security requirements of an electronic traveler's check are listed as follows[1].

- (1) No forgery: The electronic traveler's check should prevent malicious users or merchants from forging it and ensure the fairness for users, merchants, and the bank in the transaction environment.
- (2) No double spending: If an electronic check has been used twice, the bank is able to find out who the malicious user or merchant is during the payment phase and deposit phase.
- (3) Specific user: An electronic traveler's check must be signed by both the bank and the user. It should include the identification information regarding both the bank and the user and only the specific owner of the electronic traveler's check should be able to use it.
- (4) Reissuing: When an electronic traveler's check is lost, the user should use his serial number and his payer's endorsement to report the loss. Then, the bank can easily reissue a new one for the user.
- (5) Anonymity: The owner of the electronic traveler's check should be anonymous; that is, the merchant must not know the real identity of the user throughout the whole transaction process.

In 2001, Hsien et al. [7] proposed an electronic traveler's check system based on discrete logarithm problem. Subsequently, some other studies in this aspect [1, 4, 6] that use exponential operations and one-way hash functions are proposed. In 2007, Liaw et al. proposed a new electronic traveler's check scheme based on one-way hash function [1]. They claimed that their scheme is secure against forgery attack since when given a hash value, it is computationally infeasible for an attacker to find an input having the same hash value under a secure one-way hash function. However, we found that their method can not resist the KCI and parallel session attack. KCI attack defined by Wilson and Menezes [2] means that if a user A's long-term secret key is compromised by an adversary, the adversary can pretend other entities to communicate with A. In parallel session attack [17], two or more runs of protocol are executed concurrently under attacker's orchestration. The concurrent runs make the answer to a difficult question in one run available to the attacker so that he can use the answer in another run. In Liaw et al.'s scheme, if a customer's long-term secret key has been leaked, the attacker can impersonate other entity to communicate with him. We think this is caused by the improper design in the registration phase. In this paper, we will improve their scheme to prevent this kind of attack.

The rest of this paper is organized as follows. In Section 2, we review Liaw et al.'s protocol [1]. In Section 3,we show our attack on their scheme and then show our improvement in Sections 4. Finally, a conclusion is given in Section 5.

#### 2. Review of Liaw et al.'s scheme

Liaw et al.'s electronic traveler's check contains four roles: the consumer, the bank, the merchant, and the clearing-house. It uses  $X \rightarrow Y:Z$  to denote that sender X sends message Z to receiver Y, and includes two subprotocols: an on-line subprotocol and an off-line subprotocol. In their scheme, the customer only needs one-time registration to purchase an electronic traveler's check and would get an anonymous identity. Further, an optional equipment, like the Smart Card, can be applied in the scheme. In the following, we review both of their on-line and off-line subprotocols in Section 2.1 and 2.2 which are also shown in figure 1 and 2, respectively. (the more details can be referred to [1]).

#### 2.1 The on-line subprotocol

The on-line scheme requires the bank and the clearing-house to be involved in the payment phase. The clearing-house verifies the identity of the user and checks whether double spending occurs. We describe the on-line subprotocol as follows and also is show it in Figure 1.

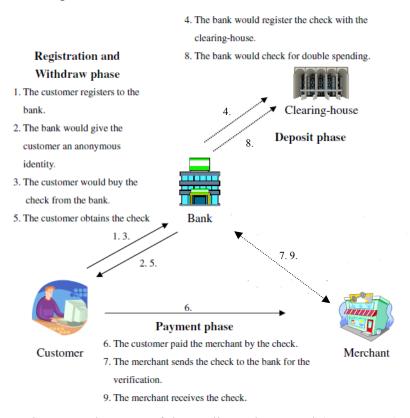


Figure 1: The steps of the on-line subprotocol (source: [1])

#### (a) The registration phase

In this phase, the customer submits his real identity to the bank for registration and obtains the right to buy an electronic traveler's check. He only needs one-time registration and can buy many electronic traveler's checks at anytime without registering again. The registration phase includes following three steps:

- **Step 1.** The customer chooses a random number  $K_{A1}$  to perform the exclusive OR operation together with his real identity  $ID_A$ . Then, he computes the partial anonymous identity  $R_{-}ID_A = h(ID_A \oplus K_{A1})$  by using a one-way hash function h, encrypts  $R_{-}ID_A$  by the bank's public key  $Y_B$ , and sends the result  $PE_{Y_B}(B_{-}ID_A)$  to the bank.
- **Step 2.** The bank decrypts the received information, obtaining  $R_{ID_A}$ . It then chooses a random number  $K_{B1}$  and computes  $B_{ID_A} = h(R_{ID_A} \oplus K_{B1})$ . After that, it encrypts  $B_{ID_A}$  by using the customer's public key  $Y_A$  and sends the result  $PE_{Y_A}(B_{ID_A})$  to him.
- **Step 3.** The customer decrypts the received information by using his private key  $X_A$  to get the anonymous identity  $B_ID_A$ .

