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Impact of wall displacements on the large-scale flow coherence in ascending aorta

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25 **Abstract**

26 In the context of aortic hemodynamics, uncertainties affecting blood flow simulations hamper
27 their translational potential as supportive technology in clinics. Computational fluid dynamics (CFD)
28 simulations under rigid-walls assumption are largely adopted, even though the aorta contributes
29 markedly to the systemic compliance and is characterized by a complex motion. To account for
30 personalized wall displacements in aortic hemodynamics simulations, the moving-boundary method
31 (MBM) has been recently proposed as a computationally convenient strategy, although its
32 implementation requires dynamic imaging acquisitions not always available in clinics.

33 In this study we aim to clarify the real need for introducing aortic wall displacements in CFD
34 simulations to accurately capture the large-scale flow structures in the healthy human ascending aorta
35 (AAo). To do that, the impact of wall displacements is analyzed using subject-specific models where
36 two CFD simulations are performed imposing (1) rigid walls, and (2) personalized wall displacements
37 adopting a MBM, integrating dynamic CT imaging and a mesh morphing technique based on radial
38 basis functions. The impact of wall displacements on AAo hemodynamics is analyzed in terms of
39 large-scale flow patterns of physiological significance, namely axial blood flow coherence (quantified
40 applying the Complex Networks theory), secondary flows, helical flow and wall shear stress (WSS).

41 From the comparison with rigid-wall simulations, it emerges that wall displacements have a
42 minor impact on the AAo large-scale axial flow, but they can affect secondary flows and WSS
43 directional changes. Overall, helical flow topology is moderately affected by aortic wall
44 displacements, whereas helicity intensity remains almost unchanged. We conclude that CFD
45 simulations with rigid-wall assumption can be a valid approach to study large-scale aortic flows of
46 physiological significance.

47
48 **Keywords:** computational fluid dynamics, flow coherence, aortic hemodynamics, helical flow,
49 moving boundaries, wall shear stress

50 **1. Introduction**

51 The aorta is characterized by a remarkable hemodynamic richness in its thoracic segment,
52 mainly dictated by proximity to the beating heart, aortic wall motion, and complex anatomy (Jin et
53 al., 2003; Sengupta et al., 2008; Yearwood and Chandran, 1982). Such hemodynamic richness has
54 contributed to make the aorta a site of election for fluid mechanics studies aimed at highlighting the
55 links of blood transport with cardiovascular pathophysiology (Garcia et al., 2018; Guala et al., 2022;
56 Markl et al., 2004; Morbiducci et al., 2011; Stokes et al., 2021; Vignali et al., 2021). At the same
57 time, aortic hemodynamics is characterized by a large spatiotemporal heterogeneity that has
58 contributed to hamper a robust, univocal definition of the large-scale coherent fluid structures
59 characterizing normal aortic blood flow, and able to discriminate physiology from pathology (Calò
60 et al., 2023).

61 In the last decades, the coupling of medical imaging and computational fluid dynamics (CFD)
62 has gained momentum as an effective tool for studying the aortic hemodynamics with high
63 spatiotemporal resolution in personalized in silico models (Antonuccio et al., 2021; Cilla et al., 2020;
64 De Nisco et al., 2020; Gallo et al., 2012; Morbiducci et al., 2013; Romarowski et al., 2018). However,
65 CFD models require assumptions which introduce important sources of uncertainty and might entail
66 the generality of CFD-based results as well as their translation to clinics. In personalized CFD aortic
67 models, a main source of uncertainty is represented by assumptions on wall displacements. In this
68 regard, a largely adopted model idealization is the rigid-wall assumption, even if some studies suggest
69 that incorporating MRI-measured subject-specific wall displacements into CFD simulations provides
70 better agreement in terms of velocity fields with in vivo observations (Jin et al., 2003; Lantz et al.,
71 2014). Two approaches alternative to rigid-wall CFD simulations can be implemented to account for
72 aortic wall displacements. The first one is based on the classical fluid-structure interaction (FSI)
73 modelling strategy (Caballero and Laín, 2015; Mirramezani and Shadden, 2022). However, FSI
74 requires additional assumptions on wall material properties, which cannot be easily determined in

75 vivo and therefore represent further sources of uncertainty. Moreover, FSI is characterized by an
76 increased complexity and computational efforts hindering its clinical translation. To overcome FSI
77 inherent limitations, an alternative approach based on the moving-boundary method (MBM) has
78 emerged. MBM relies on the integration of clinical image-based measurements of wall displacements
79 along the cardiac cycle and CFD simulations in the same computational framework (Capellini et al.,
80 2020; Lantz et al., 2019; Torii et al., 2010), allowing to incorporate subject-specific wall
81 displacements in simulations at lower computational costs and without posing any hypothesis on
82 vessels wall material properties. Among the MBM strategies applied to in silico aortic models
83 (Bonfanti et al., 2018; Jin et al., 2003; Lantz et al., 2014; Stokes et al., 2021), a framework integrating
84 dynamic CT images, transient CFD simulations and a mesh morphing technique based on Radial
85 Basis Functions (RBF) was recently introduced (Capellini et al., 2020). The RBF-based mesh
86 morphing strategy has the advantage of keeping mesh connectivity avoiding re-meshing at each time-
87 step of the simulation, which would result in a considerable increase in computational time.
88 Moreover, the RBF-based morphing strategy has proven its capability in reproducing large
89 deformations like those characterizing ascending thoracic aortic aneurysm progression, while
90 preserving mesh quality (Biancolini et al., 2020; Capellini et al., 2018).

91 The overarching hypothesis of this study is that wall displacements might impact the
92 coherence of large-scale blood flow structures in the ascending aorta (AAo) in such a way that might
93 not be accounted for assuming rigid-walls in aortic CFD simulations. Interpreting the large-scale AAo
94 hemodynamics in terms of flow coherence finds its rationale in the effectiveness of a coherence-based
95 analysis in characterizing physiologically relevant conditions such as flow recirculation, separation
96 and reattachment, local heterogeneity in the flow field, and mechanisms governing stirring and
97 mixing (Shadden and Taylor, 2008). The above-mentioned hypothesis is tested on three subject-
98 specific models of healthy human thoracic aorta performing two simulations on each reconstructed
99 anatomy, assuming: (1) aortic rigid-walls, and (2) subject-specific aortic wall displacements imposed
100 applying an RBF-based mesh morphing strategy (Capellini et al., 2020). The influence of wall

101 displacements on the AAo large-scale fluid structures is analyzed in terms of through-plane velocity
102 coherence and in-plane velocity distribution, as well as in terms of helical flow because of its
103 recognized physiological significance in cardiovascular flows (Liu et al., 2009; Morbiducci et al.,
104 2011). For the sake of completeness, the study is complemented by the analysis of the impact that
105 aortic wall displacements have on wall shear stress (WSS), given its established role in the initiation
106 and progression of vascular disease.

107 **2. Materials and methods**

108 An overview of the here adopted methods is provided in the schematic diagram in Fig. 1.
109 Three male subjects of 25, 89 and 64 years old respectively were retrospectively selected and analyzed
110 for this study. The three patients were affected by cardiac diseases, but they did not present
111 aneurysmatic or aortic valve pathologies. A 320-detector scanner (Toshiba Aquilon One, Toshiba,
112 Japan) was used to acquire dynamic CT scans of the aorta at 10 ECG-gated phases of the cardiac
113 cycle. At each acquired phase, the 3D geometry of the AAo, arch and supra-aortic vessels was
114 reconstructed within the VMTK (www.vmtk.org) environment. Details on image processing and
115 geometries reconstruction, extensively described in previous studies (Capellini et al., 2020, 2018),
116 are reported in the Supplementary Material.

