



# Loki: Hardening Code Obfuscation Against Automated Attacks

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❓ VM-based obfuscation

🐾 Automated attacks on VMs

➔ **Hardening code obfuscation**

Prevent **Complicate** reverse engineering attempts.

- intellectual property
- Digital Rights Management (DRM)
- abuse prevention, e.g., Google Botguard
- malicious payloads

# VM-based Obfuscation

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```
mov ecx, [esp+4]
xor eax, eax
mov ebx, 1

__secret_ip:
  mov edx, eax
  add edx, ebx
  mov eax, ebx
  mov ebx, edx
  loop __secret_ip

mov eax, ebx
ret
```

```
mov ecx, [esp+4]
xor eax, eax
mov ebx, 1

__secret_ip:
  mov edx, eax
  add edx, ebx
  mov eax, ebx
  mov ebx, edx
  loop __secret_ip

mov eax, ebx
ret
```

# Virtual Machines

```
mov ecx, [esp+4]
xor eax, eax
mov ebx, 1

__secret_ip:
mov edx, eax
add edx, ebx
mov eax, ebx
mov ebx, edx
loop __secret_ip
mov eax, ebx
ret
```



```
mov ecx, [esp+4]
xor eax, eax
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__secret_ip:
mov edx, eax
add edx, ebx
mov eax, ebx
mov ebx, edx
loop __secret_ip
mov eax, ebx
ret
```



made-up instruction set

```
__bytecode:  vld  r1
             vld  r0      vpop  r2
             vpop  r1      vldi  #1
             vld  r2      vld   r3
             vld  r1      vsub  r3
             vadd  r1      vld  #0
             vld  r2      veq   r3
             vpop  r0      vbr0  #-0E
```



```
mov ecx, [esp+4]
xor eax, eax
mov ebx, 1
```

```
__secret_ip:
  push __bytecode
  call vm_entry
```

```
mov eax, ebx
ret
```



made-up instruction set

```
__bytecode:
  db 54 68 69 73 20 64 6f
  db 65 73 6e 27 74 20 6c
  db 6f 6f 6b 20 6c 69 6b
  db 65 20 61 6e 79 74 68
  db 69 6e 67 20 74 6f 20
  db 6d 65 2e de ad be ef
```

