

An Ontology-Driven Probabilistic Soft Logic Approach to Improve NLP Entity Annotations

Marco Rospocher





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NLP Tasks:

- Named Entity Recognition and Classification (NERC)







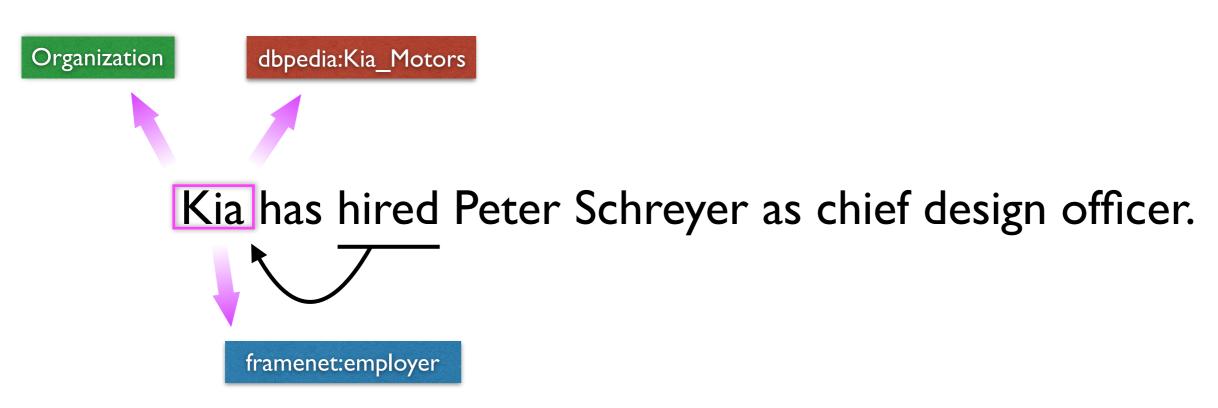
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- Named Entity Recognition and Classification (NERC)
- Entity Linking (EL)
- Semantic Role Labeling (SRL)

..





Lincoln is based in Michigan.

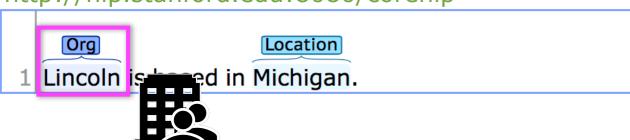




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Stanford CoreNLP

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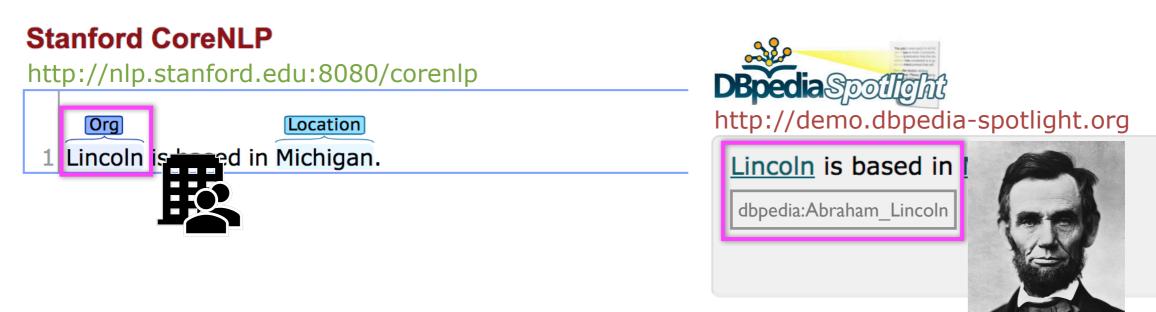








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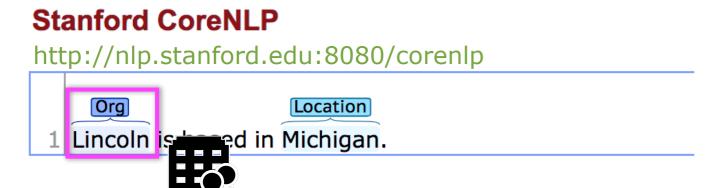


San Jose is one of the strongest hockey team.



