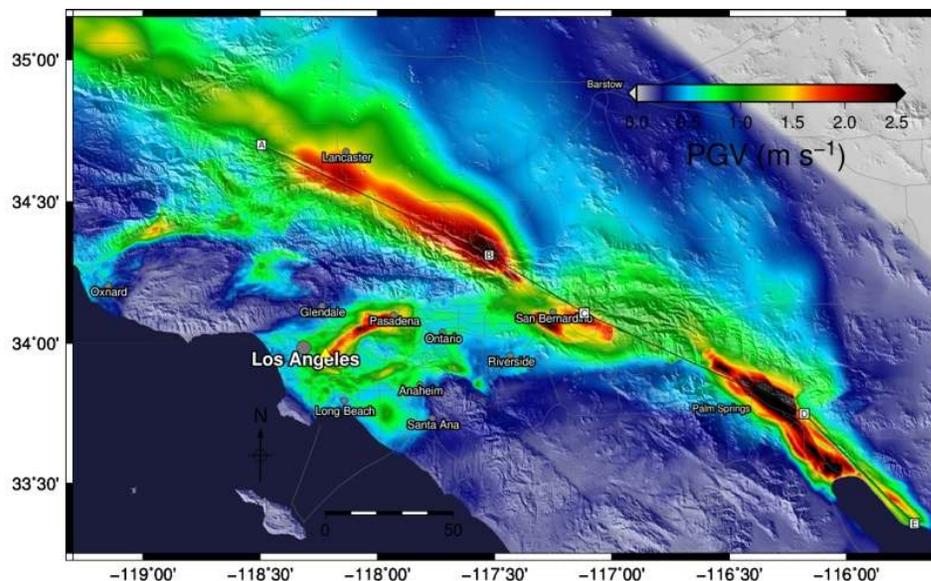


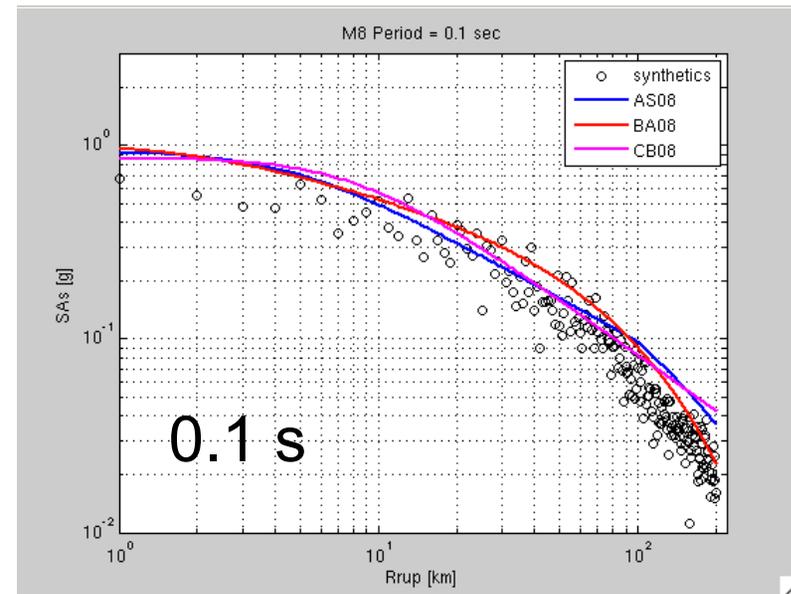
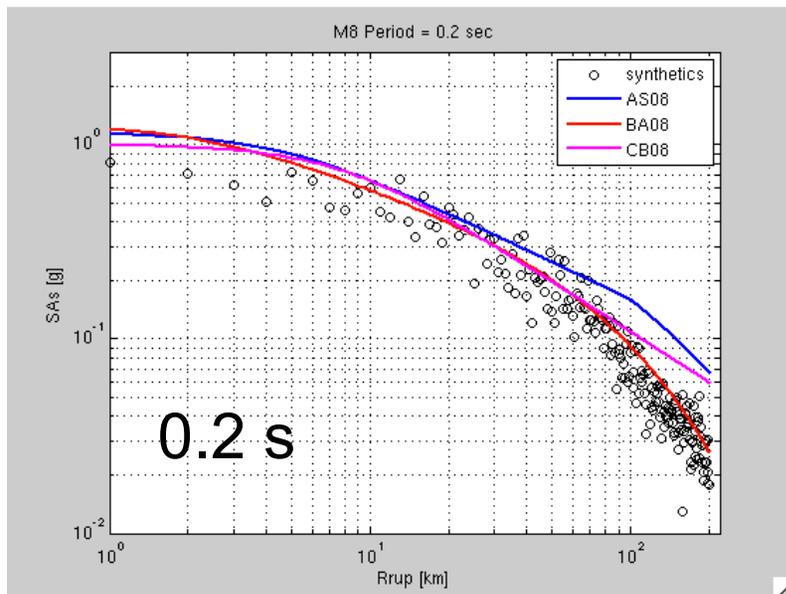
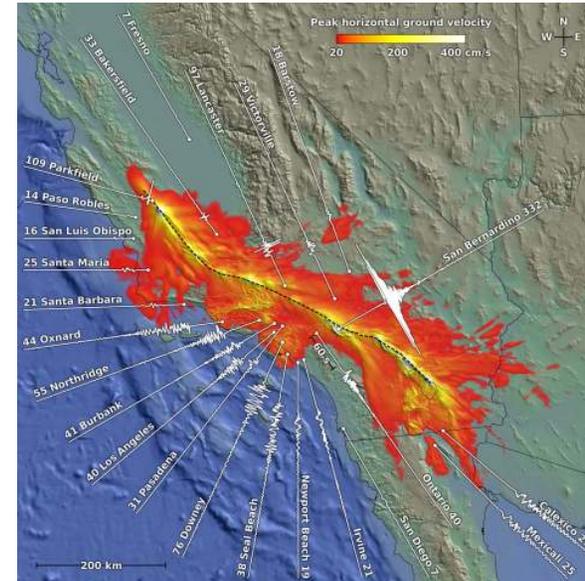
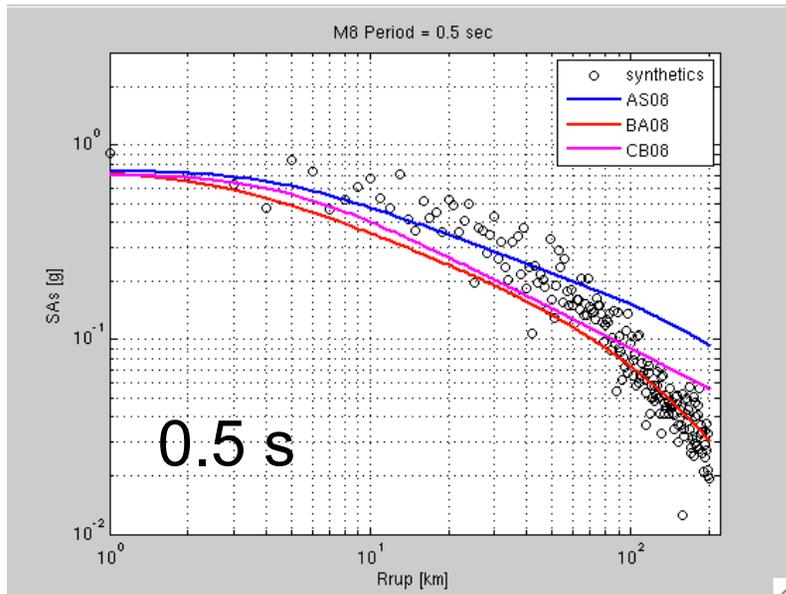
Some Questions for the Future

- Are current long-period synthetics appropriate for large magnitude events?