```
mov ecx, [esp+4]
xor eax, eax
mov ebx, 1
```

```
__secret_ip:
  push __bytecode
  call vm_entry
```

```
mov eax, ebx
ret
```



made-up instruction set

```
__bytecode:
  db 54 68 69 73 20 64 6f
  db 65 73 6e 27 74 20 6c
  db 6f 6f 6b 20 6c 69 6b
  db 65 20 61 6e 79 74 68
  db 69 6e 67 20 74 6f 20
  db 65 2e de ad be ef
```



BUT: interpreter knows how to run obfuscated code

BUT: interpreter knows how to run obfuscated code

⇒ attack VM interpreter

# Breaking Virtual Machine Obfuscation

 locate VM interpreter components

 **simplify handlers** with program analysis techniques

 reconstruct original code

# Breaking Virtual Machine Obfuscation

🔍 locate VM interpreter components

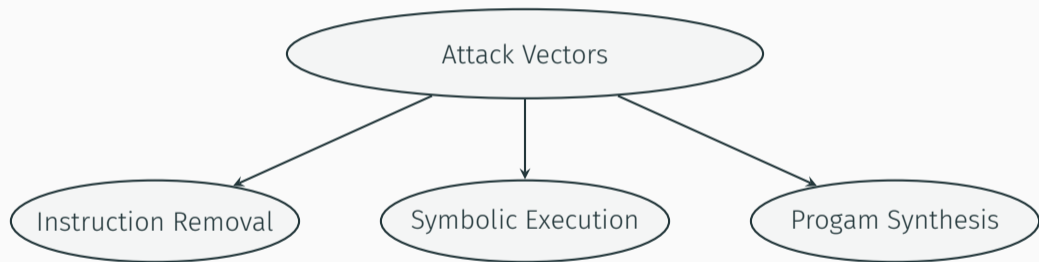
*our focus*

⚙️ **simplify handlers** with program analysis techniques

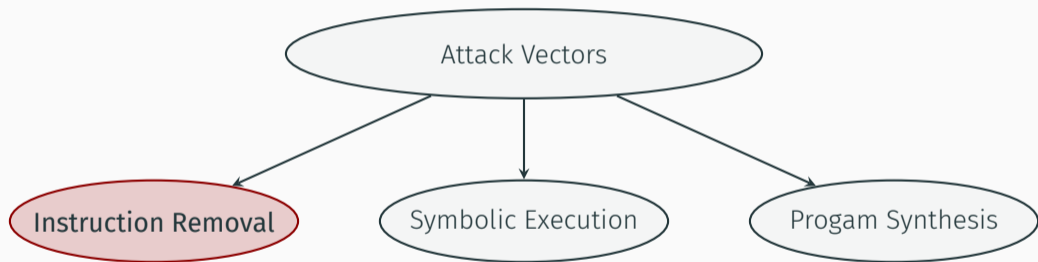
📄 reconstruct original code

# Automated Attacks on VMs

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# Compiler Optimizations

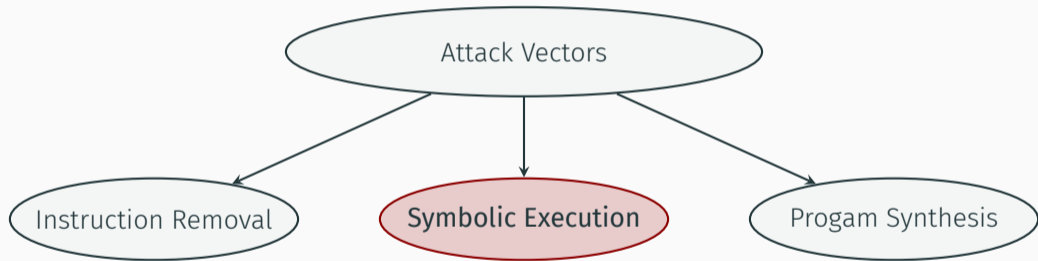
```
mov eax, 0xdead
mov eax, 0x1234
not eax
push eax
mov eax, 0x5678
mov ecx, ecx
add eax, 0x1111
add ecx, 0x0
mov edx, eax
pop eax
not eax
ret
```

# Compiler Optimizations

```
×  
mov eax, 0x1234  
×  
×  
×  
×  
×  
×  
mov edx, 0x6789  
×  
×  
ret
```

- dead code elimination
- constant folding
- constant propagation
- peephole optimization
- ...

# VM Attack Landscape



# Symbolic Execution: A Syntactic Approach

```
__handler_vdouble:  
  not   rcx  
  not   rcx  
  add   rcx, rcx  
  jmp   __vm_dispatcher
```

Handler doubling content  
of `rcx`

# Symbolic Execution: A Syntactic Approach

```
__handler_vdouble:  
• not rcx  
  not rcx  
  add rcx, rcx  
  jmp __vm_dispatcher
```

**rcx**  $\leftarrow \neg \text{rcx}$

Handler doubling content  
of **rcx**

# Symbolic Execution: A Syntactic Approach

```
__handler_vdouble:  
  not rcx  
• not rcx  
  add rcx, rcx  
  jmp __vm_dispatcher
```

$rcx \leftarrow \neg rcx$

$rcx \leftarrow \neg(\neg rcx)$

Handler doubling content  
of `rcx`

# Symbolic Execution: A Syntactic Approach

```
__handler_vdouble:  
  not rcx  
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Handler doubling content  
of `rcx`

`rcx`  $\leftarrow$   $\neg$ `rcx`

`rcx`  $\leftarrow$   $\neg(\neg$ `rcx`) = `rcx`



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Handler doubling content  
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`rcx`  $\leftarrow$   $\neg$ `rcx`

