

TiCSA 2023

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Configuring timing parameters to ensure opacity

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Based on joint works with Engel Lefaucheu, Didier Lime, Dylan Marinho and Sun Jun



Context: side-channel attacks

- Threats to a system using non-algorithmic weaknesses

- Example

- Number of pizzas (and order time) ordered by the white house prior to major war announcements ¹

¹<http://home.xnet.com/~warinner/pizzacites.html>

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- Cache attack
- Electromagnetic attacks
- Power attacks



- Acoustic attacks
- Timing attacks
- etc.

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Context: timing attacks

- Principle: deduce **private information** from timing data (**execution time**)

Issues:

- May depend on the **implementation** (or, even worse, be **introduced by the compiler**)
- A potential solution: make the program last always its maximum execution time
Drawback: **loss of efficiency**

~> Non-trivial problem

A simple example of timing attack

```
1 # input pwd      : Real password
2 # input attempt: Tentative password
3 for i = 0 to min(len(pwd), len(attempt)) - 1 do
4     if pwd[i] /= attempt[i] then
5         return false
6 done
7 return true
```

A simple example of timing attack

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1 # input pwd      : Real password
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3 for i = 0 to min(len(pwd), len(attempt)) - 1 do
4     if pwd[i] != attempt[i] then
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```

pwd c h o u d o u f u

attempt c h e e s e

Execution time:

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pwd	c	h	o	u	d	o	u	f	u
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Execution time: $\epsilon + \epsilon + \epsilon$

- **Problem:** The execution time is proportional to the number of consecutive correct characters from the beginning of `attempt`

Outline

- 1 Problems
- 2 Timed automata
- 3 Execution-time opacity computation
- 4 Execution-time opacity synthesis
- 5 Experiments
- 6 Expiring opacity
- 7 Conclusion and perspectives

Our attacker model

Attacker capabilities

- Has access to the model (white box)
- Can only observe the **execution time**



Attacker goal

- Wants to deduce some private information based on these observations

Informal problems

Question: can we exhibit **secure execution times**?

Execution-time opacity computation

Compute **execution times** for which the attacker cannot deduce private information by observing the execution time

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Question: can we exhibit **secure execution times**?

Execution-time opacity computation

Compute execution times for which the attacker cannot deduce private information by observing the execution time

Question: can we decide whether **all** execution times are secure?

Full execution-time opacity

Decide whether the attacker cannot deduce private information, **for all** execution times

Informal problems: configuration

Question: can we also **configure** internal timing constants to make the system resisting to timing attacks?

Execution-time opacity synthesis

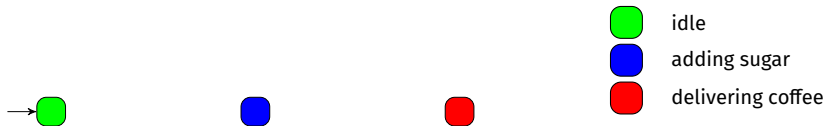
Exhibit **execution times** and **internal timing constants** for which the attacker cannot deduce private information by observing the execution time

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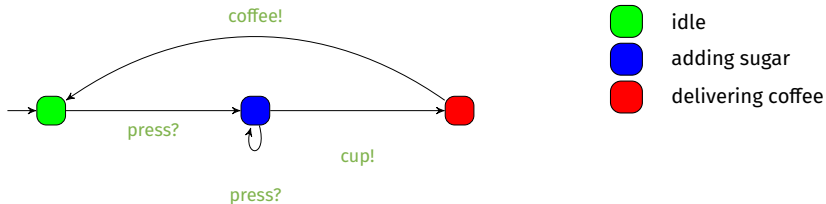
Timed automaton (TA)

- Finite-state automaton (sets of locations)



Timed automaton (TA)

- Finite-state automaton (sets of locations and actions)

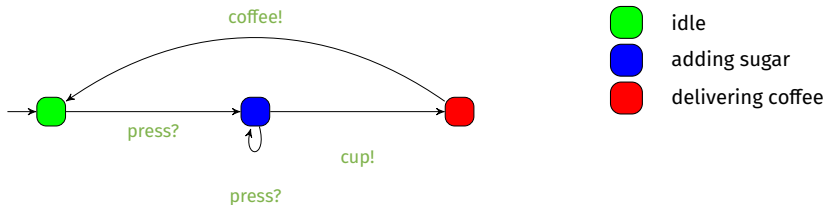


[AD94] Rajeev Alur and David L. Dill. "A theory of timed automata". In: *Theoretical Computer Science* 126.2 (Apr. 1994), pp. 183–235

Timed automaton (TA)

- Finite-state automaton (sets of locations and **actions**) augmented with a set X of **clocks**
- Real-valued variables evolving linearly **at the same rate**

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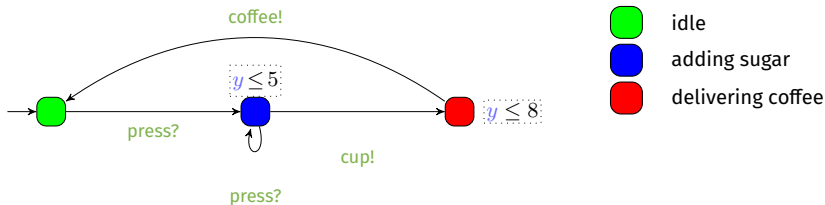
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■ Features

- Location **invariant**: property to be verified to stay at a location



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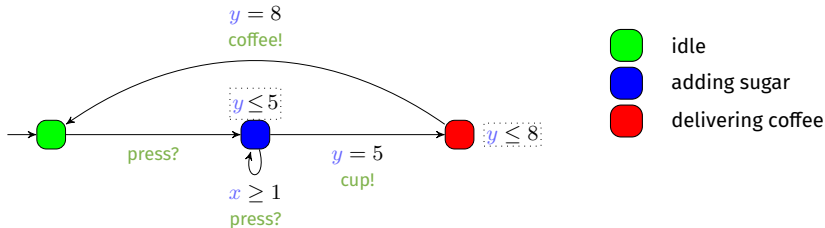
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■ Features