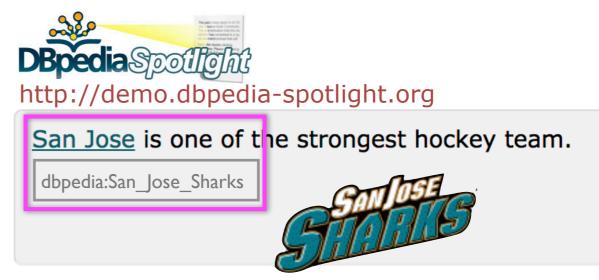


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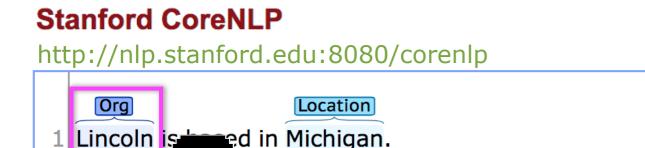
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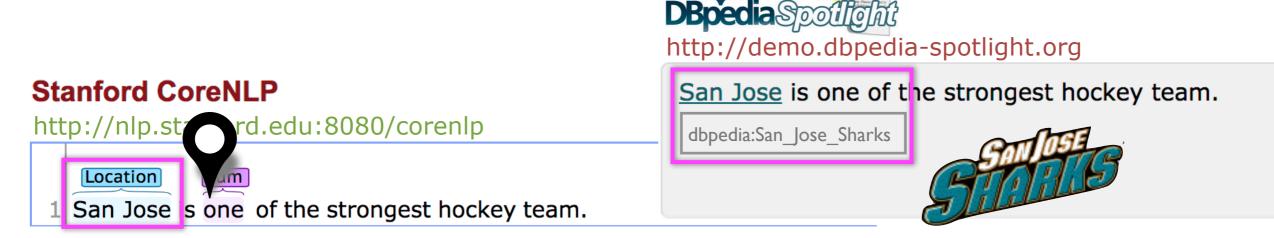


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... token1 token2 token3 token4 token5 token6

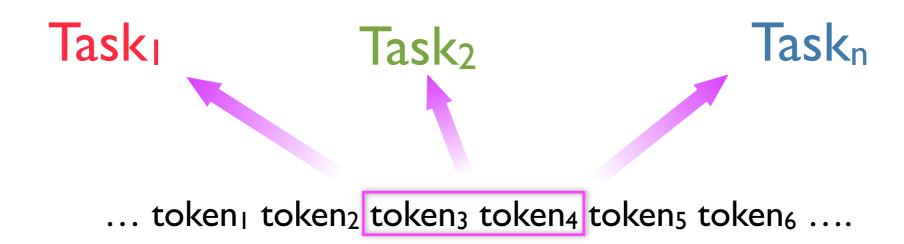




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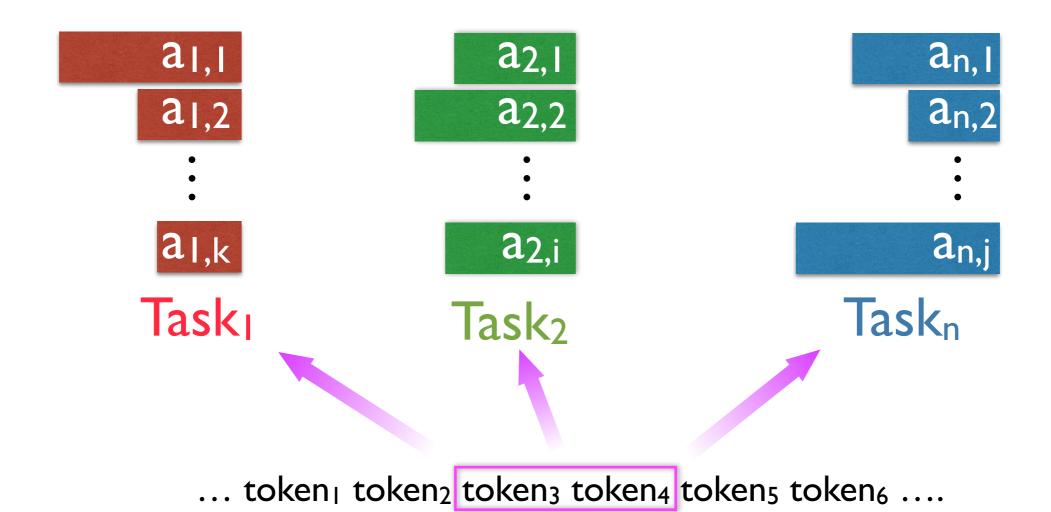