## (b) The withdraw phase

In this phase, the customer takes the anonymous identity formed in the registration phase to buy an electronic traveler's check from the bank. The withdrawal phase includes following five steps

- **Step 1.** The customer chooses a random number  $K_{A2}$  and computes a payer's endorsement  $R_A = h(ID_A \oplus K_{A1})$ . He then encrypts  $R_A$  by using his anonymous identity  $B_{-}ID_A$  and sends the result  $E_{B_{-}ID_A}(R_A)$  to the bank.
- Step 2. The bank decrypts the received information by computing  $D_{B\_ID_A}(E_{B\_ID_A}(R_A))$ . Then, it chooses another random number  $K_{B2}$  and uses its private key  $X_B$  to compute its identity  $R_B = h(X_B \oplus K_{B2})$ . The bank then generates the payee's endorsement R by computing  $R = R_A \oplus R_B$ , and encrypts  $R, R_B$ , and timestamp  $T_1$  by using symmetric key  $B\_ID_A$ . After this, it sends the result  $E_{B\_ID_A}(R, R_B, T_1)$  to the customer.
- **Step 3.** The customer decrypts the received information  $E_{B_{-}ID_{A}}(R,R_{B},T_{1})$ , obtaining  $R,R_{B},T_{1}$ . He checks to see whether timestamp  $T_{1}$  is valid or

not. If it is valid, he then computes  $R'=R_A\oplus R_B$  to verify whether it is equal to the payee's endorsement R. If they are equal, the customer computes the payment requirement  $C_A=h(R\oplus M_i\oplus Q_{M_i})$ , where  $M_i$  is the face value of the electronic traveler's check, and  $Q_{M_i}$  is the amount of the electronic traveler's check. Then,  $M_i,Q_{M_i},C_A$  and a timestamp  $T_2$  would be encrypted by the customer using symmetric key  $R_A$ , and the result  $E_{R_A}(M_i,Q_{M_i},C_A,T)$  would be sent to the bank.

Step 4. The bank decrypts  $E_{R_A}(M_i,Q_{M_i},C_A,T)$  to obtain  $M_i,Q_{M_i},C_A,T_2$ . It checks whether timestamp  $T_2$  is within a reasonable range. If it is, the bank computes  $C'_A = h(M_i \oplus Q_{M_i} \oplus R_A \oplus R_B)$  (=  $h(R \oplus M_i \oplus Q_{M_i})$ ) to verify whether  $C'_A$  is equal to  $C_A$ . If so, the bank computes  $TC_{M_i} = h(R \oplus M_i \parallel S_{Q_{M_i}})$ , where  $S_{Q_{M_i}2}$  is a serial number,  $\parallel$  denotes a concatenation operation, and  $TC_{M_i}$  is an electronic traveler's check. After that, the bank computes and sends  $E_{R_A}(TC_{M_i}, S_{Q_{M_i}})$  to the customer. Then, the bank sends  $TC_{M_i}$  to the clearing-house for recording and safekeeping and stores it in the smart card which was issued to the customer by the bank. If this is the second time the customer buys an electronic traveler's check, he does not need to register again and can begin with a new withdrawal phase.

Step 5. The customer decrypts  $E_{R_A}(TC_{M_i}, S_{Q_{M_i}})$  to obtain  $TC_{M_i}$  and  $S_{Q_{M_i}}$ . He then computes  $TC'_{M_i} = h(R_A \oplus R_B \oplus M_i \parallel S_{Q_{M_i}})$  (=  $h(R \oplus M_i \parallel S_{Q_{M_i}})$ ) and compares the newly decrypted  $TC_{M_i}$  with  $TC'_{M_i}$  to verify whether the electronic traveler's check is legitimate. If the verification succeeds, the customer would store  $TC_{M_i}$  and the serial number  $S_{Q_{M_i}}$  in his smart

card.

If the electronic traveler's check is lost, the customer should send  $(TC_{M_i}, S_{Q_{M_i}})$  to report the loss. The bank can then reissue a new electronic traveler's check  $TC_{M_i}$  (=  $h(R_A \oplus R_B \oplus M_i \parallel S_{Q_{M_i}})$ ) to the customer.