- Location **invariant**: property to be verified to stay at a location
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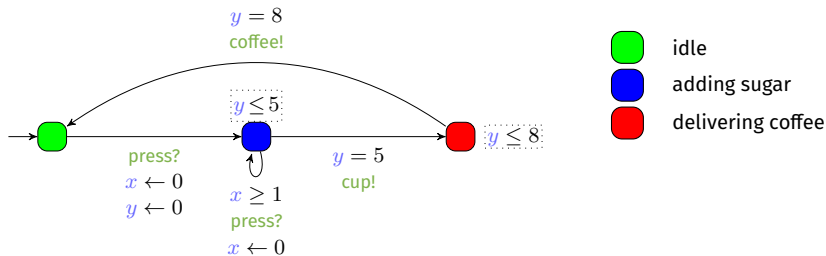
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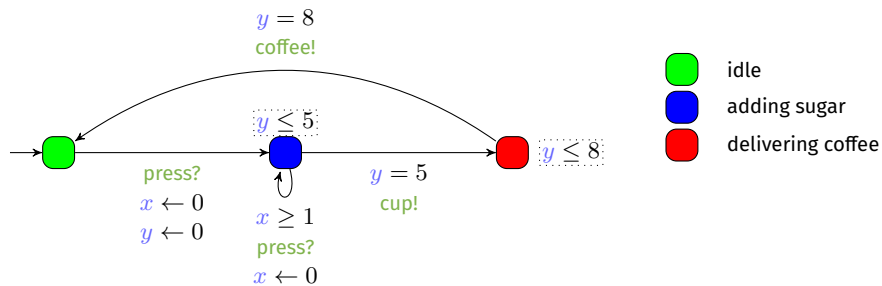
■ Features

- Location **invariant**: property to be verified to stay at a location
- Transition **guard**: property to be verified to enable a transition
- Clock **reset**: some of the clocks can be **set to 0** along transitions

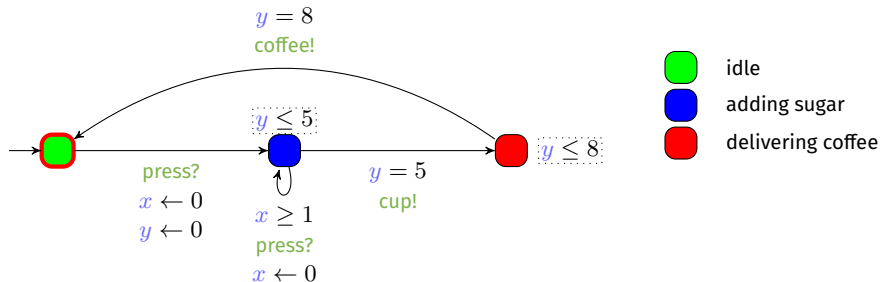


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Examples of executions



Examples of executions

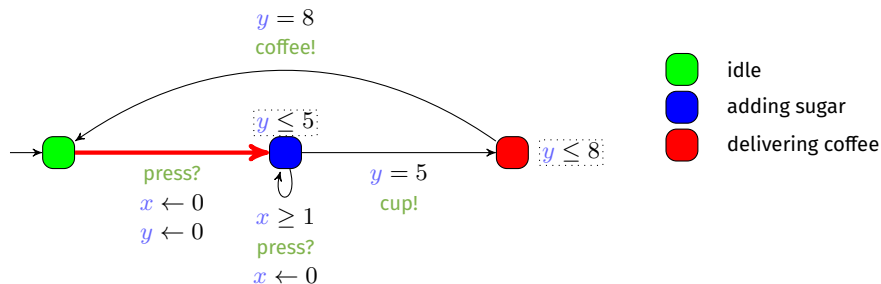


■ Example of concrete run for the coffee machine

■ Coffee with 2 doses of sugar

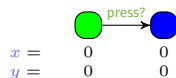
$x = 0$
 $y = 0$

Examples of executions

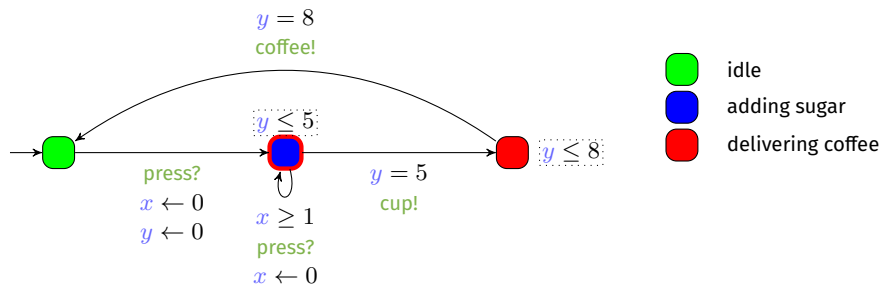


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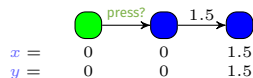


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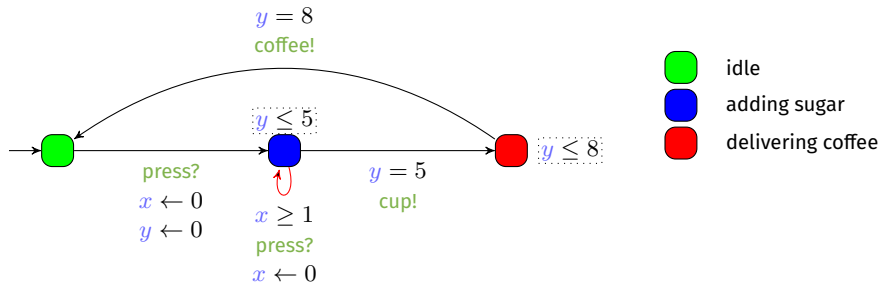


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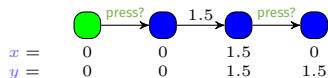


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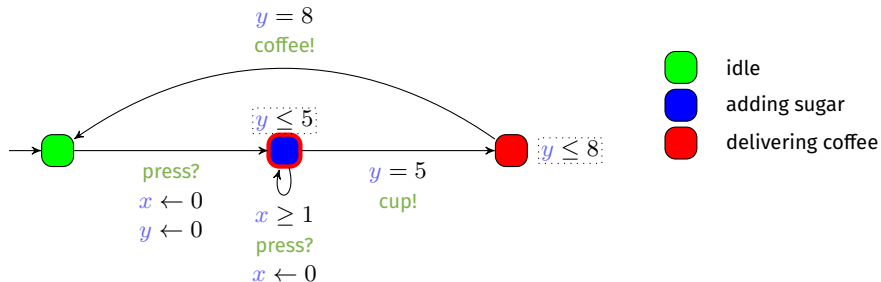