- What are the prospects for realistic deterministic synthetics up to 5–10Hz?

Self Assessment Supporting Information for $>M_w 7.3$: M8 Generally Agrees with GMPEs





Ground Motions From Large Magnitude Events

Roten, D.¹, **Olsen, K.B.**², Day, S.M.², and Fäh, D.¹

- SWUS project Includes M 7-8 events
- Long-period wave guide effects in LA (ShakeOut)
- Caused by Love waves
- Can the wave propagation be considered linear for ShakeOut-type scenarios?

1 Swiss Seismological Service / ETH Zürich

2 San Diego State University



SAN DIEGO STATE
UNIVERSITY

Implementation of damage rheology in AWP-ODC

Non-associative Drucker-Prager plasticity with yielding in shear
(based on guidelines from SCEC/USGS Spontaneous Rupture
Code Verification Project):

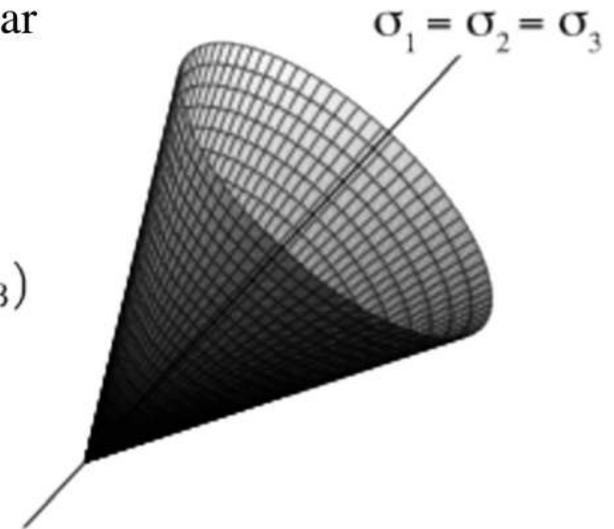
$$\text{Mean stress } \tau_m = \frac{1}{3}(\tau_{11} + \tau_{22} + \tau_{33})$$

$$\text{Stress deviator } s_{ij} = \tau_{ij} - \tau_m \delta_{ij}$$

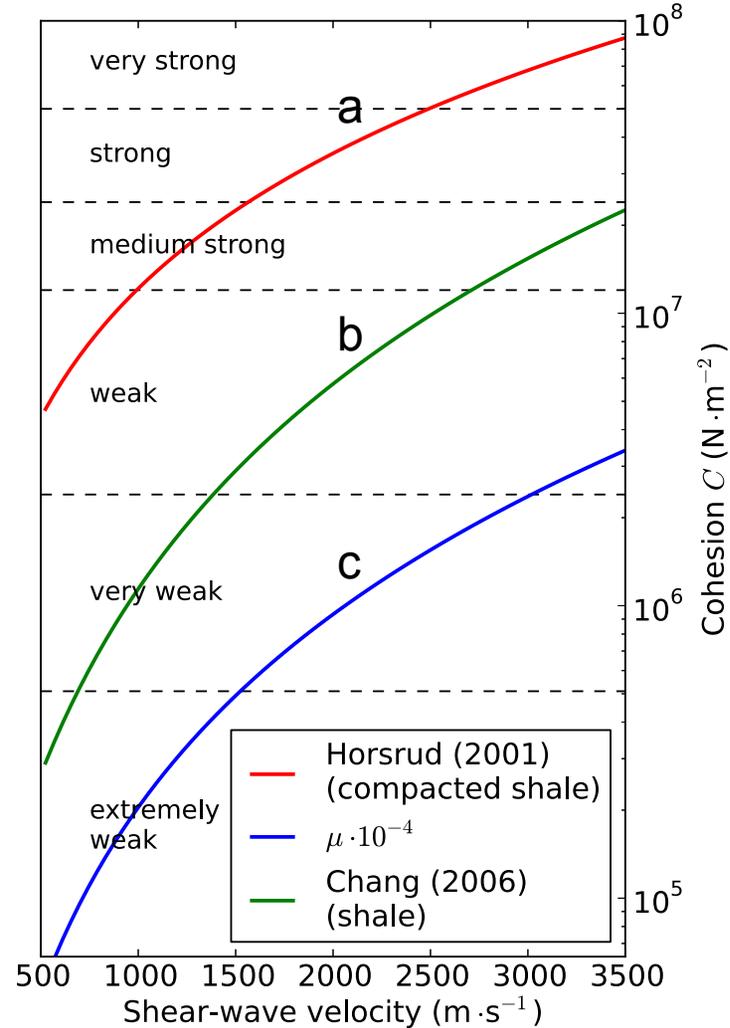
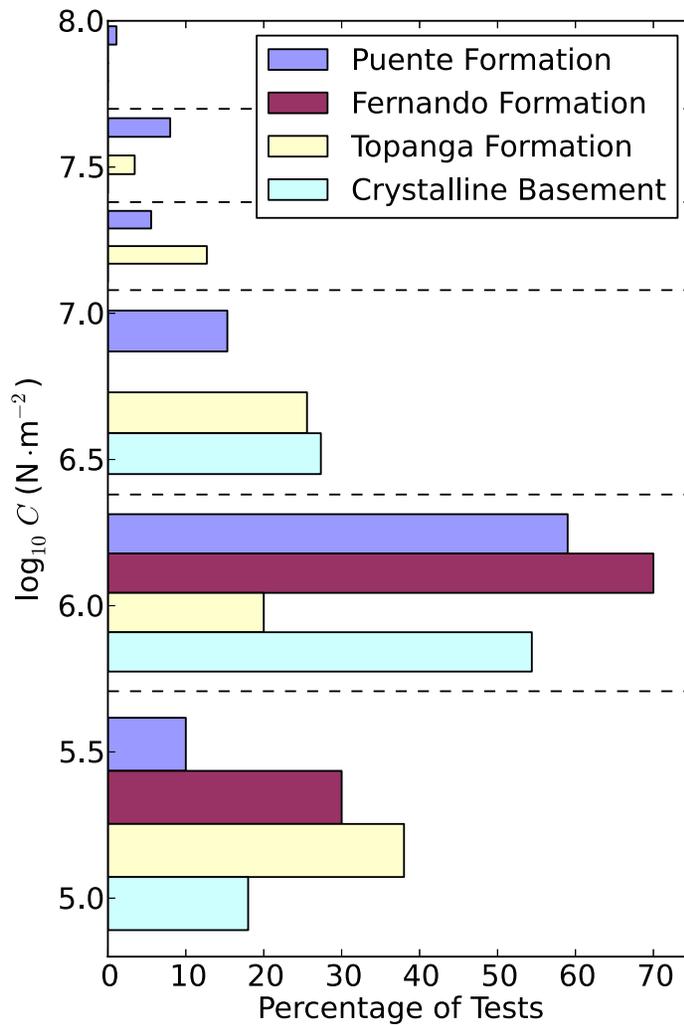
$$\text{2nd invariant of stress deviator } J_2(\tau) = \frac{1}{2} \sum_{i,j} s_{ij} s_{ji}$$