#### (c) The payment phase

In this phase, a customer buys goods from a merchant with an electronic traveler's check. This phase includes following four steps:

- **Step 1.** When the customer buy goods, he should encrypt the information  $TC_{M_i}, M_i, S_{Q_{M_i}}, T_3$  by using his anonymous identity  $B_{-}ID_A$  as a symmetric key to generate the check message  $E_{B_{-}ID_A}(TC_{M_i}, M_i, S_{Q_{M_i}}, T_3)$  and send it to the merchant.
- **Step 2.** After receiving  $E_{B_{-}ID_{A}}(TC_{M_{i}}, M_{i}, S_{Q_{M_{i}}}, T_{3})$ , the merchant should forward it to the bank.
- Step 3. The bank decrypts the check message to obtain  $TC_{M_i}$ , the face value  $M_i$ ,  $S_{Q_{M_i}}$  and timestamp  $T_3$ . Then, it checks whether timestamp  $T_3$  is within a reasonable range and verifies whether  $TC_{M_i} = h(R \oplus M_i \parallel S_{Q_{M_i}})$  holds or not. If both hold, The bank sends  $TC_{M_i}$  to the clearing-house via a secure channel and verifies whether it is a double spending by using the serial number  $S_{Q_{M_i}}$ . If it is a double spending, the bank can find out the real identity of the customer by using the value  $B_{-}ID_A$ . If all the verifications of  $TC_{M_i}$ ,  $M_i$ ,  $S_{Q_{M_i}}$ , and  $T_3$  are successful, the bank deposits it and computes  $C_{M_i} = h(TC_{M_i} \oplus R_B)$ . It then computes and sends  $E_{R_B}(C_{M_i}, TC_{M_i})$  to the merchant.
- **Step 4.** After the merchant has received the electronic traveler's check by the secret message from the bank, the transaction has been finished.

#### (d) The deposit phase

In this phase, the merchant sends the received electronic traveler's check to the bank, the bank will verify whether this check contains his own signature. If so, the bank will deposit the amount of money on the electronic traveler's check into the merchant's account. The deposit phase includes following two steps:

**Step 1.** The merchant sends  $E_{R_R}(C_{M_i}, TC_{M_i})$  and a timestamp  $T_4$  to the bank.

Step 2. The bank decrypts  $E_{R_B}(C_{M_i}, TC_{M_i})$  to obtain  $C_{M_i}$  and  $TC_{M_i}$ , and checks whether timestamp  $T_4$  is within a reasonable range. If so, the bank verifies whether  $C_{M_i} = TC_{M_i} \oplus R_B$  holds. If it holds,  $TC_{M_i}$  would be sent to the clearing-house via a secure channel to verify its validity. If it is valid, the bank deposits the amount on the electronic traveler's check into the customer's account.

## 2.2 The off-line subprotocol

The difference between the on-line and off-line subprotocol is that the bank and the clearing-house are not involved in the off-line version. This off-line scheme also contains four phases. We describe the off-line subprotocol as follows and also show it in Figure 2.

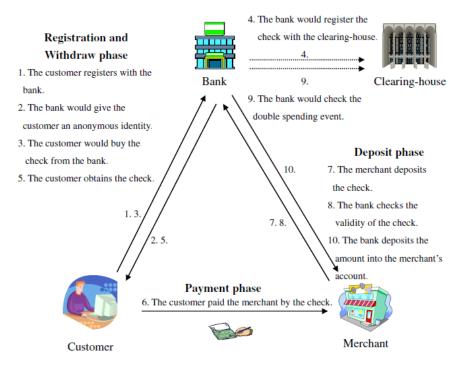


Figure 2: The steps of the off-line subprotocol (source: [1])

#### (a) The registration phase

This phase is the same as the on-line registration phase.

## (b) The withdraw phase

This phase is the same as the on-line withdraw phase.

#### (c) The payment phase

After the customer has bought the merchandise, he uses the electronic traveler's check to pay the merchant. The payment phase includes the following two steps:

- **Step 1.** After the customer has selected goods to buy, he encrypts the electronic traveler's check  $TC_{M_i}$ , serial number  $S_{\mathcal{Q}_{M_i}}$  and timestamp  $T_3$  by using the merchant's public key  $Y_C$  to generate the check message  $E_{Y_C}(TC_{M_i}, M_i, S_{\mathcal{Q}_{M_i}}, T_3)$ , and then sends it to the merchant.
- **Step 2.** After receiving the check message  $E_{Y_C}(TC_{M_i}, M_i, S_{Q_{M_i}}, T_3)$ , the merchant decrypts it by using its private key  $X_C$  to obtain  $TC_{M_i}, M_i, S_{Q_{M_i}}$ , and  $T_3$ , and checks whether timestamp  $T_3$  is within a reasonable range. After the merchant has confirmed that both  $T_3$  is in time and the amount  $M_i$  is correct, the merchant delivers the goods to the customer.