117 **2.1 Computational hemodynamics**

118 On each subject two different modelling strategies were adopted: (1) CFD simulation
119 assuming aortic rigid walls, performed on the geometry reconstructed from CT images acquired at
120 the 0% phase of the cardiac cycle; (2) CFD simulation with aortic wall displacements along the
121 cardiac cycle imposed by applying an RBF mesh morphing on the 10 reconstructed transient
122 anatomies of the aorta (Capellini et al., 2020, 2018) (Fig. 1). The same computational settings and
123 boundary conditions were adopted in the rigid- and the moving-wall CFD simulations. Briefly, aortic
124 blood was assumed an incompressible, homogeneous, Newtonian fluid (density $\rho = 1060 \text{ kg m}^{-3}$,

125 dynamic viscosity $\mu=0.0035$ Pa s). The governing Navier-Stokes equations of fluid motion were
126 solved in their discrete form using the finite volume-based CFD code Fluent (ANSYS Inc., USA) on
127 computational grids consisting of tetrahedral elements in the lumen region and four layers of
128 triangular prisms in the near-wall region. Echocardiographic velocity measurements were used to
129 derive individualized inflow boundary conditions. Boundary conditions at the supra-aortic and at the
130 descending aorta (DAo) outflow sections were set adopting a 3D-0D coupling approach through the
131 implementation of lumped three-elements Windkessel models (Fig. 1). Details on the strategy
132 implemented to prescribe boundary conditions are reported in the Supplementary Material.

133 In CFD simulations where wall displacements were imposed, a scheme proposed elsewhere
134 (Capellini et al. 2020, 2018) was applied. Briefly, CFD is integrated with a morphing technique based
135 on the aortic geometries reconstructed along the cardiac cycle from dynamic CT recordings thus
136 imparting subject-specific aortic wall displacements without re-meshing adopting an RBF anatomic
137 basis of representation. As the method only relies on the knowledge of wall displacements at different
138 phases along the cardiac cycle, no assumption on the vessels' material properties was introduced.
139 Descriptive notes on the RBF mesh-morphing technique are briefly reported in the Supplementary
140 Material. For both the rigid- and moving-wall simulations, a no-slip condition was applied to the wall.
141 To ensure that CFD solutions were not affected by initial transients, three cardiac cycles were
142 simulated and the results relative to the third cycle were considered.

143 **2.2 Large-scale hemodynamics characterization in the ascending aorta**

144 This study analyzed the impact of aortic wall motion on the spatiotemporal heterogeneity of
145 the large-scale fluid structures in the AAo. The aortic hemodynamics was characterized in terms of
146 axial (through-plane) V_{ax} and secondary V_{sc} (in-plane) blood velocity components, obtained by
147 projecting the local blood velocity vector \mathbf{V} along the direction of the local vessel centerline and on
148 the local transversal plane, respectively (Fig. 1), as extensively proposed elsewhere (Calò et al., 2021,
149 2020; Morbiducci et al., 2015). The sign of V_{ax} is representative of the main flow direction (positive,

150 forward flow; negative, retrograde flow), whereas V_{SC} is related to aortic secondary flow structures
151 (on the vessel's cross-section).

152 Given the well-established physiological significance of helical flow in arteries (Liu et al.,
153 2015; Stonebridge et al., 2016) and in particular in aorta (Kilner et al., 1993; Morbiducci et al., 2011,
154 2009), the large-scale intravascular aortic hemodynamics was also characterized in terms of kinetic
155 helicity density H_k , defined as the internal product of the velocity vector \mathbf{V} with the vorticity vector
156 $\boldsymbol{\omega}$ (Fig. 1). H_k is a pseudoscalar quantity with its sign indicating the direction of rotation of the helical
157 flow structures (positive, right-handed; negative, left-handed). Here H_k was normalized to obtain the
158 Local Normalized Helicity (LNH, Fig. 1), which has been demonstrated to be effective in visualizing
159 helical flow patterns in arteries (Morbiducci et al., 2013, 2007). Furthermore, established helicity-
160 based quantities (Fig. 1) evaluating the amount, intensity and topological features of helical flow
161 structures were also computed (Morbiducci et al., 2013): h_1 and h_2 , measuring the average net amount
162 and intensity of helical flow over the cardiac cycle, respectively; h_3 , an indicator of the presence of
163 balanced/unbalanced counter-rotating helical flow patterns.

164 To evaluate the impact of wall displacements on the spatiotemporal coherence of the large-
165 scale structures characterizing the AAO hemodynamics, a correlation-based analysis was performed.
166 In detail, the similarity in shape between the simulated waveforms of the hemodynamic quantities
167 (HQs) along the cardiac cycle at corresponding nodes i of the computational grid of the rigid- and
168 moving-wall models was measured using the pairwise Pearson correlation coefficient $R_{HQ,i}^{R-M}$ (Fig. 1).

169 The effect of the aortic wall displacements was also investigated analyzing the similarity of
170 the large-scale axial flow features in AAO as described by V_{ax} waveforms along the cardiac cycle with
171 the subject-specific blood flow rate waveform at the AAO inlet section, here considered as a main
172 driving factor conditioning the dominant aortic hemodynamics in healthy subjects. To do that, a
173 scheme based on complex networks theory was adopted and for each subject two “one-to-all”
174 networks (one for the rigid- and one for the moving-wall model) were built (Fig. 1), as proposed
175 elsewhere (Calò et al., 2023, 2020). By construction the “one-to-all” network contains a reference

176 node represented by the subject-specific blood flow rate waveform $Q(t)$, with the remaining nodes
177 represented by the $V_{ax,i}(t)$ waveforms as obtained from the rigid- or moving-wall CFD simulations
178 and defined at each mesh grid point i of the AAo. To characterize the relationship between the driving
179 flow rate waveform and axial blood flow, the links of the network were weighted by the Pearson
180 correlation coefficient between $Q(t)$ and each $V_{ax,i}(t)$ waveform, and the anatomical length of
181 persistence of the $Q(t) - V_{ax}(t)$ correlation in AAo was quantified computing the *Average Weighted*
182 *Curvilinear Distance* (AWCD) network metric, defined as (Calò et al., 2023):

$$183 \quad AWCD = \frac{1}{l} \frac{1}{N} \sum_{i=1}^N R_{Q,i} s_i, \quad (2)$$

184 where l is the centerline's length of the AAo segment, N is the number of nodes, $R_{Q,i}$ is the correlation
185 coefficient between $Q(t)$ and the $V_{ax,i}(t)$ waveform at node i , and s_i is the curvilinear distance
186 between the AAo inflow section (where the reference node is located by construction) and the vessel
187 cross-section where node i is located (Fig. 1). By measuring the length of persistence of the $Q(t) -$
188 $V_{ax}(t)$ waveforms correlation along the "one-to-all" network links in AAo, AWCD provides a
189 quantification of the sphere of influence of the aortic flow rate waveform on the distal large-scale
190 axial flow structures (Calò et al., 2023).

191 **2.3 Wall shear stress in the ascending aorta**

192 The effect of AAo wall displacements on WSS was quantified in terms of the two canonical
193 quantities time-averaged WSS (TAWSS, measuring the local average value of WSS magnitude along
194 the cardiac cycle; Table 1) and oscillatory shear index (OSI, a measure of WSS directional changes
195 along the cardiac cycle; Table 1), as well as the recently proposed topological shear variation index
196 (TSVI, quantifying the variability in the contraction/expansion action exerted by the WSS on the
197 endothelium along the cardiac cycle (De Nisco et al., 2020; Mazzi et al., 2021); Table 1).