$$\text{Drucker-Prager yield stress } Y(\tau) = \max(0, c \cos \varphi - (\tau_m + P_f) \sin \varphi)$$

$$\text{Drucker-Prager yield function } F(\tau) = \sqrt{J_2(\tau)} - Y(\tau)$$

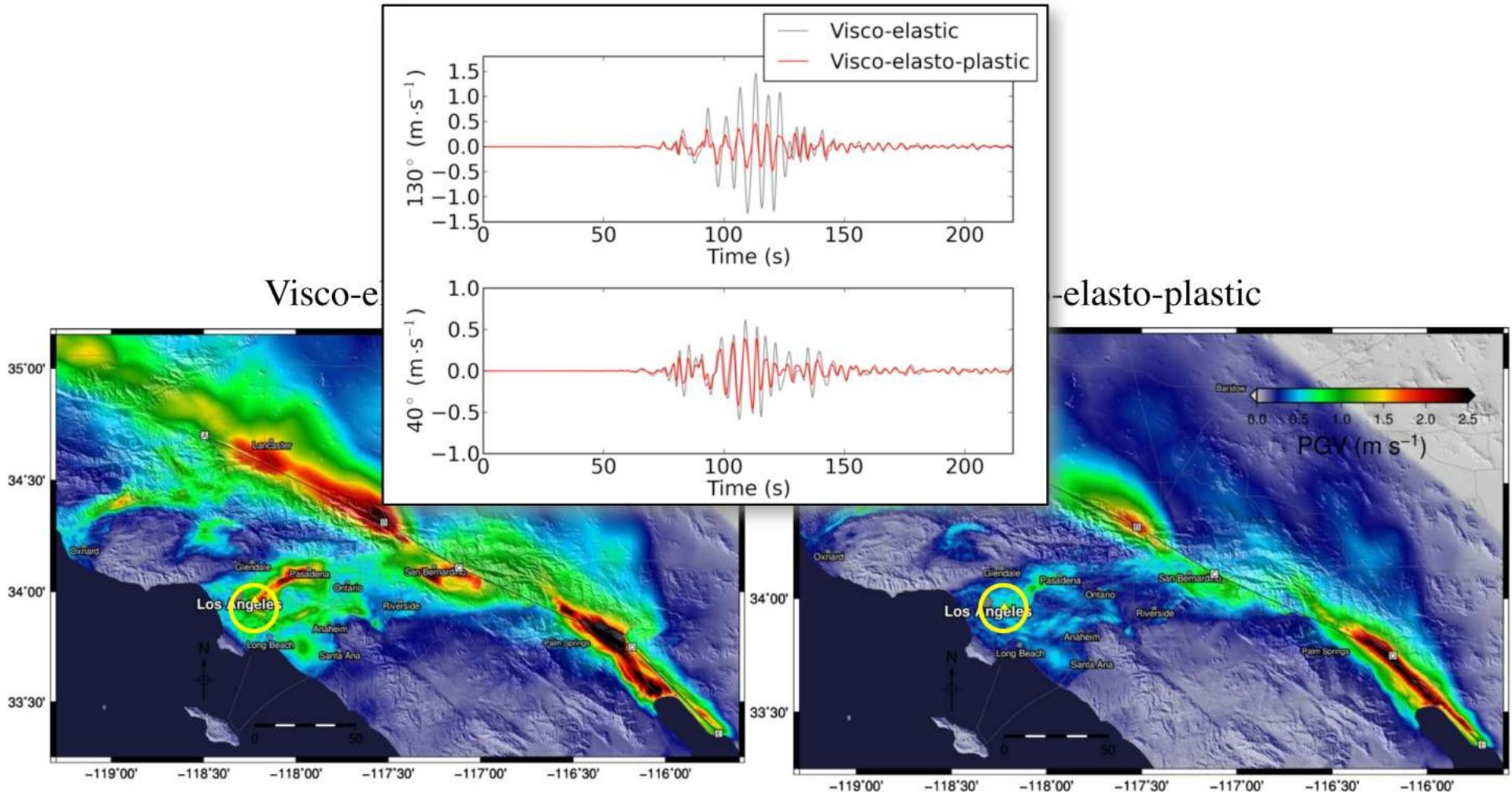


Material behaves **elastically** if $F(\tau) < 0$ and **plastically** if $F(\tau) = 0$.



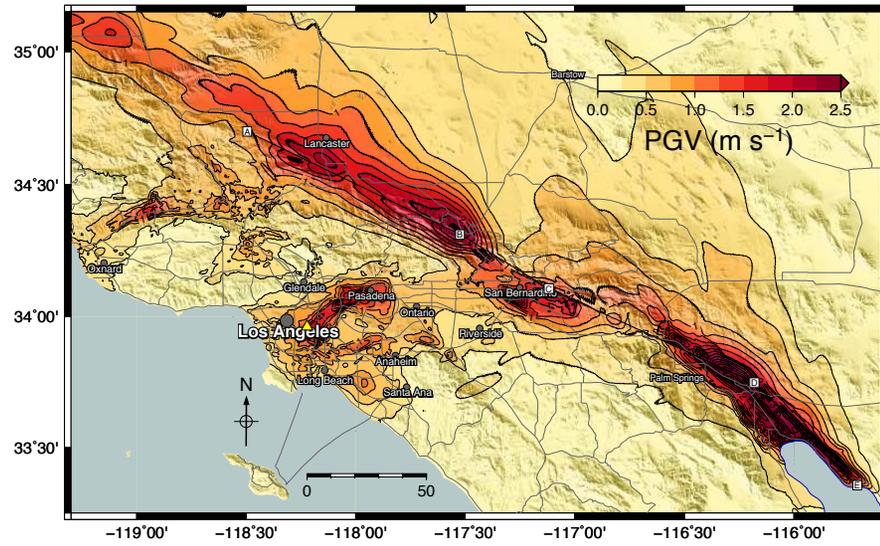
Initial stresses: Major principal stress σ_1 along 22.5°E
 Intermediate principal stress σ_2 vertical
 Lithostatic load
 $\sigma_1 = 4/3 \sigma_2$, $\sigma_3 = 2/3 \sigma_2$