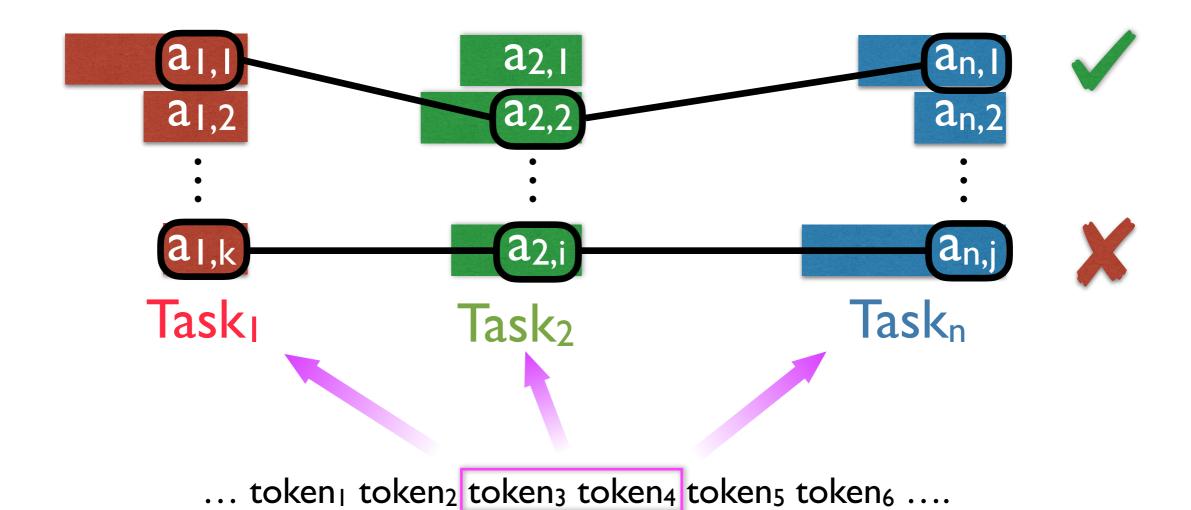






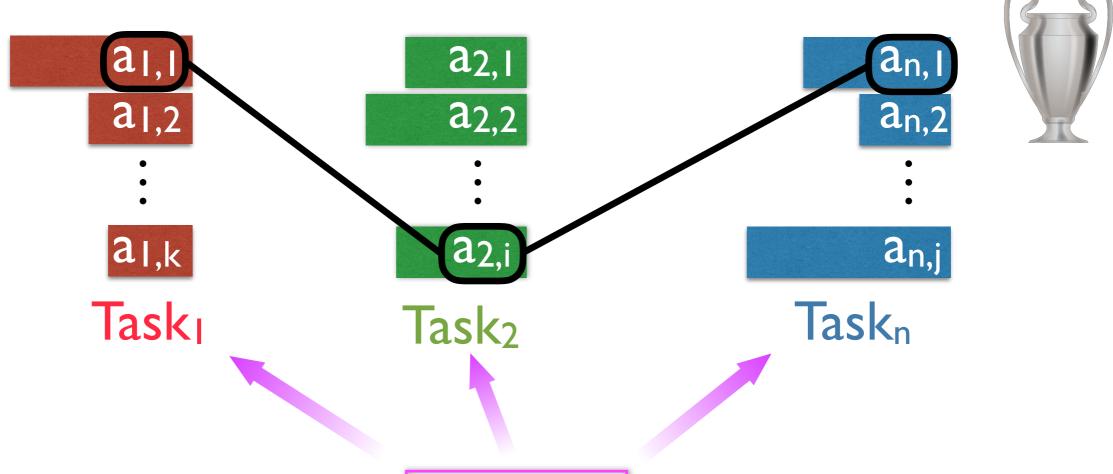












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