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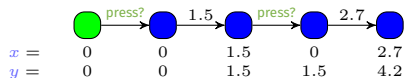


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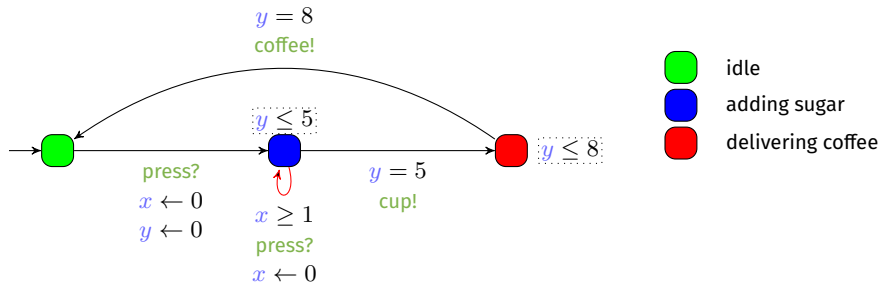


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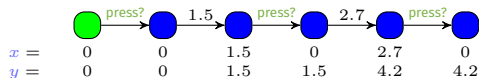


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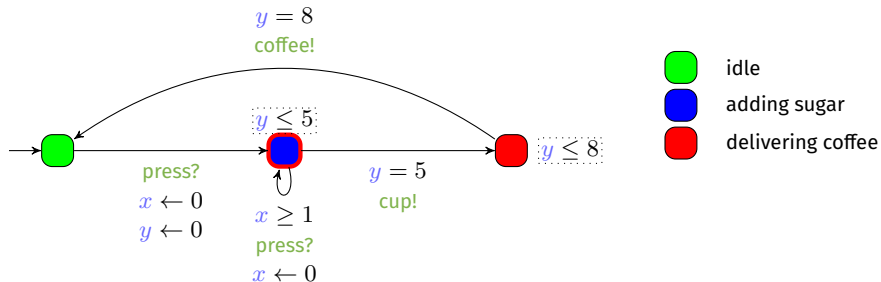


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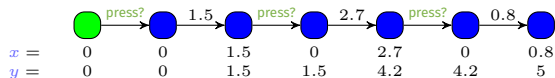


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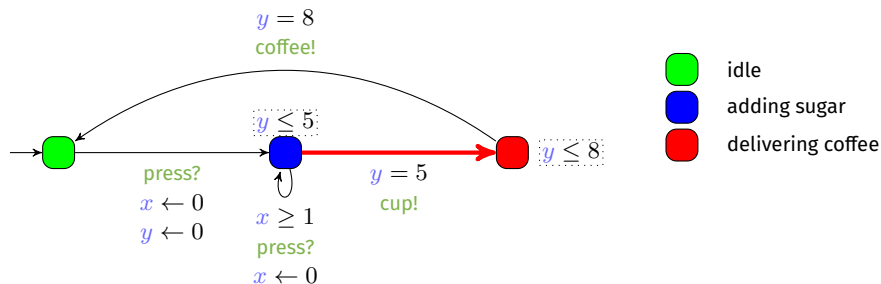


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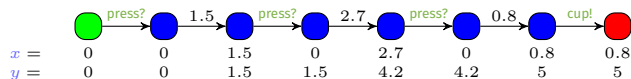


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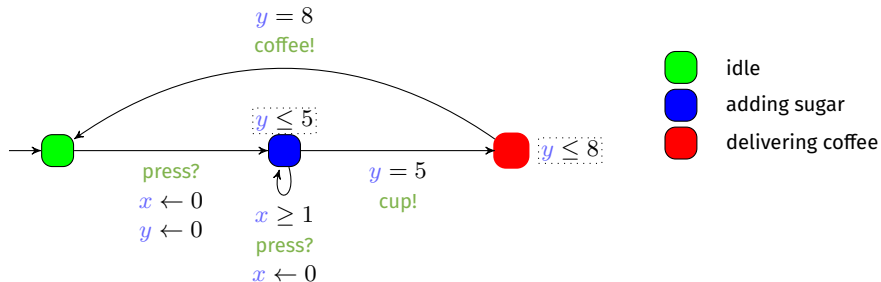


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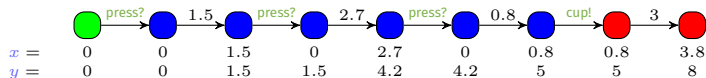


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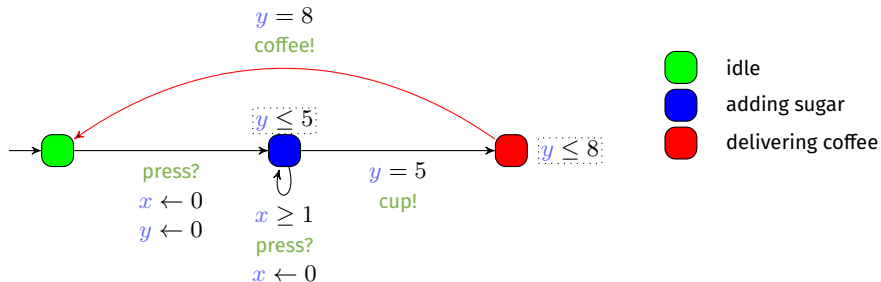


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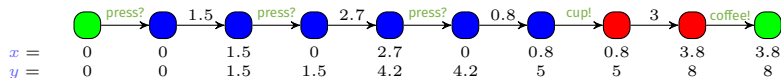


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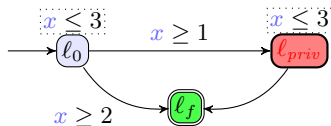
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Formalization

Hypotheses:

- A start location ℓ_0 and an end location ℓ_f
- A special private location ℓ_{priv}



Definition (execution-time opacity [And+22])

The system is **ET-opaque** if there exist two runs to ℓ_f of duration d

- 1 one visiting ℓ_{priv} , and
- 2 one *not* visiting ℓ_{priv}

[And+22] Étienne André, Didier Lime, Dylan Marinho, and Jun Sun. "Guaranteeing timed opacity using parametric timed model checking". In: *ACM Transactions on Software Engineering and Methodology* 31.4 (Oct. 2022), pp. 1–36