ShakeOut Earthquake Scenario with Plasticity

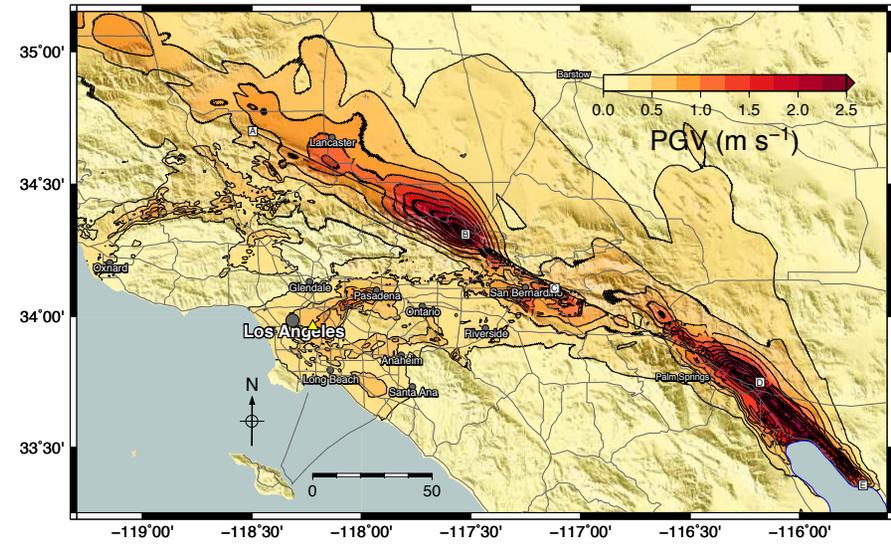


PGV Reduction – Cohesion Model B

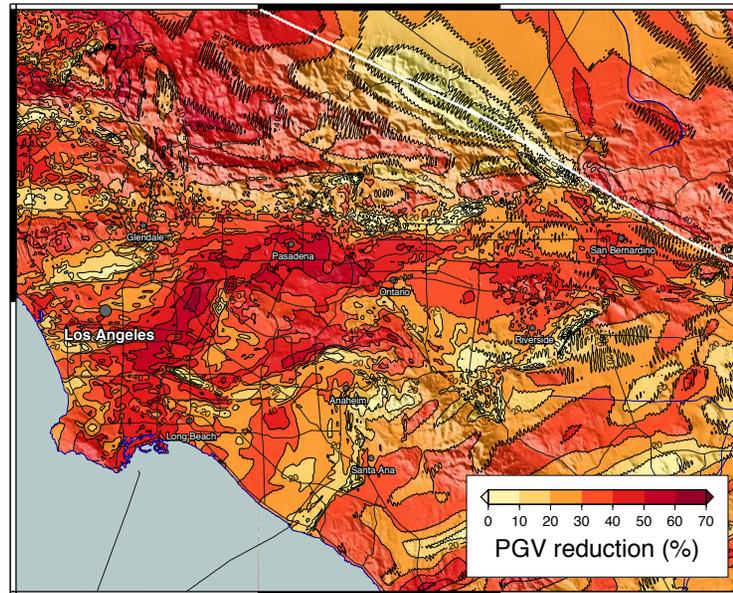
Visco-elastic



Visco-elasto-plastic (Cohesion model B)

