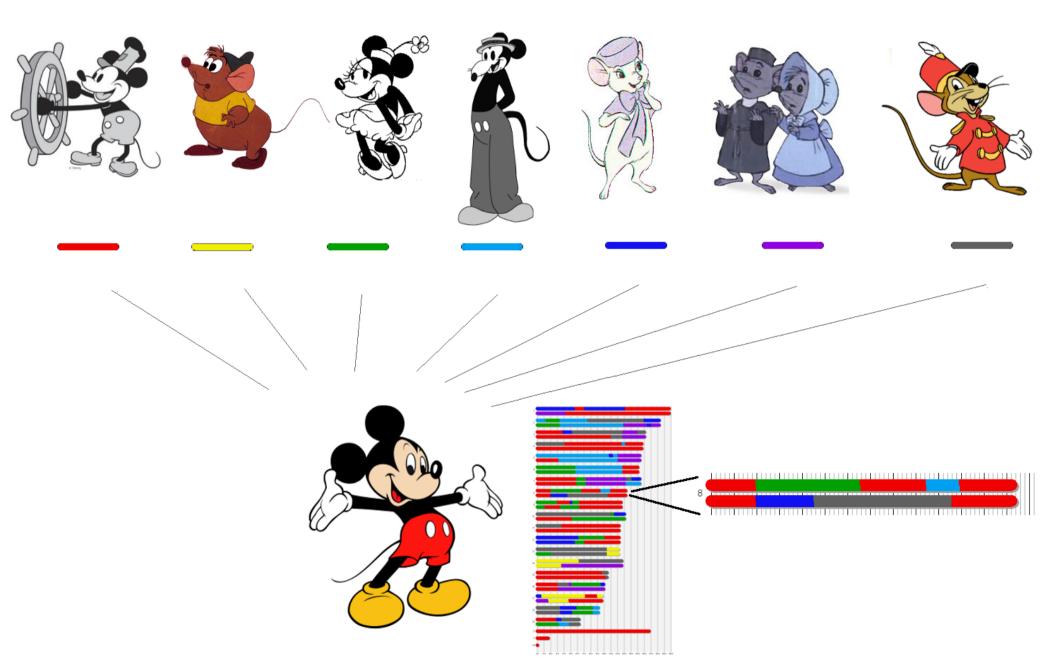
# Inferring Ancestry in Admixed Populations using Microarray Probe Intensities

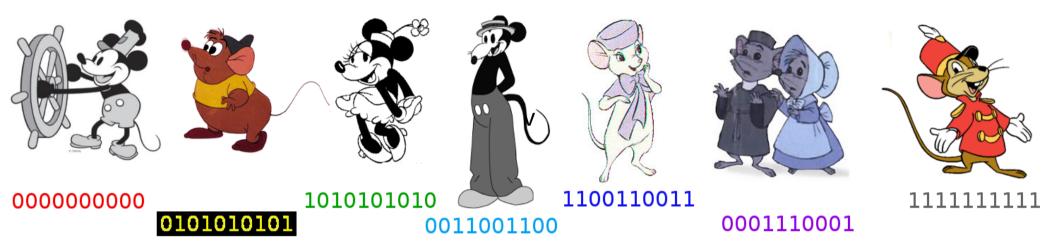
Chen-Ping Fu, Catherine E. Welsh, Fernando Pardo-Manuel de Villena, Leonard McMillan

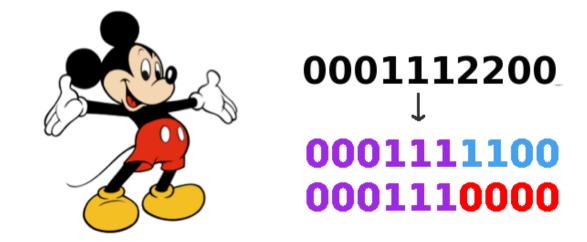
University of North Carolina at Chapel Hill