#### (d) The deposit phase

In this phase, the merchant sends the electronic traveler's check to the bank. The bank would verify whether it is valid. If so, the bank sends the check to the clearing-house for confirming whether double spending happens. If it does not occur, the bank deposits the amount of the electronic traveler's check to the merchant's account. The deposit phase includes the following two steps:

- **Step 1.** The merchant encrypts  $TC_{M_i}$ ,  $M_i$ ,  $S_{Q_{M_i}}$ , and the timestamp  $T_4$  by using bank's public key  $Y_B$  and sends the result  $E_{Y_B}(TC_{M_i}, M_i, S_{Q_{M_i}}, T_3)$  to the bank.
- **Step 2.** The bank decrypts the received  $E_{Y_B}(TC_{M_i}, M_i, S_{Q_{M_i}}, T_4)$  by using his private key  $X_B$ , obtaining  $TC_{M_i}$ , the amount  $M_i$ , serial number  $S_{Q_{M_i}}$ , and  $T_4$ . It would then check whether timestamp  $T_4$  is within a reasonable range. If so, the bank computes  $TC'_{M_i} = h(R \oplus M_i \parallel S_{Q_{M_i}})$  and

verifies whether it is equal to  $TC_{M_i}$ . If it is, the bank sends this check to the clearing-house to check whether double depositing or double spending occurs. If both do not exist, the bank deposits the amount of this check into the merchant's account.

## 3. KCI and parallel session attacks on Liaw et al.'s scheme

KCI attack means that if an attacker E knows the private key of A, he can masquerade as others to communicate with A [2]. Parallel session (PS) attack means two or more runs of a protocol are execute concurrently under the attacker's orchestration [17] as described in Introduction. In the registration phase, Liaw et al.'s scheme does not need a secure channel. We found that this makes their scheme suffer from KCI and parallel session attack. In section 3.1 and 3.2, we show the KCI and PS attacks on their on-line and off-line versions, respectively.

## 3.1 Attack on the on-line subprotocol

Assume that attacker E obtains the secret key  $X_A$  of customer A. He then can masquerade as bank B to communicate with A which is possible since there may exist a site spoofing attack. We show the attacks on the registration phase and the withdraw phase as follows which are also shown in Figure 3 and Figure 4, respectively.

# (a) On the registration phase

We show our attack on the registration phase by using the following steps.

- Step 1. When customer A registers to bank B. He chooses a random number  $K_{A1}$  and generates the customer's anonymous identity  $R_{-}ID_{A}$  by computing  $R_{-}ID_{A} = h(ID_{A} \oplus K_{A1})$ . He then encrypts it by using the public key  $Y_{B}$  of the bank and sends the encryption  $PE_{Y_{B}}(R_{-}ID_{A})$  to E who is now pretending to be bank B as shown in window 1 of Figure 3.
- **Step 2.** After receiving  $PE_{Y_B}(R\_ID_A)$ , E opens window 2 and pretends as customer A to communicate with B. He retransmits the received encryption to B
- **Step 3.** Bank B decrypts the received information by his private key, obtaining  $R_{-}ID_{A}$ . Then, B chooses a random number  $K_{B1}$  and computes  $B_{-}ID_{A} = h(R_{-}ID_{A} \oplus K_{B1})$ . He encrypts  $B_{-}ID_{A}$  by using the customer's public key  $Y_{A}$  and sends the result  $PE_{Y_{A}}(B_{-}ID_{A})$  to E who now pretends as customer A.
- **Step 4.** After receiving  $PE_{Y_A}(B_{-}ID_A)$ , E decrypts it by using the private key  $X_A$

to get the anonymous identity  $B_{-}ID_{A}$ . He then encrypts  $B_{-}ID_{A}$  by using A's public key and sends the result  $PE_{Y_{A}}(B_{-}ID_{A})$  to A in window 1 of Figure 3.

## Window 1 Window 2

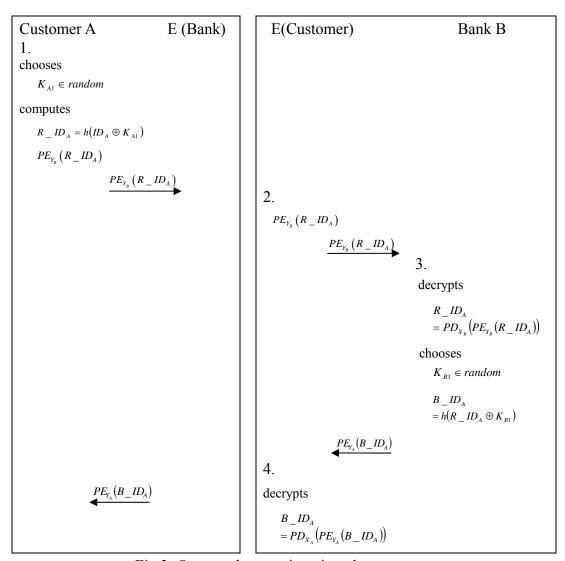


Fig 3: Our attack on registration phase

# (b) On the withdraw phase

After having the anonymous identity  $B_{-}ID_{A}$  from the registration phase, E can masquerade as customer A to buy an electronic traveler's check from bank B. We show our attack on the withdraw phase as follows and also depict it in Figure 4.