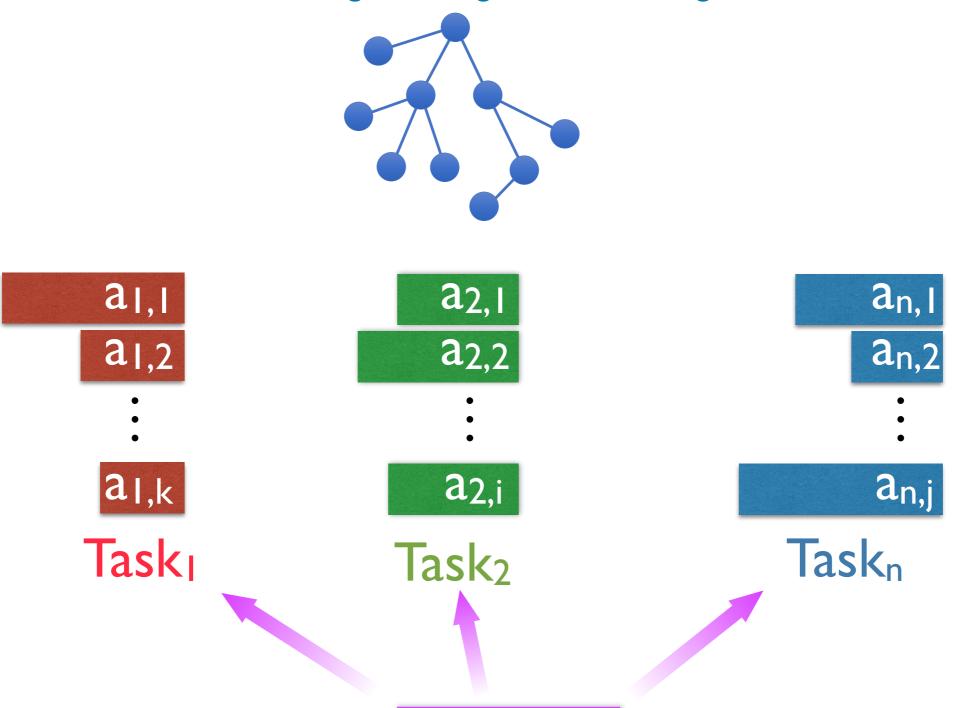




RESEARCH PROBLEM

How can we assess and improve the coherence of the various NLP annotations on an entity mention?