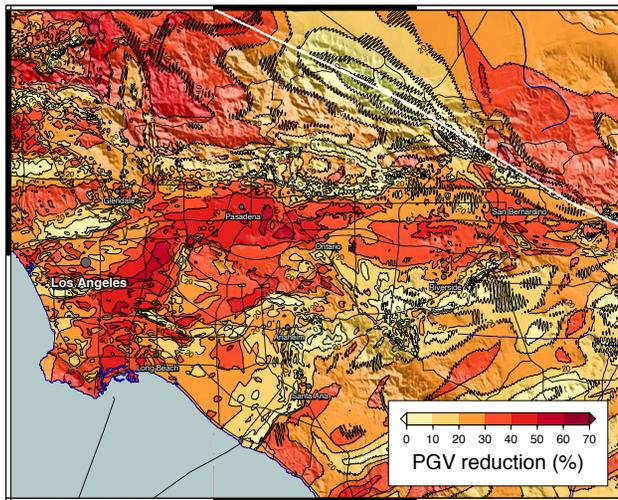


Cohesion model B

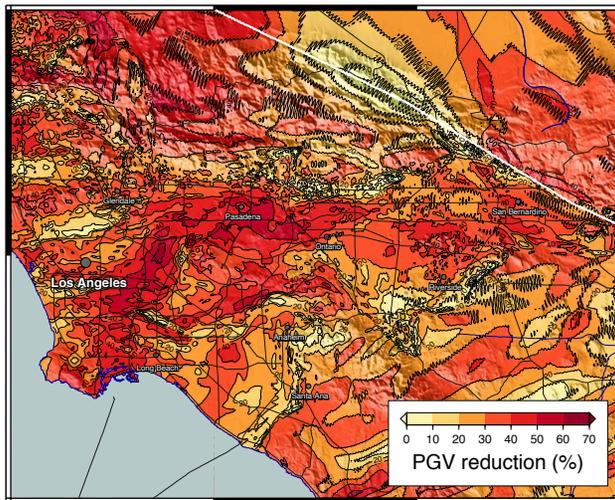


PGV Reduction

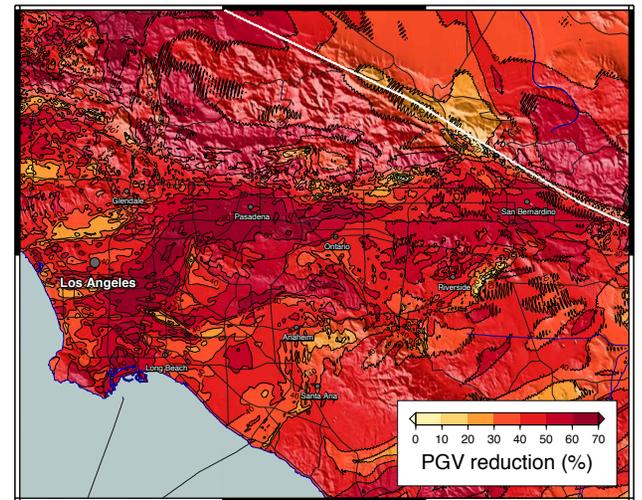
Cohesion model A



Cohesion model B

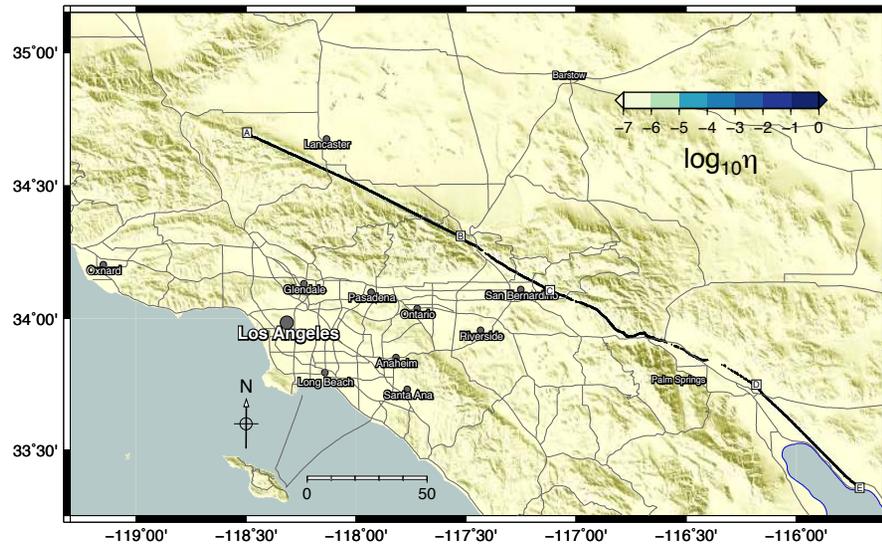


Cohesion model C

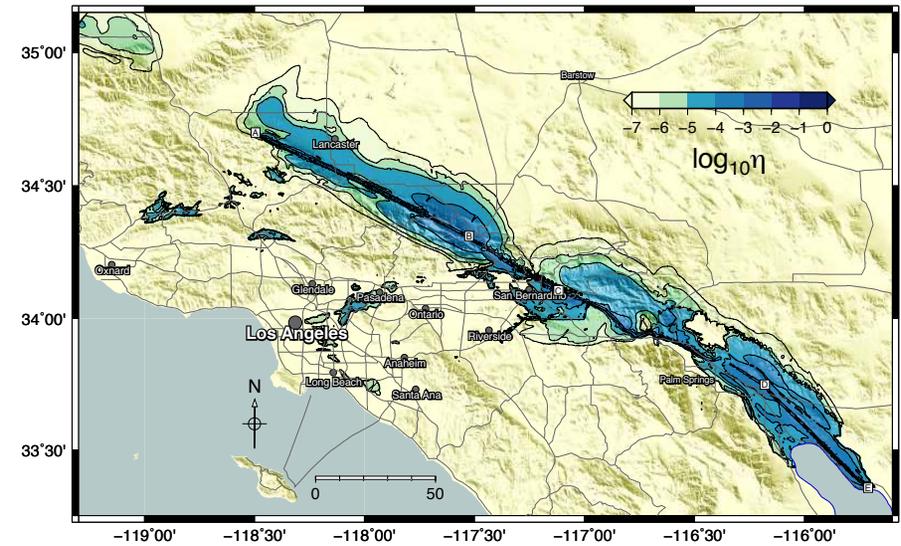


Final Principal Plastic Strain

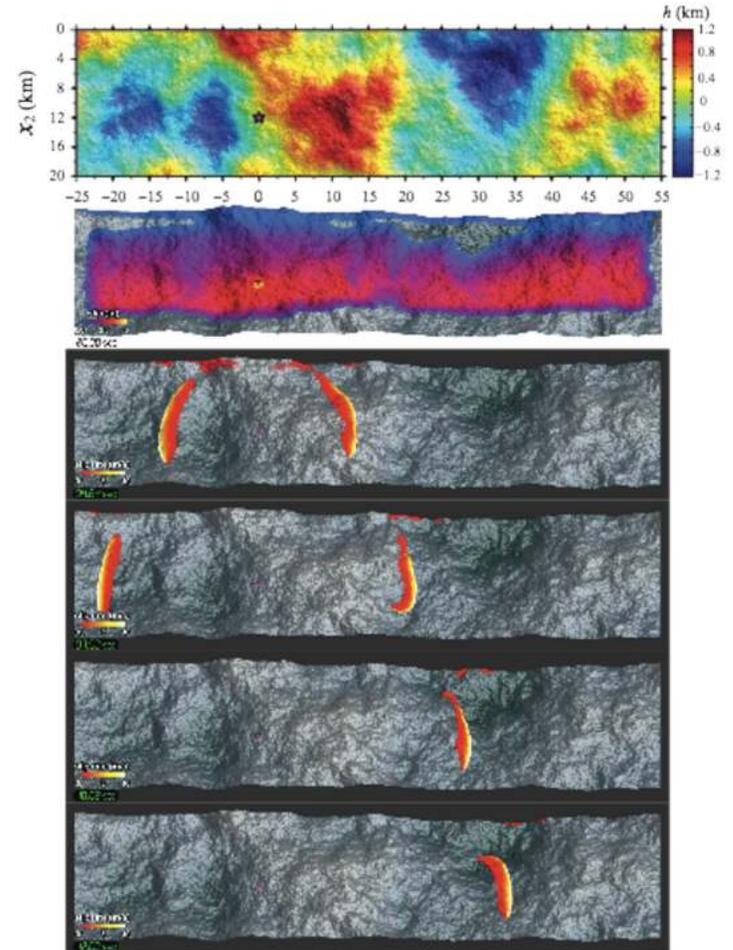
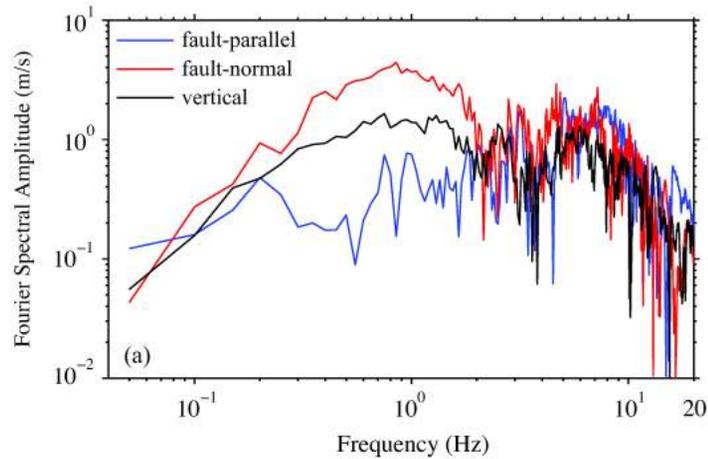
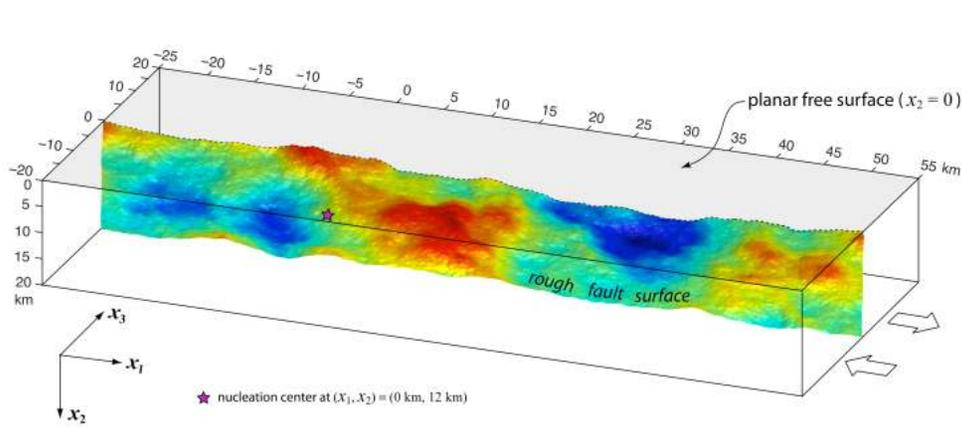
Cohesion model A