**Step 1.** E masquerades as customer A. He chooses a random number  $K_{A2}$ , computes  $R_A = h(B_{-}ID_A \oplus K_{A2})$ , and encrypts  $R_A$  by using  $B_{-}ID_A$  as the symmetric key. He then sends the result  $E_{B_{-}ID_A}(R_A)$  to bank B.

**Step 2.** Bank B decrypts the received message, obtaining  $R_A$ . Then, it chooses a random number  $K_{B2}$ , computes  $R_B = h(X_B \oplus K_{B2})$  by using his private key  $X_B$ , and calculates  $R = R_A \oplus R_B$ . It then encrypts R,  $R_B$ , and timestamp  $T_1$  by the symmetric key  $B_B ID_A$  and sends the result  $E_{B_B ID_A}(R, R_B, T_1)$  to E.

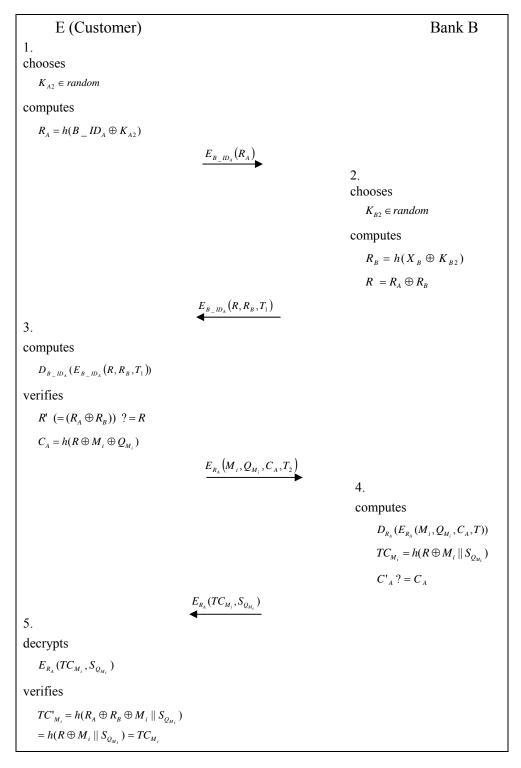


Figure 4: Our attack on withdraw phase

- **Step 3.** E decrypts the received message by using  $B_{-}ID_{A}$  and obtains R,  $R_{B}$ , and timestamp  $T_{1}$ . E computes  $R' = R_{A} \oplus R_{B}$  to verify whether this newly computed R' is equal to R, and checks whether the timestamp  $T_{1}$  is valid. If both are correct, E computes  $C_{A} = h(R \oplus M_{i} \oplus Q_{M_{i}})$ , where R is the payee's endorsement,  $M_{i}$  is the face value of the electronic traveler's check,  $Q_{M_{i}}$  is the amount of the electronic traveler's check, and  $C_{A}$  is the payment requirement. E then chooses a timestamp  $T_{2}$  and encrypts  $M_{i}, Q_{M_{i}}, C_{A}$ , and  $T_{2}$  by using symmetric key  $R_{A}$  and sends the result  $E_{R_{i}}(M_{i}, Q_{M_{i}}, C_{A}, T_{2})$  to bank B
- Step 4. Bank B decrypts  $E_{R_A}(M_i, Q_{M_i}, C_A, T_2)$ , obtaining  $M_i, Q_{M_i}, C_A$  and  $T_2$ . Then, B checks whether  $T_2$  is within a reasonable range or not. If so, bank B computes  $C'_A = h(M_i \oplus Q_{M_i} \oplus R_A \oplus R_B)$  to verify whether  $C'_A$  is equal to  $C_A$ . If so, B generates the electronic traveler's check  $TC_{M_i}$  by computing  $TC_{M_i} = h(R \oplus M_i \parallel S_{Q_{M_i}})$ , where  $S_{Q_{M_i}}$  is the serial number of the electronic traveler's check chosen by B. Then, B sends  $TC_{M_i}$  to the clearing-house for recording and safekeeping. After that, bank B encrypts and sends  $E_{R_A}(TC_{M_i}, S_{Q_{M_i}})$  to E. If this is the second time E buys an electronic traveler's check, he does not need to register again. He can begin with a new withdraw phase.
- **Step 5.** E decrypts  $E_{R_A}(TC_{M_i}, S_{Q_{M_i}})$  by using  $R_A$  to obtain  $TC_{M_i}$  and  $S_{Q_{M_i}}$ . He then computes  $TC'_{M_i} = h(R_A \oplus R_B \oplus M_i \parallel S_{Q_{M_i}})$  to compare with  $TC_{M_i}$  to verify whether both are equal. If the verification succeeds, E stores  $TC_{M_i}$  and the serial number  $S_{Q_{M_i}}$  in his smart card.

When the electronic traveler's check is lost, E should send  $(TC_{M_i}, S_{Q_{M_i}})$  to report the loss. Then, bank B can reissue a new electronic traveler's check  $TC_{M_i} = h(R_A \oplus R_B \oplus M_i \parallel S_{Q_{M_i}})$  to E.