ontological background knowledge

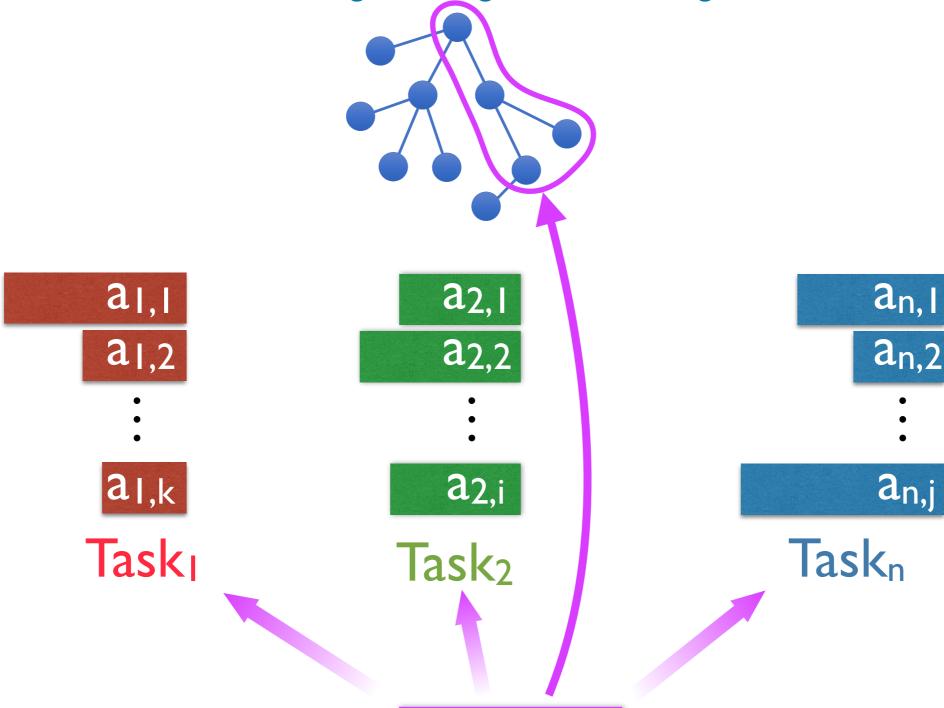






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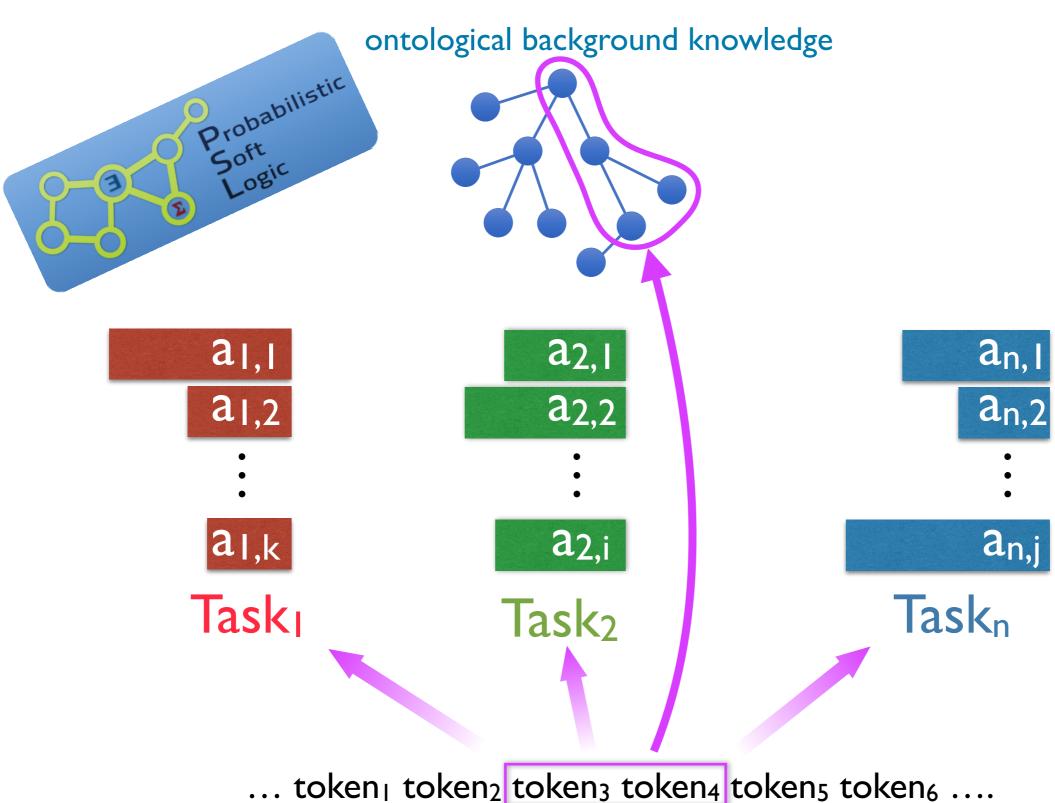
ontological background knowledge