Cohesion model C

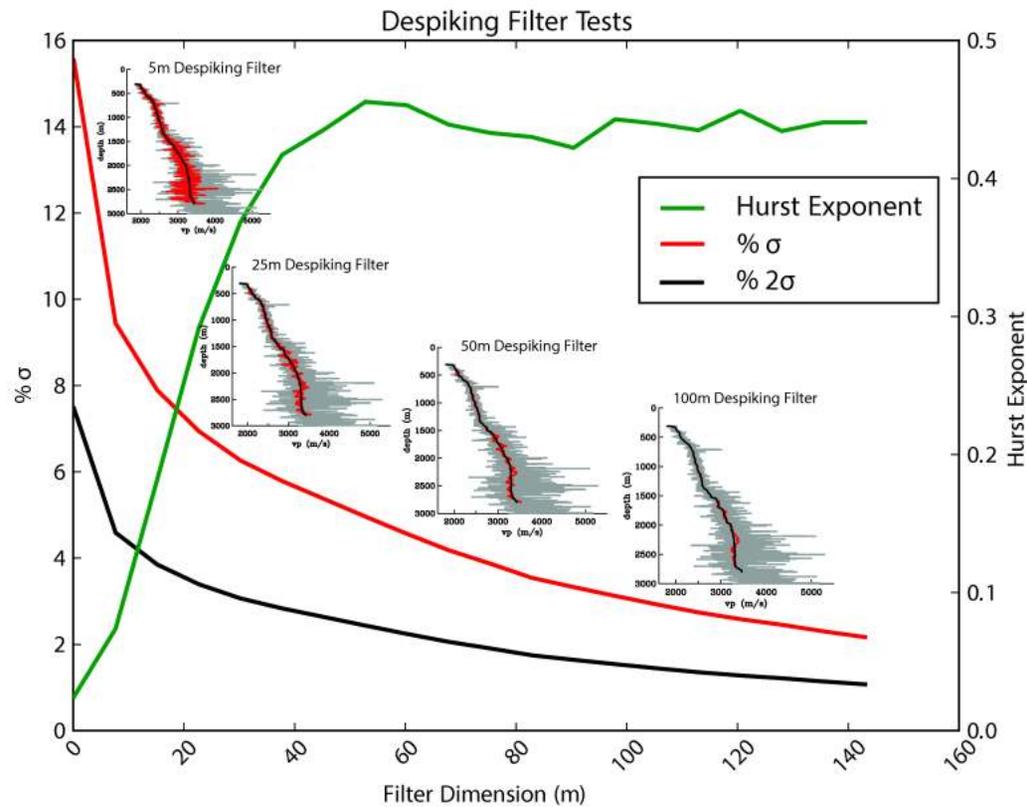


Source Complexity to 10Hz (Shi and Day, 2013)



Effects of Small-scale Heterogeneities on Ground Motions

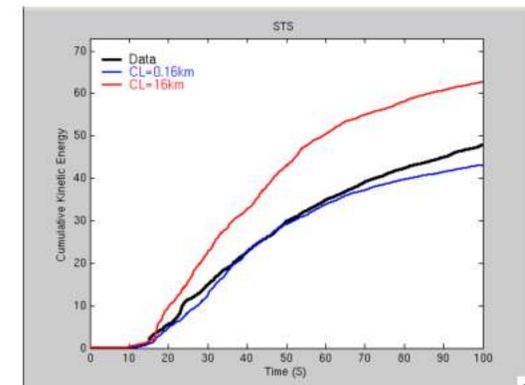
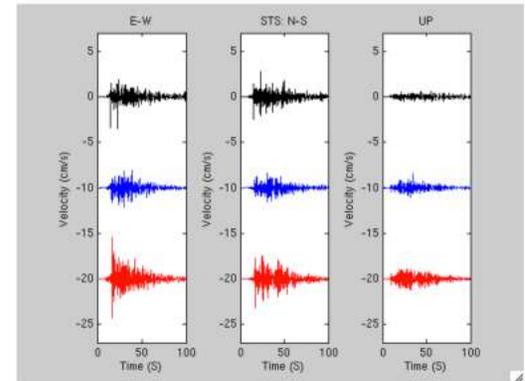
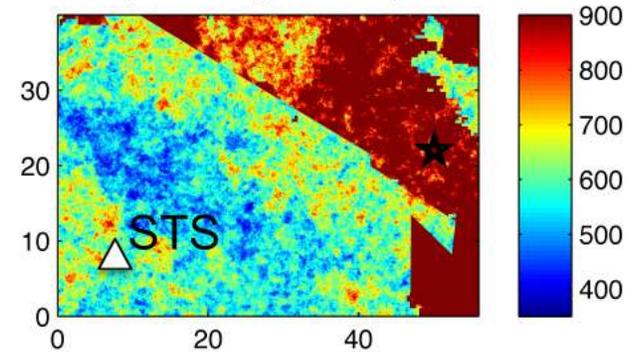
Savran, Olsen, Jacobsen (2013)



Analysis of 38 LA basin sonic logs:
 Vertical Correlation Length 25-100m
 Hurst Exponent 0-0.1
 σ 5-10%

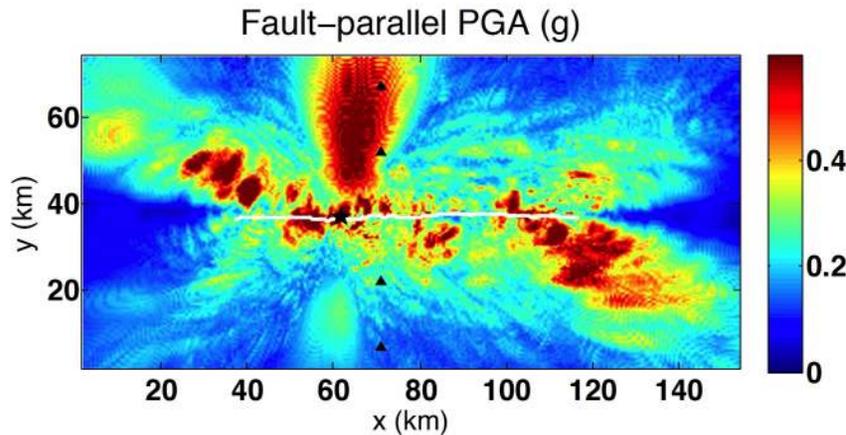
Chino Hills Test Case – (short) correlation length from data provides better