## (c) On the payment phase

E can buy goods with an electronic traveler's check withdrawn from a merchant. The payment phase includes following four steps and also is depicted in Figure 5.

- **Step 1.** When buying goods, E should encrypt the information  $TC_{M_i}$ ,  $M_i$ ,  $S_{Q_{M_i}}$ ,  $T_3$  by using his anonymous identity  $B_ID_A$  as a symmetric key to form the message  $E_{B_ID_A}(TC_{M_i}, M_i, S_{Q_{M_i}}, T_3)$  which will be then sent to the merchant.
- **Step 2.** After receiving  $E_{B_{-ID_{A}}}(TC_{M_{i}}, M_{i}, S_{Q_{M_{i}}}, T_{3})$ , the merchant should forward it to bank B.

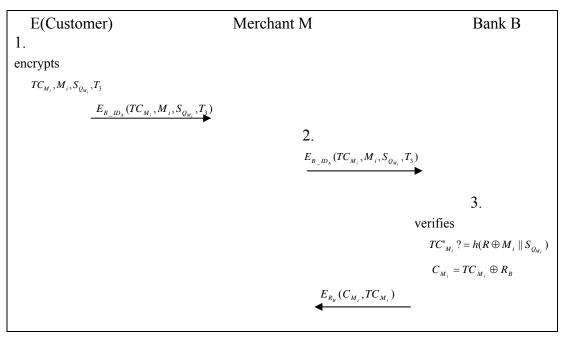


Figure 5. Payment phase

**Step 3.** B decrypts the message to obtain  $TC_{M_i}$ , the face value  $M_i$ , the serial number  $S_{Q_{M_i}}$ , and timestamp  $T_3$ . Then, it checks to see whether timestamp  $T_3$  is within a reasonable range. If so, B computes

 $TC'_{M_i} = h(R \oplus M_i \parallel S_{Q_{M_i}})$  and compares it with  $TC_{M_i}$  to verify whether  $TC'_{M_i}$  is valid. If it is valid, B should also send  $TC_{M_i}$  to the clearing-house via a secure channel for verifying whether  $TC_{M_i}$  has been double spending by using the serial number  $S_{Q_{M_i}}$ . If the electronic check has been double spent, bank B can find out the real identity of the customer by value  $B_{-}ID_A$ . If the verifications of all the  $TC_{M_i}$ ,  $M_i$ ,  $S_{Q_{M_i}}$ ,  $T_3$ , and the identity are all successful, the bank computes  $C_{M_i} = TC_{M_i} \oplus R_B$  and encrypts both  $C_{M_i}$  and  $TC_{M_i}$  by using  $R_B$  as a symmetric key. The result  $E_{R_B}(C_{M_i}, TC_{M_i})$  will be sent to the merchant. Only after the electronic traveler's check  $TC_{M_i}$  has passed the bank's verification, it can then be deposited in the bank.

**Step 4.** When the merchant receives the electronic traveler's check from the bank, the transaction has been finished.

#### (d) On the deposit phase

In this phase, merchant M sends the electronic traveler's check to bank B, then bank B will verify his own digital signature on the electronic traveler's check. If the signature is valid, B will deposit the amount on the electronic traveler's check into the merchant's account. The deposit phase includes following two steps and also is depicted it in Figure 6.

**Step 1.** The merchant sends both  $E_{R_B}(C_{M_i}, TC_{M_i})$  and a timestamp  $T_4$  to bank B.

**Step 2.** Bank B checks whether timestamp  $T_4$  is within a reasonable range. If so, it decrypts  $E_{R_B}(C_{M_i}, TC_{M_i})$ , obtaining  $C_{M_i}$  and  $TC_{M_i}$ . Then, B computes and verifies whether  $C'_{M_i} (= TC_{M_i} \oplus R_B) = C_{M_i}$  holds, If it holds,  $TC_{M_i}$  would be sent to the clearing-house via a secure channel to check

whether it is unredeemed or not. If the electronic traveler's check is unredeemed, bank B should deposit the amount on the electronic traveler's check into E's account.

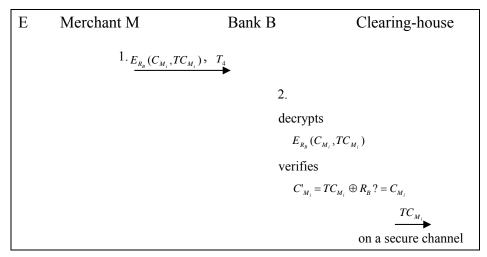


Figure 6: On the deposit phase

Finally, adversary E has successfully obtained the electronic traveler's check. In the other words, attacker E achieves the payment phase and the deposit phase successfully.