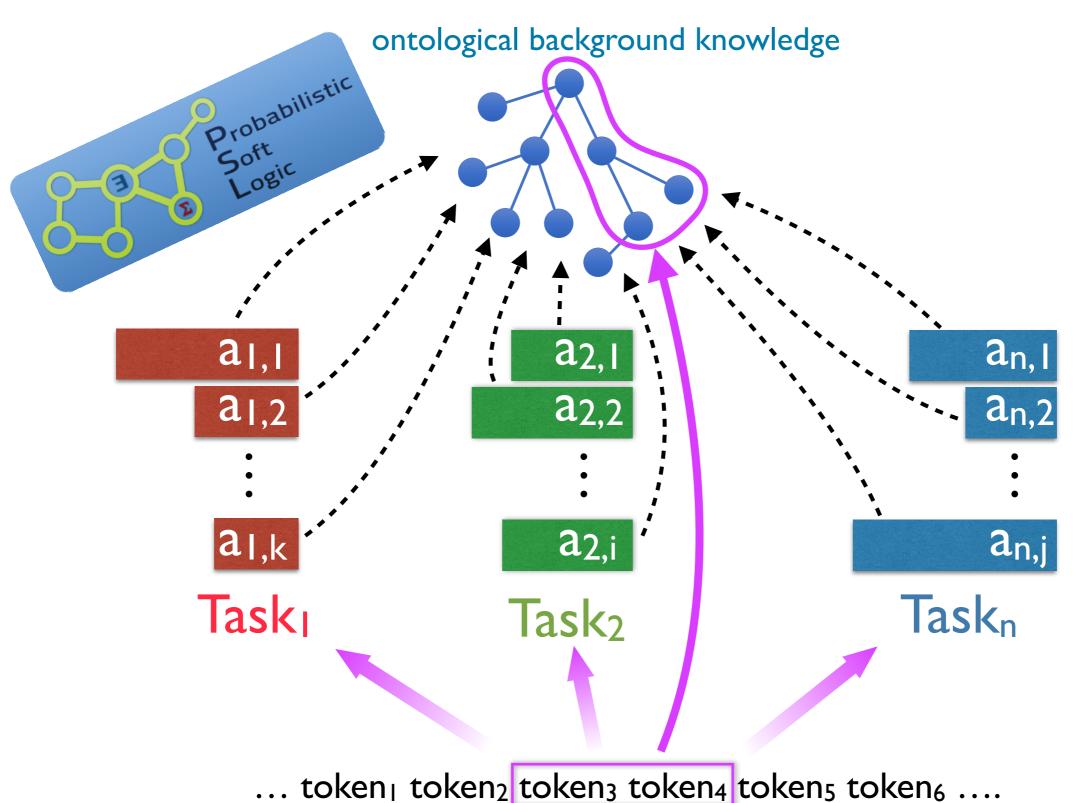


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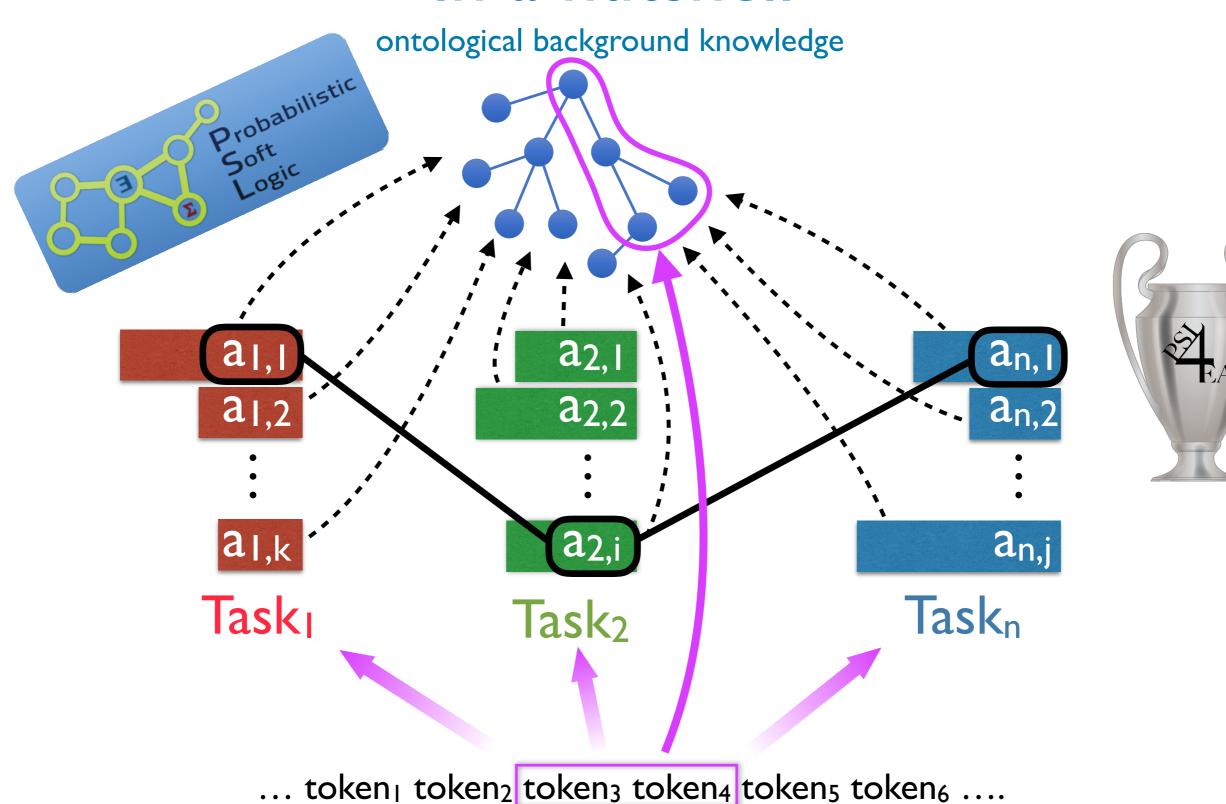
