198 **3. Results**

199 The AAo geometries at 5 representative phases of the cardiac cycle are shown in Fig. S1 of

200 the Supplementary Material.

201 **3.1 Impact of aortic motion on the large-scale axial flow**

202 The volumetric maps of the correlation coefficients $R_{V_{ax,i}}^{R-M}$ between the $V_{ax,i}(t)$ waveforms at
203 corresponding nodes of the rigid- and moving-wall models are presented in Fig. 2. Overall, it emerges
204 that the large-scale axial velocity waveforms along the cardiac cycle in the rigid- and in the moving-
205 wall aorta are strongly correlated in all the analyzed subjects (Table S2 in the Supplementary
206 Material), particularly in the bulk of the proximal AAo and in the entire AAo distal portion (Fig. 2).
207 The observed moderate loss of correlation between axial flow patterns ($R_{V_{ax,i}}^{R-M} < 0.8$) in the rigid- and
208 moving-wall models is restricted to the near-wall regions of the aortic root and of the proximal AAo
209 (Fig. 2).

210 The results of the “one-to-all” network analysis are presented in Fig. 3 in terms of volumetric
211 maps of the correlation coefficients between $Q(t)$ and $V_{ax,i}(t)$ waveforms in the rigid- ($R_{Q,i}^R$) and in
212 the moving-wall ($R_{Q,i}^M$) models. Consistently with the results in Fig.2, $R_{Q,i}^R$ and $R_{Q,i}^M$ distributions are
213 similar for all the investigated subjects. In general, the results of Fig. 3 suggest that the flow rate
214 waveform $Q(t)$ entering the AAo markedly shapes $V_{ax}(t)$ waveforms in the bulk of both rigid- and
215 moving-wall models (as proven by the high correlation values, Table S3 in the Supplementary
216 Material), while the similarity is partially lost in the near-wall region of the aortic root and of mid
217 AAo. Interesting findings emerge from the calculation of the anatomical length of persistence of the
218 correlation between the subject-specific blood flow rate and the large-scale axial flow structures,
219 which overall varies from the 42% to 45% of the total length (l) of the AAo for all subjects, with a
220 4.4% maximum *AWCD* percentage difference between rigid- and moving-wall models (in subject
221 S2), as highlighted by the *AWCD* values reported in Fig. 3.

222 **3.2 Impact of aortic motion on secondary flows**

223 A picture of the secondary flows establishing in the rigid- and moving-wall aortic models is

224 depicted in Fig. 4, where the volumetric maps of $|V_{sc}|$, cycle-averaged as well as at three different
225 phases of the cardiac cycle (peak systole, maximum flow acceleration and deceleration), are presented
226 for the explanatory subject S1 together with the secondary flow patterns over three cross-sections of
227 the AAO (results for subjects S2 and S3 are reported in the Supplementary Material). Overall,
228 discernible differences emerge between the spatiotemporal organization of secondary flows in the
229 rigid-wall model and the moving-wall one (Fig.4). This is evident from the cross-sectional maps,
230 highlighting how AAO wall displacements affect the topology of secondary flows, causing in-plane
231 vortex structures dislocation, stretching but also formation, compared to the rigid-wall model (see
232 cross-sections in Fig.4).

233 The impact of wall displacements on AAO hemodynamics is further analyzed in terms of ratio
234 $|V_{sc}|/|V_{ax}|$ of the local in-plane and through-plane velocity components magnitude values. The
235 boxplots in Fig. 5 compare the rigid- and moving-wall models in terms of distributions of $|V_{sc}|/|V_{ax}|$
236 values, averaged along the cardiac cycle and at three phases of the cardiac cycle, and at three AAO
237 cross-sections for all the analyzed subjects (the corresponding $|V_{sc}|/|V_{ax}|$ surface maps are reported
238 in the Supplementary Material): at maximum flow acceleration and at peak systole axial velocity is
239 the dominant velocity component ($|V_{sc}|/|V_{ax}| < 0.4$, Fig. 5), independent of wall displacement, in all
240 the subjects; the amount of secondary flows increases at maximum flow deceleration, but with a
241 higher variability (in particular in subjects S1 and S3), highlighting that in certain locations V_{sc} equals
242 or predominates over V_{ax} ($|V_{sc}|/|V_{ax}| > 1.0$, Fig. 5). Around maximum flow deceleration, in general
243 $|V_{sc}|/|V_{ax}|$ is higher in the moving-wall models than in the rigid ones. All this reflects on the cycle-
244 average data, highlighting the higher contribution of V_{ax} to the aortic velocity vector field (Fig. 5).

245 **3.3 Impact of aortic motion on helical flow**

246 The volumetric maps of the pairwise correlation coefficients $R_{H_{k,i}}^{R-M}$ measuring the
247 spatiotemporal similarity of helical flow in the rigid- and moving-wall models are displayed in Fig.
248 6. Overall, it emerges that the kinetic helicity density waveforms along the cardiac cycle in the rigid-

249 and moving-wall models are weakly-to-moderately correlated positively, with $R_{H_{k,i}}^{R-M}$ value
250 distributions characterized by marked variability in all the analyzed subjects (Table S4 in the
251 Supplementary Material). The negative high-magnitude $R_{H_{k,i}}^{R-M}$ values indicate the presence of aortic
252 regions where $H_{k,i}(t)$ waveforms obtained from the rigid- and moving-wall simulations are opposite
253 in phase (Fig. 6), i.e., they present similar temporal variations but with opposite H_k signs, or in other
254 words opposite directions of rotation of the helical blood flow patterns (Fig.1).

255 The volumetric maps of LNH averaged along the cardiac cycle are adopted to visualize helical
256 flow topological features in AAo (Fig. 7). Independent of the subject, two distinguishable coherent
257 counter-rotating helical flow structures (left-handed, blue color; right-handed, red color) characterize
258 the hemodynamics of both rigid- and moving-wall models, but with some differences in the cycle-
259 average LNH profiles on the AAo cross-sections (Fig. 7). In detail, in S1 rigid-wall model the two
260 counter-rotating helical fluid structures are overall balanced, whereas the moving-wall model is
261 characterized by a larger right-handed helical structure developing from the mid to the distal AAo. In
262 the other two subjects, while changing the topology of helical structures compared to the rigid-wall
263 model, the moving-wall does not markedly affect the balance (in subject S3) or unbalance (in subject
264 S2) of the two counter-rotating helical structures (Fig. 7).

265 These qualitative observations are quantitatively confirmed by the helicity-based quantities
266 (Table 2). In particular, the negative (low in magnitude) h_1 and h_3 values for subject S2 indicate a
267 slight predominance of a left-handed helical structure both in the rigid- and the moving-wall model,
268 whereas the close-to-zero h_1 and h_3 values in subject S3 are indicative of an overall rotational
269 balance. The difference in h_1 values between rigid- and moving-wall models in S1 (0.15 vs. 0.46 m
270 s^{-2} , respectively) reflects a minimal effect of wall motion on the (close to zero) average net amount
271 of helical flow over the cardiac cycle, with a slight predominance of a right-handed helical structure
272 (positive h_1 values) in this subject. In fact, in terms of fluid mechanics the observed difference in h_1
273 values indicates that in the moving-wall model a small amount of helical flow patterns reversed their

274 direction of rotation from left-handed to right-handed, compared to the rigid-wall model (Fig. 7), thus
275 contributing to a higher positive h_1 value. However, this effect is not relevant, if we look at the
276 corresponding values of helicity intensity h_2 (Table 2). Moreover, the positively low value of h_3
277 (0.12) in the S1 moving-wall model confirms the presence of the more (even if moderately)
278 pronounced right-handed helical structure, which is balanced by a left-handed one of similar strength
279 (h_3 closer to 0) in the rigid-wall model (Table 2, Fig. 7). Unlike helical flow topology, the intensity
280 of helical flow undergoes only moderate variation due to wall displacements, as proven by the similar
281 h_2 values characterizing the helical flow in rigid- and moving-wall models (Table 2).