Weak and full ET-opacity

Definition (weak execution-time opacity)

For each duration d ,

There exists a run of duration d visiting ℓ_{priv}

\Rightarrow

There exists a run of duration d not visiting ℓ_{priv}

That is: **private** durations \subseteq **public** durations

Definition (full execution-time opacity)

For each duration d ,

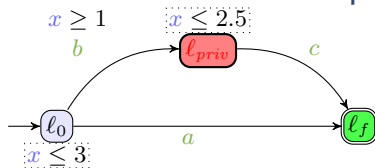
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\Leftrightarrow

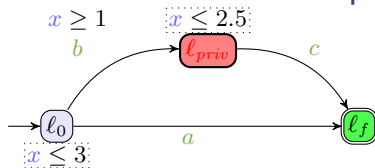
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Illustrating weak and full execution-time opacity

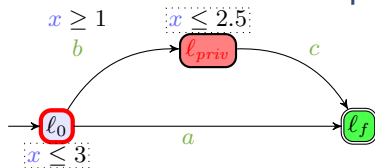


Illustrating weak and full execution-time opacity



- There exist (at least) two runs of duration $d = 2$:

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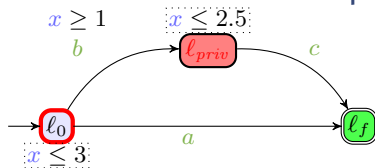


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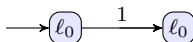


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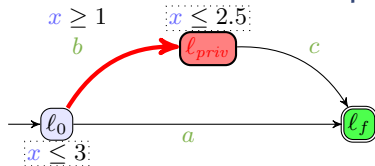


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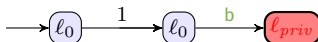


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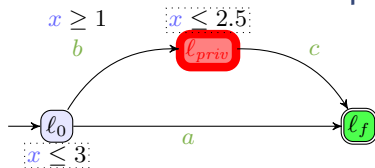


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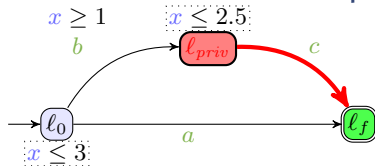


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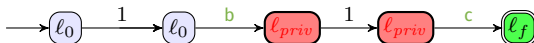


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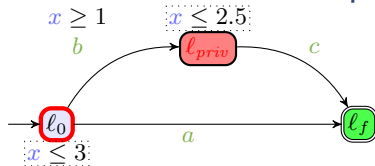


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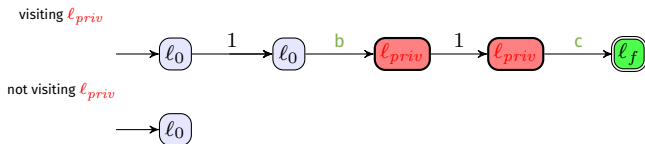
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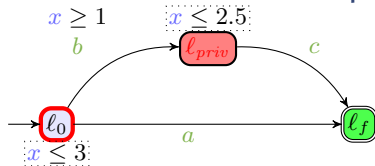
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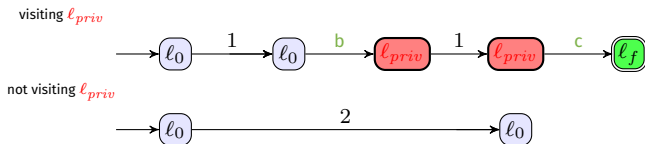
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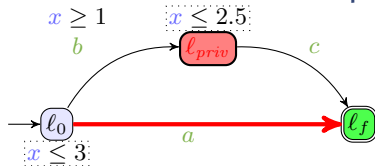
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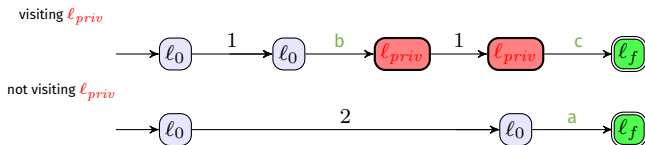
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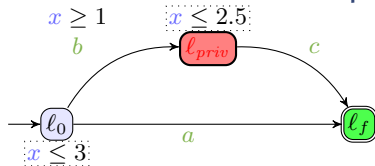
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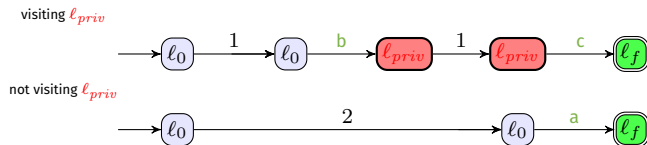
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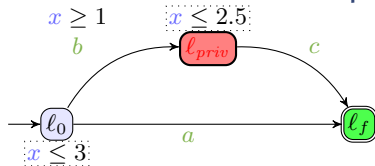


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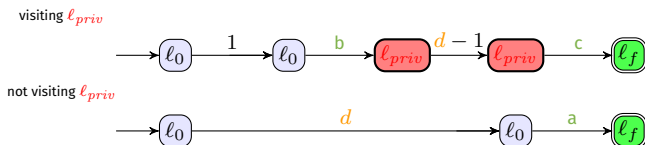


The system is ET-opaque for a duration $d = 2$

Illustrating weak and full execution-time opacity

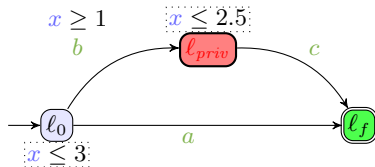


- There exist (at least) two runs of duration d for all durations $d \in [1, 2.5]$:



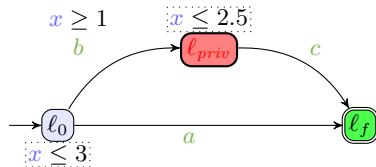
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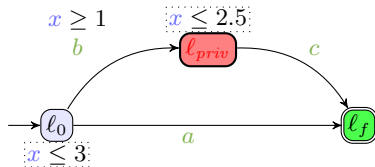
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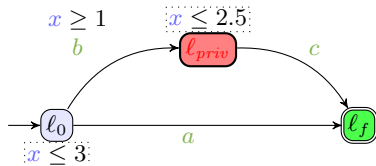
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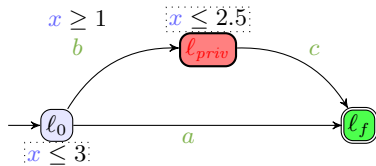
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The system is weakly ET-opaque