`rcx`  $\leftarrow$   $\neg(\neg$ `rcx`) = `rcx`

**`rcx`**  $\leftarrow$  `rcx` + `rcx`

# Symbolic Execution: A Syntactic Approach

```
__handler_vdouble:  
  not rcx  
  not rcx  
  • add rcx, rcx  
  jmp __vm_dispatcher
```

Handler doubling content  
of `rcx`

$rcx \leftarrow \neg rcx$

$rcx \leftarrow \neg(\neg rcx) = rcx$

$rcx \leftarrow rcx + rcx = rcx \ll 1$

# Symbolic Execution: A Syntactic Approach

```
__handler_vdouble:  
  not rcx  
  not rcx  
  add rcx, rcx  
  • jmp __vm_dispatcher
```

Handler doubling content  
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# Symbolic Execution: A Syntactic Approach

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__handler_vdouble:  
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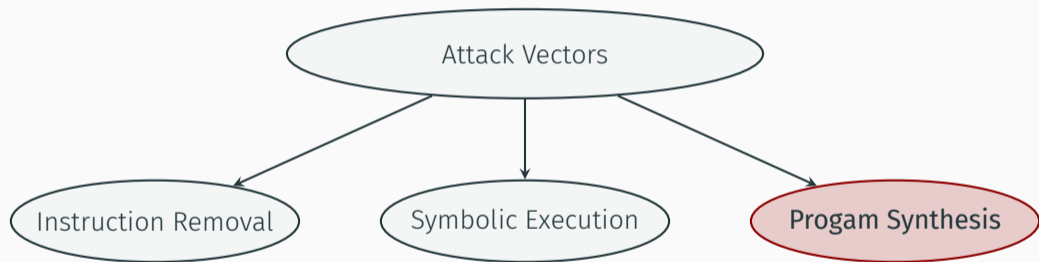
$rcx \leftarrow \neg rcx$

$rcx \leftarrow \neg(\neg rcx) = rcx$

$rcx \leftarrow rcx \lll 1$

$\vdash rcx = rcx \lll 1$

Handler doubling content  
of `rcx`



# Program Synthesis: A Semantic Approach

We use handler  $f$  as a black-box:

$$f(x, y, z) := (((x \oplus y) + ((x \wedge y) \cdot 2)) \vee z) + (((x \oplus y) + ((x \wedge y) \cdot 2)) \wedge z)$$

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$$(1, 1, 1) \rightarrow 3$$



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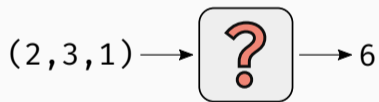


$$(1, 1, 1) \rightarrow 3$$

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$$(1, 1, 1) \rightarrow 3$$

$$(2, 3, 1) \rightarrow 6$$

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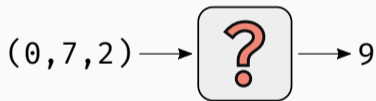
$$(1, 1, 1) \rightarrow 3$$

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$$(1, 1, 1) \rightarrow 3$$

$$(2, 3, 1) \rightarrow 6$$

$$(0, 7, 2) \rightarrow 9$$

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$$(1, 1, 1) \rightarrow 3$$

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We **learn** a function  $h$  that has the same I/O behavior.

# Program Synthesis: A Semantic Approach

We use handler  $f$  as a black-box:

$$f(x, y, z) := (((x \oplus y) + ((x \wedge y) \cdot 2)) \vee z) + (((x \oplus y) + ((x \wedge y) \cdot 2)) \wedge z)$$

$$h(x, y, z) := x + y + z \rightarrow 3$$

$$(2, 3, 1) \rightarrow 6$$

$$(0, 7, 2) \rightarrow 9$$

We **learn** a function  $h$  that has the same I/O behavior.