# 3.2 KCI and Parallel session attack on the off-line subprotocol

The difference between the on-line and off-line version is that bank B and clearing-house are not involved in the off-line subprotocol. Our attacks on the off-line registration phase and off-line withdraw phase are the same as the ones launched on the on-line registration phase and on the on-line withdraw phase, respectively. We omit them here.

#### 4. Our improvement

To prevent the KCI and parallel session attack in Liaw et al.'s scheme, we improve both the registration phase and the withdraw phase in the on-line and off-line subprotocol respectively. The other phases will be the same as the ones in Liaw et al.'s scheme. The details of our improvement for the on-line subprotocol are described in Section 4.1 and improvement for the off-line subprotocol is similar to the one on the on-line version as described in Section 4.2.

#### 4.1 Improvement on the on-line subprotocol

In this section, we show our improvements on the registration phase and withdraw phase respectively to get rid of the KCI and parallel session attack. The

other two phases are the same as the ones in the original version.

# (a) On the registration phase

We show this phase by using the following steps and also depict it in Figure 7.

```
Bank B
          Customer A
1.
chooses
     K_{A1} \in random
computes
     R_{-}ID_{\scriptscriptstyle A}=h\big(ID_{\scriptscriptstyle A}\oplus K_{\scriptscriptstyle A1}\big)
     PE_{Y_B}(R_ID_A, E_{X_A}(K_{BA}))
                                             \underbrace{PE_{Y_B}(R\_ID_A, E_{X_A}(K_{BA}), h(K_{BA}))}_{\bullet \bullet}
                                                                                                              2.
                                                                                                 decrypts
                                                                                                       PD_{X_A}(PE_{Y_R}(R_{-}ID_A, E_{X_A}(K_{BA}), h(K_{BA})))
                                                                                                      D_{Y_A}(E_{X_A}(K_{BA}))
                                                                                                 verifies
                                                                                                   (h(K_{BA}))'? = h(K_{BA})
                                                                                                  chooses
                                                                                                     K_{B1} \in random
                                                                                                  computes
                                                                                                     B_{-}ID_{A} = h(R_{-}ID_{A} \oplus K_{B1})
                                                                                                    PE_{K_{BA}}(B_{-}ID_{A})
                                          PE_{K_{BA}}(B\_ID_A, E_{X_B}(B\_ID_A))
3.
decrypts
    PD_{K_{RA}}(PE_{K_{RA}}(B\_ID_A, E_{X_R}(B\_ID_A)))
verifies
B_{ID_A}
chooses
    K_S, K_r \in random
computes
    C=K_{\scriptscriptstyle BA}\oplus K_{\scriptscriptstyle r}
                                                    \underline{ID_A,C,K_r(K_S),K_S(K_{A1})}
                                                                                                         4.
                                                                                                         computes
                                                                                                              K_r = C \oplus K_{BA}
                                                                                                              K_S = D_{K_c}(E_{K_c}(K_S))
                                                                                                              K_{A1} = D_{K_s} (E_{K_s} (K_{A1}))
                                                                                                          verifies
                                                                                                              R_{-}ID_{A}? = h(ID_{A} \oplus K_{A1})
```

Figure 7. Our improvement on the registration phase

- **Step 1.** The customer chooses a random number  $K_{A1}$ . He also randomly chooses  $K_{BA}$  as the session key shared with bank B. He then uses his private key  $PE_{X_A}$  to encrypt  $K_{BA}$  and computes  $h(K_{BA})$  and  $R_{A1} = h(ID_A \oplus K_{A1})$ . Then, he encrypts  $R_{A1} = ID_A$ ,  $PE_{X_A} = ID_A$ , and  $PE_{X_A} = ID_A$ , where  $PE_{X_A} = ID_A$  is an analysis of the bank's public key  $PE_{X_A} = ID_A$ , and sends the result  $PE_{X_A} = ID_A$ ,  $PE_{X_A} = ID_A$ ,
- Step 2. After receiving the message, B decrypts it using his private key, obtaining  $R_{-}ID_{A}$ ,  $PE_{X_{A}}(K_{BA})$ , and  $h(K_{BA})$ . He then uses A's public key to decrypt  $PE_{X_{A}}(K_{BA})$ , obtaining  $K_{BA}$ , and uses hash function  $h(\cdot)$  to compute  $h(K_{BA})$  and compares it to the one in the decryption result. If they are equal, B chooses a random number  $K_{B1}$ , computes  $B_{-}ID_{A} = h(R_{-}ID_{A} \oplus K_{B1})$ , and signs on  $B_{-}ID_{A}$  by using his private key. Then, B encrypts both  $B_{-}ID_{A}$  and the signature  $E_{X_{B}}(B_{-}ID_{A})$  by using  $K_{BA}$  and sends the result to customer A.
- **Step 3.** After receiving the message, A decrypts it, obtaining  $B_{-}ID_{A}$  and B's signature. He verifies the signature. If it is valid, A chooses a random number  $K_{s}$  as the session key shared with B and  $K_{r}$  as the encryption key of  $K_{s}$ . He computes  $C = K_{BA} \oplus K_{r}$  and sends  $ID_{A}, C, K_{r}(K_{s}), K_{s}(K_{A1})$  to B.
- **Step 4.** After receiving the message from A, B computes  $K_r = C \oplus K_{BA}$ ,  $K_S = D_{K_r}(E_{K_r}(K_S))$ ,  $K_{Al} = D_{K_S}(E_{K_S}(K_{Al}))$ , and verifies whether  $R_{-}ID_A = h(ID_A \oplus K_{Al})$  holds. If they are equal, B accepts A's registration.