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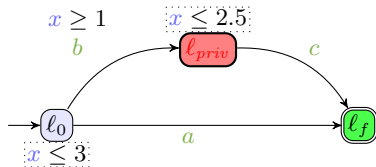


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- Generally:
 - private execution times are $[1, 2.5]$
 - public execution times are $[0, 3]$
 - private durations \subseteq public durations

The system is weakly ET-opaque

- private durations \neq public durations

Illustrating weak and full execution-time opacity



- There exist (at least) two runs of duration d for all durations $d \in [1, 2.5]$
- Generally:
 - private execution times are $[1, 2.5]$
 - public execution times are $[0, 3]$
 - private durations \subseteq public durations

The system is weakly ET-opaque

- private durations \neq public durations

The system is not fully ET-opaque

Execution-time opacity computation can be achieved

Theorem (Computability of execution-time opacity)

*The answer to the execution-time opacity computation problem for timed automata can be **effectively computed** in the form of a finite union of intervals*

Proof: based on the region graph (see [And+22])

Exact complexity: unproved (EXPSpace upper bound proved, but exponential hardness seems likely)

Remark: to be put in perspective with [Cas09]

- undecidability for a less expressive class, for a stronger notion of opacity

[And+22] Étienne André, Didier Lime, Dylan Marinho, and Jun Sun. “Guaranteeing timed opacity using parametric timed model checking”. In: *ACM Transactions on Software Engineering and Methodology* 31.4 (Oct. 2022), pp. 1–36

[Cas09] Franck Cassez. “The Dark Side of Timed Opacity”. In: *ISA*. vol. 5576. LNCS. Springer, 2009, pp. 21–30

Full and weak execution-time opacity

Theorem (Full execution-time opacity [And+22])

Full execution-time opacity is *decidable* for timed automata

Theorem (Weak execution-time opacity [ALM23])

Weak execution-time opacity is *decidable* for timed automata

[And+22] Étienne André, Didier Lime, Dylan Marinho, and Jun Sun. “Guaranteeing timed opacity using parametric timed model checking”. In: *ACM Transactions on Software Engineering and Methodology* 31.4 (Oct. 2022), pp. 1–36

[ALM23] Étienne André, Engel Lefauchaux, and Dylan Marinho. “Expiring opacity problems in parametric timed automata”. In: *ICECCS*. To appear. 2023

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- 1 Problems
- 2 Timed automata
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- 4 Execution-time opacity synthesis**
- 5 Experiments
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Towards configurable opaque systems...

Problems

- Can we **configure** some timing constants to guarantee opacity?
- Verification for **one** set of constants does not usually guarantee the correctness for other values
- **Robustness** [BMS13]: What happens if 50 is implemented with 49.99?

[BMS13] Patricia Bouyer, Nicolas Markey, and Ocan Sankur. "Robustness in timed automata". In: *RP*. vol. 8169. LNCS. Invited paper. Springer, Sept. 2013, pp. 1–18

Towards configurable opaque systems...

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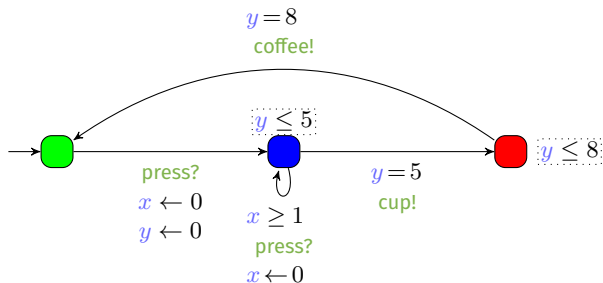
A solution:

- **Parameter synthesis**
 - Consider that timing constants are unknown constants (**parameters**)

[BMS13] Patricia Bouyer, Nicolas Markey, and Ocan Sankur. "Robustness in timed automata". In: *RP*. vol. 8169. LNCS. Invited paper. Springer, Sept. 2013, pp. 1–18

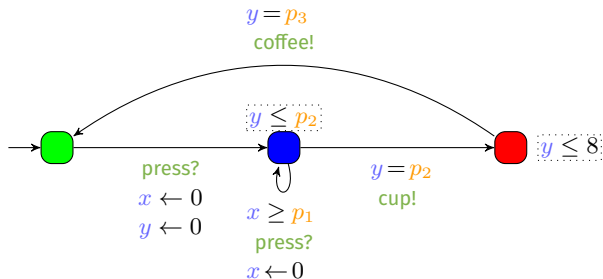
Parametric Timed Automaton (PTA)

- Timed automaton (sets of locations, actions and clocks)



Parametric Timed Automaton (PTA)

- Timed automaton (sets of locations, actions and clocks) augmented with a set P of parameters [AHV93]
 - Unknown constants compared to a clock in guards and invariants



[AHV93] Rajeev Alur, Thomas A. Henzinger, and Moshe Y. Vardi. "Parametric real-time reasoning". In: *STOC. ACM*, 1993, pp. 592–601

Two classes of parametric problems

Emptiness problem

Is the set of **parameter valuations** ensuring the property **empty**?

Synthesis problem

Synthesize all the **parameter valuations** ensuring the property

Two classes of parametric problems

Emptiness problem

Is the set of **parameter valuations** ensuring the property **empty**?