## **Ancestry Inference**

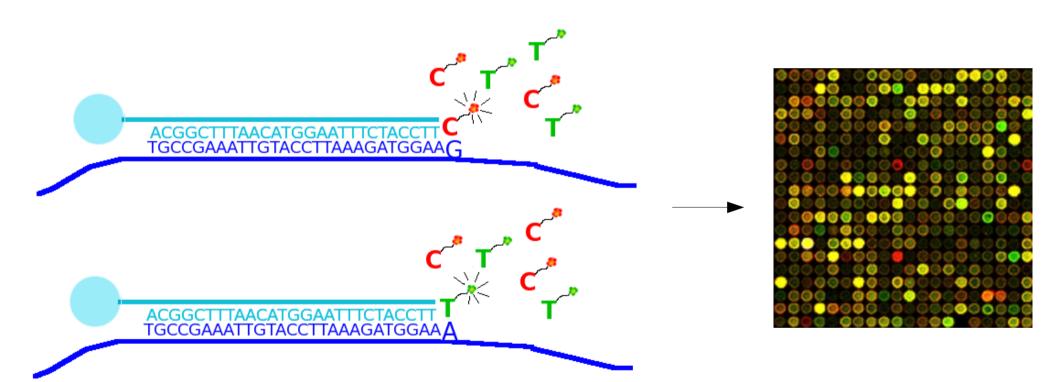


# Existing Methods: Ancestry Inference w/ Biallelic SNPs

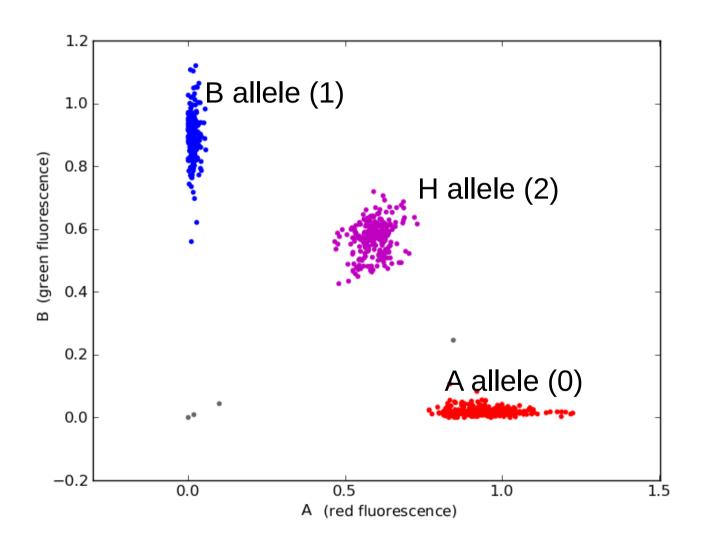




#### Biallelic SNPs from Genotyping Arrays

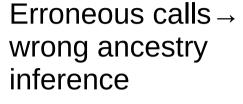


#### Converting Fluorescence into Genotype Calls

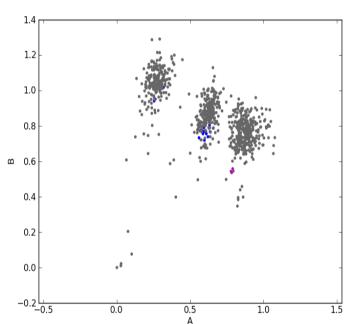


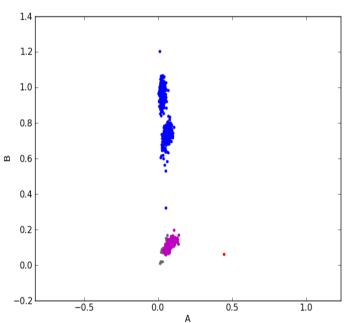
#### Problems with Genotype-based Ancestry Inference

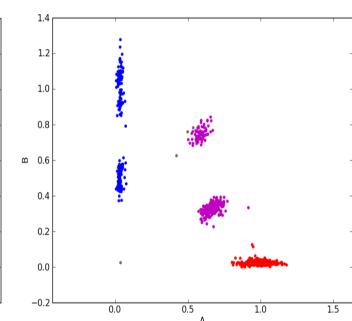
N calls → marker discarded from analysis