282 **3.4 Impact of aortic motion on wall shear stress**

283 The impact of wall displacements on AAo hemodynamics is analyzed also comparing the
284 distributions of the WSS-based quantities. For each subject, TAWSS and TSVI present very similar
285 distributions on the luminal surface of the rigid- and of the moving-wall model, while more marked
286 differences characterize OSI distributions (Fig. 8). The analysis of the scatter plots in Fig. 8 confirms
287 that assuming rigid aortic walls has a more marked impact on OSI (rigid- vs. moving-wall correlation
288 coefficients R in the range 0.43-0.54) than on TAWSS and TSVI (rigid- vs. moving-wall correlation
289 coefficients R in the range 0.83-0.90 for TAWSS, and in the range 0.89-0.94 for TSVI).

290 **4. Discussion**

291 In the context of uncertainty quantification in computational hemodynamics, the real need for
292 incorporating aortic wall displacements in simulations is still debated. Even though standard CFD
293 simulations of the aortic hemodynamics are based on the rigid-wall assumption, previous studies
294 reported that incorporating aortic wall displacements in aortic flow computer models has allowed to
295 obtain e.g. (1) velocity fields closer to in vivo measurements (Jin et al., 2003; Lantz et al., 2014), (2)
296 distributions of WSS-based quantities on the luminal surface similar to rigid-wall CFD simulations
297 but with different local values (Reymond et al., 2013; Stokes et al., 2021), and (3) comparable integral

298 values of helicity intensity (Capellini et al., 2020). To date, the impact of wall displacements on AAo
299 blood flow organization has not been explored.

300 By using an RBF-based mesh morphing strategy to reproduce subject-specific wall motion,
301 this study investigates the impact of wall displacements on the large-scale hemodynamics in the AAo,
302 analyzing the modifications (1) in the persistence of similarity of fluid structures along the main flow
303 direction, (2) in the structure of secondary flows, (3) in helical flow, given by the composition of
304 axial and secondary flow, and (4) in WSS profiles. The AAo was selected for the analysis because it
305 is site of election of a relevant portion of pathologies affecting the aorta (Ellozy, 2017; LeMaire and
306 Russell, 2011; Thiene et al., 2021); in addition to that, it was recently found that the persistence of
307 similarity of large-scale flow structures is maintained up to the distal AAo, in healthy subjects (Calò
308 et al., 2023). The final aims of this study were: (1) identifying the mechanistic role of wall
309 displacements in shaping large-scale hemodynamics in AAo, quantifying their impact on axial and
310 secondary flows; (2) evaluating the overall impact of aortic wall displacements on helical flow (given
311 by the composition of axial and secondary flows) and WSS profiles, because of their demonstrated
312 physiological significance (Liu et al., 2009; Morbiducci et al., 2011); (3) clarifying if rigid-wall CFD
313 simulations satisfactorily capture large-scale fluid structures in the AAo.

314 Among the main results it emerged that aortic wall displacements have small impact when
315 considering axial blood flow: except for a narrow near-wall region in the aortic root, $V_{ax,i}(t)$
316 waveforms in the rigid- and moving-wall models are strongly correlated (median value above 0.96,
317 Fig. 2 and Table S2). Consistently, the negligible differences in *AWCD* values (lower than 4.5%, Fig.
318 3) between rigid- and moving-wall simulations suggest that rigid-wall simulations accurately
319 replicate the anatomical length of persistence of the correlation of the axial blood flow along the AAo.
320 By exploiting the network formalism and adopting the definition of flow coherence as imparted by
321 the driving action of the proximal AAo blood flow rate waveform, the “one-to-all” approach adds
322 the quantitative information on the length of persistence of the similarity with a driving flow rate
323 waveform in the AAo large scale hemodynamics (Calò et al., 2023).

324 Different from the large-scale axial flow, wall displacements impact more markedly
325 secondary flow patterns (Fig. 4, Fig. S1 and Fig. S2). This observation is confirmed by the analysis
326 of the spatial distributions of the $|V_{sc}|/|V_{ax}|$ ratio in AAO: even though V_{ax} provides the major
327 contribution to the aortic velocity vector field (in line with previous findings, see Jin et al., 2003)
328 independent of aortic wall displacement, differences emerge between rigid- and moving-wall
329 simulations (Fig. 5).

330 The changes in secondary flow patterns imparted by wall displacements in AAO reflect only
331 moderately on helical flow. From rigid- and moving-wall simulations marginal differences emerge in
332 the cycle-average net amount of helical flow as measured by h_1 and in helicity intensity h_2 (Table 2),
333 suggesting that the overall impact of wall displacement on secondary flows affects helical flow
334 topology modestly (as expressed in terms of H_k waveforms similarity, Fig. 6, and LNH distributions,
335 Fig. 7) and its intensity marginally, in AAO. This finding suggests that helical flow intensity h_2 , which
336 has been demonstrated to play an atheroprotective role in arteries by suppressing flow distortions
337 (Gallo et al., 2018; Morbiducci et al., 2011, 2009), could be affordably quantified with CFD
338 simulations adopting the rigid-wall assumption.

339 Regarding WSS, it emerged that AAO wall displacements have no marked impact on the
340 distributions on the luminal surface of the cycle-average WSS magnitude (TAWSS) and on the
341 variability of the WSS contraction/expansion action along the cardiac cycle (TSVI) (Fig. 8). More
342 marked differences emerged for OSI, with rigid-walls assumption leading to a moderate
343 underestimation (Fig. 8), in agreement with previous findings (Capellini et al., 2020; Stokes et al.,
344 2021) suggesting an impact of aortic wall displacements on WSS direction reversal along the cardiac
345 cycle.

346 Some limitations could weaken the findings of this study. The first one is the application of
347 an idealized flat velocity profile as boundary condition at the inlet. As suggested in previous studies,
348 fully personalized inflow boundary conditions should be applied to realistically model aortic
349 hemodynamics (Morbiducci et al., 2013; Youssefi et al., 2018). However, the idealization introduced

350 here to manage inflow boundary conditions marginally entails the generalization of our findings,
351 which are related to the sole effect of aortic wall motion on large-scale flow coherence. In this sense,
352 applying the same boundary conditions to rigid- and moving-wall models allowed to relate the
353 observed differences to univocal causes.

354 In this study only 10 phases of ECG-gated CT scans were acquired and, consequently, the
355 wall displacements were available only for a limited percentage of the cardiac cycle. Although the
356 temporal resolution of the acquired dynamic CT images is limited compared to more dynamic
357 modalities such as echo and magnetic resonance, advantages associated to CT imaging in terms of
358 spatial resolution should be considered.

359 Another limitation is represented by the assumption of Newtonian rheological behavior for
360 blood. However, the choice of blood rheological models in aorta is still an open point of discussion
361 (Menut et al., 2018). Lastly, only three subjects were analyzed in this study, therefore further
362 investigations with larger datasets are needed to confirm the present findings.

363 Finally, the herein simulated hemodynamics does not account for turbulent phenomena that
364 may occur also in healthy aortas. However, this modelling assumption does not entail the generality
365 of the results because the focus of the study is on large-scale aortic fluid structures.