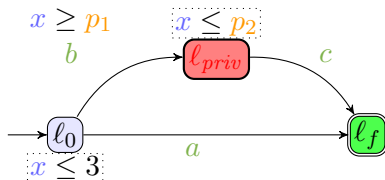
Synthesis problem

Synthesize all the **parameter valuations** ensuring the property

4 concrete opacity problems:

- Decision problems: weak (resp. full) execution-time opacity emptiness
- Synthesis problems: weak (resp. full) execution-time opacity synthesis

Example



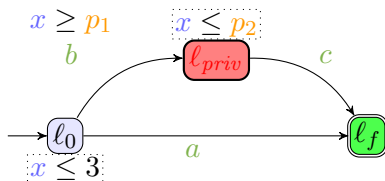
Private	$[p_1, p_2]$
Public	$[0, 3]$

ET-opacity	Emptiness	Synthesis
------------	-----------	-----------

weak

full

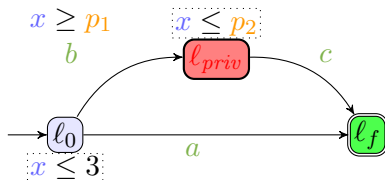
Example



Private	$[p_1, p_2]$
Public	$[0, 3]$

ET-opacity	Emptiness	Synthesis
weak	$\times (\exists v)$	
full	$\times (\exists v)$	

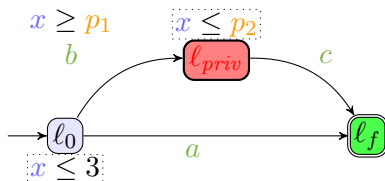
Example



Private	$[p_1, p_2]$
Public	$[0, 3]$

ET-opacity	Emptiness	Synthesis
weak	$\times (\exists v)$	$0 \leq p_1 \wedge p_2 \leq 3 \quad \wedge \quad p_1 \leq p_2$
full	$\times (\exists v)$	

Example



Private	$[p_1, p_2]$
Public	$[0, 3]$

ET-opacity	Emptiness	Synthesis
weak	$\times(\exists v)$	$0 \leq p_1 \wedge p_2 \leq 3 \quad \wedge \quad p_1 \leq p_2$
full	$\times(\exists v)$	$p_1 = 0 \wedge p_2 = 3$

These valuations give a way to **configure** the system parameters to formally guarantee execution-time opacity

Outline

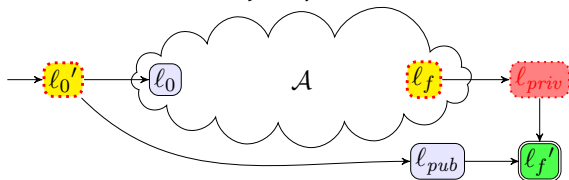
- 1 Problems
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Execution-time opacity synthesis is (very) difficult

Theorem (Undecidability of execution-time opacity-emptiness)

The mere existence of a parameter valuation such that there exists a duration for which execution-time opacity is achieved is undecidable.

Proof idea: reduction from reachability-emptiness for PTAs [AHV93]



Remark: **decidable subclass**

(see [And+22])

[AHV93] Rajeev Alur, Thomas A. Henzinger, and Moshe Y. Vardi. "Parametric real-time reasoning". In: *STOC. ACM*, 1993, pp. 592–601

[And+22] Étienne André, Didier Lime, Dylan Marinho, and Jun Sun. "Guaranteeing timed opacity using parametric timed model checking". In: *ACM Transactions on Software Engineering and Methodology* 31.4 (Oct. 2022), pp. 1–36

Undecidability

Theorem (Full execution-time opacity emptiness [And+22])

*Full execution-time opacity emptiness is **undecidable** for parametric timed automata, and even for the subclass of L/U parametric timed automata.*

[And+22] Étienne André, Didier Lime, Dylan Marinho, and Jun Sun. “Guaranteeing timed opacity using parametric timed model checking”. In: *ACM Transactions on Software Engineering and Methodology* 31.4 (Oct. 2022), pp. 1–36

Undecidability

Theorem (Full execution-time opacity emptiness [And+22])

*Full execution-time opacity emptiness is **undecidable** for parametric timed automata, and even for the subclass of L/U parametric timed automata.*

In the following, we adopt a “best-effort” approach

- Approach not guaranteed to terminate in theory

[And+22] Étienne André, Didier Lime, Dylan Marinho, and Jun Sun. “Guaranteeing timed opacity using parametric timed model checking”. In: *ACM Transactions on Software Engineering and Methodology* 31.4 (Oct. 2022), pp. 1–36

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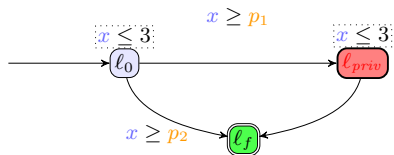
Computing execution-time opacity via reachability synthesis

Big picture:

- Formalism: parametric timed automata
- Our approach:
 - 1 Perform a (mild) **transformation** of the PTA
 - 2 Perform **self-composition**
 - 3 Apply parametric timed model checking (**reachability-synthesis**)
- Tool support: IMITATOR [And21]

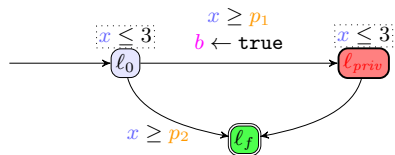
[And21] Étienne André. "IMITATOR 3: Synthesis of timing parameters beyond decidability". In: *CAV*. vol. 12759. LNCS. Springer, 2021, pp. 1–14

Our transformation of the PTA in 4 overlays



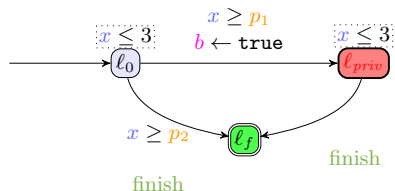
Our transformation of the PTA in 4 overlays

- 1 Add a Boolean flag b to remember whether ℓ_{priv} was visited



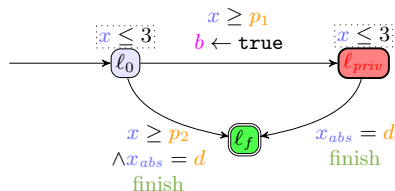
Our transformation of the PTA in 4 overlays

- 1 Add a Boolean flag b to remember whether ℓ_{priv} was visited
- 2 Add a synchronization action $finish$ on any transition to ℓ_f



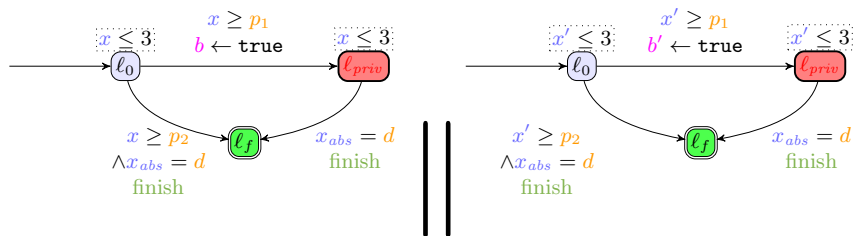
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- 1 Add a Boolean flag b to remember whether ℓ_{priv} was visited
- 2 Add a synchronization action $finish$ on any transition to ℓ_f
- 3 Measure the (parametric) duration to ℓ_f thanks to a new clock x_{abs} and a new parameter d