H=0.2, Corr. Length = 160 m, σ 10%

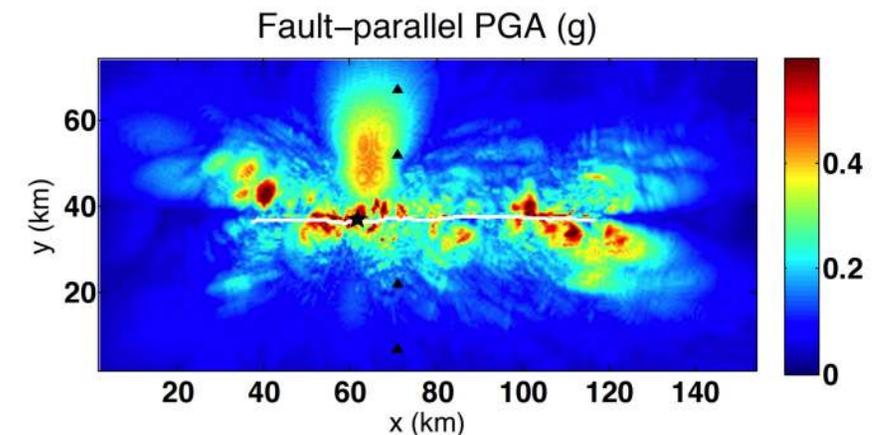


PGA with and without Attenuation/Heterogeneities

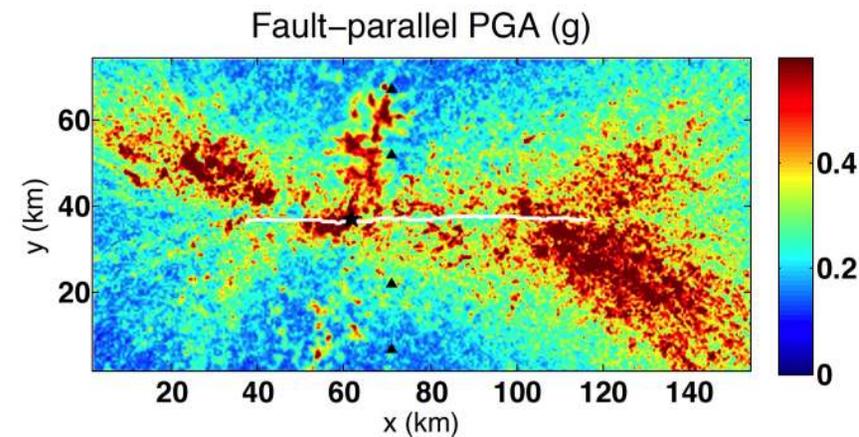
No Attenuation and no Heterogeneities



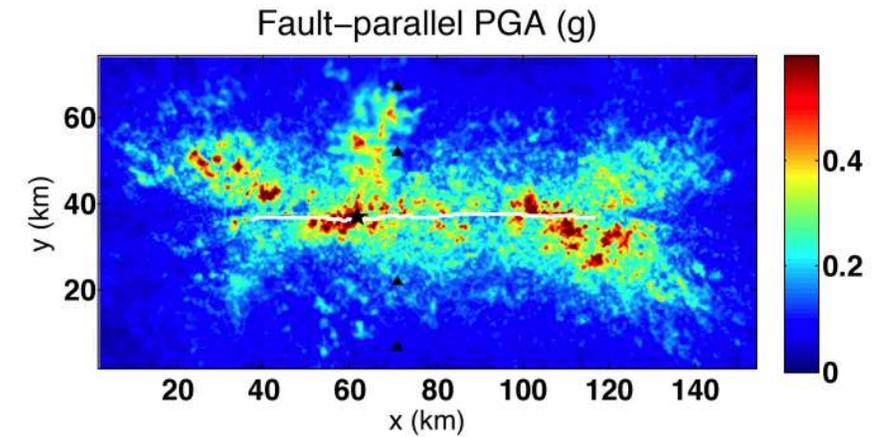
With Attenuation and no Heterogeneities



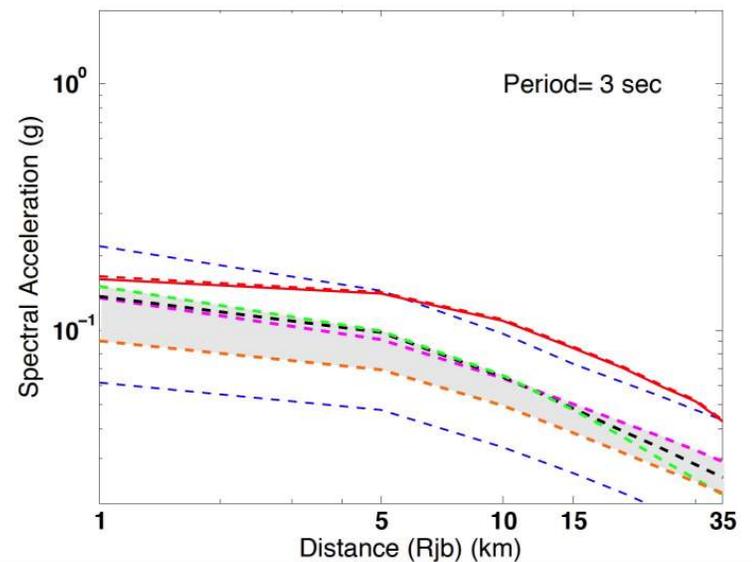
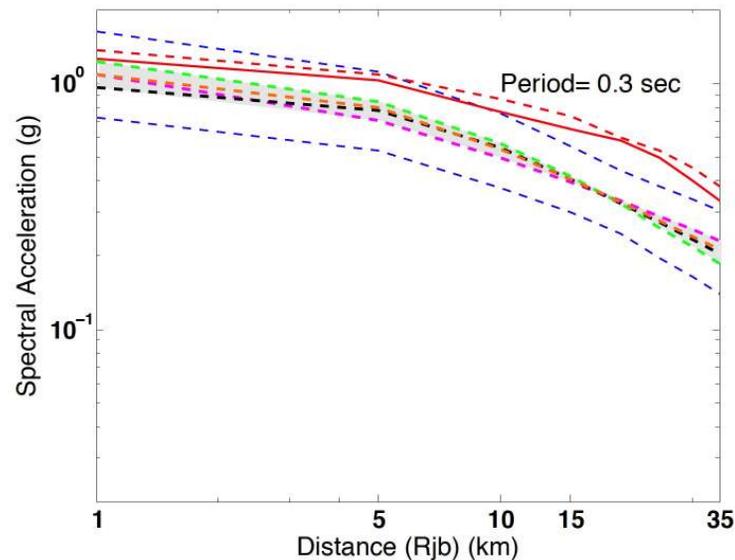
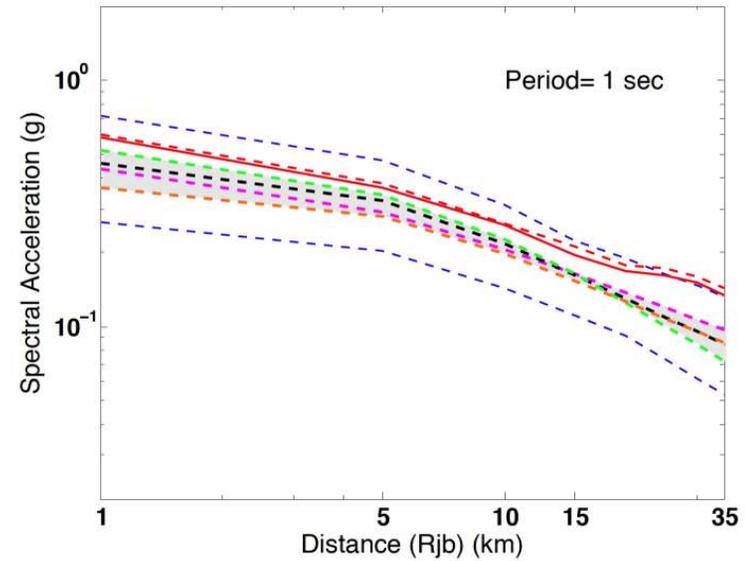
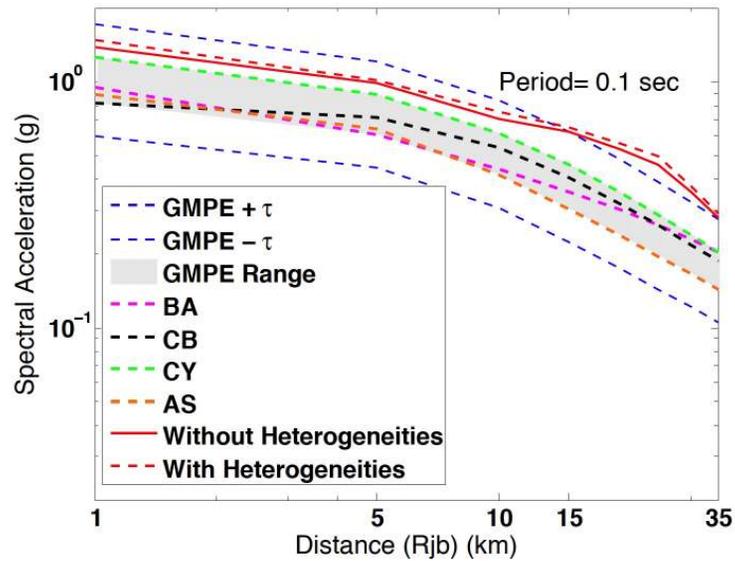
No Attenuation with Heterogeneities