366 **5. Conclusions**

367 In this study the impact of aortic wall displacements on the coherence of the large-scale fluid
368 structures in AAo was investigated by integration of in vivo measurements with an RBF-based mesh
369 morphing strategy, and CFD. The comparative analysis of the results from rigid- and moving-wall
370 simulations suggests that aortic wall displacements might impact secondary flows topology but not
371 the large-scale axial flow. Moreover, the structure of secondary flows when considering wall
372 displacements contribute to establish helical flow patterns in AAo with modest topological
373 differences compared to rigid-wall models, whereas helicity intensity is not significantly affected.

374 Hence, the findings of this study suggest that the rigid-wall assumption might be a satisfactory
375 approximation when modelling the aortic hemodynamics to investigate the large-scale spatiotemporal
376 coherence of axial flow (Calò et al., 2023, 2021) or helical flow profiles as indicators of physiological
377 significance (Gulan et al., 2014; Liu et al., 2015; Morbiducci et al., 2011, 2009; Oechtering et al.,
378 2020). Considering the increased complexity and computational efforts required by moving-wall
379 simulations, especially when adopting FSI, the hemodynamic picture provided by rigid-wall aortic
380 models might still be considered reasonable in the context of potential clinical practicality (Brown et
381 al., 2012).

382 **Conflict of interest statement**

383 The authors state no conflict of interest for the study object of the manuscript. The research
384 was not supported financially by private companies. None of the authors has a financial agreement
385 with peoples or organizations that could inappropriately influence their work.

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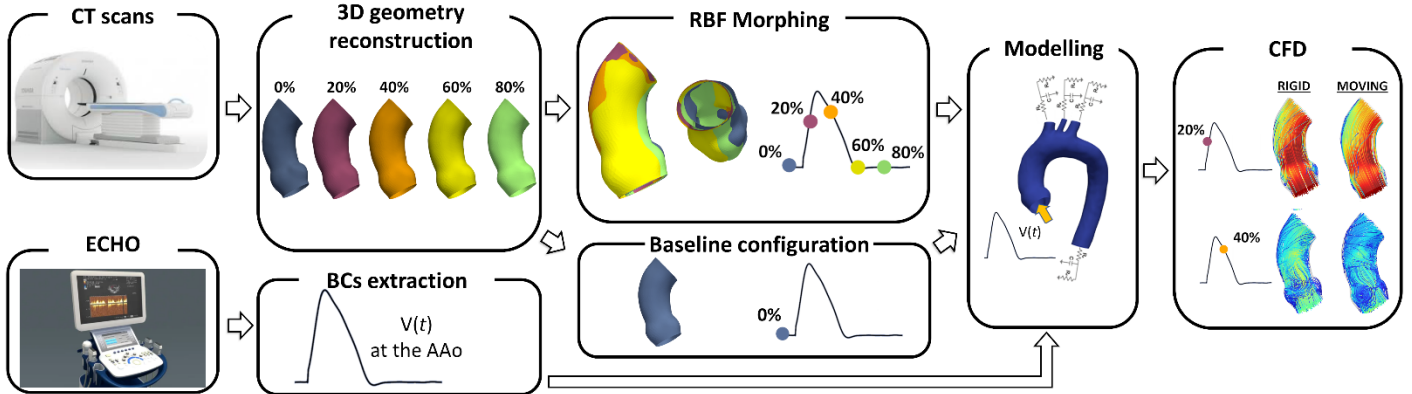
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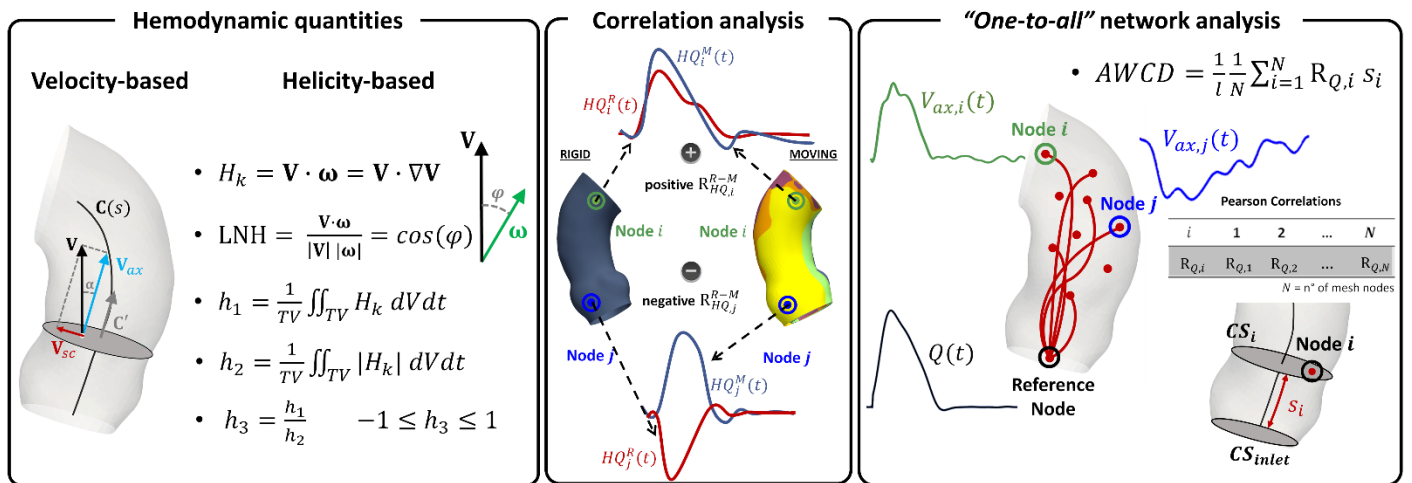
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Computational Hemodynamics Framework