# Loki: Hardening Code Obfuscation

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- ① Merging core semantics
- ② Complex, target-specific expressions
- ③ Mixed Boolean-Arithmetic




## ① Merging Core Semantics

$$h(x, y, c) := x + y$$

$$g(x, y, c) := x - y \ll c$$

## ① Merging Core Semantics

*Handler*


$$h(x, y, c) := x + y$$

$$g(x, y, c) := x - y \ll c$$

## ① Merging Core Semantics

$$h(x, y, c) := x + y$$


  
*Core Semantics*

$$g(x, y, c) := x - y \ll c$$

## ① Merging Core Semantics

$$h(x, y, c) := x + y$$


$$g(x, y, c) := x - y \ll c$$


$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$

## ① Merging Core Semantics

$$h(x, y, c) := x + y$$

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$$h(x, y, c) := x + y$$

$$g(x, y, c) := x - y \ll c$$

Key-dependent core semantics

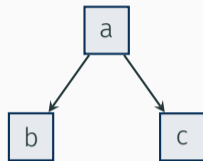
$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$

## Polynomial Encodings and Branch-free Code

$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$

# Polynomial Encodings and Branch-free Code

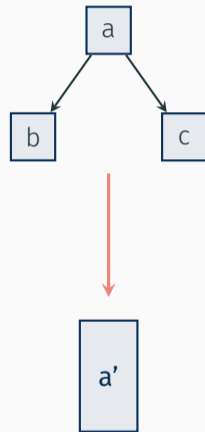
$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \lll c & \text{if } k == 1 \end{cases}$$





# Polynomial Encodings and Branch-free Code

$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$

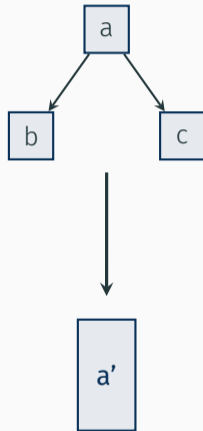


# Polynomial Encodings and Branch-free Code

$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$

*equal*

$$f(x, y, c, k) := (k == 0) \cdot x + y + (k == 1) \cdot x - y \ll c$$

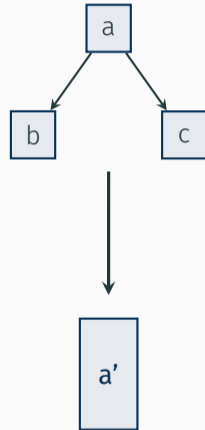


# Polynomial Encodings and Branch-free Code

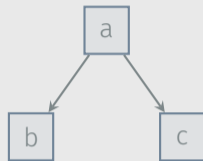
$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$



$$f(x, y, c, k) := (k == 0) \cdot x + y + (k == 1) \cdot x - y \ll c$$



$$f(x, y, c, k) := \begin{cases} x + y & \text{if } k == 0 \\ x - y \ll c & \text{if } k == 1 \end{cases}$$



Interlocking of core semantics

$$f(x, y, c, k) := (k == 0) \cdot x + y + (k == 1) \cdot x - y \ll c$$



# Hardening Key Selection

$$f(x, y, c, k) := \begin{array}{l} (k == 0) \\ + (k == 1) \end{array} \begin{array}{l} \cdot x + y \\ \cdot x - y \ll c \end{array}$$

# Hardening Key Selection

$$f(x, y, c, k) := \begin{array}{l} (n \bmod k == 0) \cdot x + y \\ + (pf(k)) \cdot x - y \ll c \end{array}$$

# Hardening Key Selection

*Factorization*



$$f(x, y, c, k) := \begin{aligned} & (n \bmod k == 0) \cdot x + y \\ & + (pf(k)) \cdot x - y \ll c \end{aligned}$$

# Hardening Key Selection

$$f(x, y, c, k) := \begin{array}{l} (n \bmod k == 0) \cdot x + y \\ + \quad (pf(k)) \cdot x - y \ll c \end{array}$$