Unexpected variation → unexploited useful information



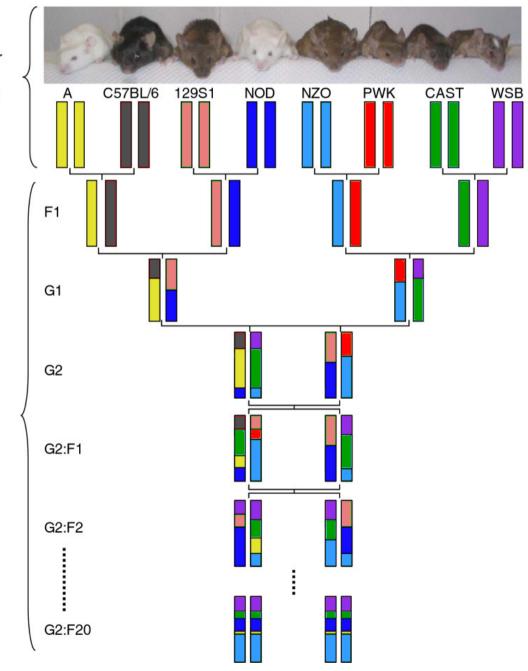




#### **Our Data**

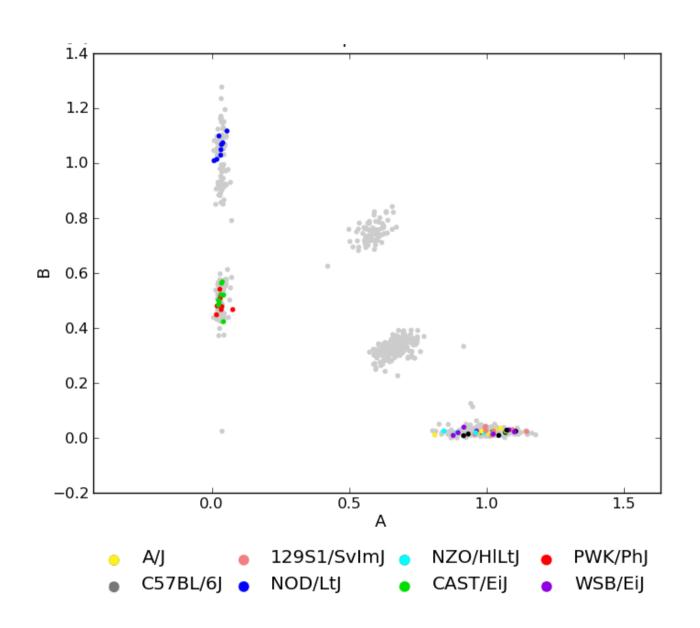
- Samples are from the Collaborative Cross (CC)
- Founder inbred strains

- 8 inbred founders
- Various stages of inbreeding
- Genotyped on the Mouse Universal Genotyping Array (MUGA)
  - 7,854 markers
  - Illumina Infinium platform
  - Designed to discriminate between CC founders