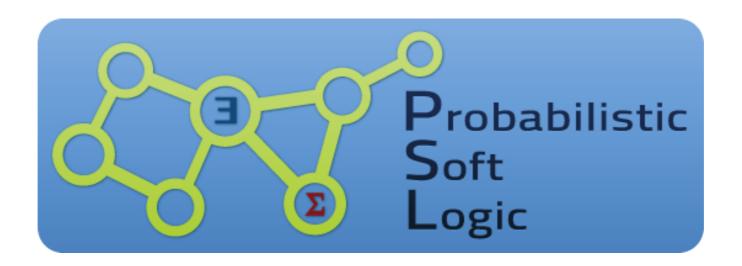
Contributions

I. PSL4EA: a PSL model capable to estimate a posteriori the overall confidence of NLP annotations

- 2. A concrete instantiation of the model for NERC and EL (using YAGO as ontological knowledge)
- 3. Application of the NERC and EL model to revise the annotations of Stanford NER and DBpedia Spotlight













1.2: WorksFor $(b,c) \land \mathsf{BossOf}(b,e) \to \mathsf{WorksFor}(e,c)$































body













 $1.2: \, \mathsf{WorksFor}(b,c) \, \wedge \, \mathsf{BossOf}(b,e) \to \mathsf{WorksFor}(e,c) \\ \mathsf{grounding} \, \big($

WorksFor(John, FBK)







1.2 : WorksFor $(b,c) \land \mathsf{BossOf}(b,e) \to \mathsf{WorksFor}(e,c)$ grounding (

WorksFor(John, FBK) soft-truth value $\in [0, 1]$







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WorksFor(John, FBK) soft-truth value $\in [0, 1]$

Interpretation I: {ground atoms} $\rightarrow [0,1]^n$







Lukasiewicz t-norm/co-norm

$$I(a_1) \land I(a_2) = max\{I(a_1) + I(a_2) - 1, 0\}$$

 $I(a_1) \lor I(a_2) = min\{I(a_1) + I(a_2), 1\}$
 $\neg I(a_1) = 1 - I(a_1)$







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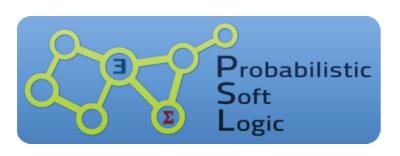
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WorksFor(John, FBK) \land BossOf(John, Jack) \rightarrow WorksFor(Jack, FBK)







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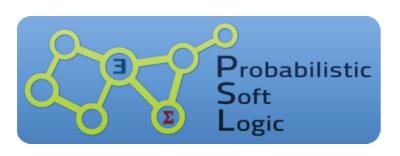
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 constant all rules







weight distance to satisfaction

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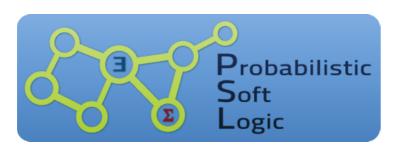




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 constant all rules

Most Probable Explanation (MPE): overall interpretation with the maximum probability







M mention

 A_i^T candidate annotation for task T on M

c ontological class from background knowledge K





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$$w(M, A_i^T)$$
: Ann $_T(M, A_i^T) \land \text{ImpCl}_T(A_i^T, c) \rightarrow \text{ClAnn}_T(M, A_i^T, c)$





M mention

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NLP annotation

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confidence score





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implied class annotation

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 $\mathsf{ImpCl}_{NERC}(t,c)$





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Leverage a gold standard corpus G annotated with NERC types and ontological classes (or EL annotations)





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1.0 : $Gold_{NERC}(m,t) \wedge ImpCl_{NERC}(t,c) \rightarrow Gold_{C}(m,c)$

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 $\mathsf{ImpCl}_{FI}(e,c)$





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$$\mathsf{ImpCl}_{EL}(e,c)$$