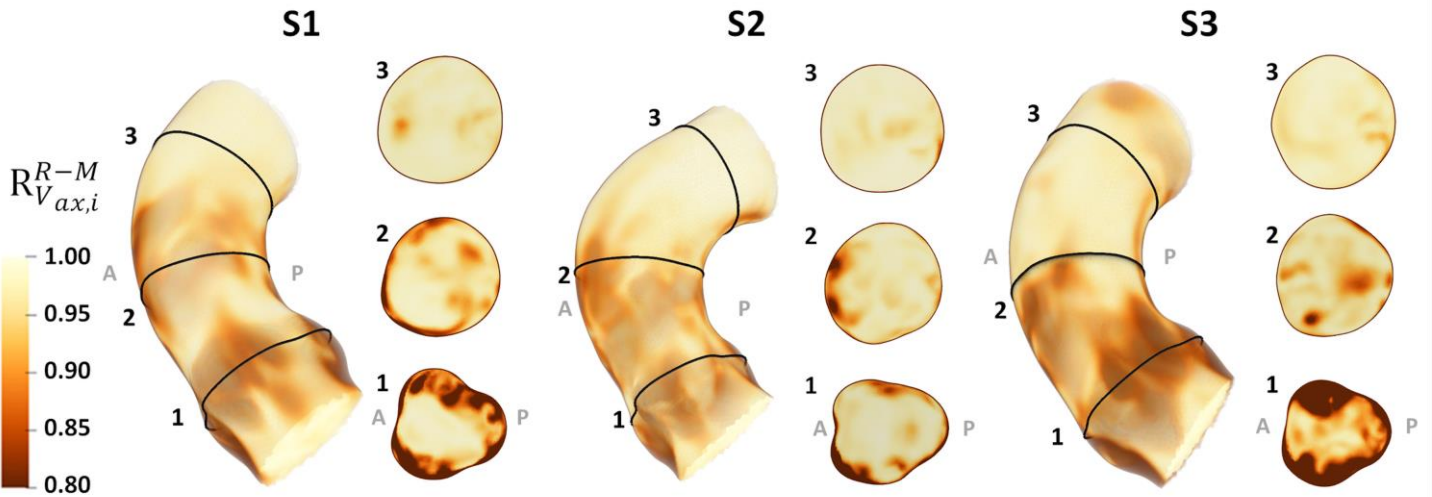


Hemodynamics characterization



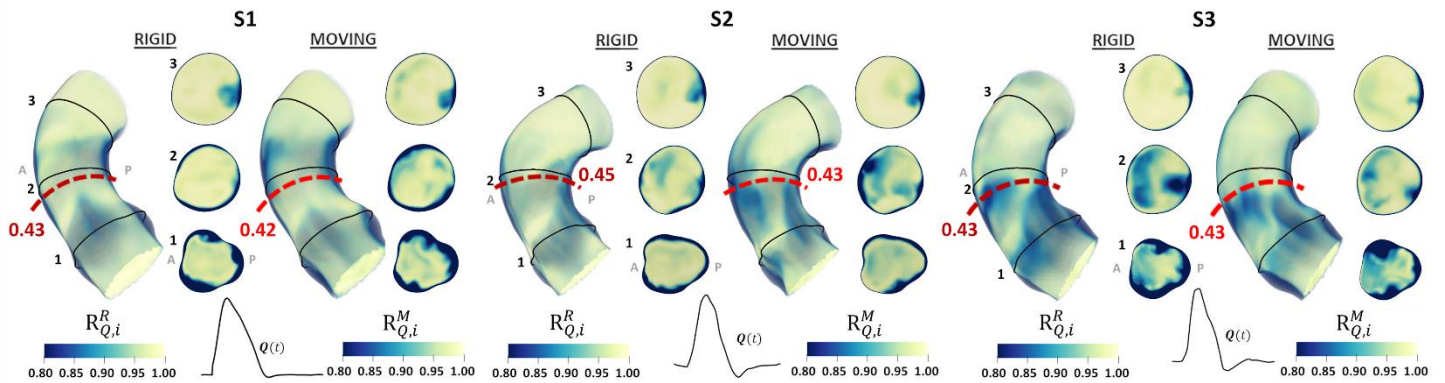
540 **Fig. 1.** Schematic diagram of the methodology applied to investigate the impact that aortic wall
 541 displacements have on large-scale flow coherence in the AAO. Medical imaging is used to reconstruct
 542 the aortic geometry along the cardiac cycle and to extract subject-specific boundary conditions
 543 applied to perform CFD simulations (upper panel). The impact of AAO wall displacements is
 544 investigated in terms of velocity- and helicity-based hemodynamic quantities, through a correlation
 545 analysis and a “one-to-all” network approach (lower panel).

546



547 **Fig. 2.** Impact of aortic motion on the spatiotemporal similarity of axial flow in the AAO: volumetric
 548 maps of correlation coefficients $R_{V_{ax,i}}^{R-M}$ between the $V_{ax,i}(t)$ waveforms at corresponding nodes of the
 549 rigid- and moving-wall models. Maps at three cross-sections along the AAO are also displayed.

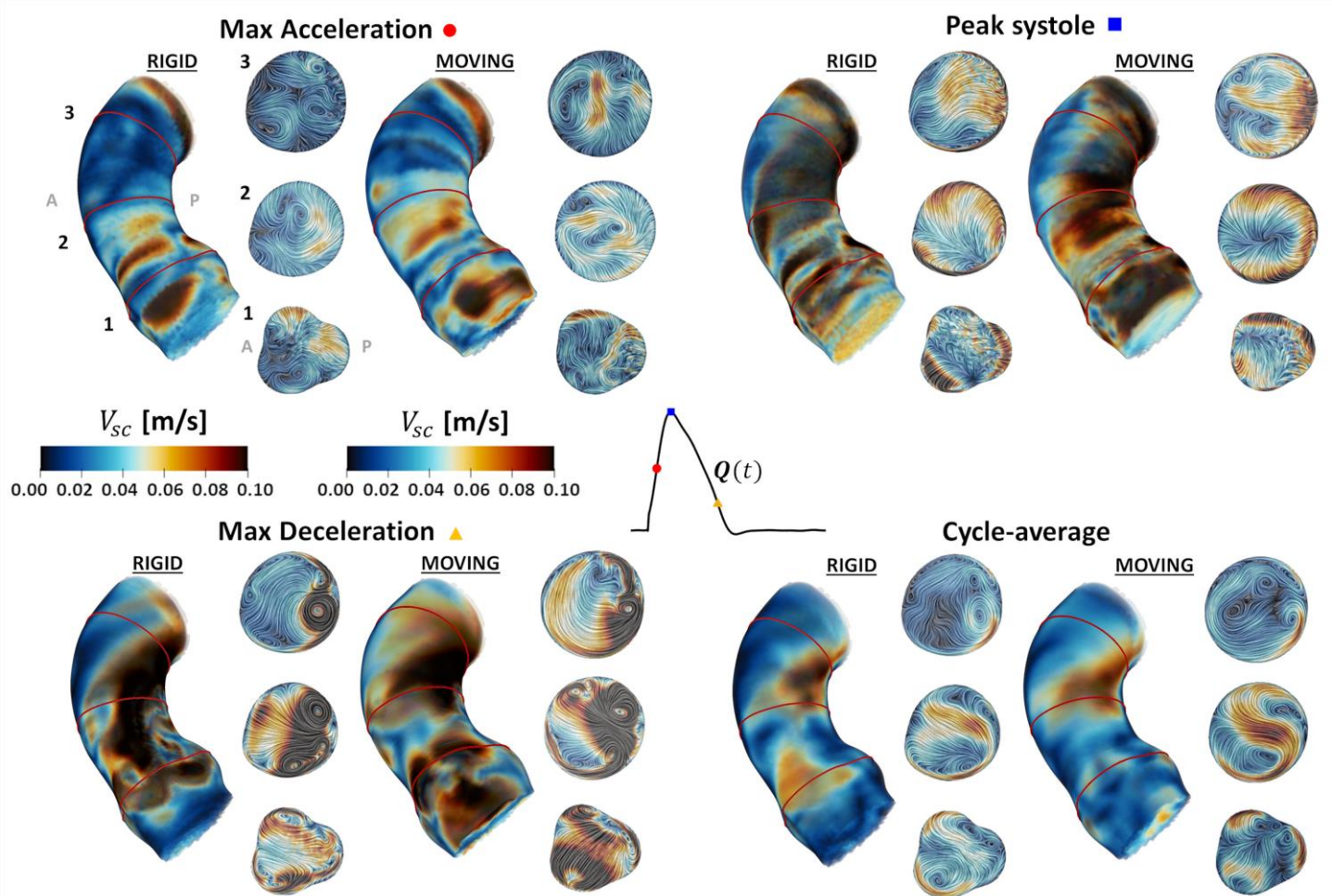
550



551 **Fig. 3.** “One-to-all” network analysis to evaluate the impact of wall displacements on the
 552 spatiotemporal similarity of axial velocity waveforms with the blood flow rate waveform at the AAO
 553 inlet section: volume maps of the correlation coefficients between $Q(t)$ and $V_{ax,i}(t)$ waveforms in
 554 the rigid- ($R_{Q,i}^R$) and in the moving-wall ($R_{Q,i}^M$) models. The *AWCD* values measuring the anatomical
 555 length of persistence of the correlation between $Q(t)$ and $V_{ax,i}(t)$ in the AAO are reported in red.
 556 Maps at three cross-sections along the AAO are also displayed.

