Overview of heavy ion features and strangeness enhancement in PYTHIA

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PYTHIA: Monte Carlo for e^+e^- , e p and pp

• General purpose event generator for pp collision physics and more.

(Figure: Peter Skands)

- Focus on hard process $+$ jets, parton showers, MPIs a sideshow, hadronization a necessity.
- Jet universality a cornerstone.

Collectivity in small systems (ALICE: 1606.07424, CMS: 1009.4122)

- LHC revealed that distinction between HI and pp is not simple.
- Probably most *surprising* discovery at LHC.

- Two paradigms at the prize of one!
- 1 If QGP is produced in pp collisions, can general purpose Monte Carlos stay general purpose?
- 2 How "standard" is the standard model of heavy ion collisions, if QGP is not necessary for collectivity?

This talk

- How to reconcile heavy ion effects in pp with jet universality?
	- Key idea: Let Lund strings interact with each other.
	- Focus on strangeness enhancement, but work also existing for flow, charm, jet quenching...
- What if we could use this to construct QGP free heavy ion collisions as well?
	- The Angantyr heavy ion model allows this.
	- "Clean slate" to add collective effects.
	- Focus item: Hadronic rescattering in PYTHIA/Angantyr.
- New models/implementations:
	- 1. Angantyr heavy ion model.
	- 2. String fragmentation.
	- 3. Hadronic rescattering
- Results.

Heavy ion collisions: Angantyr (CB, Gustafson, Lönnblad, Shah: 1806.10820)

- Idea: Build a heavy ion collision by stacking nucleon–nucleon sub-collisions.
- Pay special attention to coherence effects.
- Step 1: Glauber calculation with fluctuating cross sections \rightarrow ability to determine type of interaction

• Parameters fitted to pp cross sections \rightarrow no AA input at this point.

- Emission $F(\eta)$ per wounded nucleon $\rightarrow \frac{\mathrm{d}N}{\mathrm{d}\eta} = n_t F(\eta) + n_p F(-\eta).$
- $F(\eta)$ modelled with even gaps in rapidity, as diffraction.
- Tuned to reproduce pp in the $n_t = n_p = 1$ case.
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Fragmentation of a single string (Lund strings: Phys.Rept. 97 (1983) 31-145)

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But many strings overlap in pp collisions!

• Overlapping strings combine into *multiplet* with effective string tension $\tilde{\kappa}$.

Effective string tension from the lattice $\kappa \propto \mathcal{C}_2 \Rightarrow \frac{\tilde{\kappa}}{\kappa_c}$ $\frac{\tilde{\kappa}}{\kappa_0} = \frac{C_2(\text{multiplet})}{C_2(\text{singlet})}.$ • Overlapping strings combine into *multiplet* with effective string tension $\tilde{\kappa}$.

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Strangeness enhanced by:

$$
\rho_{LEP} = \exp\left(-\frac{\pi(m_s^2 - m_u^2)}{\kappa}\right) \rightarrow \tilde{\rho} = \rho_{LEP}^{\kappa_0/\kappa}
$$

- $QCD +$ geometry extrapolation from LEP.
- Can never do better than LEP initial conditions!

Rescattering (CB, Utheim, Sjöstrand, Ferreres-Solé: 2103.09665, 2005.05658, 1808.04619)

- Rescattering requires hadron space–time vertices.
- Key difference to existing approaches: Earlier hadronization $\tau \approx 2$ fm.
- Momentum-space to space-time breakup vertices through string EOM: $v_i = \frac{\hat{x}_i^+ \rho^+ + \hat{x}_i^- \rho^-}{\kappa}$ κ
- Hadron located between vertices: $v_i^h = \frac{v_i + v_{i+1}}{2}$ $\frac{-(\mathbf{v}_{i+1})}{2} \left(\pm \frac{p_h}{2\kappa} \right)$

- Formalism also handles complex topologies.
- Hadron cross sections from Regge theory or data.
- Note recent extension for prompt pentaquark production (Ilten, Utheim:

Angantyr particle production

- Reduces to normal Pythia in pp. In AA:
	- 1. Good reproduction of centrality measure (forward measurement ATLAS).
	- 2. Particle density at mid–rapidity.

- Same for other geometries, also pA.
- Would like: Similar in LHCb acceptance, SMOG fixed target would be great! Preferably in RIVET (1912.05451, 2001,10737)

Strangeness enhancement from ropes

- Good description of strangeness enhancement.
- Left pp (in release), right pp-AA preliminary results (WiP).

• Would like: To what degree is the multiplicity phase space choice necessary? Similar effects for ${\rm cs}$ states ${\rm D}_{\bm{s}}, {\mathsf \Lambda}_{\bm{c}}$ etc.? Maybe even B_s/B ?

Hadronic rescattering, closed charm

- Includes additive quark model for charm cross sections.
- Large effect for J/ψ (dissociation, flow). Early production.
- Full comparison to data needed, preferably RIVET.

Summary and future

- Many developments concerning heavy ion physics in PYTHIA!
	- 1. Model for collective behaviour, still mostly pp, AA in pipeline.
	- 2. Angantyr model for heavy ion collisions, just specify your ion and run.
	- 3. Internal rescattering framework, includes charm, allows origin extraction and extendible to eg. pentaquarks.
- Model(s) needs stress-testing and further development!
- Removing QGP from the equation is drastic, but a neccesary null-test.
	- 1. Geometry variation, SMOG results unique, prospects?
	- 2. LHCb phase space, model should work out to remnant region.
	- 3. Precision comparisons required, RIVET is our preferred tool.

Thank you for the invitation!