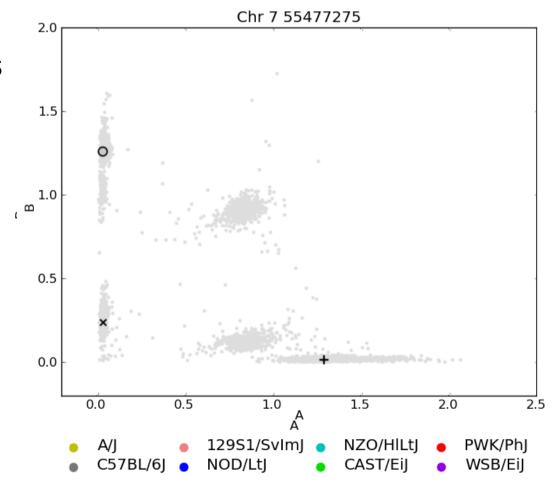
One representative chromosome

#### Our approach – use Intensities, not Genotypes



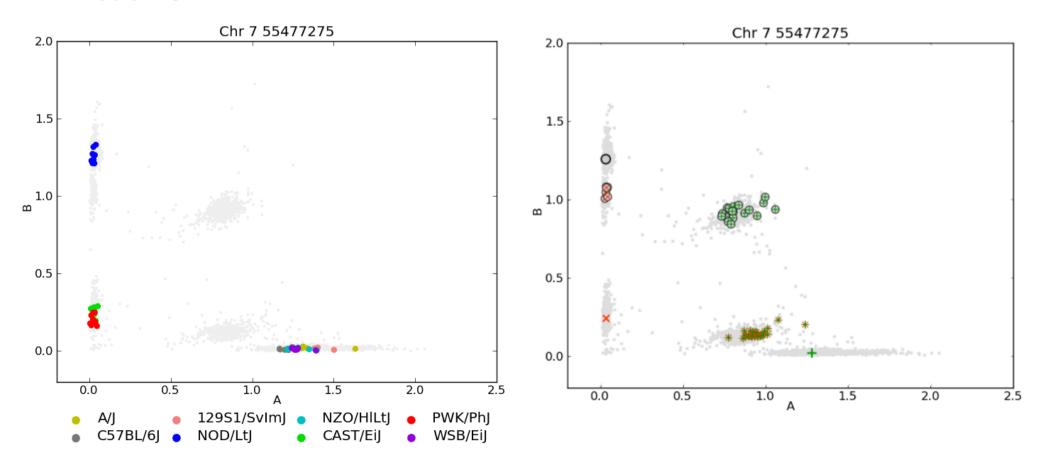
#### Cluster Similar Strains

- 8-9 replicates of each inbred founder
  - All replicates of the same founder cluster together
- pool together founders that fall in the same cluster
  - Determined by Hotelling's T-squared test with p ≤ 0.001
- Store cluster means and covariances as homozygous clusters for each SNP



## Create Heterozygous Clusters

- Only have 2-4 samples for each of the  ${}_{8}C_{2}$  = 28 possible F1 combinations
- Pool together F1s of all founders between pairs of homozygous clusters
- Store cluster means and covariances as heterozygous clusters for each SNP



#### **Problem Statement**

#### Given:

m possible inbred ancestors generating m' ancestry states per marker, where  $m' = m + {}_{m}C_{2}$ . Call this state space F.

array with *n* markers arranged in genomic order

target strain's 2D intensities  $x_1...x_i...x_n$  for every marker, where  $x_i$  is the 2D intensity at marker i

cluster means and covariances for each state in F at every marker

Note:  $m' \ge$  number of clusters at each marker (different ancestors may fall within the same cluster)

#### • Find:

sequence of most likely ancestry states  $\{f_1, f_2 \dots f_i \dots f_n\}$  at every marker, where f is one of m' states in F

### Distance Model

- Find the set of ancestor intensities closest to the target sample's intensities across the genome, without excessive transition between ancestor states
- At each marker, use Mahalanobis Distance  $D_M(x) = \sqrt{(x-\mu)^T S^{-1}(x-\mu)}$

as distance measure from the target intensity x to each ancestor cluster with mean  $\mu$  and covariance S

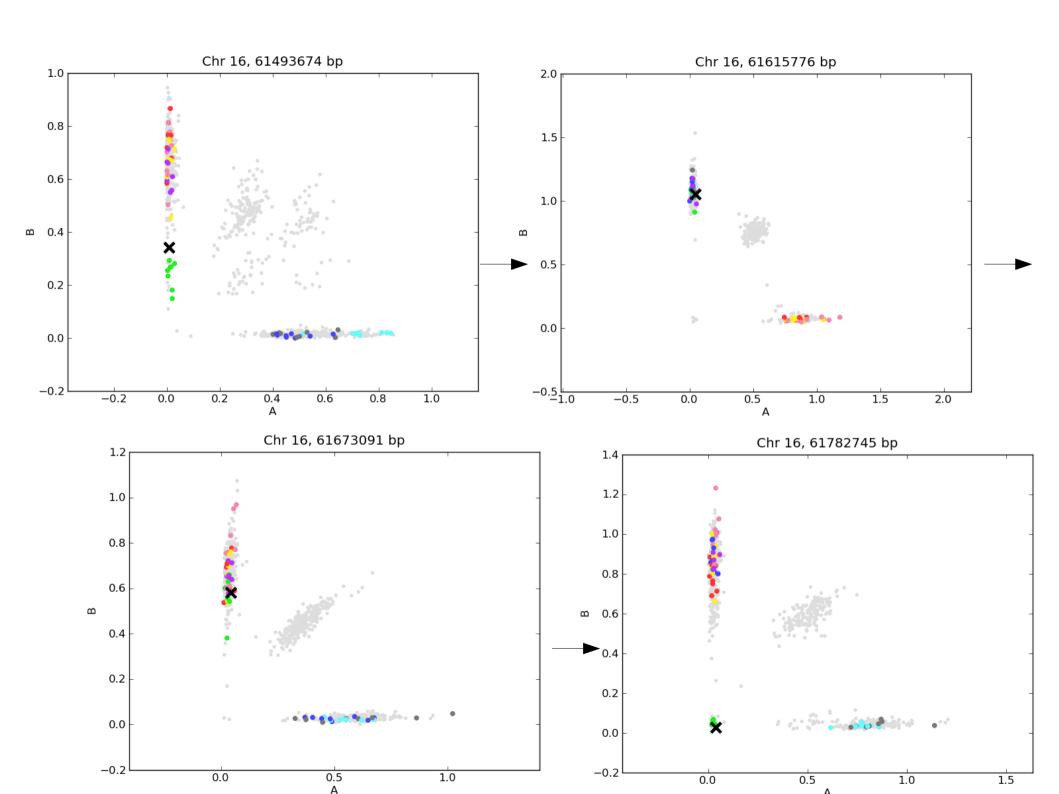
• Over each chromosome, choose  $\{f_1,f_2...f_i...f_n\}$  ,  $\ f\in F$  so that