557

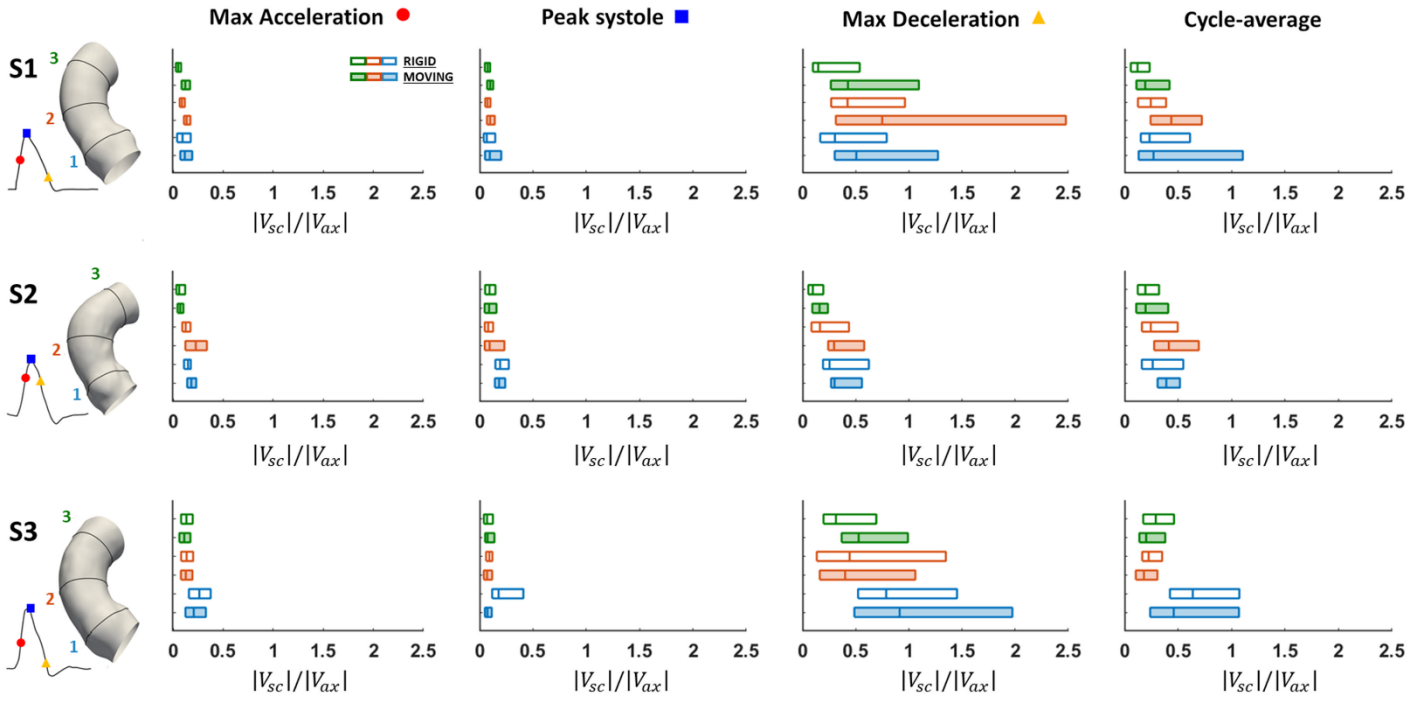
558



559 **Fig. 4.** Impact of aortic motion on secondary flows in the AAO: volume maps of the secondary
560 velocity magnitude $|V_{sc}|$ cycle-averaged and at three different phases of the cardiac cycle (peak
561 systole, maximum flow acceleration and deceleration), in the rigid- and moving-wall models for the
562 explanatory subject S1. Secondary flows at three cross-sections along the AAO are also displayed.

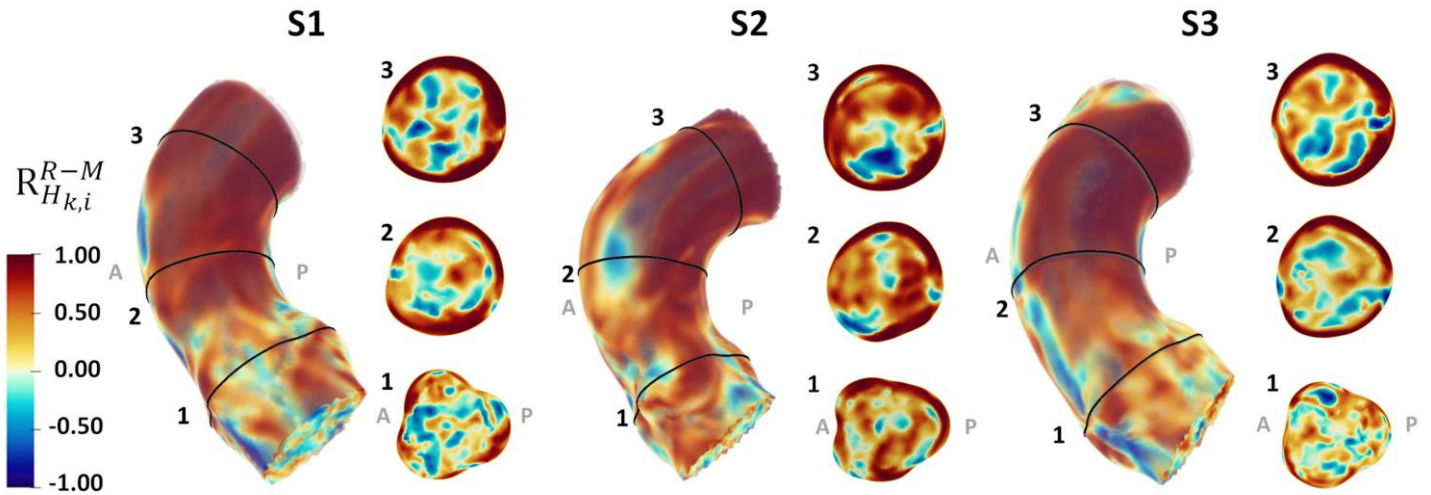
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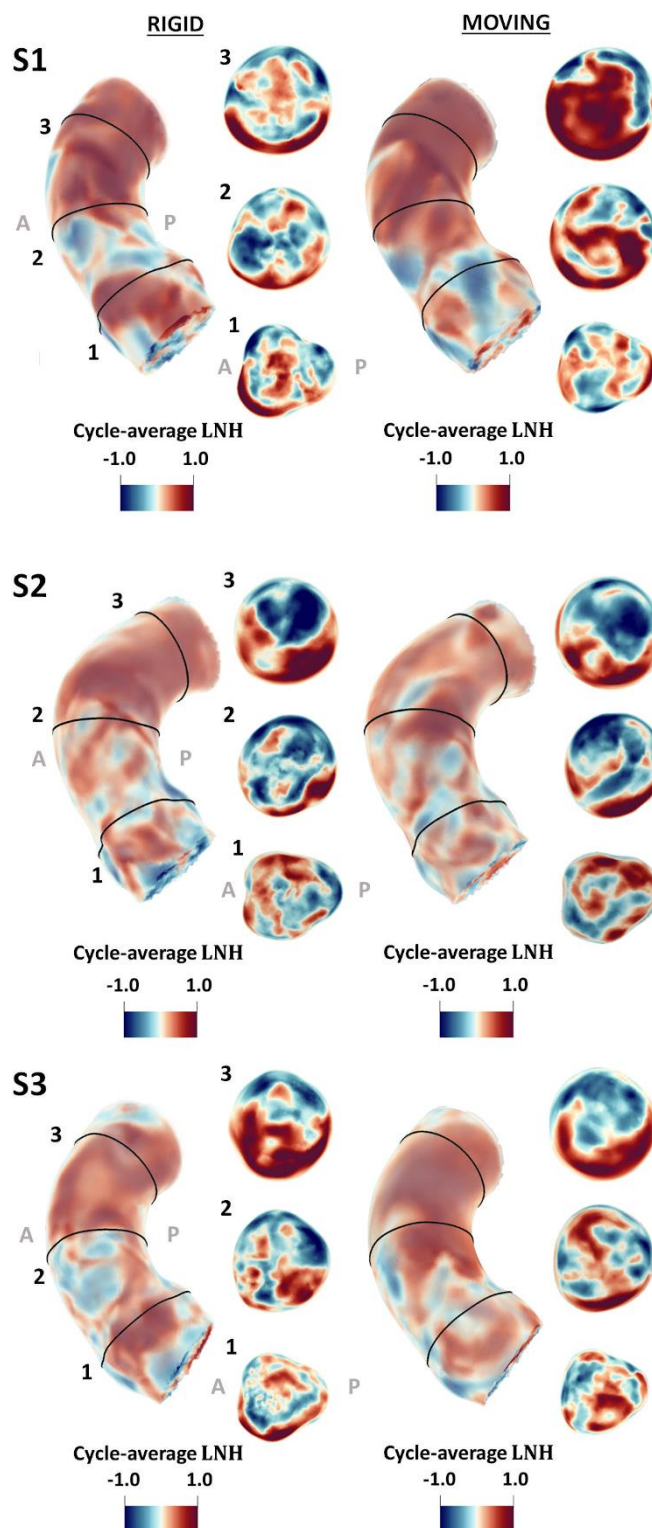
565 **Fig. 5.** Boxplots of $|V_{sc}|/|V_{ax}|$ values cycle-averaged and at three different phases of the cardiac cycle
 566 (peak systole, maximum flow acceleration and deceleration), at three cross-sections along the AAo
 567 in the rigid- and moving-wall models.