Our transformation of the PTA in 4 overlays

- 1 Add a Boolean flag b to remember whether ℓ_{priv} was visited
- 2 Add a synchronization action $finish$ on any transition to ℓ_f
- 3 Measure the (parametric) duration to ℓ_f thanks to a new clock x_{abs} and a new parameter d
- 4 Perform **self-composition** (i. e., a synchronization on shared actions of the PTA with a copy of itself)



Applying reachability-synthesis

We then synthesize all parameter valuations (including d) for which the following discrete state is reachable:

- the original automaton is in ℓ_f with $b = \text{true}$
- the copy automaton is in ℓ_f with $b' = \text{false}$

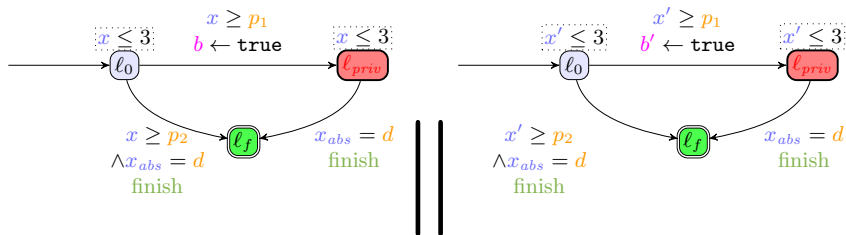
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Intuition:

- for the **same duration** (thanks to the synchronization on **finish**), we can reach ℓ_f “both” after visiting ℓ_{priv} (i.e., $b = \text{true}$) and not visiting ℓ_{priv} (i.e., $b = \text{false}$)



Formal proof of correctness: see paper

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Experimental environment

Algorithms

- 1 Full execution-time opacity: “for a non-parametric TA, is the TA opaque for all execution times?”
- 2 Execution-time opacity synthesis: “for a PTA, synthesize some parameter valuations and execution times ensuring execution-time opacity”

Benchmarks

- Common PTA benchmarks [AMP21]
- Library of Java programs <https://github.com/Apogee-Research/STAC/>
 - Manually translated to PTAs
 - User-input variables translated to (non-timing) parameters (supported by IMITATOR)

See experiments at doi.org/10.5281/zenodo.3251141

andimitator.fr/static/ATVA19/

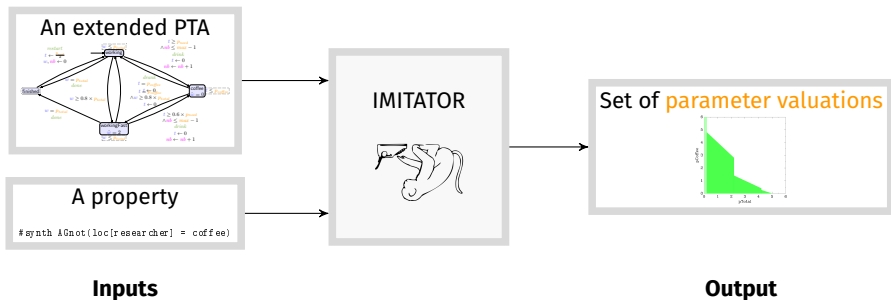
[AMP21] Étienne André, Dylan Marinho, and Jaco van de Pol. “A Benchmarks Library for Extended Timed Automata”. In: *TAP*, vol. 12740. LNCS. Springer, 2021, pp. 39–50

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Parameter synthesis using IMITATOR

IMITATOR: a **parametric** timed model checker

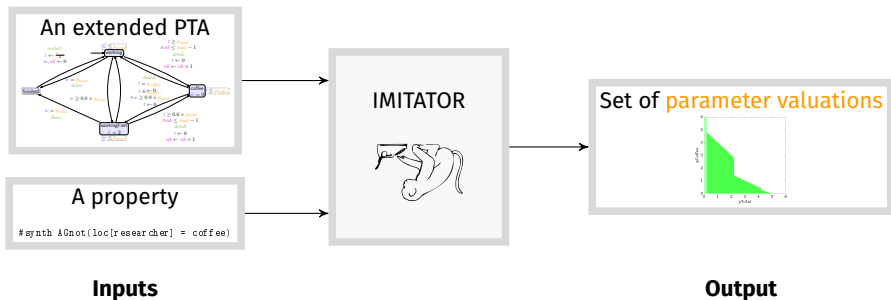


The set of **parameter valuations** is symbolic

- Symbolic: finite set of linear constraints (polyhedra)

Parameter synthesis using IMITATOR

IMITATOR: a **parametric** timed model checker



The set of **parameter valuations** is symbolic

- Symbolic: finite set of linear constraints (polyhedra)
- Two categories of properties
 - Synthesis: “(try to) synthesize **all** valuations for which the property holds”
 - Exhibition: “(try to) synthesize **at least one** valuation for which the property holds”

Distribution

Free and open source software: Available under the GNU-GPL license

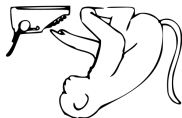


Distribution:

- Binaries available for Linux platforms (no dependency, no install)
- Docker version
- Integrated as a virtual machine
- Comes with a user manual and an extensive benchmarks library [AMP21]

doi.org/10.5281/zenodo.4723415

Try it!



www.imitator.fr

[AMP21] Étienne André, Dylan Marinho, and Jaco van de Pol. "A Benchmarks Library for Extended Timed Automata". In: *TAP*. vol. 12740. LNCS. Springer, 2021, pp. 39–50

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Experiments: (non-parametric) execution-time opacity