$$D_M(x_1, cluster(f_1, 1)) + \sum_{i=2}^n D_M(x_i, cluster(f_i, i)) + penalty(f_{i-1}, f_i)$$

is minimized,

where  $D_M(x_i, cluster(f_i, i))$  is distance from the target's intensity to state  $f_i$ 's intensity cluster at marker i,

and  $penalty(f_{i-1}, f_i)$  is the transition penalty between the ancestry states at markers i and i-1



## Dynamic Programming Recurrence

$$dist_{f_i=p,f_{i+1}=q} = D_M(x_{i+1}, cluster(q, i+1)) + penalty(p, q)$$
$$+ min\{dist_{f_0=r,f_i=p} | \forall r \in F\}, \quad p, q \in F$$

Transition penalties given by the following table:

p is	q is	p and $q$ share	Graphical	penalty(p,q)	
homozygous	homozygous	a haplotype	depiction		
yes	yes	no		mean $D_M$ between different homozygous clusters	
yes/no	no/yes	yes		1.5* mean $D_M$ between homozygous and heterozygous clusters	
no	no	yes		$1.5^*$ mean $D_M$ between different heterozygous clusters	
yes/no	no/yes	no		$5.0*$ mean $D_M$ between homozygous and heterozygous clusters	
no	no	no		5.0*mean $D_M$ between different heterozygous clusters	

#### Results

- We chose to compare with GAIN, a genotype-based inference algorithm designed for the CC
  - We had 6,750 informative markers (GAIN had 5,782)
  - 5,550 markers with 2 homozygous clusters, 1,200 markers with 3 or more homozygous clusters
  - 2.21 homozygous clusters/marker (genotype calls provide 2 A, B)
  - 3.66 total clusters/marker (genotype calls provide 3 A, B, H)