With Attenuation with Heterogeneities



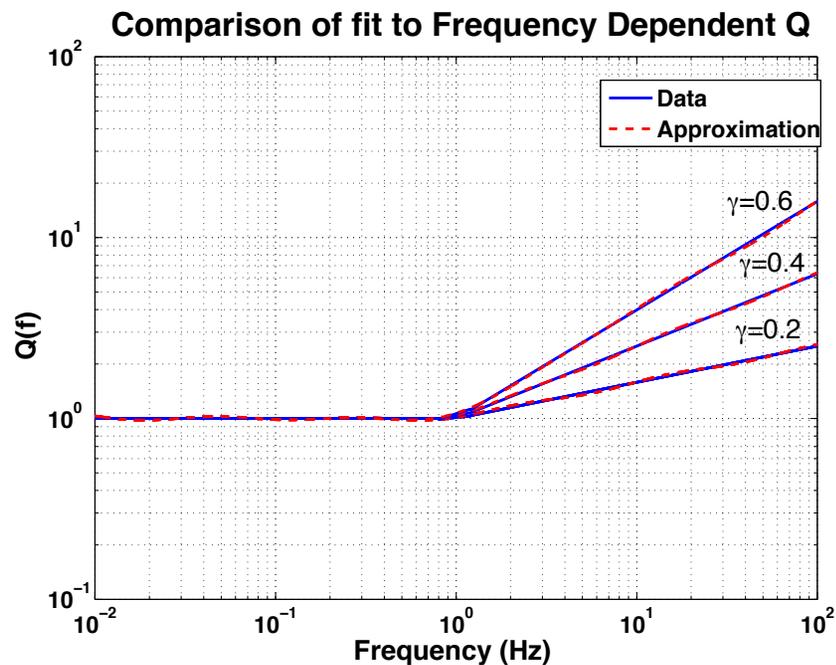
SA (with Intrinsic Attenuation)



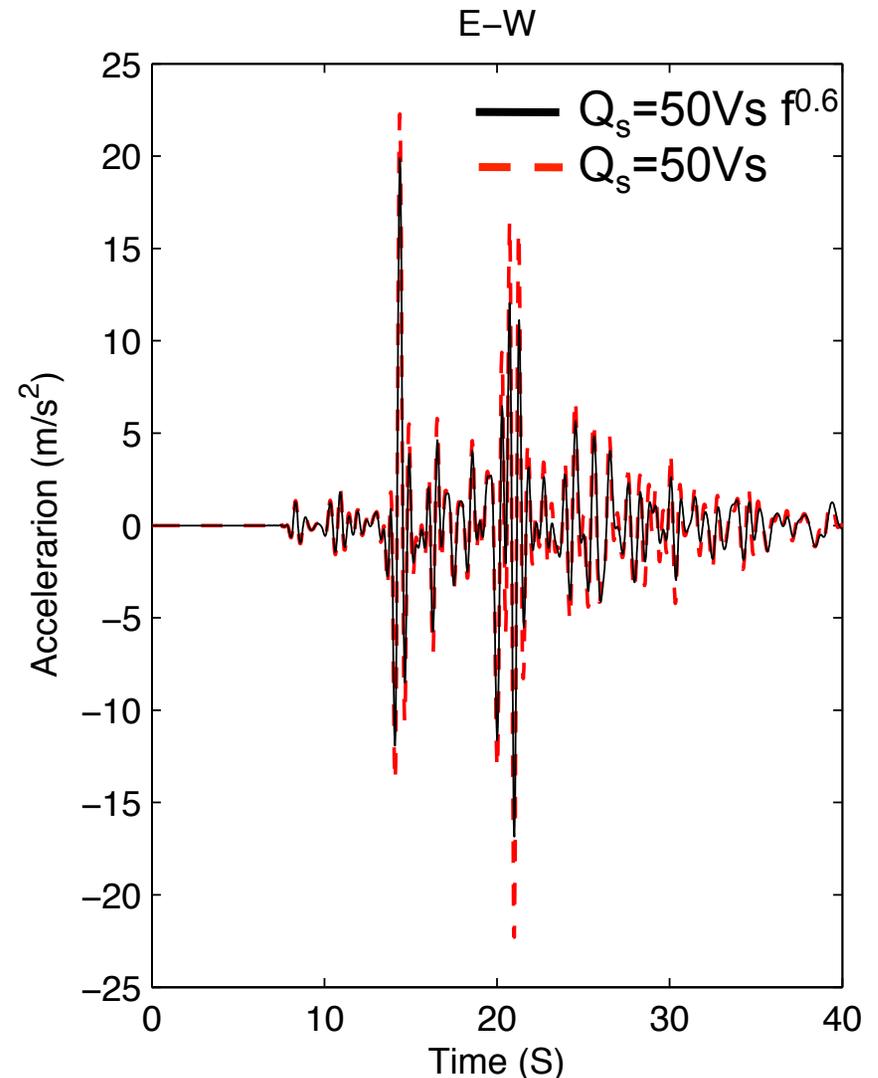
Implementation of $Q(f)$

Withers, Olsen, Day (2013)

As frequencies increase ($> \sim 1\text{Hz}$), frequency-dependent anelastic attenuation becomes increasingly important. We have achieved a preliminary power law implementation of Q_s frequency dependency $Q_s(f) = Q_0 f^\gamma$ in AWP-ODC.



Deep basin site DLA for 0-2.5 Hz
Chino Hills – comparison of constant Q
and frequency-dependent Q .



Fractal Distribution

- In 3D, a fractal distribution has a high wave-number decay of the power spectrum $P(k)$ as:

$$P(k) = P_0 \left(1 + \frac{k}{k_{corner}}\right)^{-2(1.5+H)}$$

where H is the Hurst number, k_{corner} is the wavenumber below which the spectrum is approximately constant .

- Here we used $H = 0.2$ generating a self-similar distribution throughout the entire medium with a standard deviation of 5%