Leverage alignments between EL Knowledge Base and Background Knowledge K





$$\mathsf{ImpCl}_{NERC}(t,c)$$

Leverage a gold standard corpus G annotated with NERC types and ontological classes (or EL annotations)

$$\begin{split} 1.0: \mathsf{Gold}_{NERC}(m,t) \ \land \ \mathsf{ImpCl}_{NERC}(t,c) \to \mathsf{Gold}_{C}(m,c) \\ 1.0: \mathsf{Gold}_{NERC}(m,t) \ \land \ \neg \mathsf{ImpCl}_{NERC}(t,c) \to \neg \mathsf{Gold}_{C}(m,c) \end{split}$$

$$\mathsf{ImpCl}_{EL}(e,c) \left\{ \begin{array}{l} 1 & \mathsf{entity}\ e \ \mathsf{is}\ \mathsf{instance}\ \mathsf{of}\ c \\ 0 & \mathsf{otherwise} \end{array} \right.$$

Leverage alignments between EL Knowledge Base and Background Knowledge K





2. Annotation Coherence via Classes

```
w_1: \mathsf{ClAnn}_{NERC}(m,t,c) \land \mathsf{ClAnn}_{EL}(m,e,c) \rightarrow \mathsf{Ann}_{PSL}(m,t,e)
```

 $w_2: \mathsf{ClAnn}_{NERC}(m,t,c) \land \neg \mathsf{ClAnn}_{EL}(m,e,c) \rightarrow \neg \mathsf{Ann}_{PSL}(m,t,e)$

 $w_3: \neg \mathsf{ClAnn}_{NERC}(m,t,c) \land \mathsf{ClAnn}_{EL}(m,e,c) \rightarrow \neg \mathsf{Ann}_{PSL}(m,t,e)$





2. Annotation Coherence via Classes

coherence estimation

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hyperparameters





MPE Inference

• Determine soft-truth value of Ann_{PSL} for all combination of annotations for a given mention

Best combination: highest soft-truth value of Ann_{PSL}

Trust model prediction only if above a given threshold





Application and Evaluation

Background Knowledge



[Suchanek et al., 2007]





Tools

NERC: Stanford CoreNLP [Finkel et al., 2005]

• EL: DBpedia@pollight [Daiber et al., 2013]





NERC+EL Datasets

AIDA CoNLL-YAGO [Hoffart et al., 2011]

• MEANTIME [Minard et al., 2016]

• TAC-KBP [Ji et al., 2011]





NERC+EL Datasets

- AIDA CoNLL-YAGO [Hoffart et al., 2011] ImpCl_{NERC} learned from AIDA CoNLL-YAGO (**train**)
- MEANTIME [Minard et al., 2016]

• TAC-KBP [Ji et al., 2011]





Does the ontology-driven **PSL4EA** a posteriori joint revision of the annotations from Stanford NER and DBpedia Spotlight, improve their NERC and EL performances?





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Stanford CoreNLP











Results

		type			link			type+link		
		\overline{P}	R	$\overline{F_1}$	\overline{P}	R	$\overline{F_1}$	\overline{P}	R	$\overline{F_1}$
AIDA (5616)	standard	.943	.875	.908	.662	.652	.656	.634	.625	.630
	with PSL4EA	.947	.879	.912	.670	.659	.665	.646	.635	.640
	Δ	.004	.004	.004	.008	.007	.009	.012	.010	.010
MEANTIME (792)	standard	.882	.695	.777	.703	.556	.621	.635	.502	.561
	with PSL4EA	.902	.711	.795	.714	.564	.630	.667	.527	.589
	Δ	.020	.016	.018	.011	.008	.009	.032	.025	.028
TAC-KBP (4969)	standard	.911	.652	.760	.401	.423	.412	.367	.386	.376
	with PSL4EA	.925	.662	.772	.408	.430	.419	.384	.404	.394
	Δ	.014	.010	.012	.007	.007	.007	.017	.018	.018

bold = statistical significant (approx. rand. test)





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Conclusions

- PSL model, leveraging ontological knowledge, for improving NLP entity annotations
- Instantiation of the model for the NERC and EL tasks
- Empirical confirmation (3 datasets) of the capability of the model to improve the quality of the annotations
- Applicable to other NERC and EL tools

Future Work: application to other tasks (e.g., SRL)









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BPMN Ontology

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