

**Relations  $\beta = f(\tau)$  in OEIS  
for composites nonsquares**

Relations $\beta = f(\tau)$	Sequences of integers in <b>OEIS</b>	<b>Non-oblongs</b> <a href="#">A308874</a> $\beta'(n) = \tau(n)/2 - 1$	<b>Oblongs</b> <a href="#">A002378</a> $\beta'(n) = \tau(n)/2 - 2$
$\beta(n) = \tau(n)/2 - 2$	<a href="#">A326378</a>	X	$\beta''(n) = 0$ : <a href="#">A326378</a>
$\beta(n) = \tau(n)/2 - 1$	<a href="#">A326379</a>	$\beta''(n) = 0$ : <a href="#">A326386</a>	$\beta''(n) = 1$ : <a href="#">A326384</a>
$\beta(n) = \tau(n)/2$	<a href="#">A326380</a>	$\beta''(n) = 1$ : <a href="#">A326387</a>	$\beta''(n) = 2$ : <a href="#">A326385</a>
$\beta(n) = \tau(n)/2 + 1$	<a href="#">A326381</a>	$\beta''(n) = 2$ : <a href="#">A326388</a>	$\beta''(n) = 3$ in <a href="#">A309062</a> with $\beta''(n) \geq 3$
$\beta(n) = \tau(n)/2 + 2$	<a href="#">A326382</a>	$\beta''(n) = 3$ : <a href="#">A326389</a>	$\beta''(n) = 4$ in <a href="#">A309062</a> with $\beta''(n) \geq 3$
$\beta(n) = \tau(n)/2 + 3$	<a href="#">A326383</a>	$\beta''(n) = 4$ in <a href="#">A326705</a> with $\beta''(n) \geq 4$	$\beta''(n) = 5$ in <a href="#">A309062</a> with $\beta''(n) \geq 3$
$\beta(n) = \tau(n)/2 + k,$ $k \geq 4$	<a href="#">A326706</a>	$\beta''(n) \geq 5$ in <a href="#">A326705</a> with $\beta''(n) \geq 4$	$\beta''(n) \geq 6$ in <a href="#">A309062</a> with $\beta''(n) \geq 3$

The sequences in OEIS about relations  $\beta = f(\tau)$  are detailed in this array.

Definitions :

$\tau(n)$  is the number of divisors of the integer  $n$ : [A000005](#).

$\beta(n) = \beta'(n) + \beta''(n)$  is the number of Brazilian representations of  $n$ : [A220136](#).

$\beta'(n)$  is the number of representations of  $n$  of the form  $aa_b$ , but not  $11_b$ .

$\beta''(n)$  is the number of representations of  $n$  with at least three digits. These integers with such a representation are in the sequence [A167782](#).

Example:  $42 = 6 * 7 = 222_4 = 33_{13} = 22_{20}$ .

$\tau(42) = 8$ .

$\beta(42) = 3, \beta'(42) = 2, \beta''(42) = 1$ .

$\beta'(42) = \tau(42)/2 - 2$  and  $\beta(42) = \tau(42)/2 - 1$ .