# Hardening Key Selection

$$f(x, y, c, k) := \begin{aligned} & (n \bmod k == 0) \cdot x + y \\ + & \quad (pf(k)) \cdot x - y \ll c \end{aligned}$$



*Point Function  $pf(k)$*

$f(x, y, c, k) := \begin{cases} (n \bmod k == 0) \cdot x + y & \text{if } y \ll c \\ \dots & \text{otherwise} \end{cases}$

Prevent static attacks



Point Function  $pf(k)$

## ② Semantically Complex Arithmetic Operations

*\_\_v\_add*

*\_\_v\_mul*

*\_\_v\_add*

*\_\_v\_add*



*\_\_v\_add\_mul\_add\_add*

## ② Semantically Complex Arithmetic Operations

$$f(x, y, c, k) := \begin{array}{l} (n_1 \bmod k == 0) \cdot x + y \\ + \quad pf(k) \cdot x - y \ll c \end{array}$$

## ② Semantically Complex Arithmetic Operations

$$f(x, y, c, k) := \begin{array}{l} (n_1 \bmod k == 0) \cdot (x + y + (x + x)) \\ + \quad pf(k) \cdot (x - y \cdot (x + y)) \end{array}$$

## ② Semantically Complex Arithmetic Operations

$$f(x, y, c, k) := \begin{aligned} & (n_1 \bmod k == 0) \cdot \overbrace{x + y + (x + x)}^{\text{target specific}} \\ & + pf(k) \cdot x - y \cdot (x + y) \end{aligned}$$

## ② Semantically Complex Arithmetic Operations

$f(x, y, c, l)$   $\vdash$   $P(x, y)$   $\cdot$   $x - y \cdot (x + y)$   $\vdash$   $x + x$

*target specific*

Thwarts program synthesis

### ③ Syntactically Complex Expressions

$$f(x, y, c, k) := \begin{array}{l} (n_1 \bmod k == 0) \cdot x + y + (x + x) \\ + \quad pf(k) \cdot x - y \cdot (x + y) \end{array}$$



### ③ Syntactically Complex Expressions

$$f(x, y, c, k) := \begin{array}{l} (n_1 \bmod k == 0) \cdot ((x \oplus y) + 2 \cdot (x \wedge y)) + (x \ll 1) \\ + \quad pf(k) \cdot (x + \neg y + 1) \cdot ((x \oplus y) + 2 \cdot (x \wedge y)) \end{array}$$

### ③ Syntactically Complex Expressions

$f(x, y, c, k) :=$  Prevent symbolic execution  $)) + (x \ll 1)$   
 $y) + 2 \cdot (x \wedge y))$

$$x - y \cdot (x + y)$$

Rewriting rules:

$$1) \quad x + y \rightarrow (x \oplus y) + 2 \cdot (x \wedge y)$$

$$2) \quad x \oplus y \rightarrow (x \vee y) - (x \wedge y)$$

...

$$50) \quad x \wedge y \rightarrow (\neg x \vee y) - \neg x$$

$$x - y \cdot (x + y)$$

Rewriting rules:

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# Mixed Boolean-Arithmetic Expressions

$$x - y \cdot (x + y)$$

Rewriting rules:

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2)  $x \oplus y \rightarrow (x \vee y) - (x \wedge y)$

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$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

# Mixed Boolean-Arithmetic Expressions

$$x - y \cdot (x + y)$$



$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

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- 50)  $x \wedge y \rightarrow (\neg x \vee y) - \neg x$

# Mixed Boolean-Arithmetic Expressions

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...

$$50) \quad x \wedge y \rightarrow (\neg x \vee y) - \neg x$$

$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

*final expression*

Traditional Approach



# Mixed Boolean-Arithmetic Expressions

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Rewriting rules:

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Rewriting rules:

$$1) \quad x + y \rightarrow (x \oplus y) + 2 \cdot (x \wedge y)$$

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...