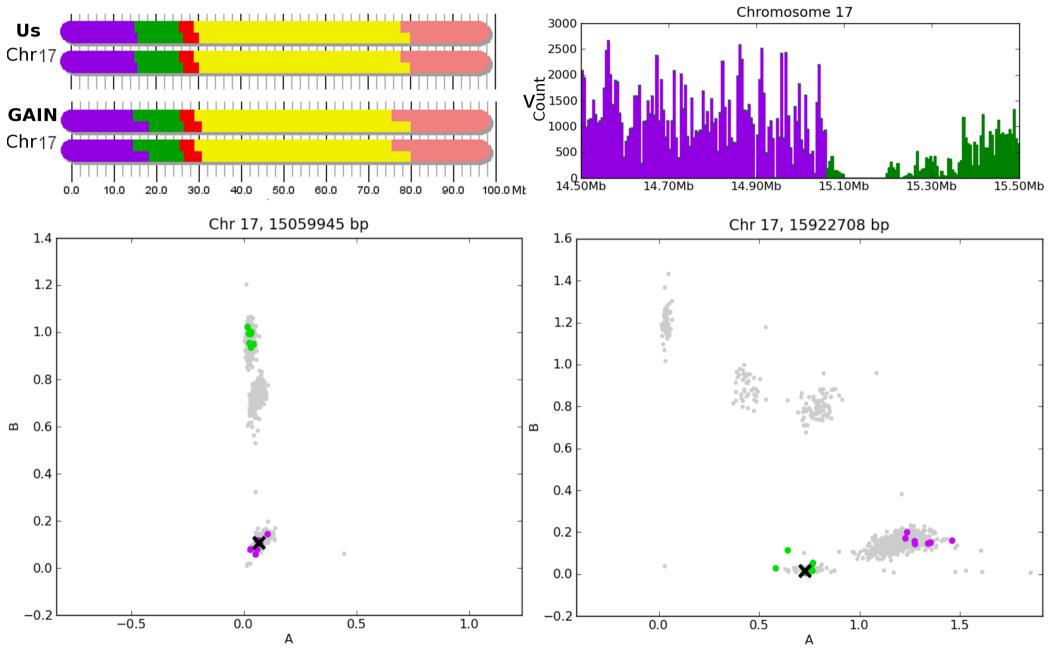
#### Results

- Used whole-genome sequence data for verification
  - DNA sequence data available for 3 CC samples genotyped on MUGA
  - Ran our algorithm and GAIN on these 3 CC samples, then imputed SNPs using the Wellcome Trust's whole-genome sequences
  - When inference between us and GAIN differ, compare all imputed SNPs in the region with sequence data

	# SNPs where we can GAN differ	SNPs where we agree with sequence	SNPs where GAIN agrees with sequence
OR867m532	33,026	24,092	8,934
OR1237m224	17,536	14,524	3,011
OR3067m352	38,621	23,095	15,526
Total	89,183	52,144 (69.2%)	27,471 (30.8%)

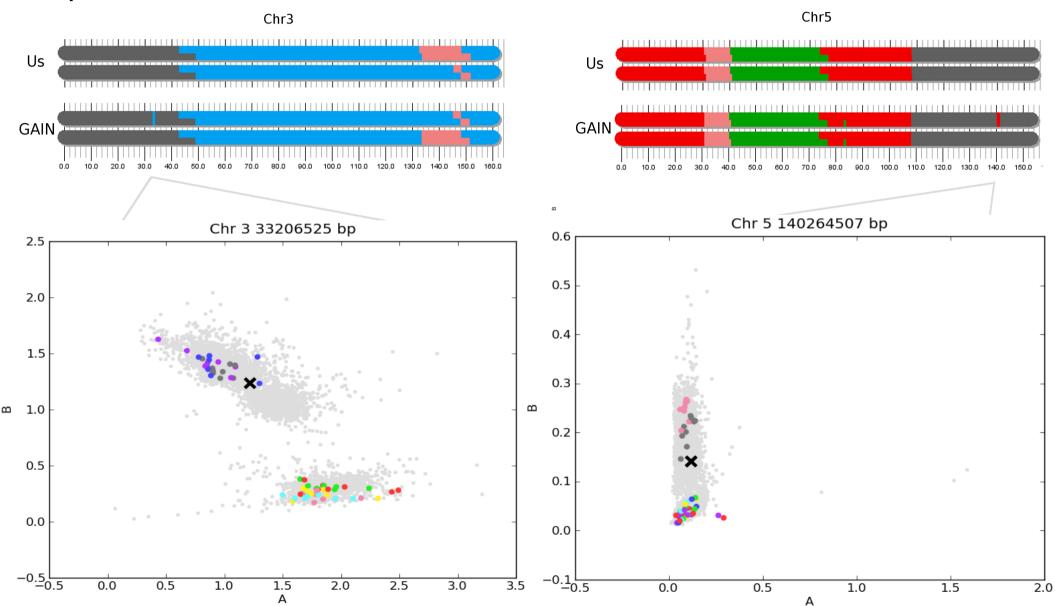
#### Results





## Results – Ancestry Inference

GAIN makes spurious transitions due to erroneous genotype calls, a problem which does not occur in our method



#### Conclusions

- We considered other distance measures Euclidean, Manhattan, etc.
  - Mahalanobis distance most robust, but other distances useful when multiple replicates of ancestors are not available
- We applied our methods to different platforms and populations and found comparable results
- We will extend our model to an HMM give a vector of probabilities at each marker
- Fluorescence intensity ranges vary between markers → we can move to a per-marker penalty model
- We should explore intensity-based methods for other applications (detecting structural variants, sexing, etc.)