568



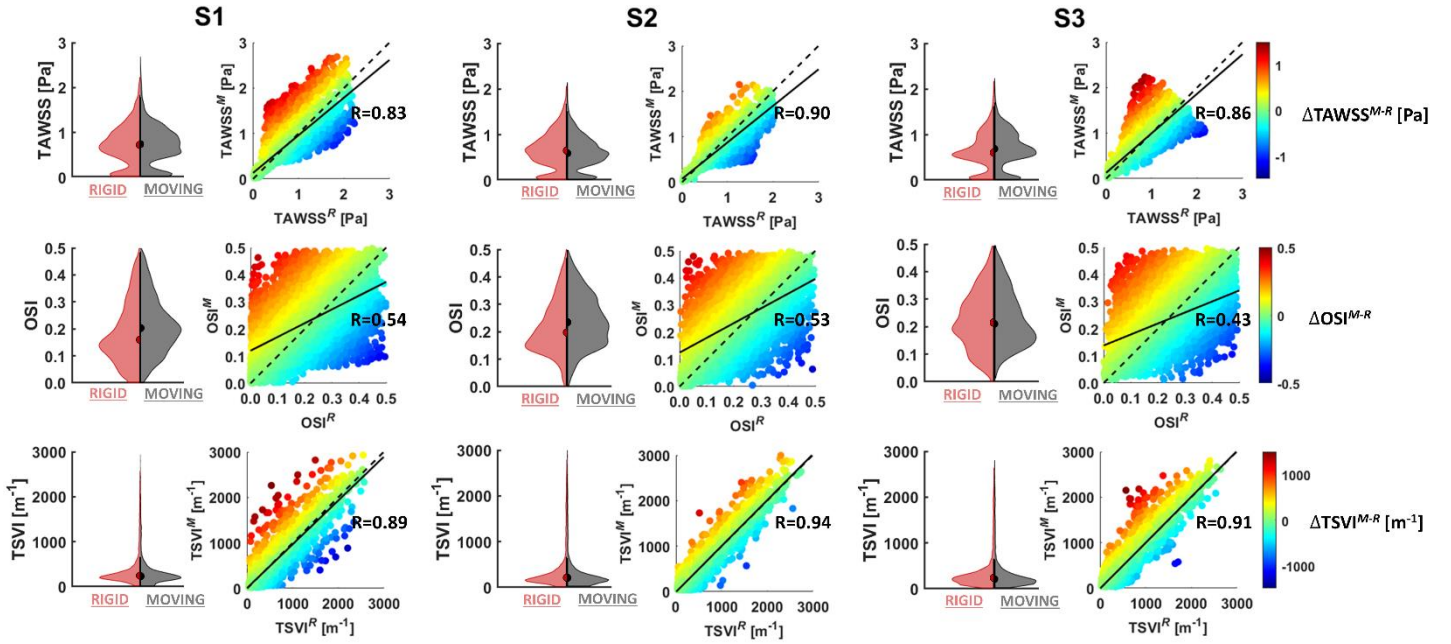
569 **Fig. 6.** Impact of aortic motion on the spatiotemporal similarity of helical flow in the AAo: volume
 570 maps of the correlation coefficients $R_{H_{k,i}}^{R-M}$ between the $H_{k,i}(t)$ waveforms at corresponding nodes of
 571 the rigid- and moving-wall models. Maps at three cross-sections along the AAo are also displayed.

572



573 **Fig. 7.** Impact of aortic motion on helical flow topological features in the AAO: volume maps of
574 cycle-average LNH in the rigid- and moving-wall models. Positive (red) and negative (blue) LNH
575 values indicate counter-rotating flow structures.

576



577 **Fig. 8.** Impact of aortic motion on wall shear stress in the AAo: violin plots and scatter plots of
 578 TAWSS, OSI and TSVI in the rigid- and moving-wall models. Colormap in the scatter plots indicates
 579 the absolute difference between the moving- and the rigid-wall case in the nodal values of the
 580 investigated WSS-based quantities. The identity line as well as the regression line with the Pearson
 581 correlation coefficient R are also displayed.
 582

Investigated WSS-based quantities

Time-averaged Wall Shear Stress (TAWSS)
$$\text{TAWSS} = \frac{1}{T} \int_0^T |\mathbf{WSS}| dt$$

Oscillatory Shear Index (OSI)
$$\text{OSI} = 0.5 \left[1 - \left(\frac{\left| \int_0^T \mathbf{WSS} dt \right|}{\int_0^T |\mathbf{WSS}| dt} \right) \right]$$

Topological Shear Variation Index (TSVI)
$$\text{TSVI} = \left\{ \frac{1}{T} \int_0^T [\nabla \cdot (\mathbf{WSS}_{\mathbf{u}}) - \overline{\nabla \cdot (\mathbf{WSS}_{\mathbf{u}})}]^2 dt \right\}^{1/2}$$

583 **Table 1** Investigated WSS-based quantities: \mathbf{WSS} is the time-varying wall shear stress vector; T is
 584 the cardiac cycle duration; $\mathbf{WSS}_{\mathbf{u}}$ is the WSS unit vector; $\nabla \cdot (\mathbf{WSS}_{\mathbf{u}})$ is the divergence of the WSS
 585 unit vector field; the overbar denotes a cycle-average quantity.
 586

	S1		S2		S3	
	Rigid	Moving	Rigid	Moving	Rigid	Moving
h_1 [m s ⁻²]	0.15	0.46	-0.35	-0.36	-0.09	0.03
h_2 [m s ⁻²]	3.67	3.76	3.76	3.48	3.91	3.22
h_3	0.04	0.12	-0.09	-0.10	-0.02	0.01

587 **Table 2** Values of the helicity-based quantities h_i for the rigid- and moving-wall models.

588