Model Name	Transf. PTA					Result	
	\mathcal{A}	\mathcal{X}	\mathcal{A}	\mathcal{X}	P	Time (s)	Vulnerable?
Fig. 5, [VNN18]	1	1	2	3	3	0.02	(✓)
Fig. 1b, [GMR07]	1	1	2	3	1	0.04	(✓)
Fig. 2a,	1	1	2	3	1	0.05	(✓)
Fig. 2b,	1	1	2	3	1	0.02	(✓)
Web privacy problem [Ben+15]	1	2	2	4	1	0.07	(✓)
Coffee	1	2	2	5	1	0.05	×
Fischer-HSRV02	3	2	6	5	1	5.83	(✓)
STAC:1:n			2	3	6	0.12	(✓)
STAC:1:v			2	3	6	0.11	✓
STAC:3:n			2	3	8	0.72	×
STAC:3:v			2	3	8	0.74	(✓)
STAC:4:n			2	3	8	6.40	✓
STAC:4:v			2	3	8	265.52	✓
STAC:5:n			2	3	6	0.24	×
STAC:11A:v			2	3	8	47.77	(✓)
STAC:11B:v			2	3	8	59.35	(✓)
STAC:12c:v			2	3	8	18.44	✓
STAC:12e:n			2	3	8	0.58	✓
STAC:12e:v			2	3	8	1.10	(✓)
STAC:14:n			2	3	8	22.34	(✓)

× = not vulnerable;
(✓) = vulnerable, can be repaired;
✓ = vulnerable, cannot be repaired

[VNN18] Panagiotis Vasilikos, Flemming Nielson, and Hanne Riis Nielson. "Secure Information Release in Timed Automata". In: *POST*. vol. 10804. LNCS. Springer, 2018, pp. 28–52

[GMR07] Guillaume Gardey, John Mullins, and Olivier H. Roux. "Non-Interference Control Synthesis for Security Timed Automata". In: *Electronic Notes in Theoretical Computer Science* 180.1 (2007), pp. 35–53

[Ben+15] Gilles Benattar, Franck Cassez, Didier Lime, and Olivier H. Roux. "Control and synthesis of non-interferent timed systems". In: *International Journal of Control* 88.2 (2015), pp. 217–236

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Experiments: (parametric) execution-time opacity synthesis

Model				Transf. PTA			Result	
Name	$ A $	$ X $	$ P $	$ A $	$ X $	$ P $	Time (s)	Constraint
Fig. 5, [VNN18]	1	1	0	2	3	4	0.02	K
Fig. 1b, [GMR07]	1	1	0	2	3	3	0.03	K
Fig. 2, [GMR07]	1	1	0	2	3	3	0.05	K
Web privacy problem [Ben+15]	1	2	2	2	4	3	0.07	K
Coffee	1	2	3	2	5	4	0.10	\top
Fischer-HSRV02	3	2	2	6	5	3	7.53	K
STAC:3:v			2	2	3	9	0.93	K

K = some valuations make the system non-vulnerable; \top = all valuations make the system non-vulnerable

[VNN18] Panagiotis Vasilikos, Flemming Nielson, and Hanne Riis Nielson. "Secure Information Release in Timed Automata". In: *POST*. vol. 10804. LNCS. Springer, 2018, pp. 28–52

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What if the secret can expire?

Motivation: cache

- Deducing that some information was in the cache a long time ago might be useless
- Opacity with an expiration date [Amm+21]

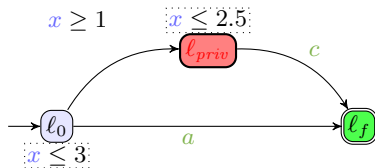


[Amm+21] Ikhlass Ammar, Yamen El Touati, Moez Yeddes, and John Mullins. "Bounded opacity for timed systems". In: *Journal of Information Security and Applications* 61 (Sept. 2021), pp. 1–13. ISSN: 2214-2126

Expiring execution-time opacity

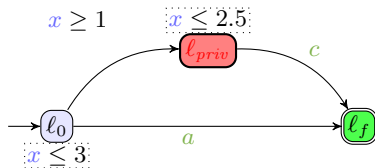
	Secret runs	Non-secret runs
ET-opacity	Runs visiting the private location (= private runs)	Runs not visiting the private location (= public runs)
expiring-ET-opacity	Private runs with ℓ_{priv} entered $\leq \Delta$ before the system completion	(i) Public runs and (ii) Private runs with ℓ_{priv} entered $> \Delta$ before the system completion

Example



	ET-opacity	Secret	Non secret	Answer
	weak	[1, 2.5]	[0, 3]	✓
	full			✗
$\Delta = 1$	weak-exp.	[1, 2.5]	$(2, 2.5] \cup [0, 3]$	✓
	full-exp.			✗

Example



	ET-opacity	Secret	Non secret	Answer
	weak	$[1, 2.5]$	$[0, 3]$	✓
	full			×
$\Delta = 1$	weak-exp.	$[1, 2.5]$	$(2, 2.5] \cup [0, 3]$	✓
	full-exp.			×
$\Delta = 1.25$	weak-exp.	$[1, 2.5]$	$(2.25, 2.5] \cup [0, 3]$	✓
	full-exp.			×

Some results [ALM23]

- 😊 Given Δ , we can decide whether a TA is weakly (resp. fully) ET-opaque
- 😊 We can **synthesize** all Δ for which a TA is weakly ET-opaque
- 😞 The **synthesis** of all Δ for **full** ET-opacity remains open
- 😞 The emptiness problems over **parametric** timed automata are undecidable
 - Even for the L/U-PTA subclass

[ALM23] Étienne André, Engel Lefauchaux, and Dylan Marinho. "Expiring opacity problems in parametric timed automata". In: *ICECCS*. To appear.

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Conclusion

Context: vulnerability by timing-attacks

- Attacker model: observability of the **global execution time**
- Goal: avoid leaking information on whether some discrete state has been visited

Several decision and computation problems studied for timed automata

😊 Mostly decidable

Extension to parametric timed automata

😞 Quickly undecidable

😊 One procedure for one synthesis problem

- Toolkit: IMITATOR
- Benchmarks: concurrent systems and Java programs

Perspectives

■ Theoretical open problems

- Synthesis of expiring dates for weak expiring opacity
- Execution-time opacity **emptiness** remains open for **1 clock**
- Case of **U-PTAs** or **L-PTAs**

[BLo9]

■ Algorithmic open problems

- Weak (resp. full) execution-time opacity synthesis

■ Automated translation of Java programs

- Our translation required non-trivial creativity
- How to automate it?
- Finer grain needed for “untimed” instructions: probabilistic timings?

■ Reconfiguring a non-opaque system

- “From **PTA parameter** tuning back to the original system”
- In programs: using `Wait` or `Sleep`?

[BLo9] Laura Bozzelli and Salvatore La Torre. “Decision problems for lower/upper bound parametric timed automata”. In: *Formal Methods in System Design* 35.2 (2009), pp. 121–151

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