#### (b) On the withdraw phase

In this phase, both communicating parties (A and B) use  $K_s$  as the session key

to communicate with each other. We show our improvement on the withdraw phase by using the following steps and also depict it in Figure 8

**Step 1.** Customer A chooses a random number  $K_{A2}$  and computes  $R_A = h(B_{-}ID_A \oplus K_{A2})$ . Then, he encrypts  $B_{-}ID_A$  and  $R_A$  by session key  $K_S$  and sends the result  $E_{K_S}(B_{-}ID_A, R_A)$  to the bank.

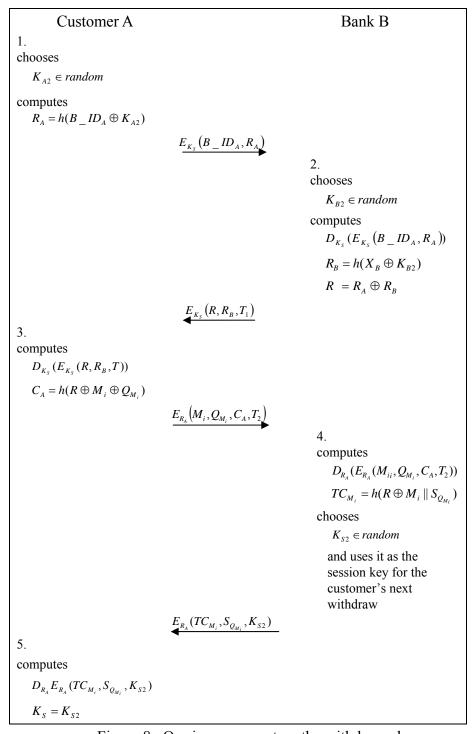


Figure 8. Our improvement on the withdraw phase

**Step 2.** B chooses a random number  $K_{B2}$  and computes  $D_{K_S}(E_{K_S}(B_{-}ID_A, R_A))$ ,  $R_B = h(X_B \oplus K_{B2})$ , and  $R = R_A \oplus R_B$ . He then encrypts R,  $R_B$  and timestamp  $T_1$  by  $K_S$  and sends the result  $E_{K_S}(R, R_B, T_1)$  to A.

- **Step 3.** A decrypts the received message, obtaining R,  $R_B$  and  $T_1$ . He checks to see whether  $T_1$  is valid. If it is valid, A computes  $C_A = h(R \oplus M_i \oplus Q_{M_i})$  and encrypts  $M_i, Q_{M_i}, C_A$  and timestamp  $T_2$  by  $R_A$  and sends the result  $E_{R_A} \left( M_i, Q_{M_i}, C_A, T_2 \right)$  to B.
- **Step 4.** B decrypts the message from A, obtaining  $M_i, Q_{M_i}, C_A$  and  $T_2$ . He checks to see whether  $T_2$  is valid. If it is valid, B computes  $TC_{M_i} = h(R \oplus M_i \parallel S_{Q_{M_i}})$ , chooses a random number  $K_{S2}$  to be the next session key for A's next withdraw, and encrypts  $TC_{M_i}, S_{Q_{M_i}}, K_{S2}$  by  $R_A$ . He then sends the result  $E_{R_A}(TC_{M_i}, S_{Q_{M_i}}, K_{S2})$  to A.
  - **Step 5.** A decrypts the received message, obtaining  $TC_{M_i}$ ,  $S_{Q_{M_i}}$  and  $K_{S2}$ . He replaces  $K_{S}$  as  $K_{S2}$  for the next protocol run.

In our improvement, even if an attacker knows the private key of customer A, he can not masquerade as B to communicate with A. That is, the KCI and PS attack fails.

#### 4.2. Improvement on the off-line subprotocol

The difference between the on-line and off-line subprotocols is that bank B and the clearing-house are not involved in the off-line version but the on-line version involves both of them. Since our improvement makes no relationship to this point, our improvement on the off-line subprotocol is the same as the on-line version. We therefore omit it here.

#### 5. Conclusion

In this paper, we propose a KCI and parallel session attack on both Liaw et al.'s an on-line and off-line electronic traveler's check subprotocols. We also propose an

improvement to resist against the attack we launch.

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