850,000)

$$x \wedge y \rightarrow (\neg x \vee y) - \neg x$$

$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

*final expression*

## Mixed Boolean-Arithmetic Expressions

$$x - y \cdot (x + y)$$

Rewriting rules:

$$1) \quad x + y \rightarrow (x \oplus y) + 2 \cdot (x \wedge y)$$

$$2) \quad x \oplus y \rightarrow (x \vee y) \oplus (x \wedge y)$$

Lookup table w/ *\*all\** identities

$$850,000) \quad x \wedge y \rightarrow (\neg x \vee \neg y) \oplus \neg x$$

$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

*final expression*

# Mixed Boolean-Arithmetic Expressions

$$x - y \cdot (x + y)$$

Rewriting rules:

$$1) \quad x + y \rightarrow (x \oplus y) + 2 \cdot (x \wedge y)$$

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...

$$850,000) \quad x \wedge y \rightarrow (\neg x \vee y) - \neg x$$

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~~final expression~~

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$$x - y \cdot (x + y)$$



Rewriting rules:

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...

$$850,000) \quad x \wedge y \rightarrow (\neg x \vee y) - \neg x$$

$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

~~final expression~~

## Recursive Approach

$$x - y \cdot (x + y)$$

Rewriting rules:

$$1) \quad x + y \rightarrow (x \oplus y) + 2 \cdot (x \wedge y)$$

$$2) \quad x \oplus y \rightarrow (x \vee y) - (x \wedge y)$$

$$3) \quad x \wedge y \rightarrow (\neg x \vee \neg y) - \neg x$$



Recursive Rewriting

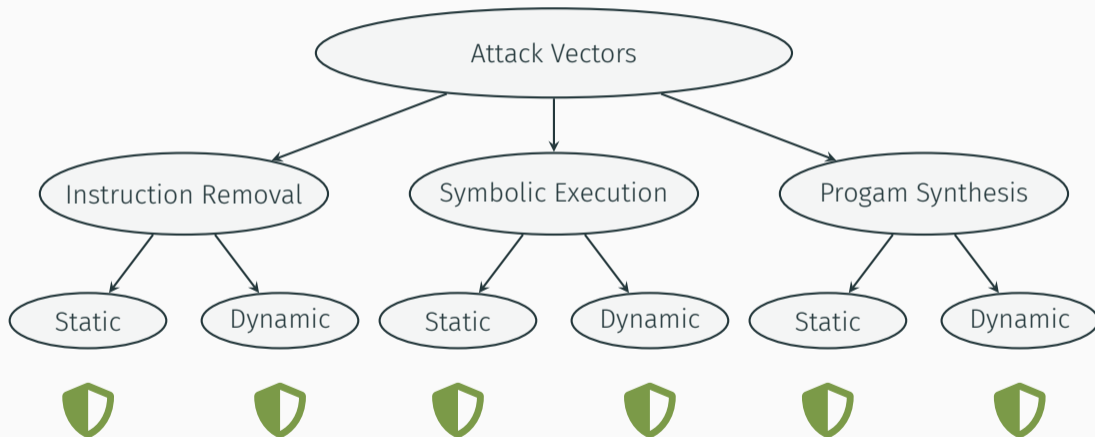
$$x - y \cdot ((x \oplus y) + 2 \cdot (x \wedge y))$$

~~final expression~~

Recursive Approach

Putting it all together

# Putting it all together





# Takeaways

- Automated techniques can simplify VM-based obfuscation
- Merging core semantics increases complexity
- Key encodings stall static attackers
- Complex, target-specific expressions thwart program synthesis
- Recursive rewriting of MBAs thwarts symbolic execution

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- Automated techniques can simplify VM-based obfuscation
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- Recursive rewriting of MBAs thwarts symbolic execution



Artifact: <https://github.com/RUB-SysSec/loki>

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*We are always open for questions, discussion, or collaborations!*